Document 1

Document 2

Document 3

•

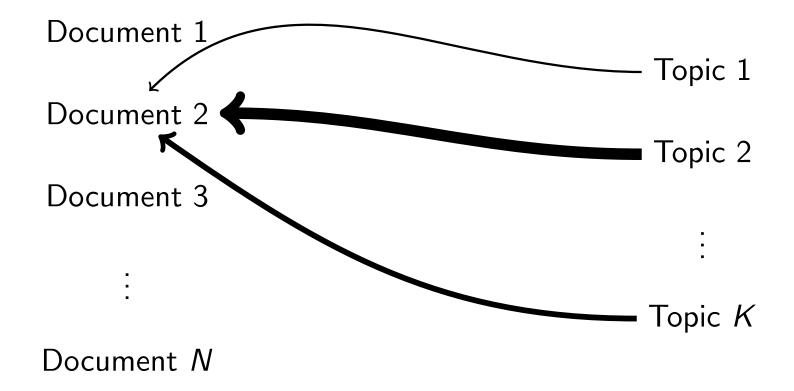
Document N

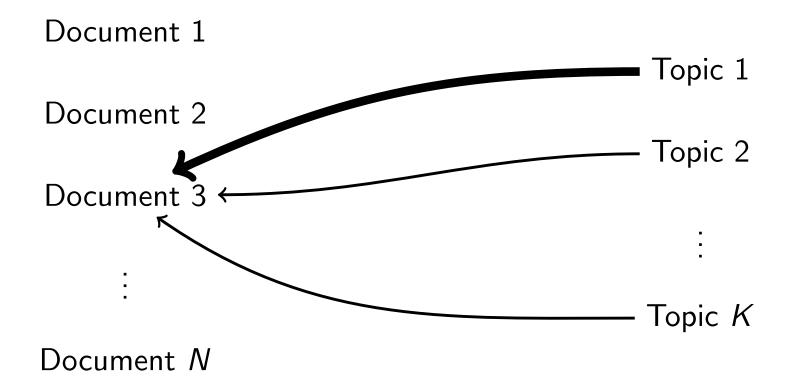
Topic 1

Topic 2

•

Topic *K* 





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Now, where do the words in the documents come from?

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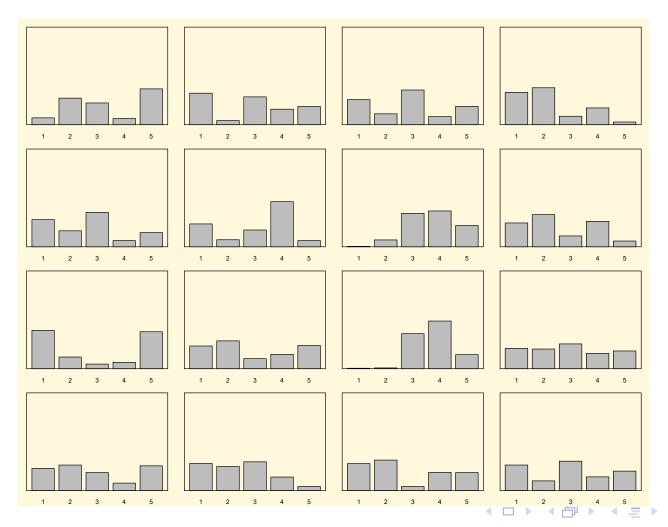
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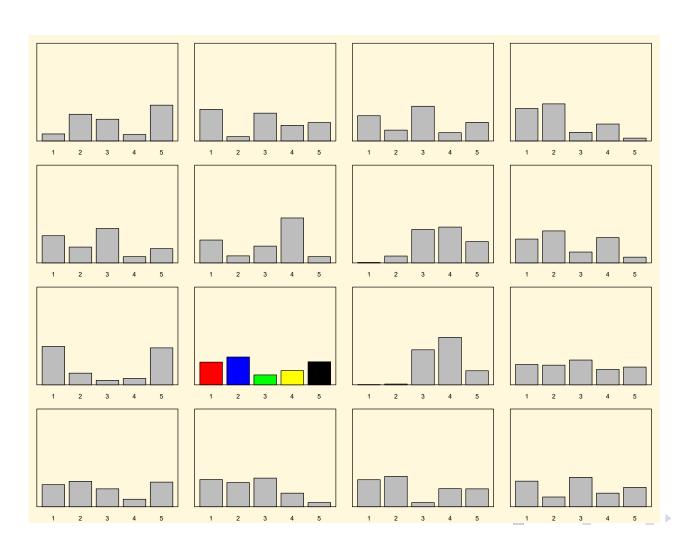
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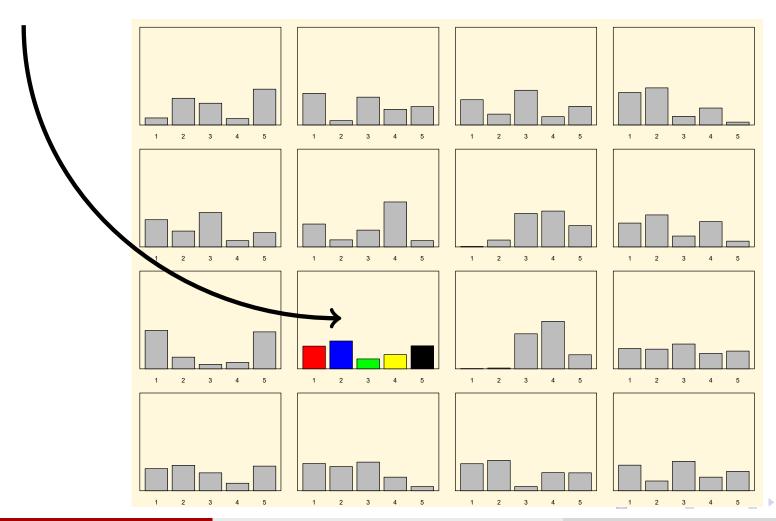
April 3, 2018

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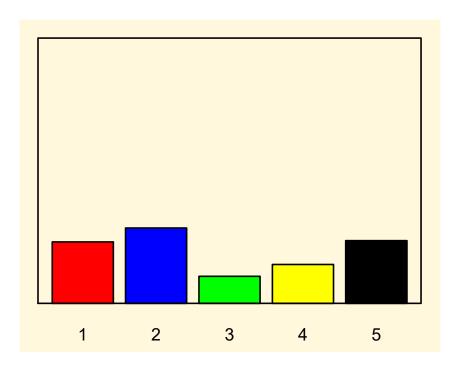
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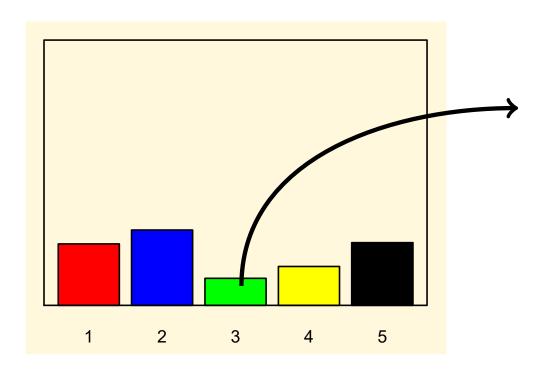
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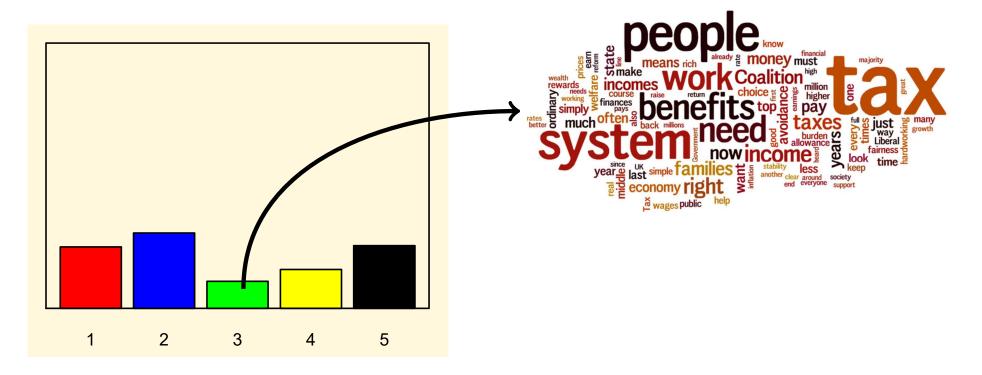
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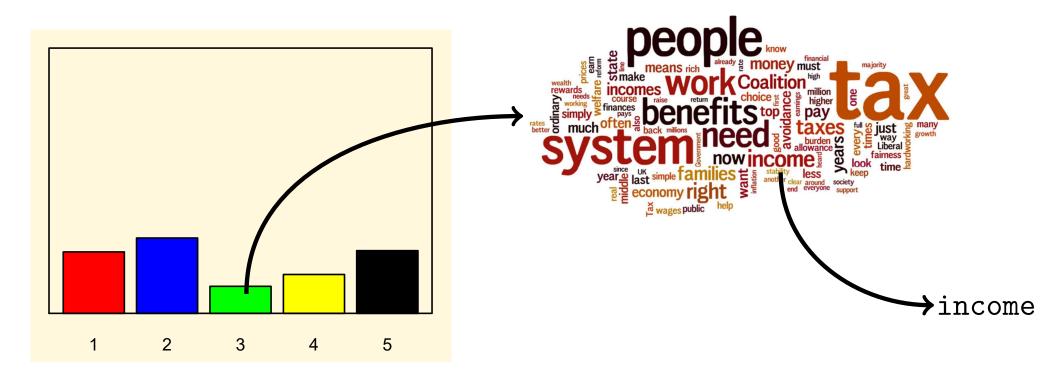
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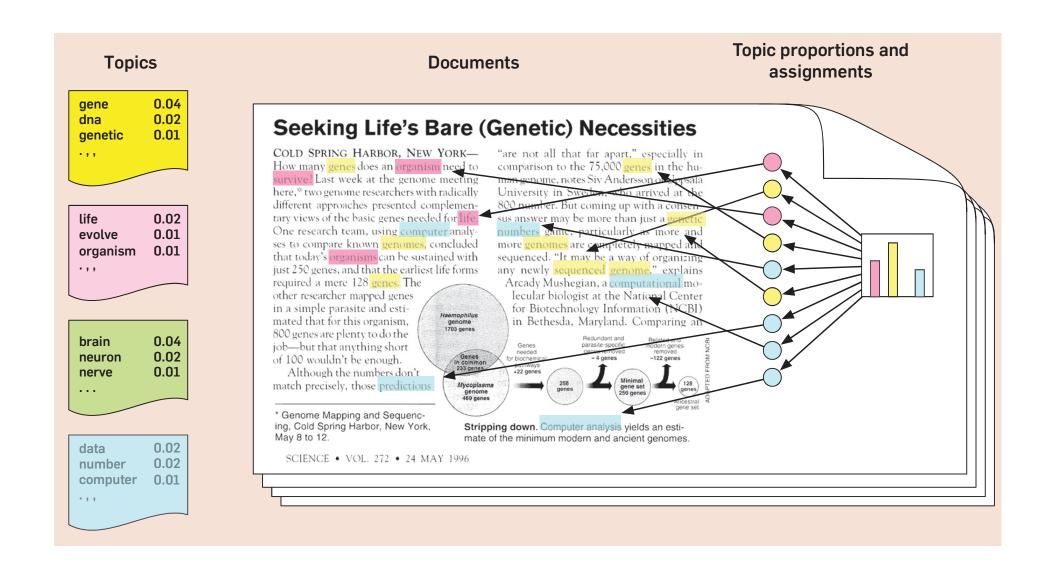


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# Topic Modeling a Document (Blei, 2012)

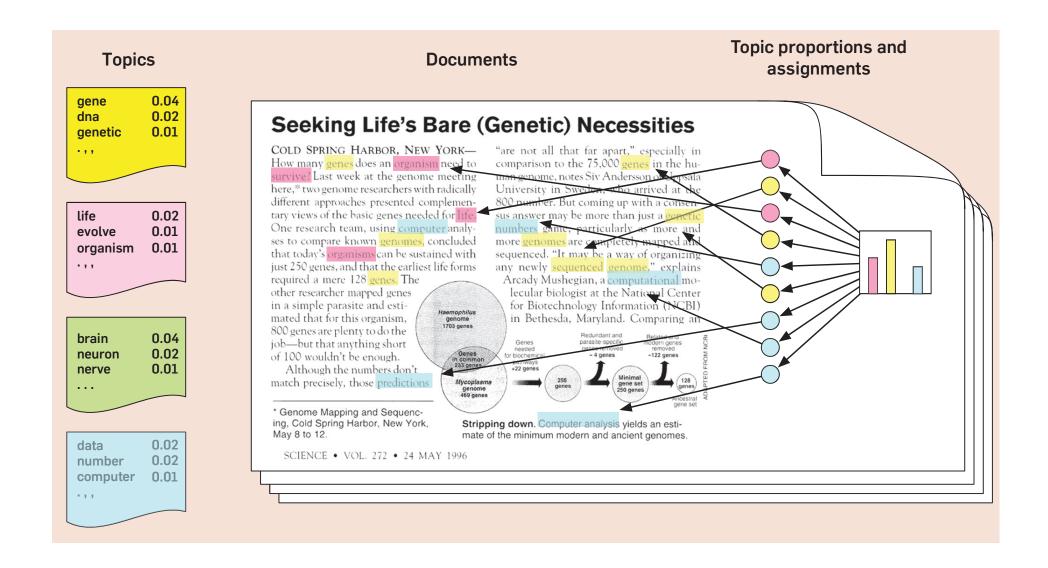
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Note that all documents share same set of topics:

(

## Topic Modeling a Document (Blei, 2012)



Note that all documents share same set of topics: but some (e.g. neuro) may be (basically) absent in a given document.

() April 3, 2018



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LDA

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The multinomial distribution for the *i*th topic is denoted  $\beta_i$ , and  $|\beta_i| = V$ , meaning that the 'size' of this multinomial is equal to the number of different words in the corpus.

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**◆□▶ ◆□▶ ◆■▶ ◆■▶ ● 夕**��

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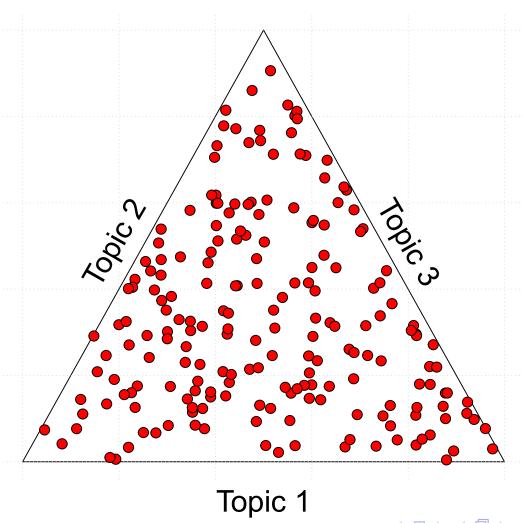
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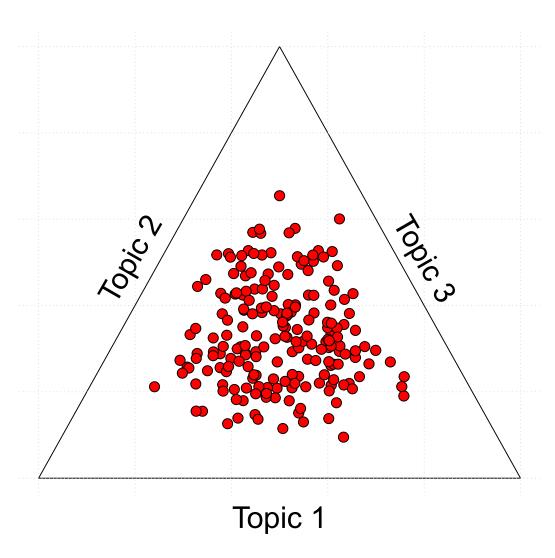
### Example of Dirichlet

200 documents, 3 topics,  $\alpha=1$  (uniform)



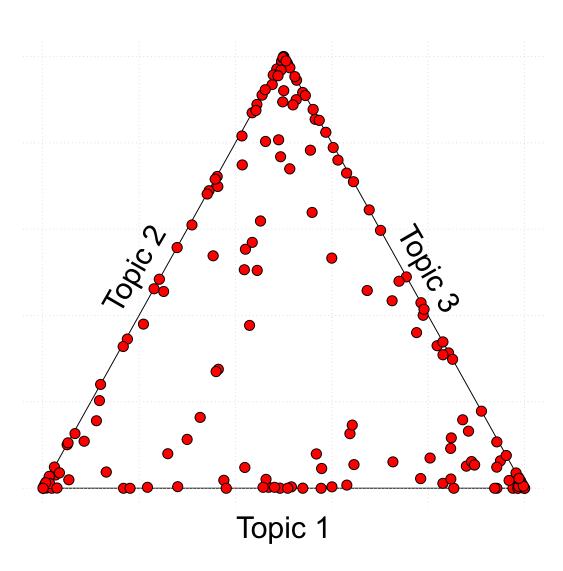
## Example of Dirichlet

200 documents, 3 topics,  $\alpha=5$ 



## Example of Dirichlet

200 documents, 3 topics,  $\alpha = 0.2$ 



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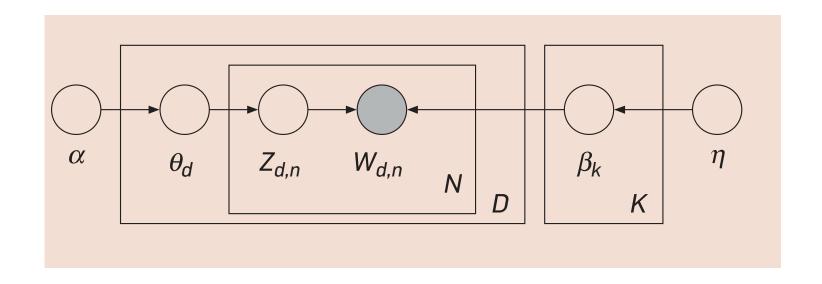
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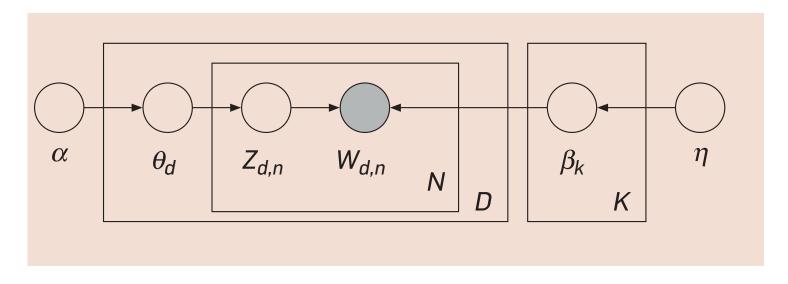
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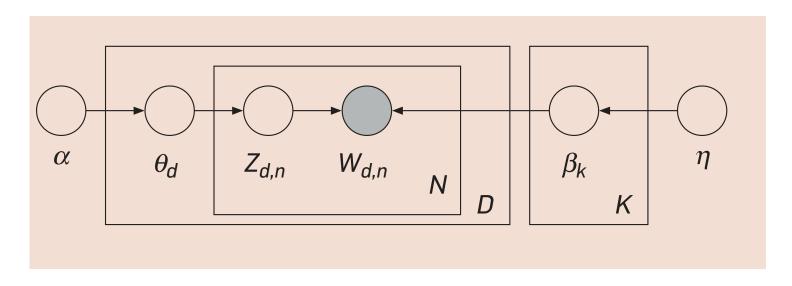
**And** we know that the actual value that  $w_{d,n}$  takes depends on the distribution over words that the relevant topic entails, the  $\beta$  ("the word from topic 4 is "income" in this case")

While the  $\beta$  depends on the prior for the relevant Dirichlet,  $\eta$ 

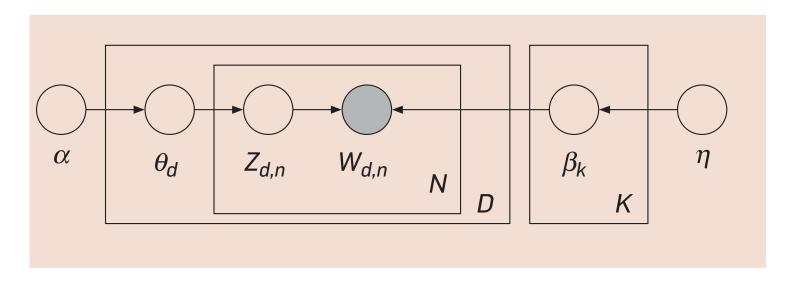




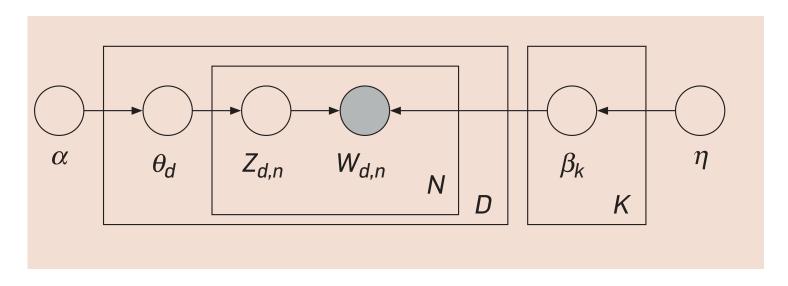
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Plates imply replication.

Note that  $w_{d,n}$  depends on  $z_{d,n}$  (the mix of topics for that document) and  $\beta_{1:K}$  (all the topics in terms of their distributions over the words).

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Some implementations allow you to estimate e.g.  $\alpha$ , in which case this is also returned. And perhaps some kind of fit statistic(s).

# A Manifesto Example

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69 UK manifestos.

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	Topic 1	Topic 2	Topic 3	Topic 4	Topic 5
conservative	0.00188	0.00088	0.00185	0.00221	0.00168
party	0.00145	0.00067	0.00066	0.00577	0.00093
general	0.00073	0.00033	0.00018	0.00192	0.00040
election	0.00079	0.00053	0.00022	0.00235	0.00076
manifesto	0.00059	0.00078	0.00032	0.00099	0.00048
:					:
•		•	•	•	•

'Top' 6 most frequent words in each topic:

'Top' 6 most frequent words in each topic: might help interpretation (!)

	Topic 1	Topic 2	Topic 3	Topic 4	Topic 5
1	people	new	[markup]	new	must
2	local	government	people	labour	government
3	government	people	new	government	labour
4	new	continue	work	people	shall
5	tax	can	[markup]	shall	can
6	liberal	conservative	support	britain	policy

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Meaningless 'junk' topics not unusual:

'Top' 6 most frequent words in each topic: might help interpretation (!)

	Topic 1	Topic 2	Topic 3	Topic 4	Topic 5
1	people	new	[markup]	new	must
2	local	government	people	labour	government
3	government	people	new	government	labour
4	new	continue	work	people	shall
5	tax	can	[markup]	shall	can
6	liberal	conservative	support	britain	policy

Up to analyst to label the topics!

Meaningless 'junk' topics not unusual: debate as to whether one has to interpret every topic.

The topic distribution for each document...

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	Topic 1	Topic 2	Topic 3	Topic 4	Topic 5
doc 1	0.00009	0.00009	0.00009	0.00009	0.99965
doc 2	0.00011	0.00011	0.00011	0.00011	0.99954
doc 3	0.00010	0.00010	0.00010	0.00010	0.99959
doc 4	0.00006	0.00006	0.00006	0.00006	0.99978
doc 5	0.00002	0.00002	0.00002	0.00002	0.99991
doc 6	0.00019	0.00019	0.00019	0.00019	0.99924
:	:	:	:	:	
•	:				

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Picking *k*, continued...

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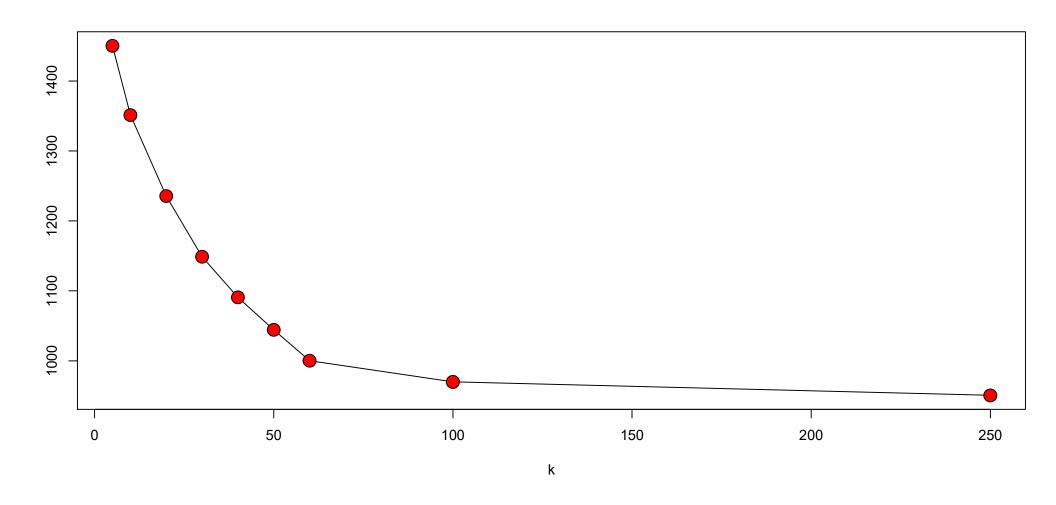
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But: the topic models that hold-out calculations suggest are optimal and not much liked by humans! "Reading Tea Leaves: How Humans Interpret Topic Models" by Chang et al.

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# Perplexity Likes a Lot of Topics (manifestos)



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April 3, 2018





Japan is a curious IR case:



JERV PEACE NOT WAR

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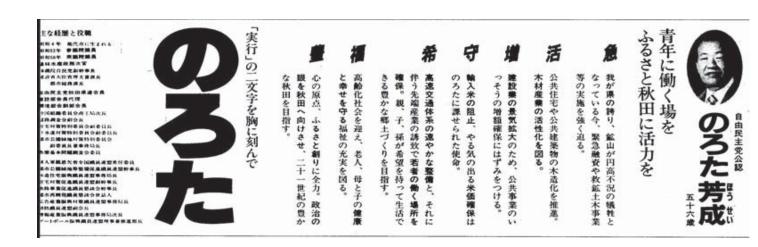
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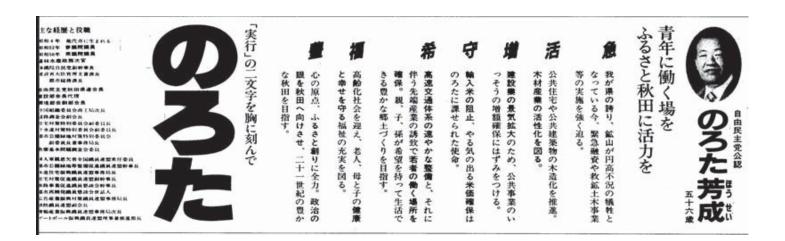
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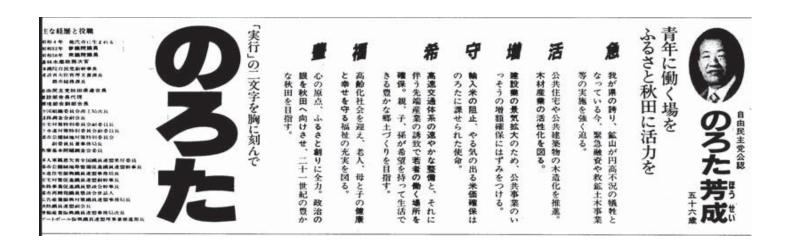


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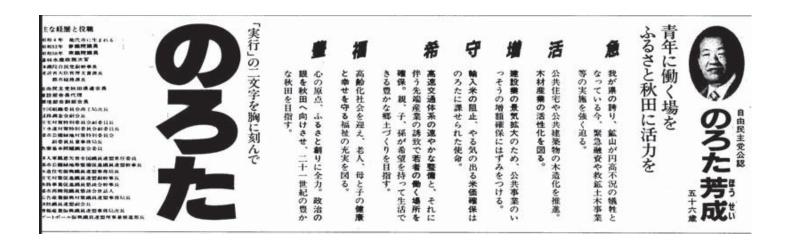
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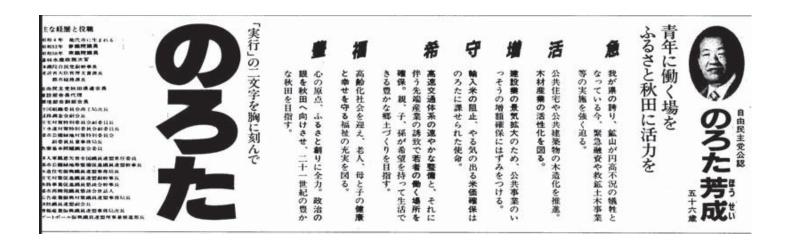
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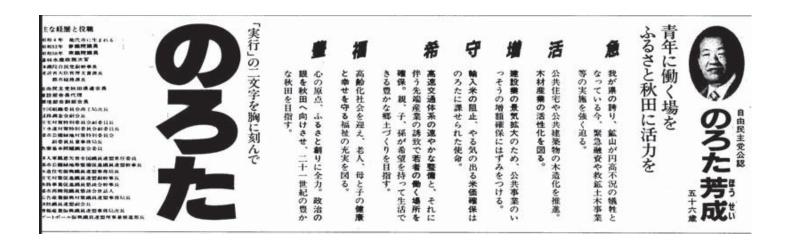
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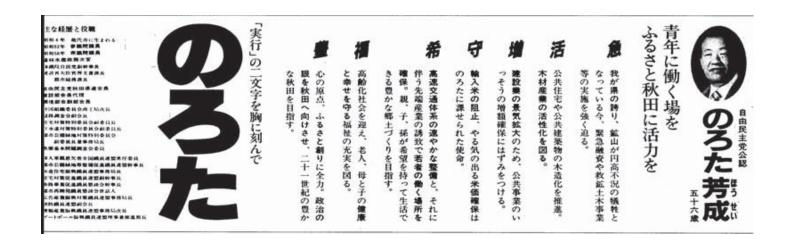
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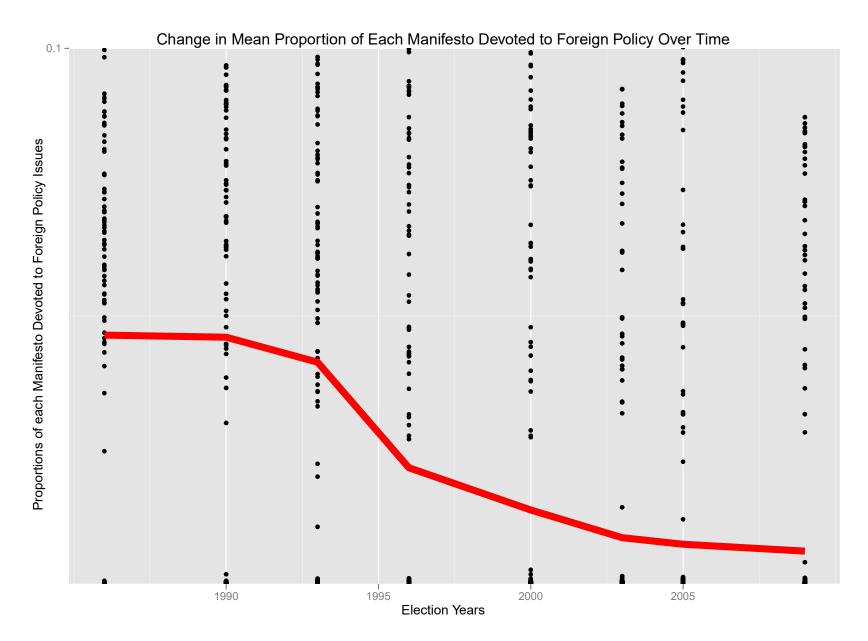
# Topic Distribution over Words

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Topic 1	Topic 2	Topic 3	Topic 4	Topic 5	Topic 6
1 改革	單金	推i並	Z .	政治	日本
2 郵政	円	整備	政策	改革	国
3 民営	廃止	図る	地域	国民	外交
4 小果	改革	つとめる	まち	企業	国家
5 構造	3E	社会	鹿児島	自民党	往金
6 政府	実現	対策	全力	日本	国民
7官	無駄	振興	選挙	共産党	保障
8推進	日本	充実	国政	献金	安全
9 民	増税	促進	作り	金権	地域
10 自民党	<b>南</b> 矿液	安定	横浜	充	拉致
11 日本	一元化	確立	対策	選挙	経済
12 制度	政権	企業	中小	禁止	守る
13 民間	子供	実現	発電	憲法	門是
14 年金	地域	中小	推進	腐敗	は上草門重羊
15 実現	ひと	育成	エネルギー	団体	教育
16 進める	サラリーマン	制度	企業	区	責任
17 晒行	制度	政治	je:	ン連	カ
18 地方	議員	地域	実現	守る	割る
19 止める	童	<b>福</b> 社	活性	平和	安心
20 保障	民主党	事業	自民党	円	目指す
21 財政	年間	20.36	地方	反対	縛り
22 作る	特勝	確保	尽くす	真	憲法
23 贊成	野政	強化	高压	是正	可能
24 社会	道路	教育	いかす	一提	i
25 国民	交代	施設	全国	悪政	未来
26 公務員	社会保険庁	生活	政党	抜本	ひと
27 力	月額	支援	ひと	定数	再生
28 経済	手当	環境	支援	政党	将来
29 🗷	談合	発展	経済	金丸	解決
90 WW.	专 #6	<b>有应 96</b> 6	2里 24	沙軍	31. 法

# Change in proportion of 'Pork' Topic

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# Change in proportion of 'Foreign Policy' Topic

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