

# Introduction to Formal Semantics

## Tutorial Lecture 3: Predication

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- **FOL-Translations**

Exercise 2

- **Semantic interpretation and function assignments**

Exercises 3

## Reading:

- Coppock, E., and Champollion, L. (2021). Invitation to formal semantics. Manuscript, Boston University and New York University (Ch.4)





# Discussion



- Did you have any difficulties understanding **the main concepts**?
- Were the **exercises** difficult?
- Is there something you would like to review from **tutorial 2**?



# Exercises



## Exercise 2

- (1) Rick bought a bottle of gin **while** Morty dated Jessica.
- a.  $[\text{Bought}(\text{rick}', \text{bottleOf}(\text{gin}'))] \wedge [\text{Dated}(\text{morty}', \text{Jessica}')] ]$
  - b.  $\varphi \wedge \psi$
- (2) **If** all girls wanna have fun **and** Cindy Lauper is a girl, **then** she wants to have fun.
- a.  $[\forall x[\text{Girl}(x) \rightarrow \text{HaveFun}(x)] \wedge \text{Girl}(\text{cindy\_lauper}')] \rightarrow \text{HaveFun}(\text{cindy\_lauper}')] ]$
  - b.  $(\varphi \wedge \psi) \rightarrow \sigma$
- (3) Han is **either** Keylo's father **or** Rey's.
- a.  $[\text{fatherOf}(\text{han}', \text{kylo}')] \vee [\text{fatherOf}(\text{han}', \text{rey}')] ]$
  - b.  $(\varphi \vee \psi)$



(4) **Only** two stars exist.

a.  $[\exists x \exists y [\text{Star}(x) \wedge \text{Star}(y) \wedge x \neq y \wedge \forall z (\text{Star}(z) \rightarrow x = z \vee y = z)]]$

b.  $\varphi$

(5) A software company **that** develops games **not** far from Osaka.

a.  $[\exists x [\text{SoftwareCompany}(x) \wedge \text{Develops}(x, \text{games}') \wedge \text{CloseTo}(\text{Location of}(x) \wedge \text{Location of}(\text{osaka}'))]]$

b.  $\varphi / ? / \varphi \wedge \neg \psi / \varphi \wedge \psi \wedge \sigma$

(6) A friend of Harry Potter **is** unemployed.

a.  $[\exists x [\text{friendOf}(x, \text{harry\_potter}') \wedge \text{Unemployed}(x)]]$

b.  $\varphi$

- A software company develops games and it is not far from Osaka



# Exercise 3

(1) Ally loves Jack.

(2) John rent Susan the flat.

(3) Phoebe is Prue's and Piper's sister.





## Exercise 3

(1) Ally loves Jack.

$\llbracket \text{Loves}(\text{ally}', \text{jack}') \rrbracket^M =$

1 if  $\langle \llbracket \text{ally}' \rrbracket^M, \llbracket \text{jack}' \rrbracket^M \rangle \in \llbracket \text{Loves} \rrbracket^M$

(2) John rent Susan the flat.

(3) Phoebe is Prue's and Piper's sister.



## Exercise 3

(1) Ally loves Jack.

$$\begin{aligned} \llbracket \text{Loves}(\text{ally}', \text{jack}') \rrbracket^M = \\ 1 \text{ if } \langle \llbracket \text{ally}' \rrbracket^M, \llbracket \text{jack}' \rrbracket^M \rangle \in \llbracket \text{Loves} \rrbracket^M \end{aligned}$$

(2) John rent Susan the flat.

$$\begin{aligned} \llbracket \text{Rents}(\text{john}', \text{susan}', \text{flat}') \rrbracket^M = \\ 1 \text{ if } \langle \llbracket \text{john}' \rrbracket^M, \llbracket \text{susan}' \rrbracket^M, \llbracket \text{flat}' \rrbracket^M \rangle \in \llbracket \text{Rents} \rrbracket^M \end{aligned}$$

(3) Phoebe is Prue's and Piper's sister.



## Exercise 3

(1) Ally loves Jack.

$$\begin{aligned} \llbracket \text{Loves}(\text{ally}', \text{jack}') \rrbracket^M &= \\ 1 \text{ if } \langle \llbracket \text{ally}' \rrbracket^M, \llbracket \text{jack}' \rrbracket^M \rangle &\in \llbracket \text{Loves} \rrbracket^M \end{aligned}$$

(2) John rent Susan the flat.

$$\begin{aligned} \llbracket \text{Rents}(\text{john}', \text{susan}', \text{flat}') \rrbracket^M &= \\ 1 \text{ if } \langle \llbracket \text{john}' \rrbracket^M, \llbracket \text{susan}' \rrbracket^M, \llbracket \text{flat}' \rrbracket^M \rangle &\in \llbracket \text{Rents} \rrbracket^M \end{aligned}$$

(3) Phoebe is Prue's and Piper's sister.

$$\begin{aligned} \llbracket \text{sisterOf}(\text{phoebie}', \text{prue}') \wedge \text{sisterOf}(\text{phoebie}', \text{piper}') \rrbracket^M &= \\ 1 \text{ if } \{ \langle \llbracket \text{phoebie}' \rrbracket^M, \llbracket \text{prue}' \rrbracket^M \rangle, \langle \llbracket \text{phoebie}' \rrbracket^M, \llbracket \text{piper}' \rrbracket^M \rangle \} &\in \llbracket \text{sisterOf} \rrbracket^M \end{aligned}$$



## Exercise 3

(4) Robert Pattinson is Batman

$$\llbracket \text{robert\_pattinson}' = \text{batman}' \rrbracket^M = \\ 1 \text{ if } \llbracket \text{robert}' \rrbracket^M = \llbracket \text{batman}' \rrbracket^M$$

(5) Somebody is lazy.

$$\llbracket \exists x. \text{Lazy}(x) \rrbracket^{M, g_1} = \\ 1 \text{ iff there is an } e \in D \text{ s.t.: } \llbracket \text{Lazy}(x) \rrbracket^{M, g_1[x/e]} = 1 \\ g_1[x \mapsto e] \text{ e.g. } g_1(x) = \text{Miley}$$

(6) Everyone is unique

$$\llbracket \forall x. \text{Unique}(x') \rrbracket^{M, g_2} = \\ 1 \text{ iff for all } d \in D: \llbracket \text{Unique}(x') \rrbracket^{M, g_2[x/d]} = 1 \\ g_2[x \mapsto d] \text{ e.g. } g_2(x) = \text{Celenia}$$



**Thank you all  
for the kind  
attention!**



**If you need further help  
or have additional  
questions,  
please contact us.**

