

Assignment Questions 6

Question 1

A permutation perm of $n + 1$ integers of all the integers in the range $[0, n]$ can be represented as a string s of length n where:

- $s[i] == 'I'$ if $\text{perm}[i] < \text{perm}[i + 1]$, and
- $s[i] == 'D'$ if $\text{perm}[i] > \text{perm}[i + 1]$.

Given a string s , reconstruct the permutation perm and return it. If there are multiple valid permutations perm , return **any of them**.

Example 1:

Input: $s = "IDID"$

Output:

$[0,4,1,3,2]$

Question 2

You are given an $m \times n$ integer matrix matrix with the following two properties:

- Each row is sorted in non-decreasing order.
- The first integer of each row is greater than the last integer of the previous row.

Given an integer target , return *true* if target is in matrix or *false* otherwise.

You must write a solution in $O(\log(m * n))$ time complexity.

Example 1:

1	3	5	7
10	11	16	20
23	30	34	60

Input: $\text{matrix} = [[1,3,5,7],[10,11,16,20],[23,30,34,60]]$, $\text{target} = 3$

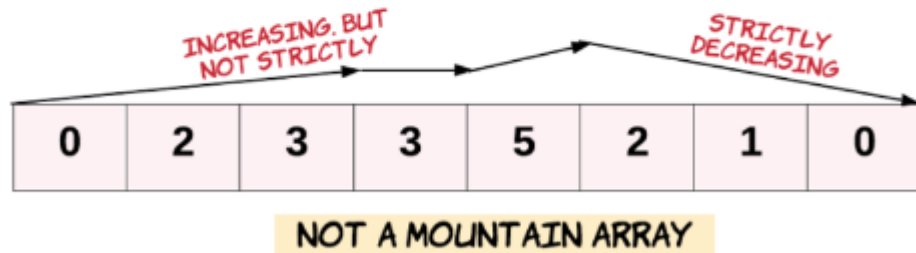
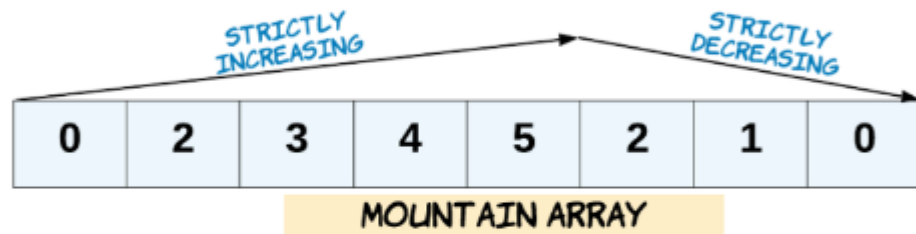
Output: *true*

Question 3

Given an array of integers `arr`, return *true* if and only if it is a valid mountain array.

Recall that `arr` is a mountain array if and only if:

- `arr.length >= 3`
- There exists some `i` with $0 < i < arr.length - 1$ such that:
 - `arr[0] < arr[1] < ... < arr[i - 1] < arr[i]`
 - `arr[i] > arr[i + 1] > ... > arr[arr.length - 1]`



Example 1:

Input: `arr = [2,1]`

Output:

false

Question 4

Given a binary array `nums`, return the maximum length of a contiguous subarray with an equal number of 0 and 1.

Example 1:

Input: `nums = [0,1]`

Output: 2

Explanation:

`[0, 1]` is the longest contiguous subarray with an equal number of 0 and 1.

💡 Question 5

The **product sum** of two equal-length arrays a and b is equal to the sum of $a[i] * b[i]$ for all $0 \leq i < a.length$ (0-indexed).

- For example, if $a = [1,2,3,4]$ and $b = [5,2,3,1]$, the **product sum** would be $1*5 + 2*2 + 3*3 + 4*1 = 22$.

Given two arrays $nums1$ and $nums2$ of length n , return the *minimum product sum* if you are allowed to *rearrange the order of the elements* in $nums1$.

Example 1:

Input: $nums1 = [5,3,4,2]$, $nums2 = [4,2,2,5]$

Output: 40

Explanation:

We can rearrange $nums1$ to become $[3,5,4,2]$. The product sum of $[3,5,4,2]$ and $[4,2,2,5]$ is $3*4 + 5*2 + 4*2 + 2*5 = 40$.

💡 Question 6

An integer array *original* is transformed into a **doubled array** changed by appending twice the value of every element in *original*, and then randomly *shuffling* the resulting array.

Given an array *changed*, return *original* if *changed* is a **doubled array**. If *changed* is not a **doubled array**, return an empty array. The elements in *original* may be returned in *any order*.

Example 1:

Input: $changed = [1,3,4,2,6,8]$

Output: $[1,3,4]$

Explanation: One possible *original* array could be $[1,3,4]$:

- Twice the value of 1 is $1 * 2 = 2$.
- Twice the value of 3 is $3 * 2 = 6$.
- Twice the value of 4 is $4 * 2 = 8$.

Other *original* arrays could be $[4,3,1]$ or $[3,1,4]$.

💡 Question 7

Given a positive integer n , generate an $n \times n$ matrix filled with elements from 1 to n^2 in spiral order.

Example 1:

1	→ 2	→ 3
8	→ 9	↓ 4
↑ 7	← 6	← 5

Input: $n = 3$

Output: `[[1,2,3],[8,9,4],[7,6,5]]`

💡 Question 8

Given two sparse matrices `mat1` of size $m \times k$ and `mat2` of size $k \times n$, return the result of `mat1 x mat2`. You may assume that multiplication is always possible.

Example 1:

1	0	0
-1	0	3

 \times

7	0	0
0	0	0
0	0	1

 $=$

7	0	0
-7	0	3

Input: `mat1 = [[1,0,0],[-1,0,3]]`, `mat2 = [[7,0,0],[0,0,0],[0,0,1]]`

Output:

`[[7,0,0],[-7,0,3]]`