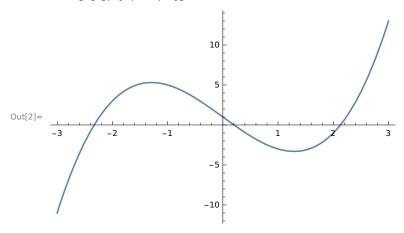
■ SECANT METHOD

$$ln[1]:= f[x_] := x^3 - 5x + 1$$

 $Plot[f[x], \{x, -3, 3\}]$



■ Applying Secant Method Formula

$$ln[12]:= f[x_] := x^3 - 5x + 1$$

 $a[0] = 2.0;$

$$a[1] = 3.0;$$

Do

$$a[n+2] = a[n+1] - \left(\frac{(a[n+1] - a[n])}{(f[a[n+1]] - f[a[n]])}\right) f[a[n+1]], \{n, 0, 9\}]$$

TableForm[Table[{n, a[n], f[a[n]]}, {n, 0, 9}]]

Power: Infinite expression $\frac{1}{0}$ encountered.

••• Infinity: Indeterminate expression 0. ComplexInfinity encountered.

Out[16]//TableForm=

6 2.12842
$$-1.42692 \times 10^{-7}$$

7 2.12842 2.16183
$$\times$$
 10⁻¹²

8 2.12842
$$-1.77636 \times 10^{-15}$$

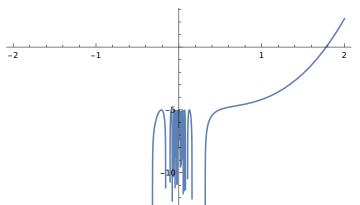
9 2.12842
$$-1.77636 \times 10^{-15}$$

■ Question 2

Out[18]=

$$ln[17]:= f[x_] := Log[Sin[1/x]] + x^3 - 5$$

Plot[f[x], {x, -2, 2}]



$$ln[27]:=$$
 a[0] = 1.0; a[1] = 2.0; Do[

$$a[n+2] = a[n+1] - \left(\frac{(a[n+1] - a[n])}{(f[a[n+1]] - f[a[n]])}\right) f[a[n+1]], \{n, 0, 9\}]$$

TableForm[Table[{n, a[n], f[a[n]]}, {n, 0, 9}]]

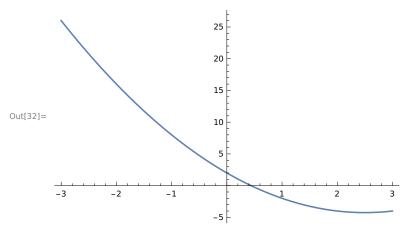
- Power: Infinite expression $\frac{1}{0}$ encountered.
- ••• Infinity: Indeterminate expression 0. ComplexInfinity encountered.

Out[30]//TableForm=

- 0 1. -4.1726 1 2. 2.26483 2 1.64818 -1.08454 3 1.7621 -0.149467 4 1.78031 0.0127513 5 1.77888 -0.000130358 -1.1174×10^{-7} 6 1.77889 9.79661×10^{-13} 7 1.77889 8 1.77889 1.77889
- Question 3

$$ln[31]:= f[x_] := x^2 - 5x + 2$$

 $Plot[f[x], \{x, -3, 3\}]$



$$In[33]:=$$
 a[0] = 0.0; a[1] = 1.0; Do[

$$a[n+2] = a[n+1] - \left(\frac{(a[n+1] - a[n])}{(f[a[n+1]] - f[a[n]])}\right) f[a[n+1]], \{n, 0, 9\}]$$

 $TableForm[Table[\{n,\,a[n],\,f[a[n]]\},\,\{n,\,0,\,9\}]]$

Power: Infinite expression $\frac{1}{0}$ encountered.

••• Infinity: Indeterminate expression 0. ComplexInfinity encountered.

Out[36]//TableForm=

0	0.	2.
1	1.	-2.
2	0.5	-0.25
3	0.428571	0.0408163
4	0.438596	-0.000615574
5	0.438448	-1.47102×10^{-6}
6	0.438447	5.32698×10^{-11}
7	0.438447	0.
8	0.438447	0.
9	Indeterminate	Indeterminate