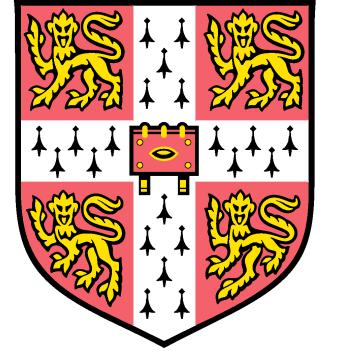


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CAMBRIDGE

Drug Design – Present and Future

L10, Structural Bioinformatics

WiSe 2023/24, Heidelberg University

Overview for this lecture

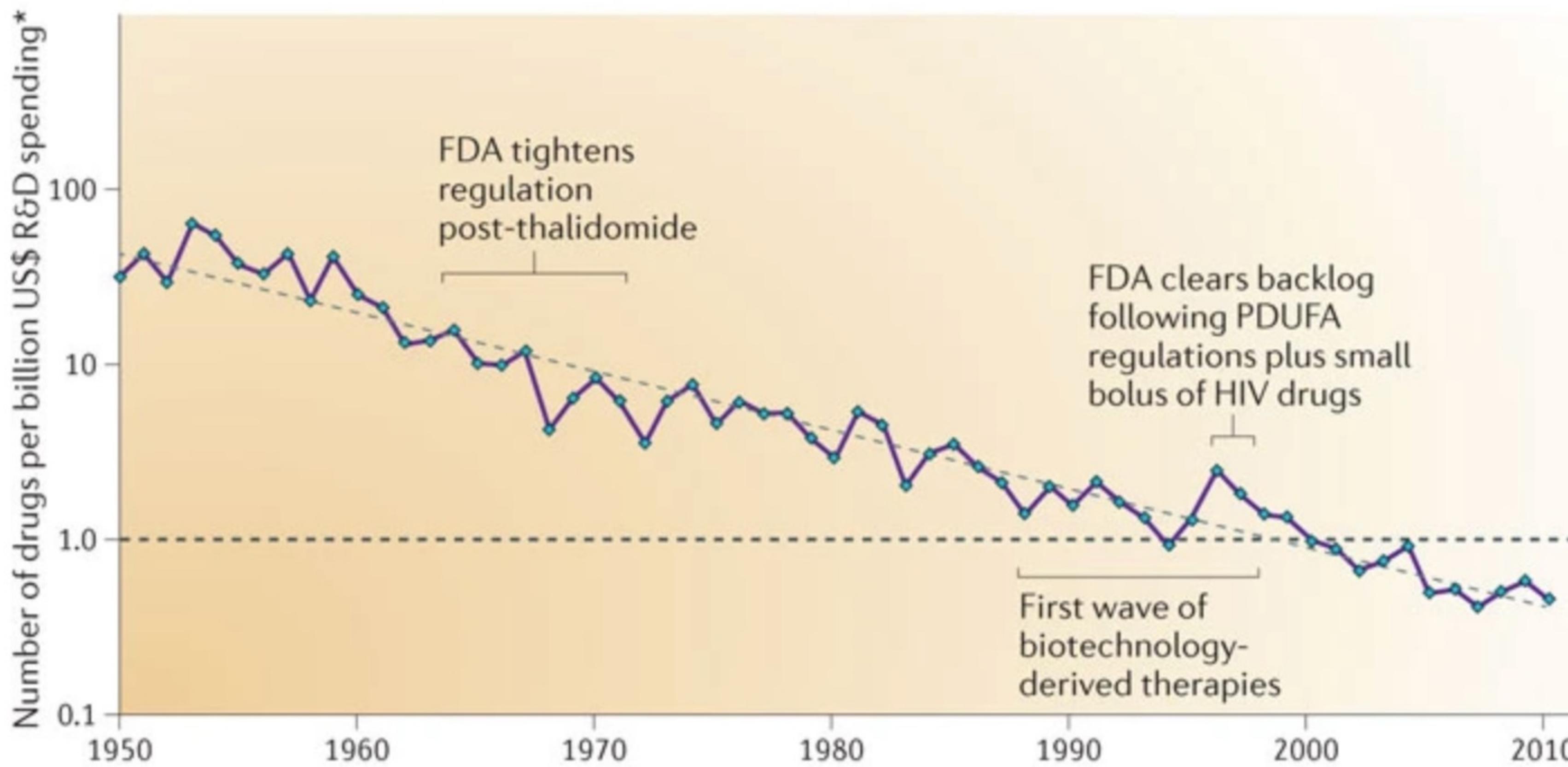
- 1. Background: Drug Discovery Pipeline**
- 2. Traditional approaches to early-stage design**
- 3. Deep learning-based docking methods**
- 4. Generative modelling for drug design**

1. Background: Drug Discovery

Eroom's Law

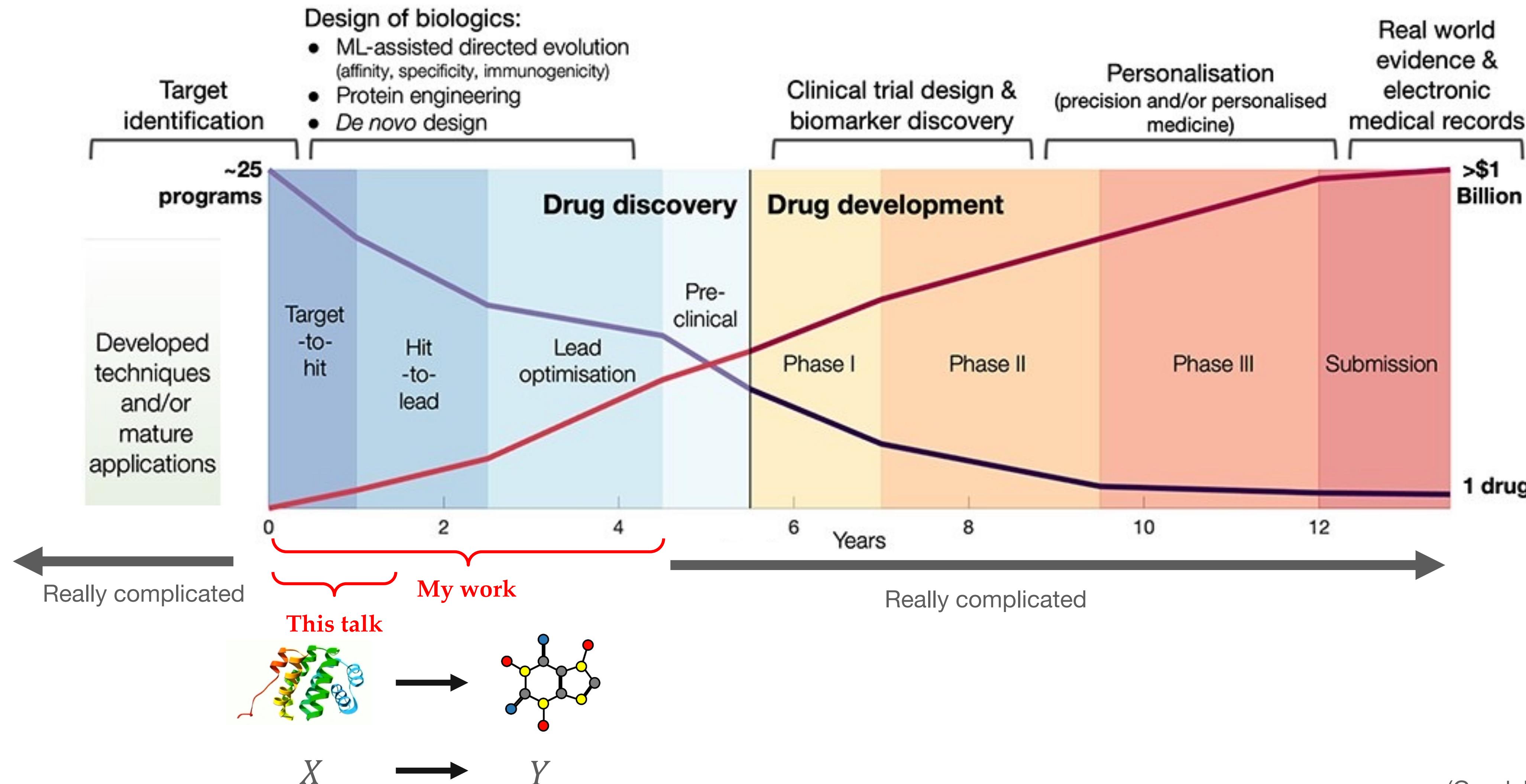
Drug Discovery is hard

a Overall trend in R&D efficiency (inflation-adjusted)



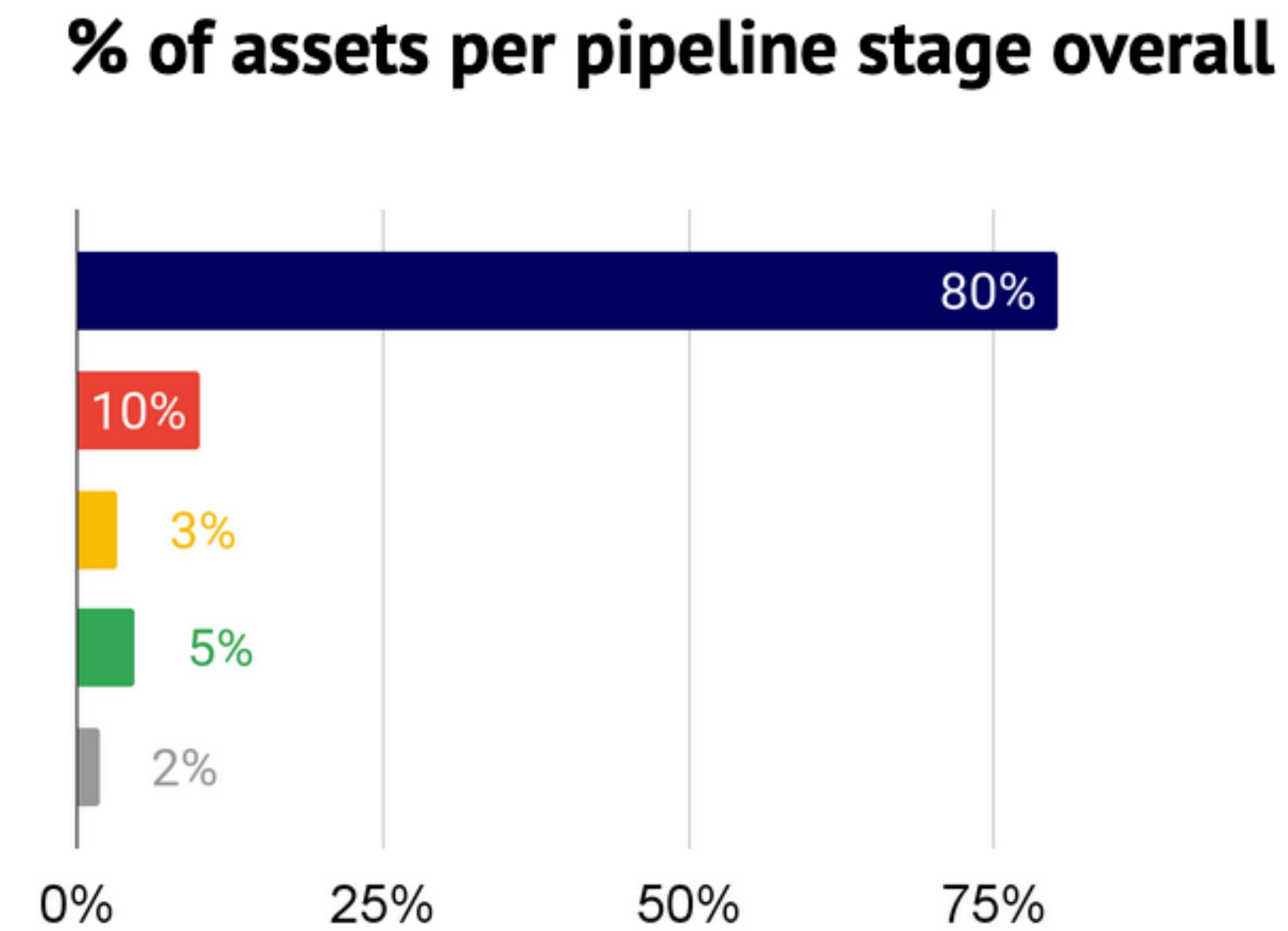
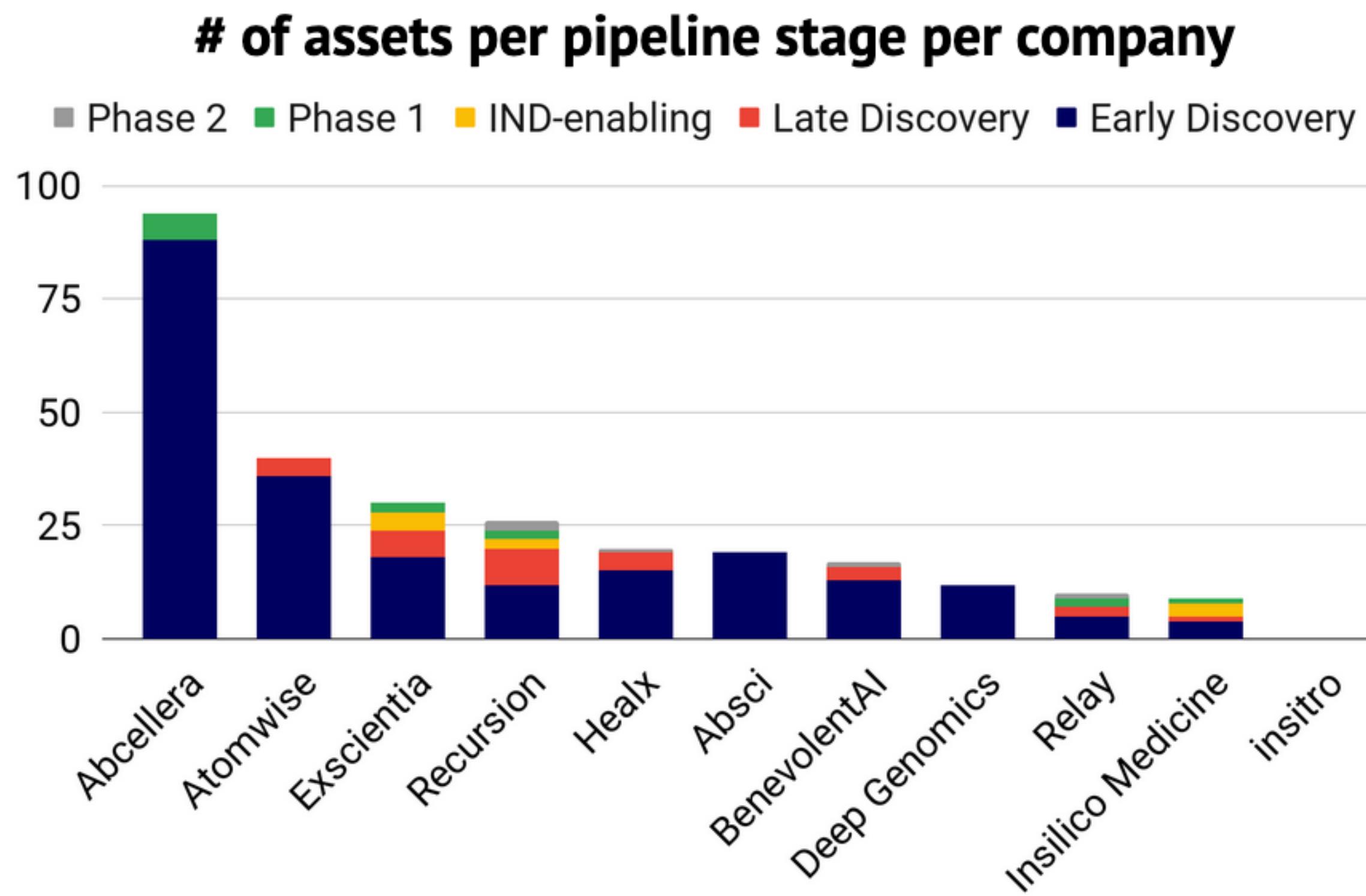
Recommended Reading:
- Derek Lowe – [‘In the pipeline’](#)

The Drug Discovery Pipeline



AI-first Drug Design – reducing the cost?

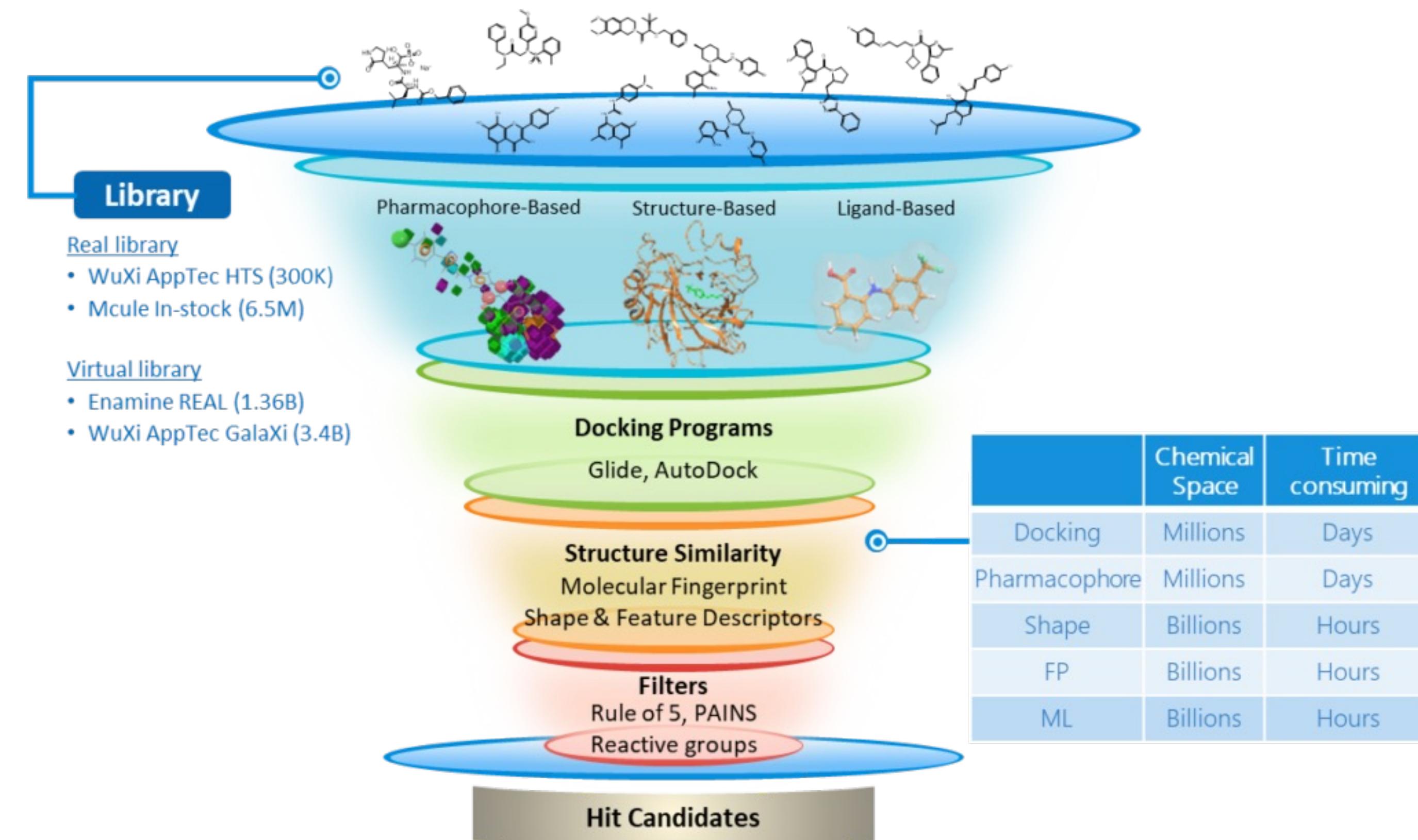
>18 assets from AI DD companies now in trials



1. Drug Design: Current paradigm

Virtual Screening

Efficiently searching large chemical space to find hits





Central idea:

Search the vast drug-like space using
virtual screening
to identify good starting points

Chemical libraries

New chemical libraries are vast, diverse and commercial available

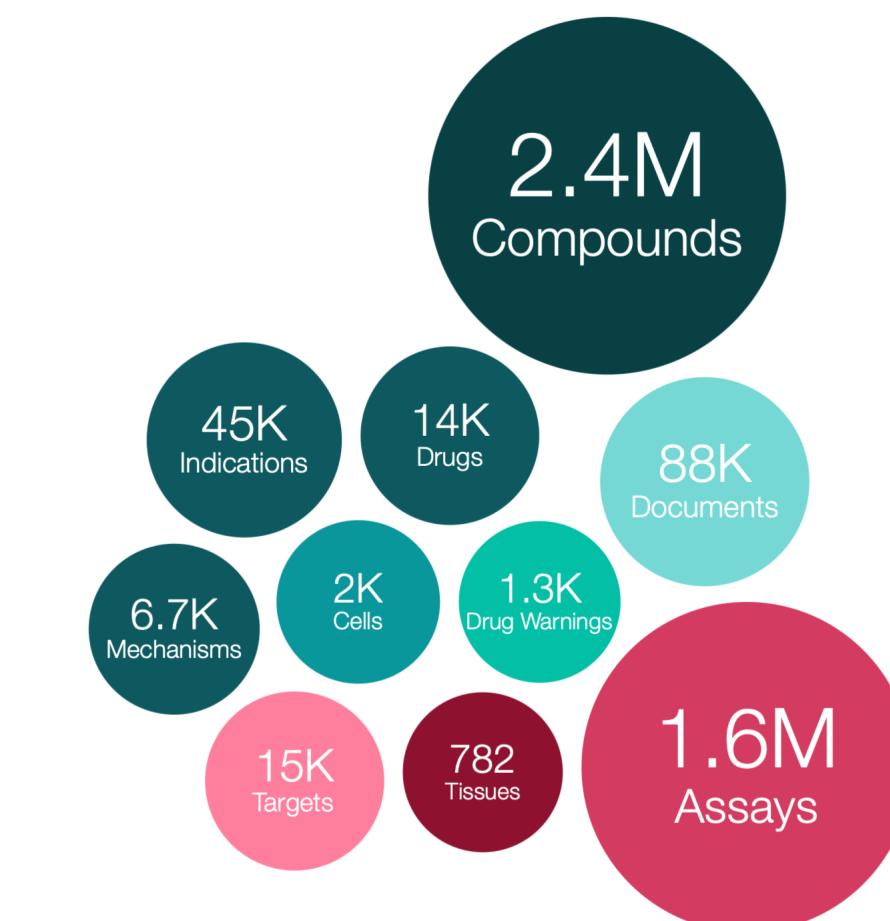
ZINC

Most common virtual library. ~1.3 billion purchasable molecules by pooling together 310 commercial catalogs



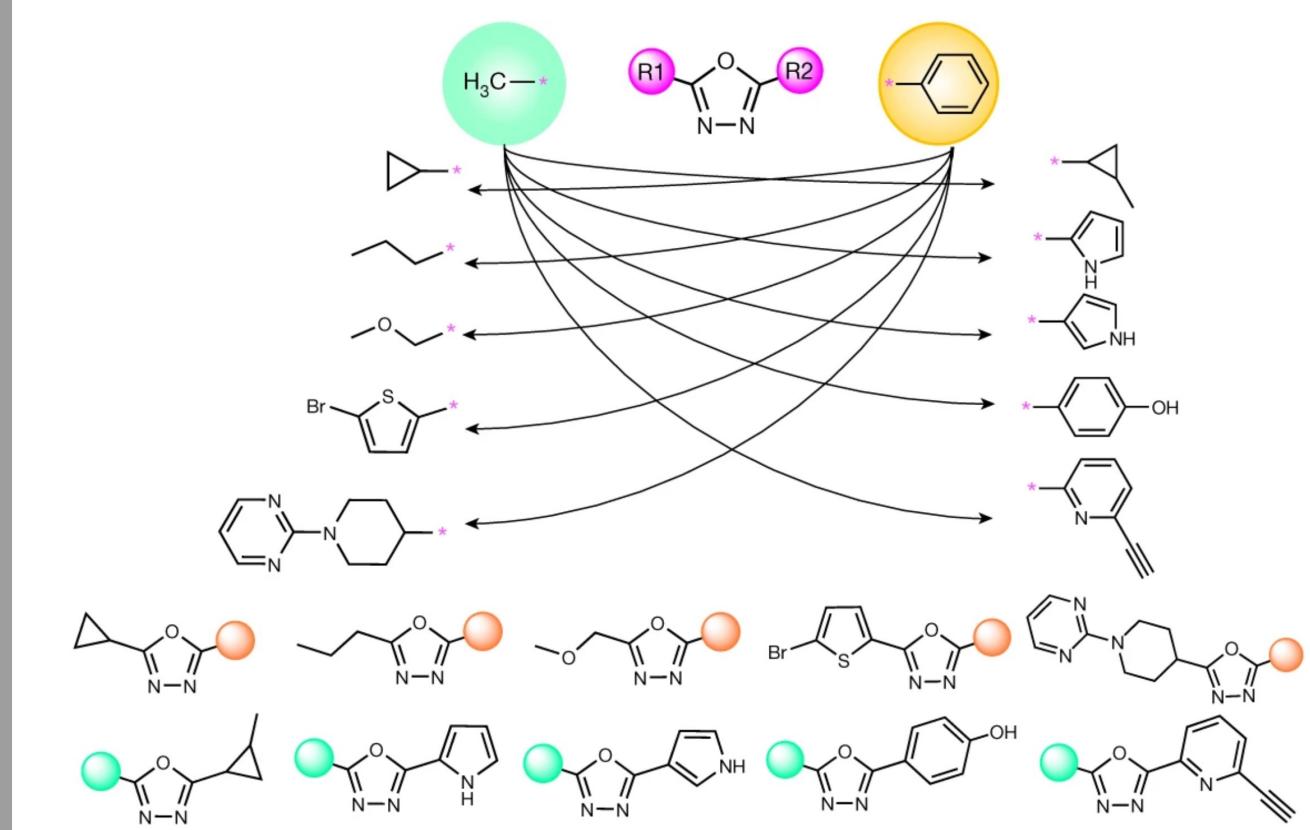
ChEMBL

2.6 million manually curated database of bioactive molecules with drug-like properties



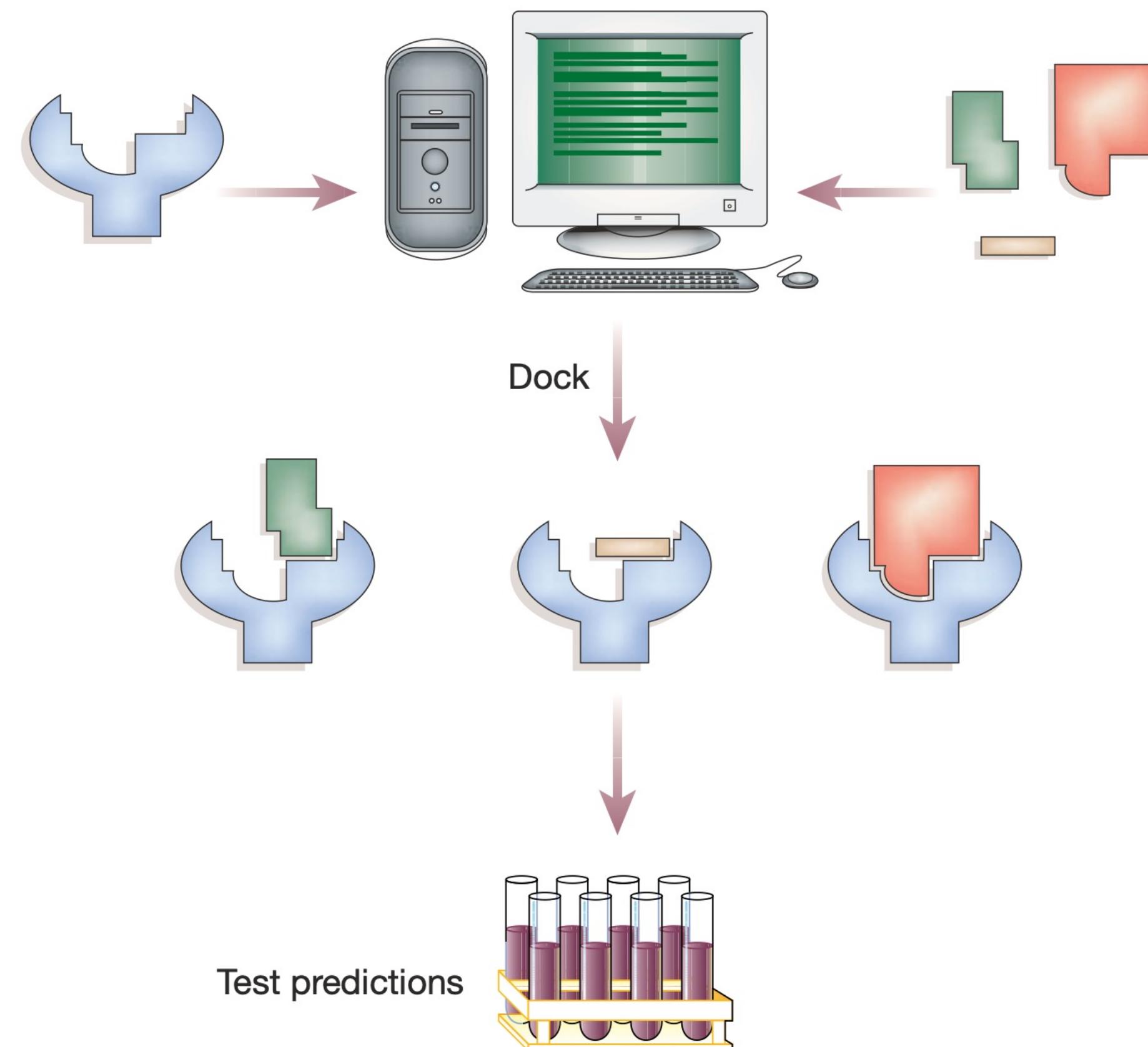
Enamine REAL

(Relatively) small library of ‘building-blocks’ can be combined combinatorically to make a vast chemical space



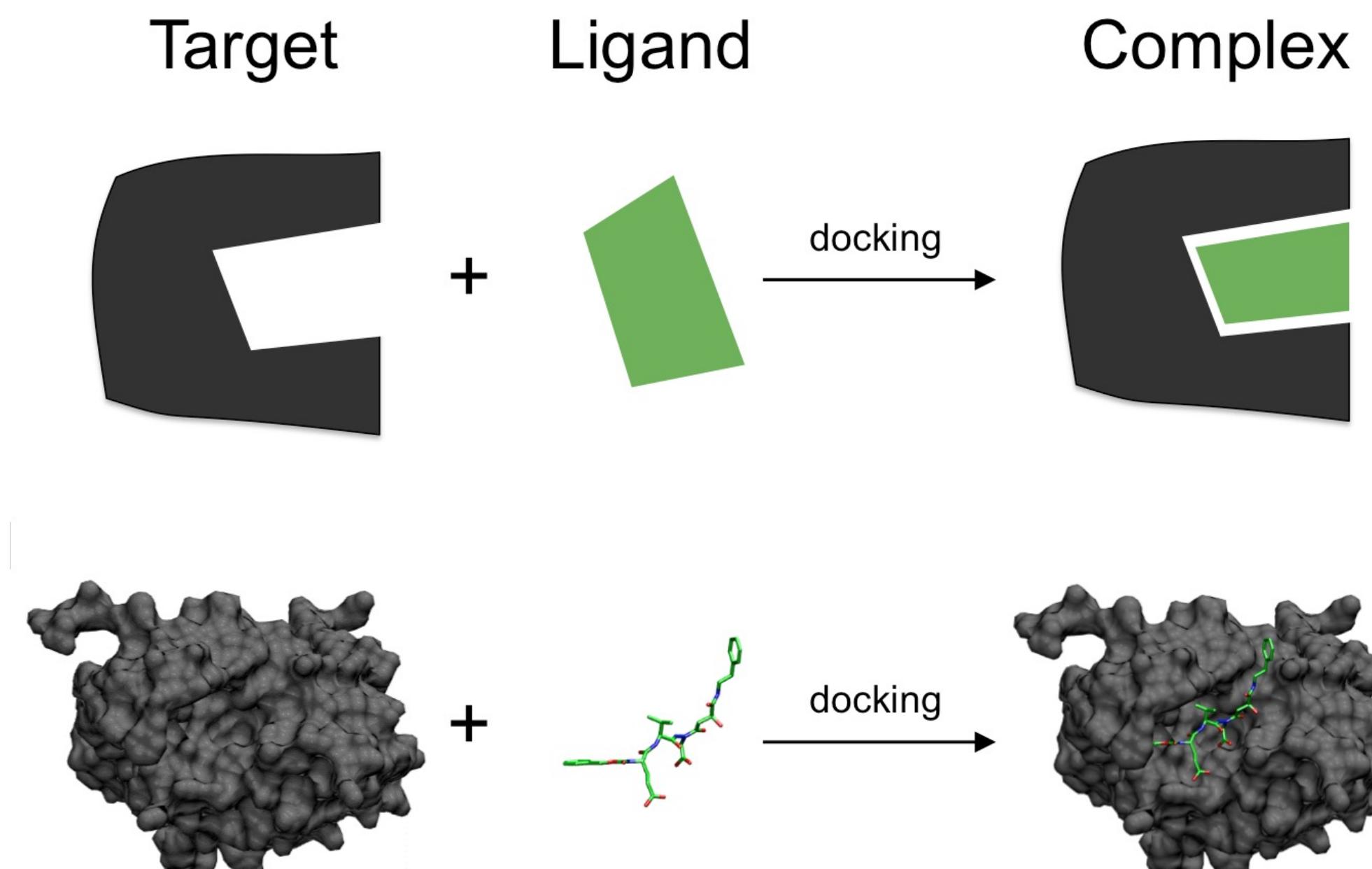
Protein-ligand docking

Approximates protein-ligand complementarity and affinity



Protein-ligand docking

Combines 2 techniques: a scoring function and optimisation



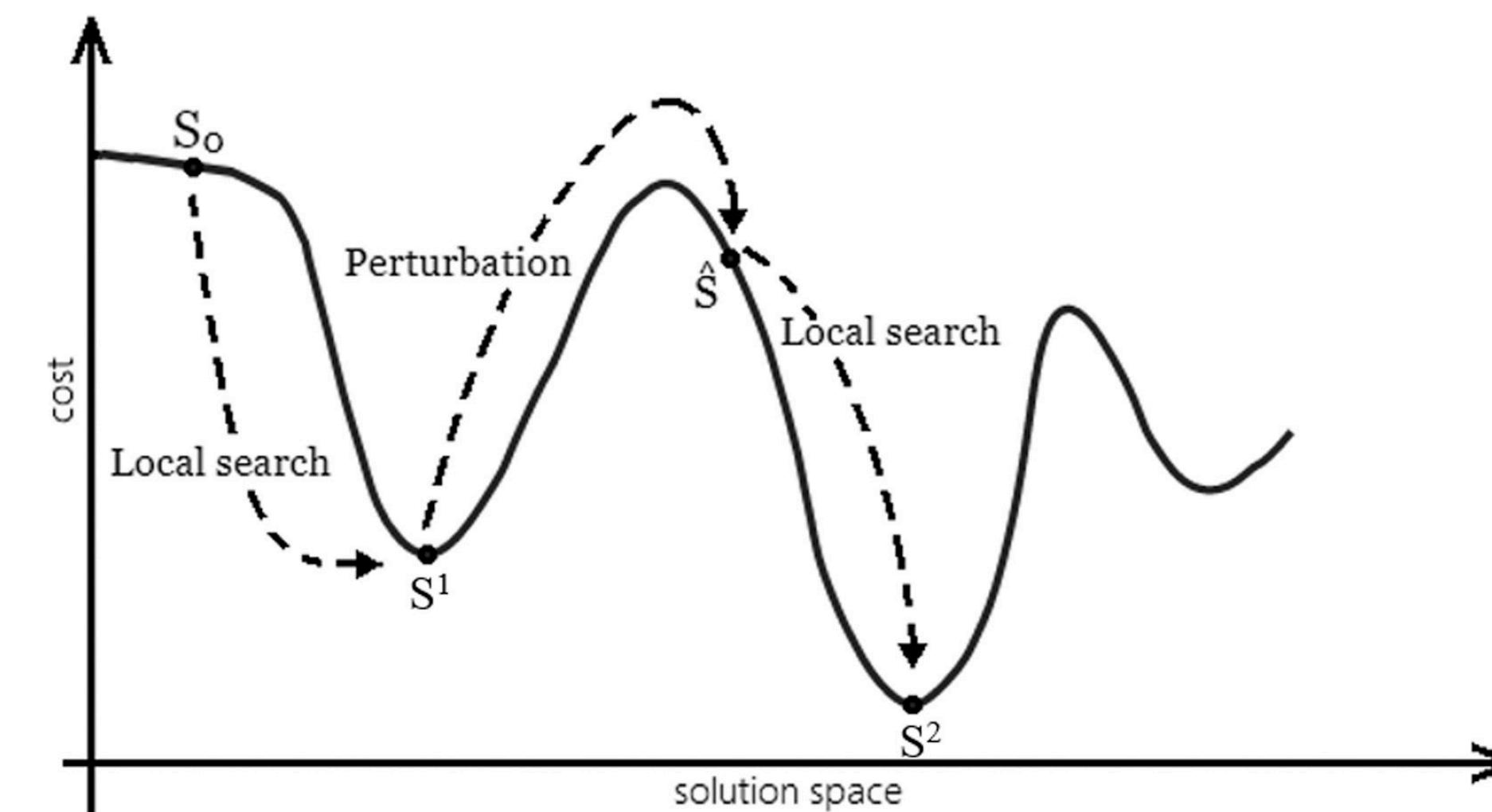
Optimisation algorithm

Common example is Vina

$$\Delta G_{bind} = \Delta G_{solvent} + \Delta G_{conf} + \Delta G_{int} + \Delta G_{rot} + \Delta G_{t/t} + \Delta G_{vib}$$

Optimisation algorithm

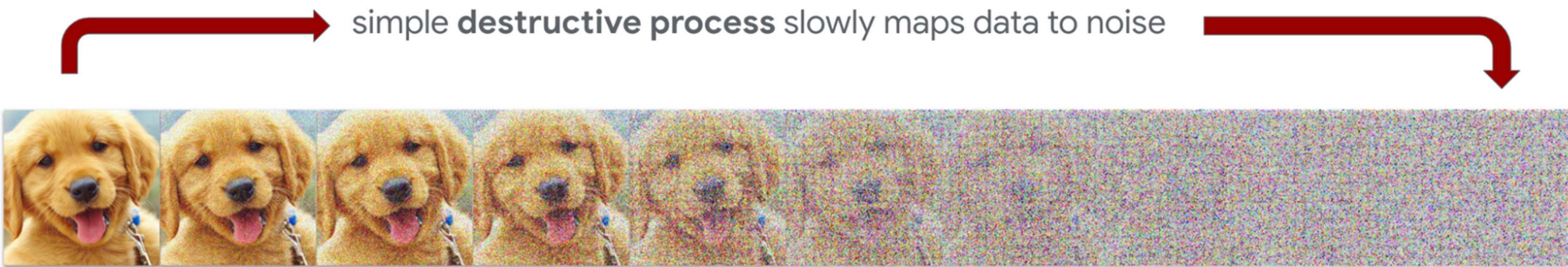
Usually a mix of local and global search



1. DiffDock: Docking with deep learning

Recap: Diffusion Models

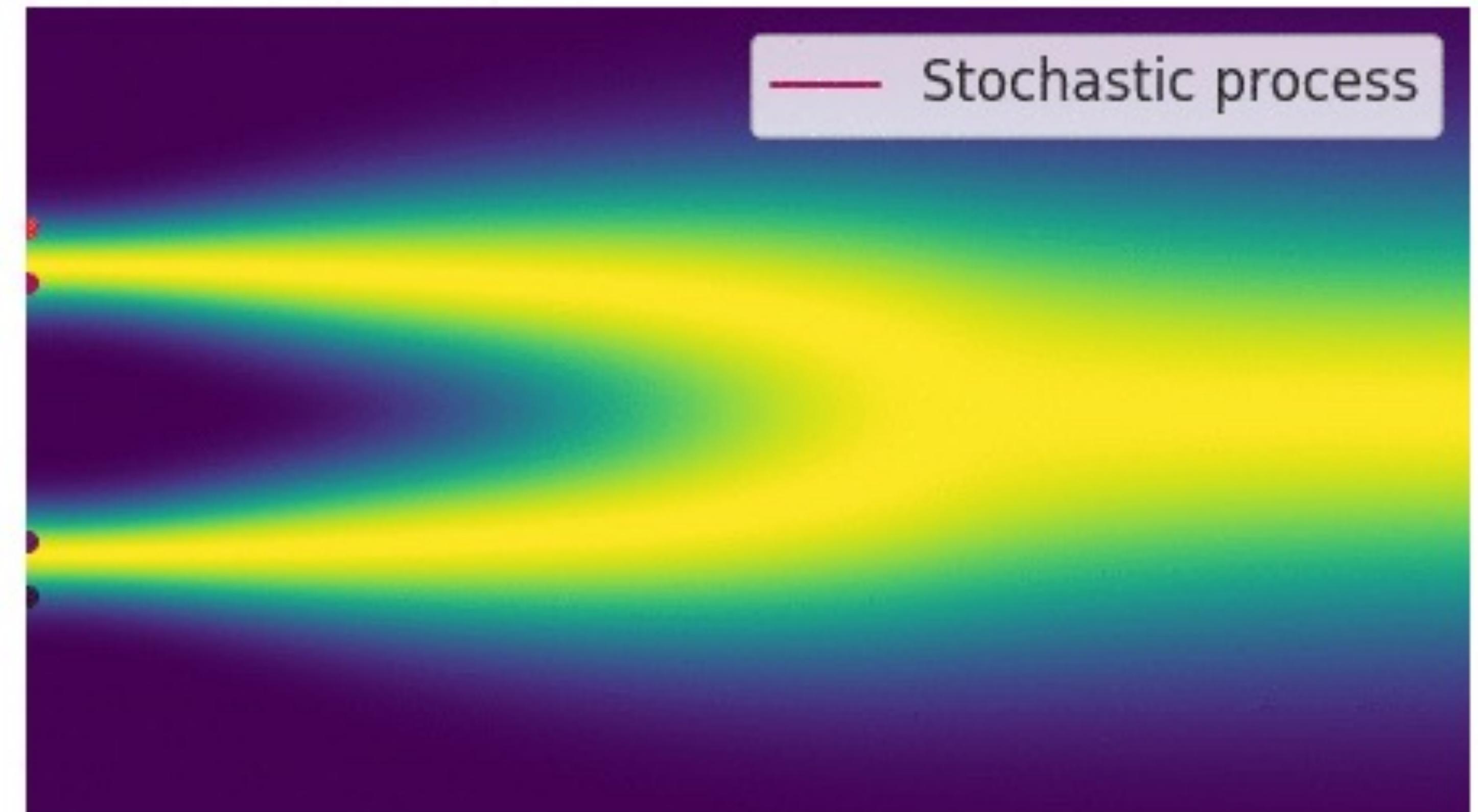
Mapping noise back to data



$$L_t^{\text{simple}} = \mathbb{E}_{t \sim [1, T], \mathbf{x}_0, \epsilon_t} \left[\|\epsilon_t - \epsilon_\theta(\mathbf{x}_t, t)\|^2 \right]$$

Recap: Diffusion Models

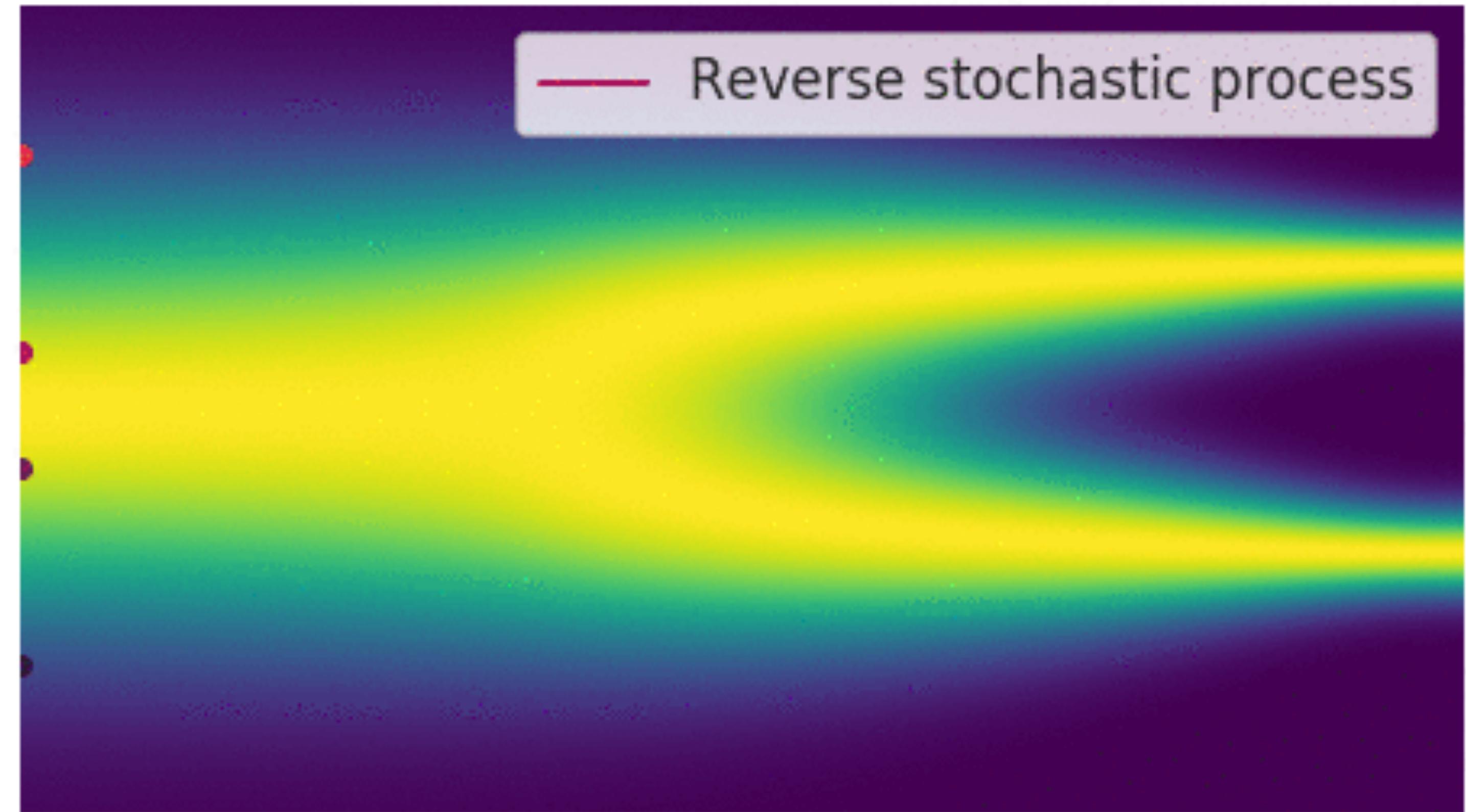
Forward Process = Noising to a reference distribution



$$L_t^{\text{simple}} = \mathbb{E}_{t \sim [1, T], \mathbf{x}_0, \epsilon_t} \left[\|\epsilon_t - \epsilon_\theta(\mathbf{x}_t, t)\|^2 \right]$$

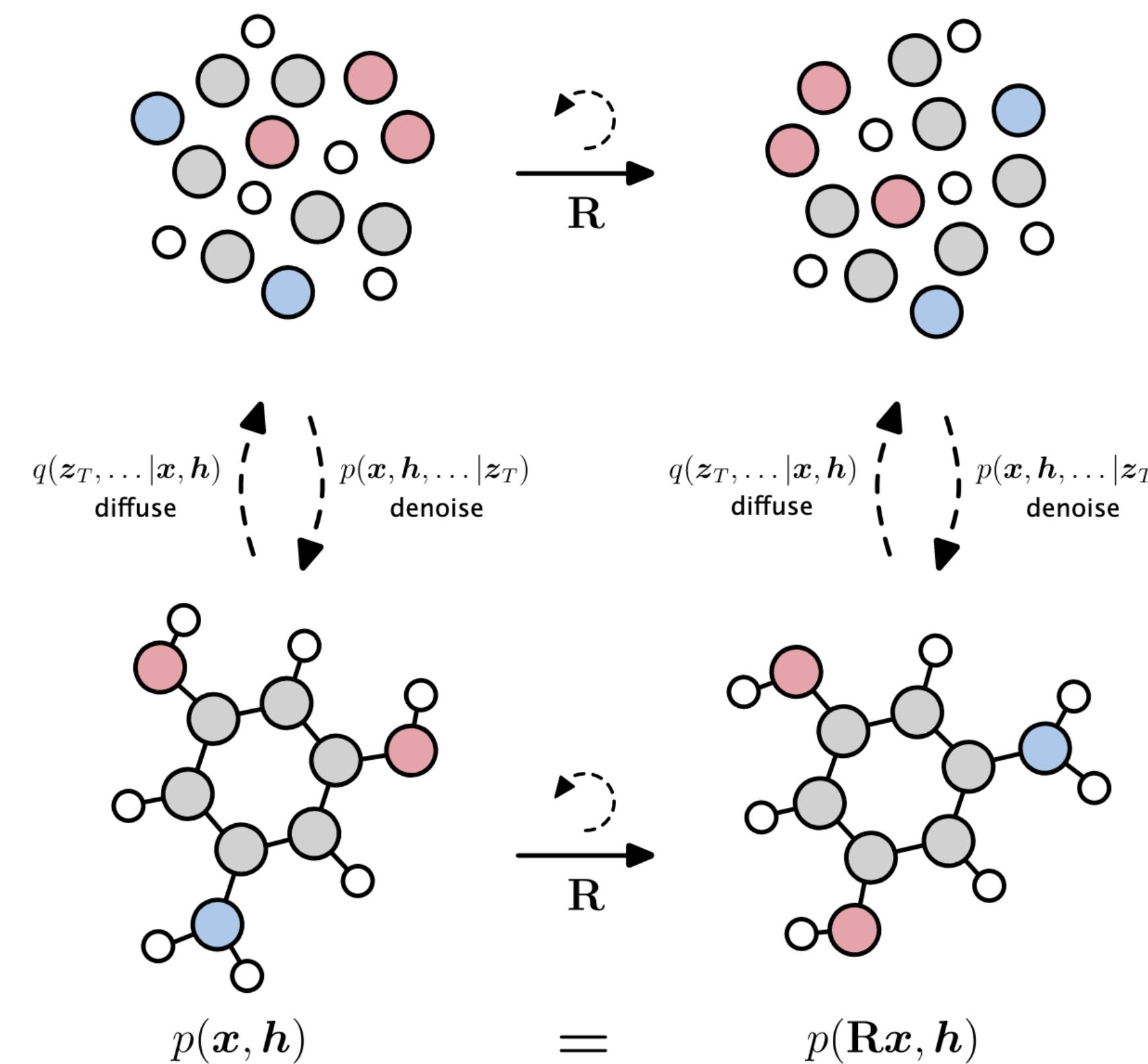
Recap: Diffusion Models

Reverse Process: Denoising to our target distribution



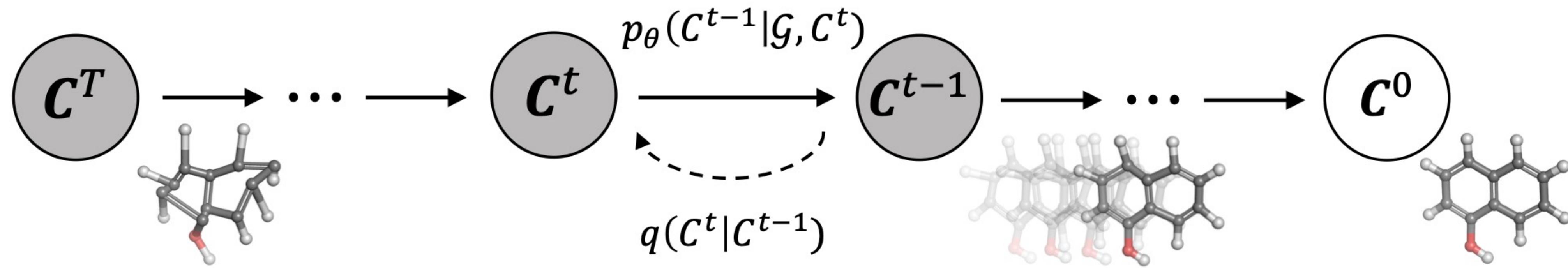
Recap: Geometric Deep Learning

GDL is the application of deep learning to objects that inhabit geometric domains (spaces)



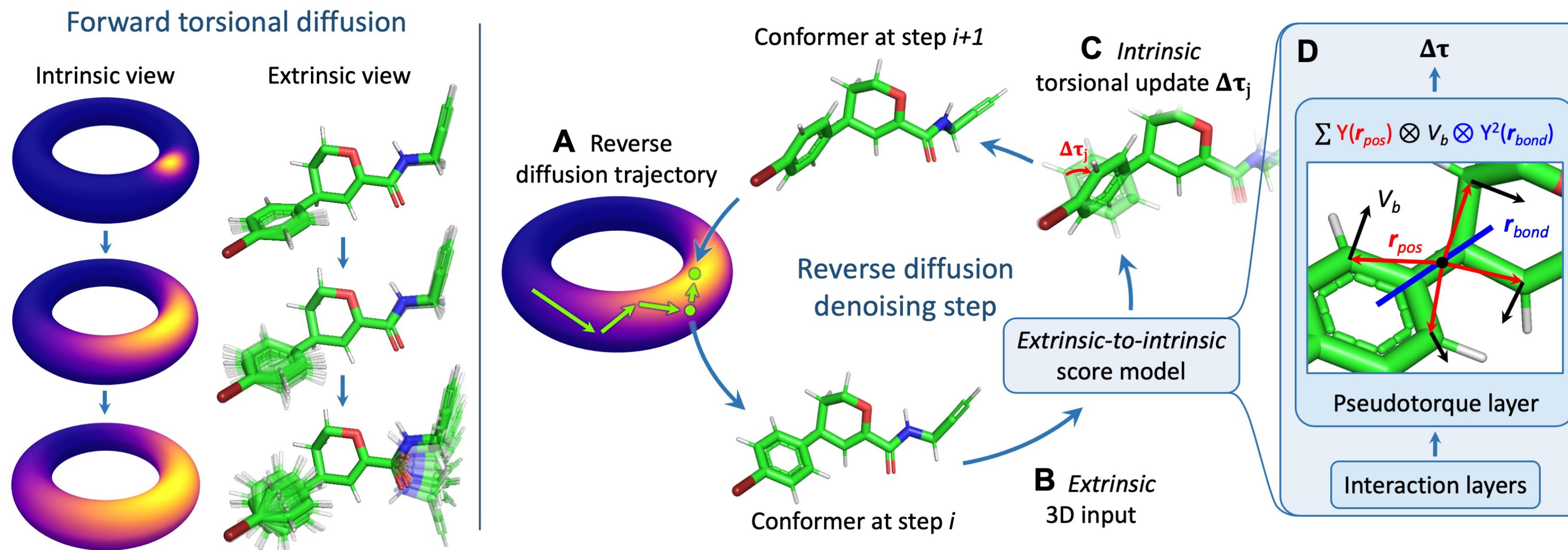
Background

GeoDiff – early work on conformer generation using diffusion models



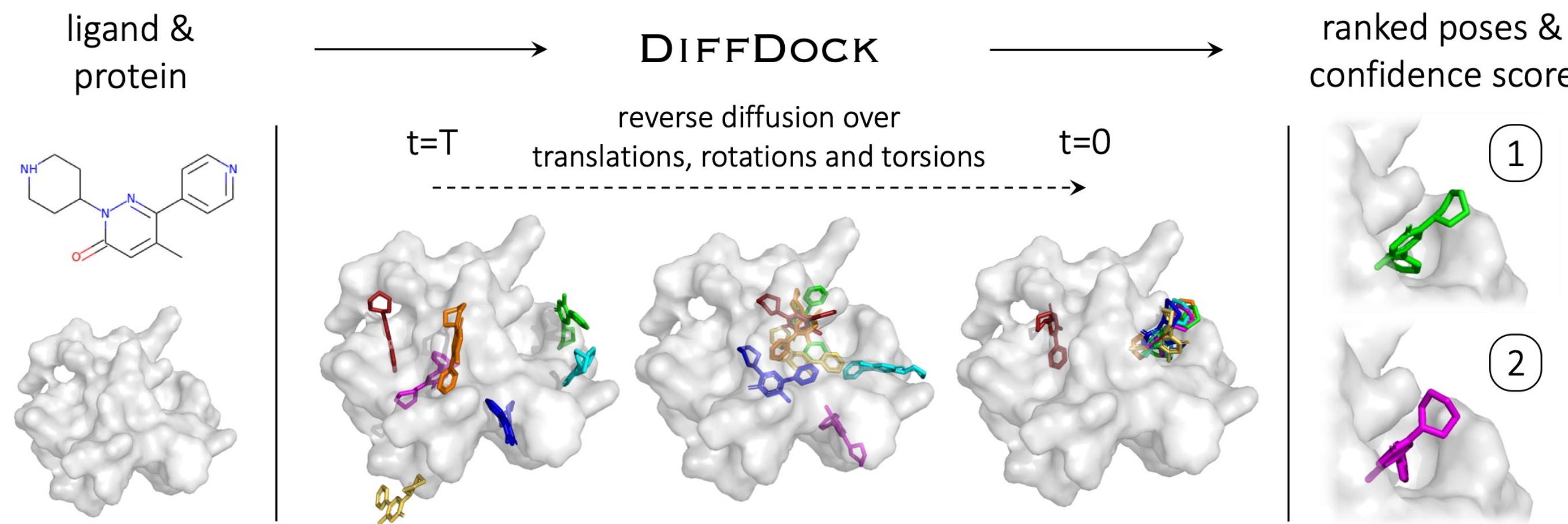
Torsion Diffusion

Simplified to only generate the degrees of freedom in a molecule (torsion angles)



DiffDock

Docking = Torsional Diffusion + SE(3) diffusion (global rotations and translations)



Method	Holo crystal proteins			
	Top-1 RMSD %<2	Top-1 RMSD Med.	Top-5 RMSD %<2	Top-5 RMSD Med.
GNINA	22.9	7.7	32.9	4.5
SMINA	18.7	7.1	29.3	4.6
GLIDE	21.8	9.3	-	-
EQUIBIND	5.5	6.2	-	-
TANKBIND	20.4	4.0	24.5	3.4
P2RANK+SMINA	20.4	6.9	33.2	4.4
P2RANK+GNINA	28.8	5.5	38.3	3.4
EQUIBIND+SMINA	23.2	6.5	38.6	3.4
EQUIBIND+GNINA	28.8	4.9	39.1	3.1
DIFFDOCK (10)	35.0	3.6	40.7	2.65
DIFFDOCK (40)	38.2	3.3	44.7	2.40

DiffDock

Training by learning translational, rotational and torsional diffusion kernels

Algorithm 1: Training procedure (single epoch)

Input: Training pairs $\{(\mathbf{x}^*, \mathbf{y})\}$, RDKit predictions $\{\mathbf{c}\}$

foreach $\mathbf{c}, \mathbf{x}^*, \mathbf{y}$ **do**

```
    Let  $\mathbf{x}_0 \leftarrow \arg \min_{\mathbf{x}^\dagger \in \mathcal{M}_c} \text{RMSD}(\mathbf{x}^*, \mathbf{x}^\dagger);$ 
    Compute  $(\mathbf{r}_0, R_0, \boldsymbol{\theta}_0) \leftarrow A_c^{-1}(\mathbf{x}_0);$ 
    Sample  $t \sim \text{Uni}([0, 1]);$ 
    Sample  $\Delta\mathbf{r}, \Delta R, \Delta\boldsymbol{\theta}$  from diffusion kernels  $p_t^{\text{tr}}(\cdot | 0), p_t^{\text{rot}}(\cdot | 0), p_t^{\text{tor}}(\cdot | 0);$ 
    Set  $\mathbf{r}_t \leftarrow \mathbf{r}_0 + \Delta\mathbf{r};$ 
    Set  $R_t \leftarrow (\Delta R)R_0;$ 
    Set  $\boldsymbol{\theta}_t \leftarrow \boldsymbol{\theta}_0 + \Delta\boldsymbol{\theta} \bmod 2\pi;$ 
    Compute  $\mathbf{x}_t \leftarrow A((\mathbf{r}_t, R_t, \boldsymbol{\theta}_t), \mathbf{c});$ 
    Predict scores  $\alpha \in \mathbb{R}^3, \beta \in \mathbb{R}^3, \gamma \in \mathbb{R}^m = \mathbf{s}(\mathbf{x}_t, \mathbf{c}, \mathbf{y}, t);$ 
    Take optimization step on loss
    
$$\mathcal{L} = \|\alpha - \nabla \log p_t^{\text{tr}}(\Delta\mathbf{r} | 0)\|^2 + \|\beta - \nabla \log p_t^{\text{rot}}(\Delta R | 0)\|^2 + \|\gamma - \nabla \log p_t^{\text{tor}}(\Delta\boldsymbol{\theta} | 0)\|^2$$

```

DiffDock

Training by learning translational, rotational and torsional diffusion kernels

Algorithm 2: Inference procedure

Input: RDKit prediction \mathbf{c} , protein structure \mathbf{y} (both centered at origin)

Output: Sampled ligand pose \mathbf{x}_0

Sample $\theta_N \sim \text{Uni}(SO(2)^m)$, $R_N \sim \text{Uni}(SO(3))$, $\mathbf{r}_N \sim \mathcal{N}(0, \sigma_{\text{tor}}^2(T))$;

Let $\mathbf{x}_N = A((\mathbf{r}_N, R_N, \theta_N), \mathbf{c})$;

for $n \leftarrow N$ **to** 1 **do**

Let $t = n/N$ and $\Delta\sigma_{\text{tr}}^2 = \sigma_{\text{tr}}^2(n/N) - \sigma_{\text{tr}}^2((n-1)/N)$ and similarly for $\Delta\sigma_{\text{rot}}^2, \Delta\sigma_{\text{tor}}^2$;

Predict scores $\alpha \in \mathbb{R}^3, \beta \in \mathbb{R}^3, \gamma \in \mathbb{R}^m \leftarrow \mathbf{s}(\mathbf{x}_n, \mathbf{c}, \mathbf{y}, t)$;

Sample $\mathbf{z}_{\text{tr}}, \mathbf{z}_{\text{rot}}, \mathbf{z}_{\text{tor}}$ from $\mathcal{N}(0, \Delta\sigma_{\text{tr}}^2), \mathcal{N}(0, \Delta\sigma_{\text{rot}}^2), \mathcal{N}(0, \Delta\sigma_{\text{tor}}^2)$ respectively;

Set $\mathbf{r}_{n-1} \leftarrow \mathbf{r}_n + \Delta\sigma_{\text{tr}}^2 \alpha + \mathbf{z}_{\text{tr}}$;

Set $R_{n-1} \leftarrow \mathbf{R}(\Delta\sigma_{\text{rot}}^2 \beta + \mathbf{z}_{\text{rot}}) R_n$;

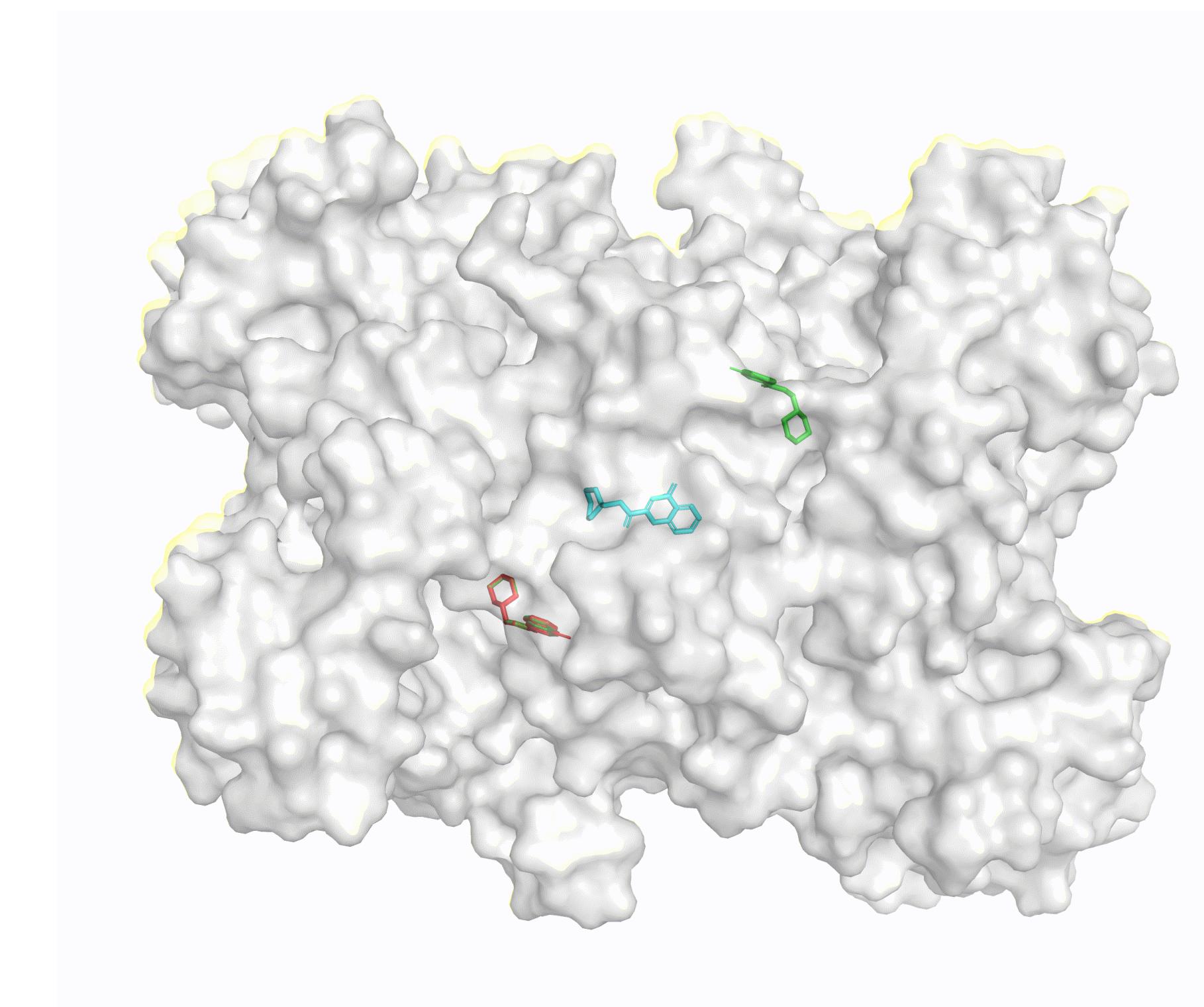
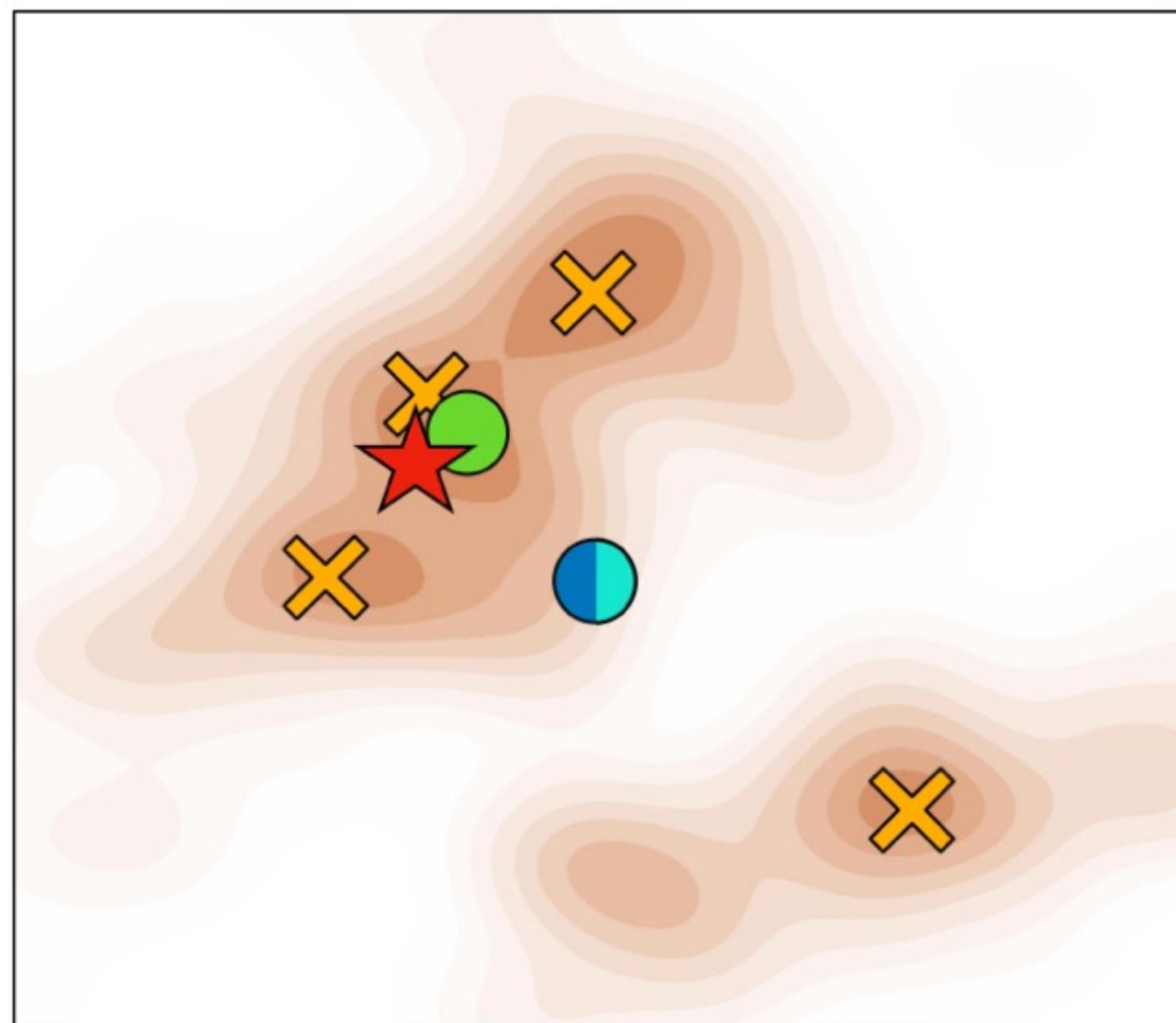
Set $\theta_{n-1} \leftarrow \theta_n + (\Delta\sigma_{\text{tor}}^2 \gamma + \mathbf{z}_{\text{tor}}) \bmod 2\pi$;

Compute $\mathbf{x}_{n-1} \leftarrow A((\mathbf{r}_{n-1}, R_{n-1}, \theta_{n-1}), \mathbf{c})$;

Return \mathbf{x}_0 ;

DiffDock

In theory, generative modelling allows us to approximate and sample from the whole binding landscape

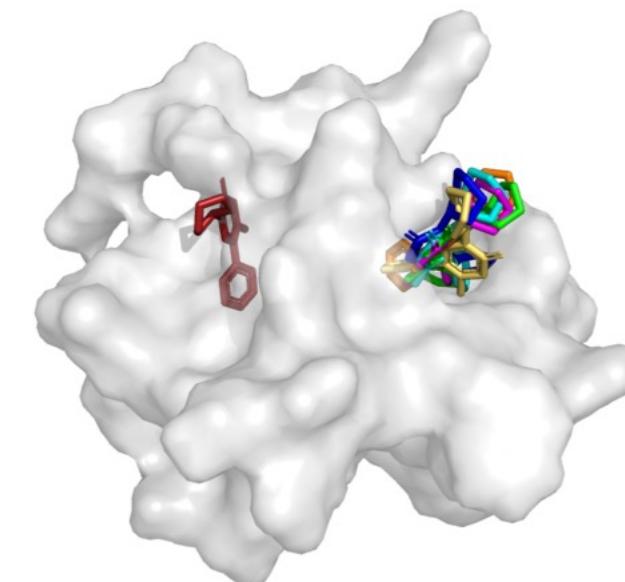


Limitations of DL docking are significant

Many substantial issues can be masked when only measuring performing by RMSD

Poor evaluations

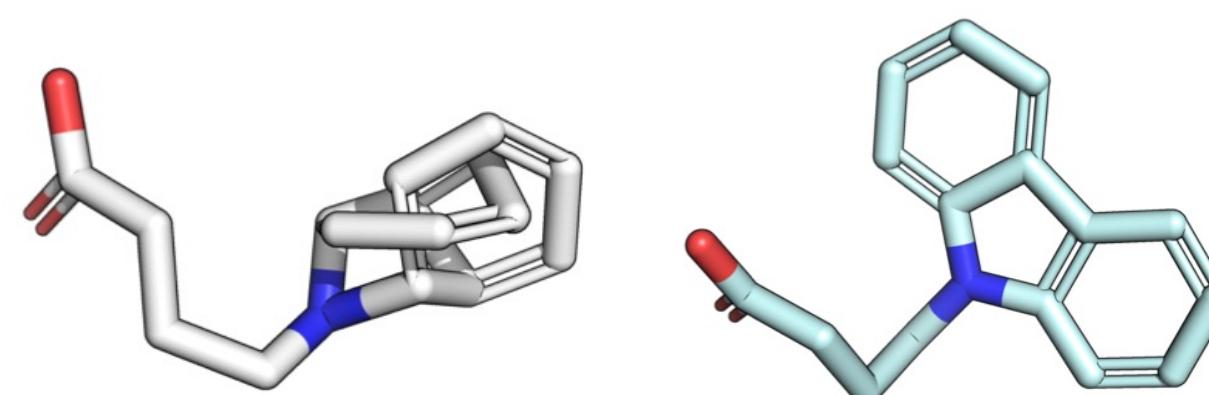
DL-based methods are often evaluated using blind docking, something conventional methods are not designed for



- When evaluated by docking molecules into known pockets, the traditional methods still outperform DiffDock
- DiffDock is actually a SOTA binding pocket prediction algorithm

Unrealistic molecules

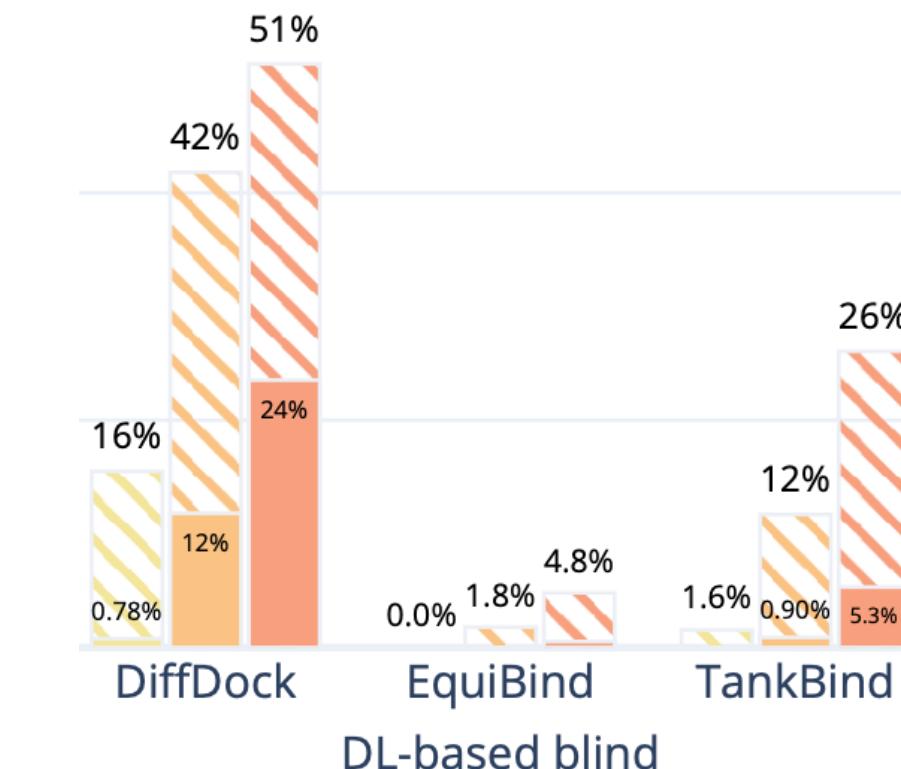
DL-based methods can have significant biophysical violations, even if docking RMSD is low



Recommended Reading:
- Martin Buttenschoen- [PoseBusters](#)

Poor generalisation

DL-based methods struggle to generalise to proteins not seen during training



DL-based blind

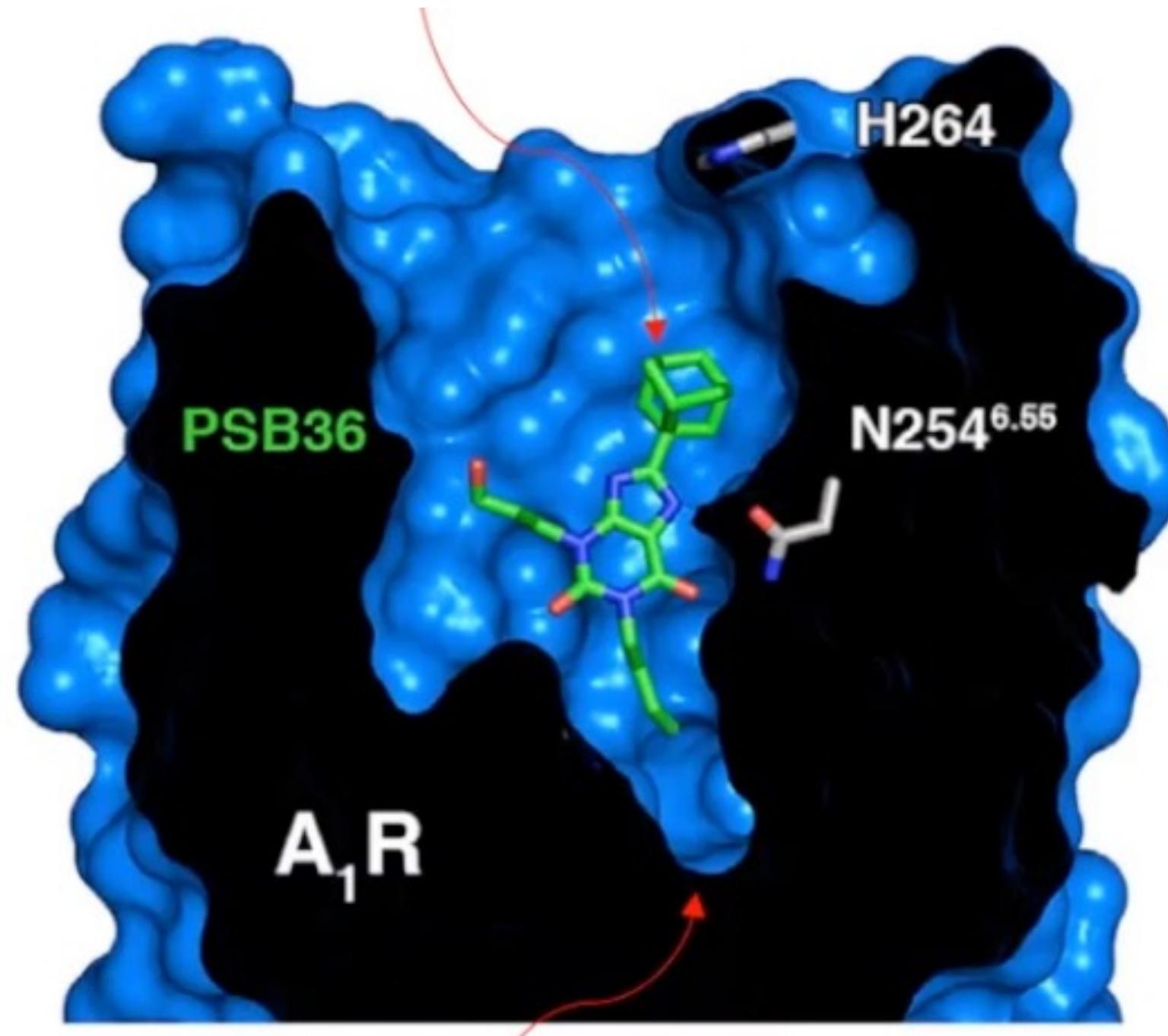
- Generalisation to novel receptors and molecules is essential
- Issue also large in molecule scaffold generalisation but less studied

Recommended Reading:
- Martin Buttenschoen- [PoseBusters](#)

2. SBDD with Generative Models

SBDD with Generation Models

Rephrasing SBDD as learning a conditional probability distribution



$$\text{SBDD} = p(\text{molecule}|\text{receptor})$$

SBDD with Generation Models

Rephrasing SBDD as learning a conditional probability distribution

$$\text{SBDD} = p(\text{molecule}|\text{receptor})$$

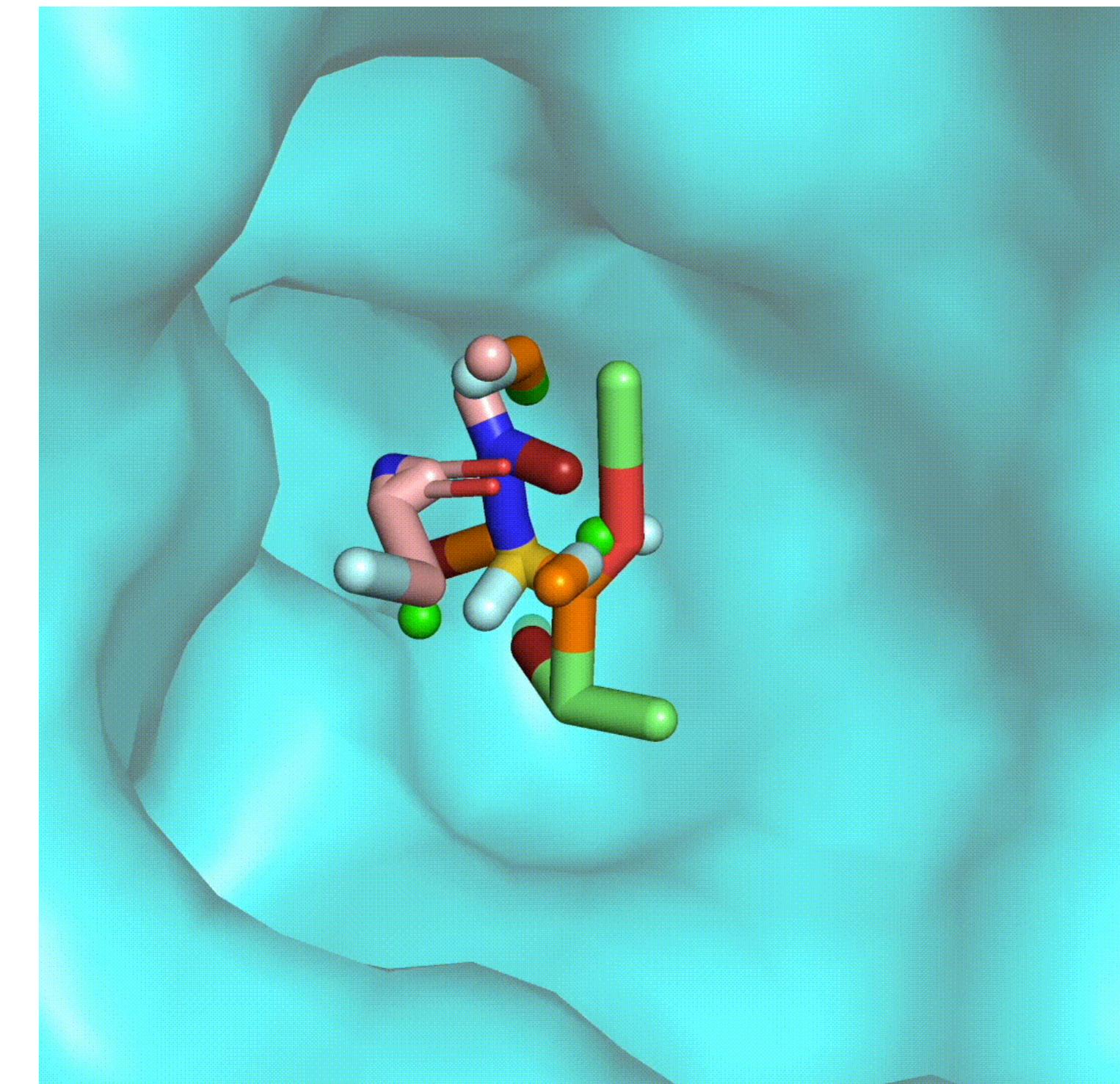


Central idea:

Treat drug design as a
condition generation problem
by learning from data

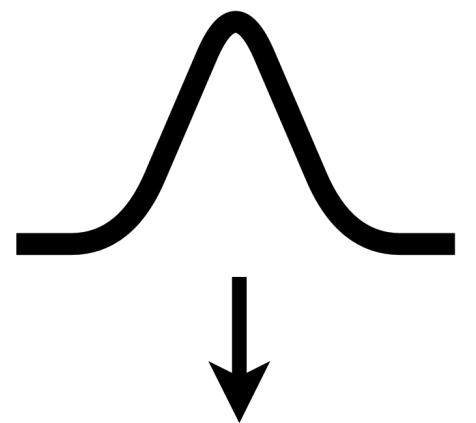
SBDD with Diffusion Models

Learning to generate complimentary molecules in 3D

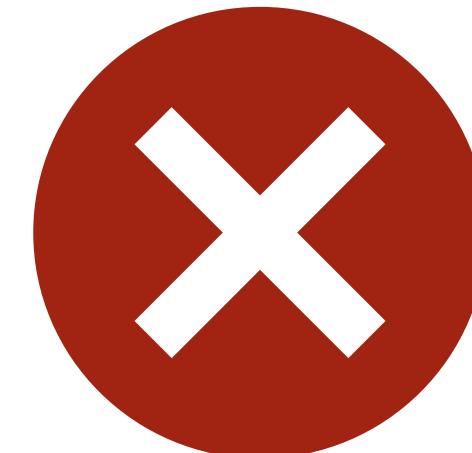


Generative Modelling for Molecule Generation

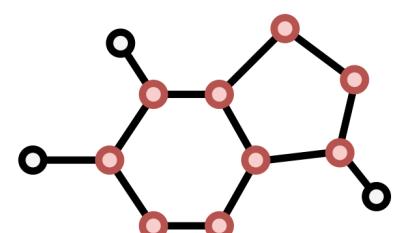
1. All-at-once (one-shot)



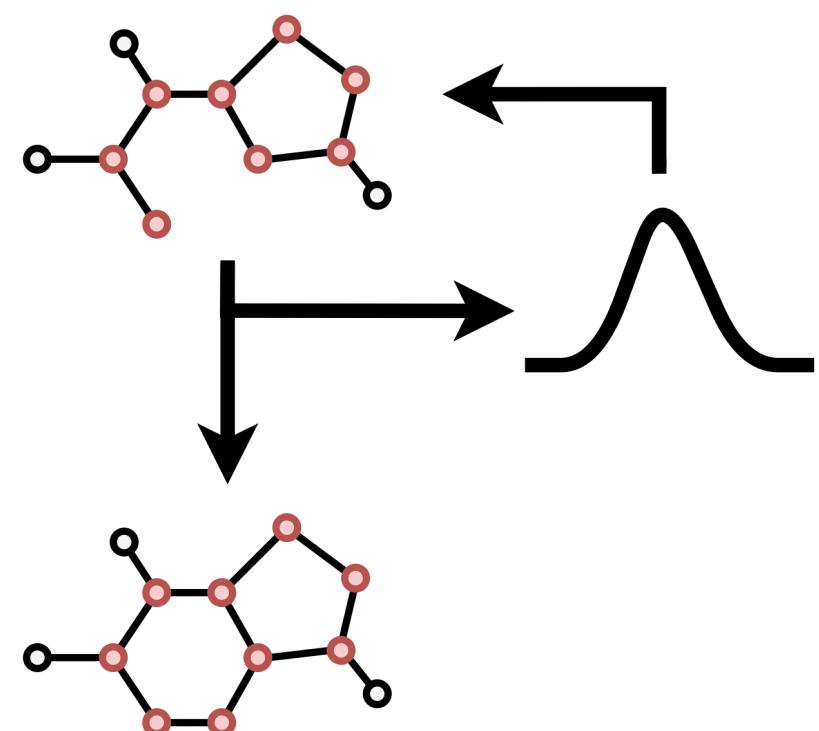
(Zang et al, 2020)



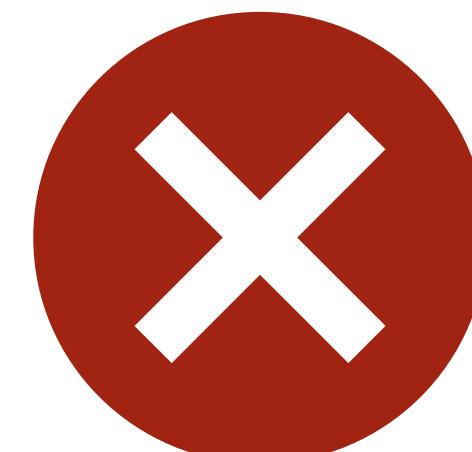
Node independence assumed



2. Node-by-node (autoregressive)



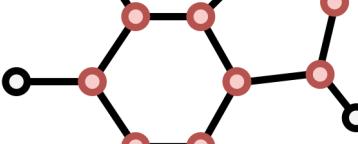
(Imrie et al, 2020)



Arbitrary node ordering

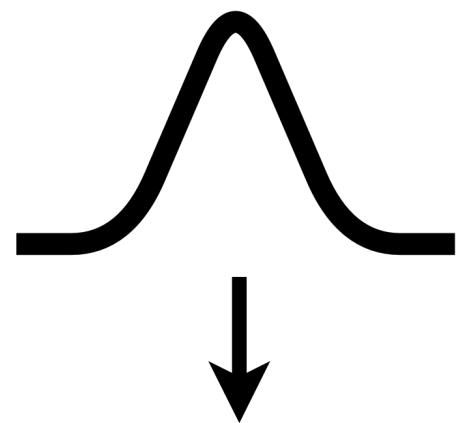


Different generation traces not equal



Generative Modelling for Molecule Generation

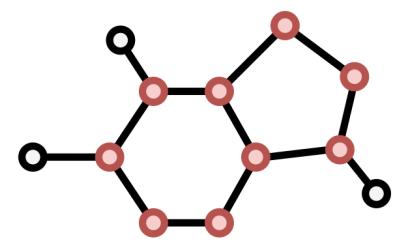
1. All-at-once (one-shot)



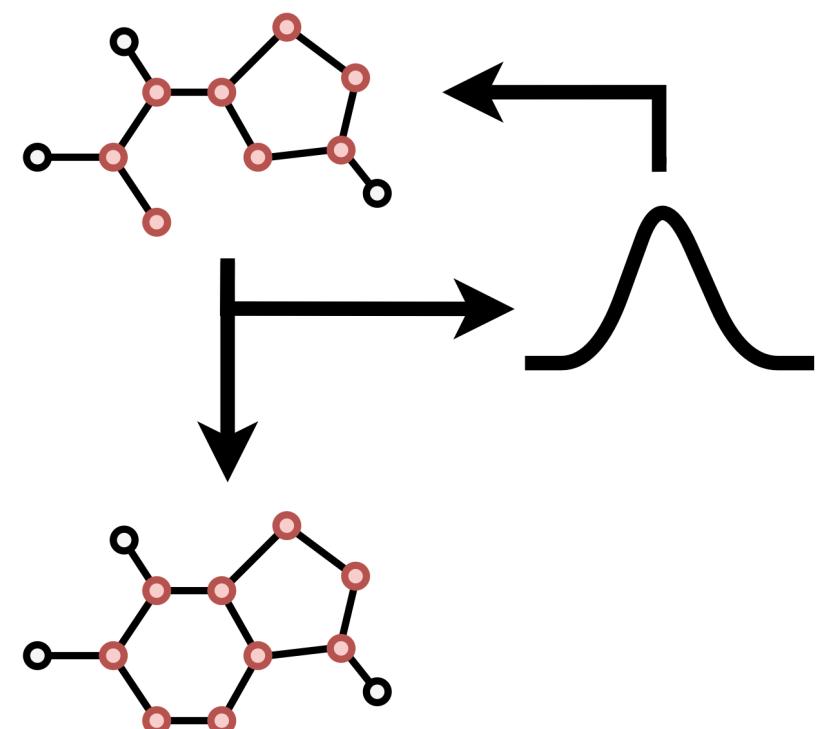
(Zang et al, 2020)



Node independence assumed



2. Node-by-node (autoregressive)



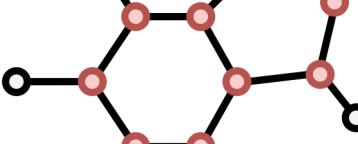
(Imrie et al, 2020)



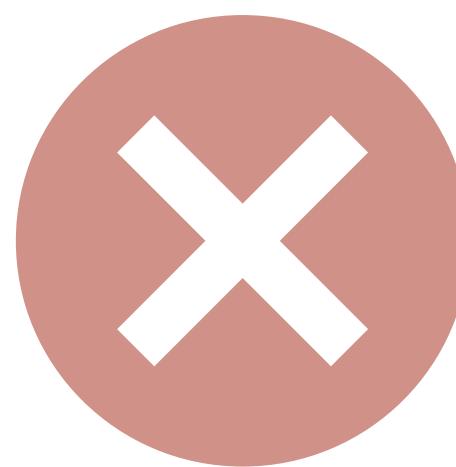
Arbitrary node ordering



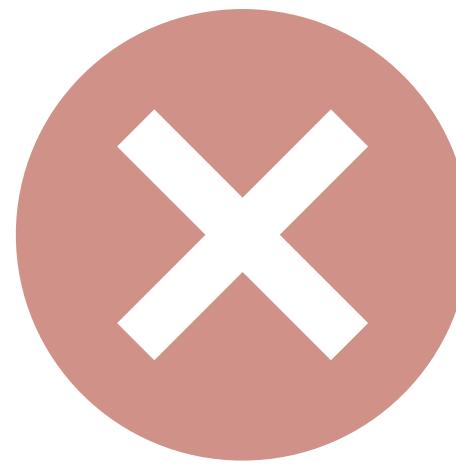
Different generation traces not equal



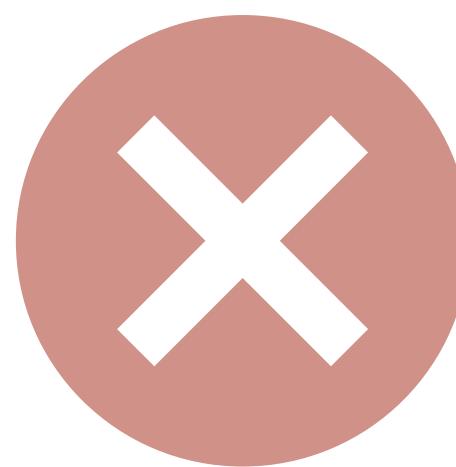
Generative Modelling for Molecule Generation



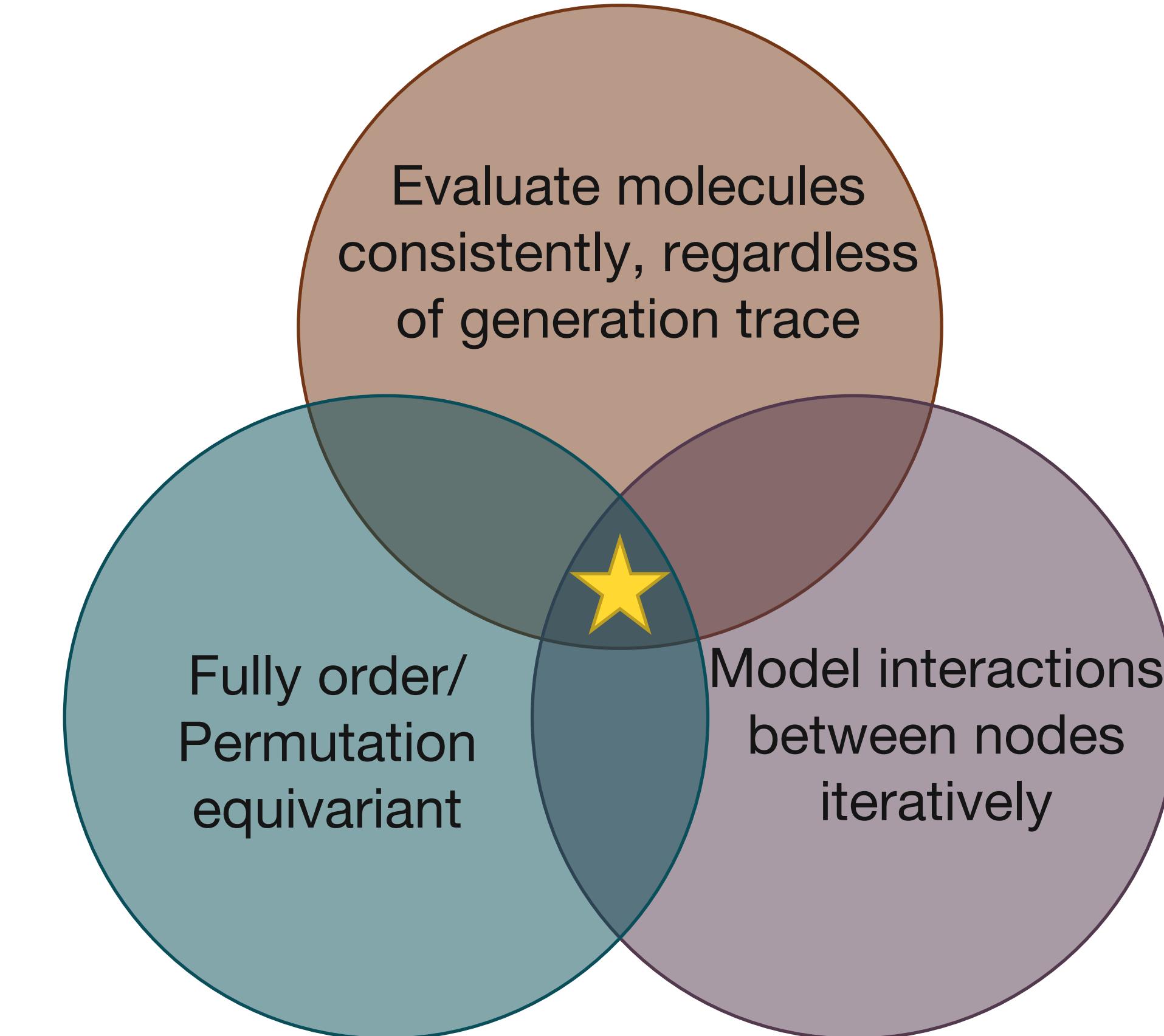
Node independence assumed



Arbitrary node ordering



Different generation traces not equal

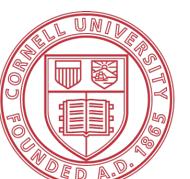


Structure-based Drug Design with Equivariant Diffusion Models

Arne S. (EPFL), Yuanqi Du (Cornell), Charles Harris (Cambridge), Arian J. (Cambridge), Ilia Igashov (EPFL), Weitao Du (Cornell), Tom Blundell (Cambridge), Pietro Lio (Cambridge), Carla Gomes (Cornell), Max Welling (Amsterdam/Microsoft), Michael Bronstein (Oxford/Twitter), Bruno Correia (EPFL)



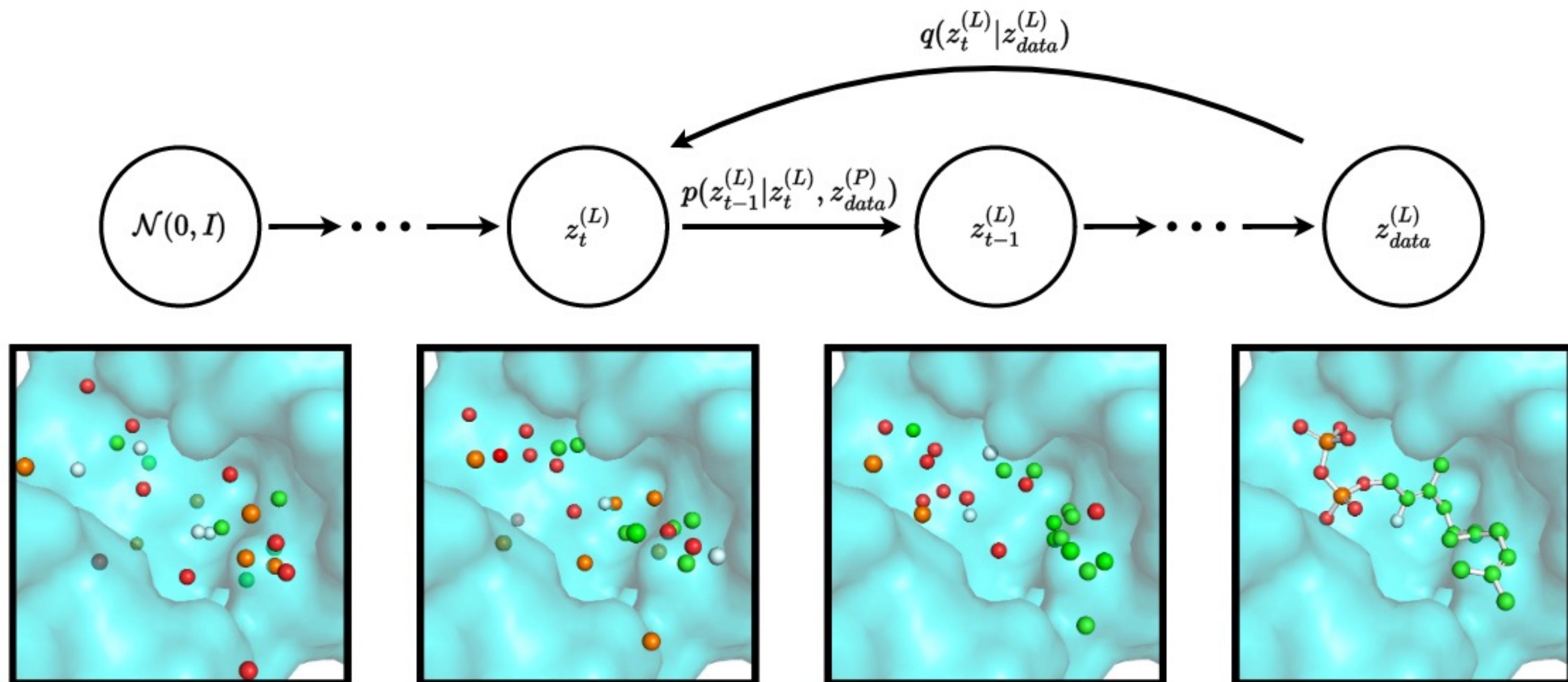
EPFL



Cornell University



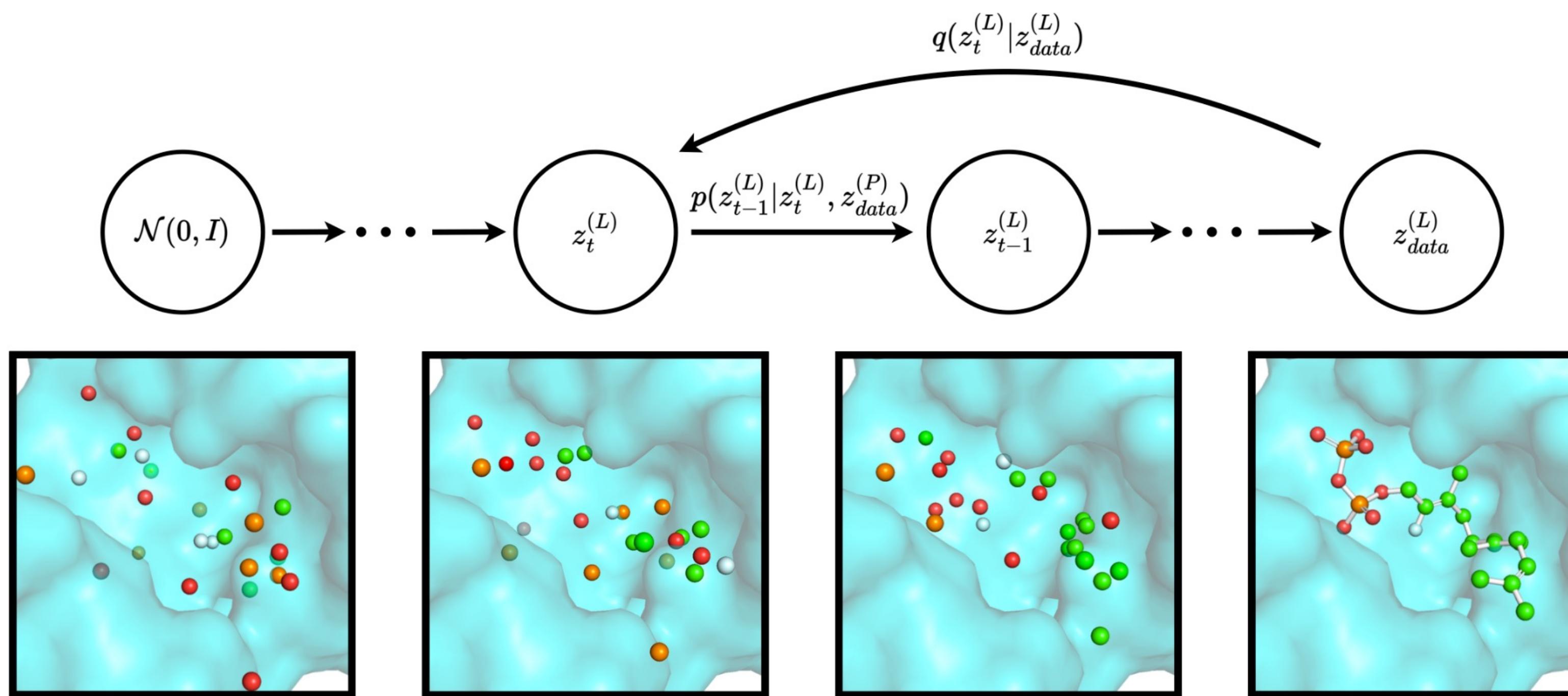
UNIVERSITY OF
OXFORD



DiffSBDD:

A Diffusion Model for Structure-based Drug Design

- Both proteins and ligands are represented as all-atom graphs
- Learns the transitional probability distribution $p_{\theta}\left(z_{t-1}^{(L)} \mid z_t^{(L)}, z_{data}^{(P)}\right)$
- Denoising network $\hat{\epsilon}_{\theta}$ constructs samples

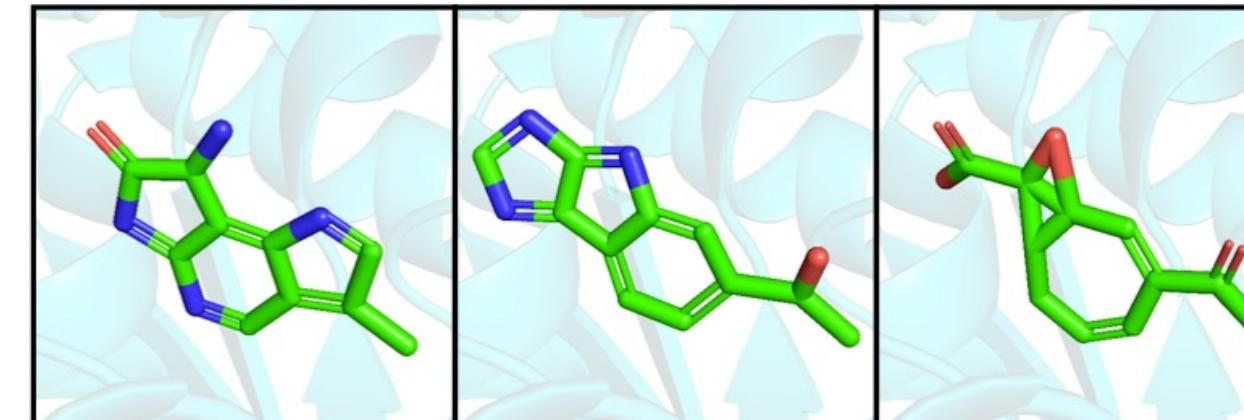


$$z_{data} = [x, h]$$
$$\hat{\epsilon}_{\theta} = \phi_{\theta}(z_t^{(L)}, z_{data}^{(P)}, t)$$

SE(3)-equivariant Graph Neural Network

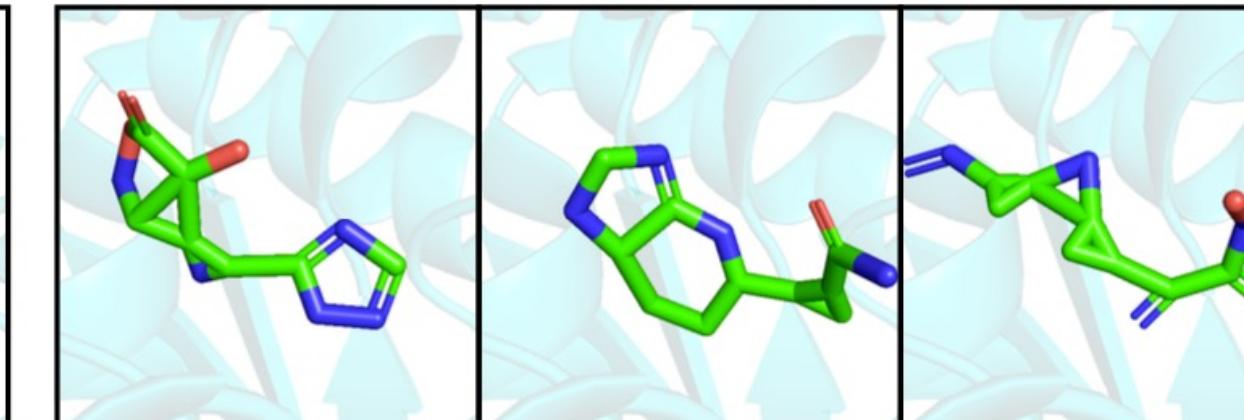
DiffSBDD: Results

Conditional (2jjg)



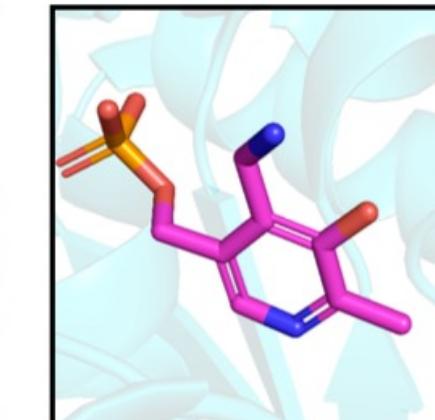
CN1C=NC2=C1C(=O)N(C3=CC=C4=C3C(=O)C=C4)N2C Vina: -6.5 Sim: 0.27
CN1C=NC2=C1C(=O)N(C3=CC=C4=C3C(=O)C=C4)N2C Vina: -6.7 Sim: 0.24
CC1=CC=C2=C1C(=O)C3=C2C(=O)[C@H]4[C@@H](C[C@H]4C)C=C3 Vina: -6.6 Sim: 0.21
QED: 0.49 SA: 0.43 QED: 0.63 SA: 0.35 QED: 0.54 SA: 0.27

Inpainting-Ca (2jjg)



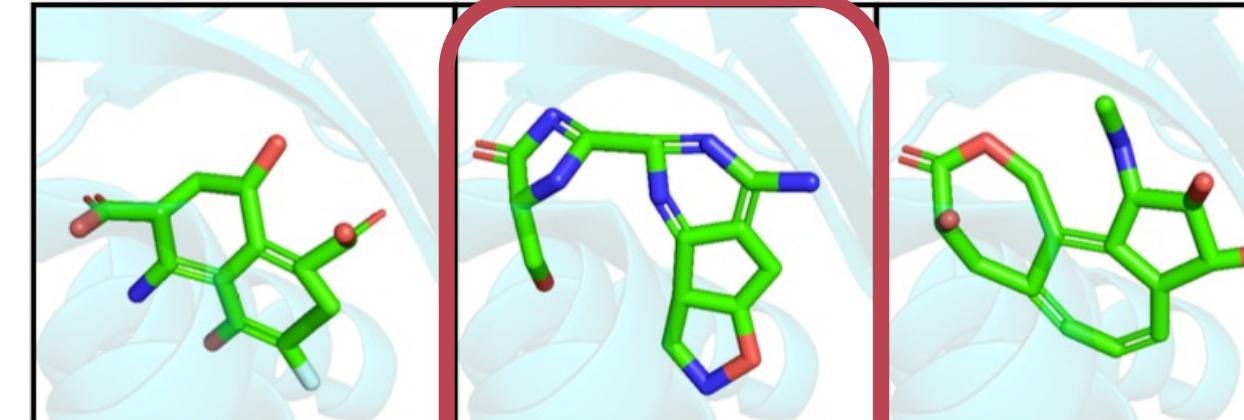
CN1C=NC2=C1C(=O)N(C3=CC=C4=C3C(=O)C=C4)N2C Vina: -6.5 Sim: 0.27
CN1C=NC2=C1C(=O)N(C3=CC=C4=C3C(=O)C=C4)N2C Vina: -6.3 Sim: 0.19
CC1=CC=C2=C1C(=O)C3=C2C(=O)[C@H]4[C@@H](C[C@H]4C)C=C3 Vina: -6.4 Sim: 0.19
QED: 0.44 SA: 0.29 QED: 0.53 SA: 0.35 QED: 0.21 SA: 0.35

Reference (2jjg)



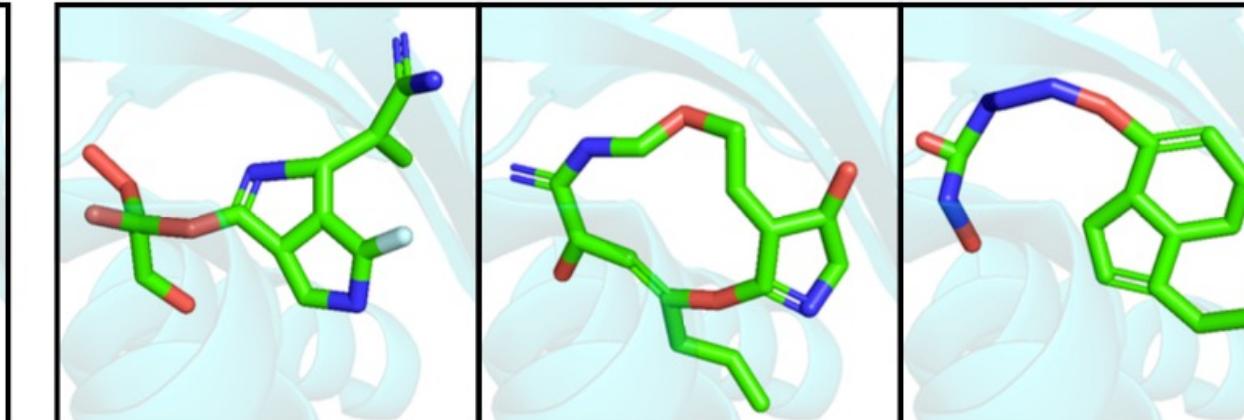
CC1=CC=C2=C1C(O)C3=C2C(=O)N4C=CC=C4N3 Vina: -5.9 Sim: 1
QED: 0.56 SA: 0.78

Conditional (3kc1)



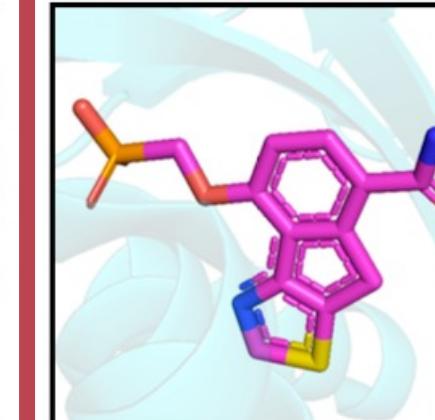
O=C1C=CC2=C1C(=O)C3=C2C(=O)N4C=CC=C4N3 Vina: -8.1 Sim: 0.44
CN1C=NC2=C1C(=O)N(C3=CC=C4=C3C(=O)C=C4)N2C Vina: -7.2 Sim: 0.50
CC1=CC=C2=C1C(=O)C3=C2C(=O)[C@H]4[C@@H](C[C@H]4C)C=C3 Vina: -8.5 Sim: 0.40
QED: 0.70 SA: 0.45 QED: 0.65 SA: 0.45 QED: 0.63 SA: 0.35

Inpainting-Ca (3kc1)



O=C1C=CC2=C1C(=O)C3=C2C(=O)N4C=CC=C4N3 Vina: -6.9 Sim: 0.40
CN1C=NC2=C1C(=O)N(C3=CC=C4=C3C(=O)C=C4)N2C Vina: -6.9 Sim: 0.32
CC1=CC=C2=C1C(=O)C3=C2C(=O)[C@H]4[C@@H](C[C@H]4C)C=C3 Vina: -6.4 Sim: 0.23
QED: 0.15 SA: 0.36 QED: 0.67 SA: 0.27 QED: 0.45 SA: 0.40

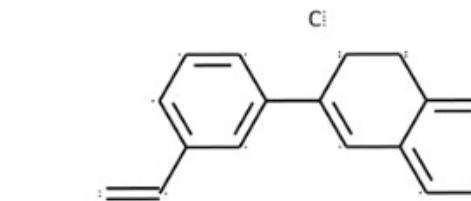
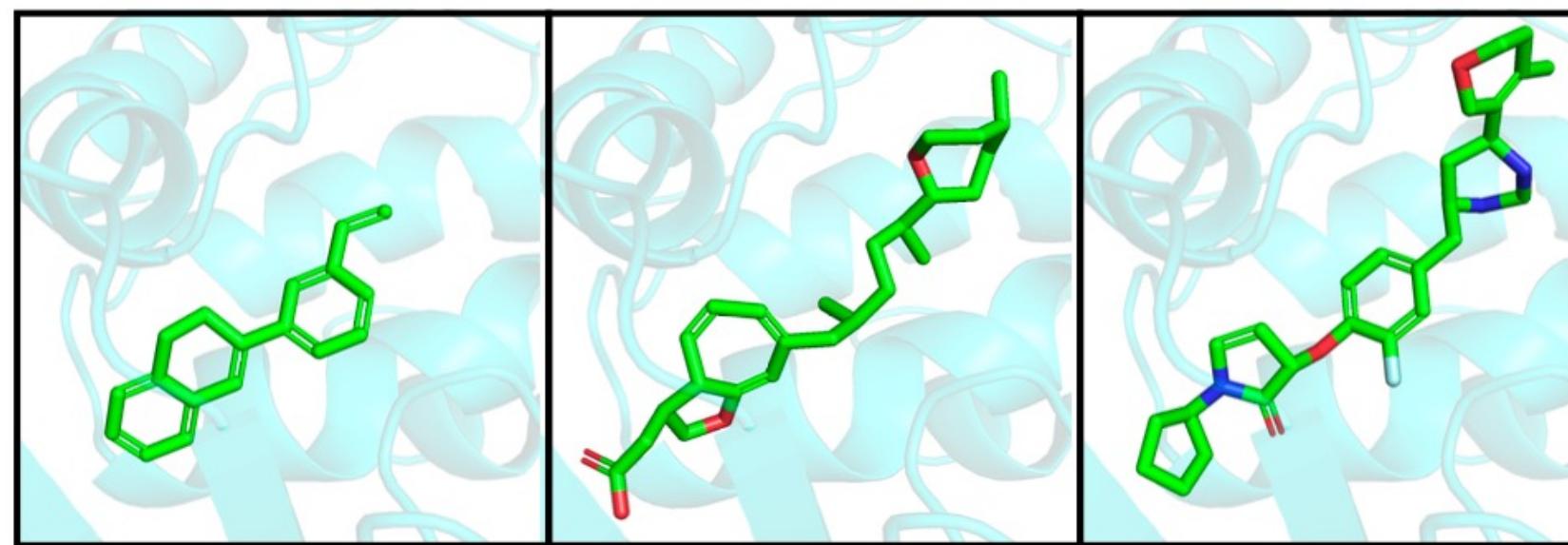
Reference (3kc1)



CC1=CC=C2=C1C(O)C3=C2C(=O)N4C=CC=C4N3 Vina: -6.5 Sim: 1
QED: 0.72 SA: 0.66

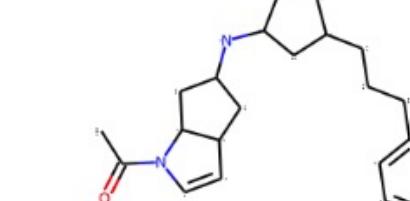
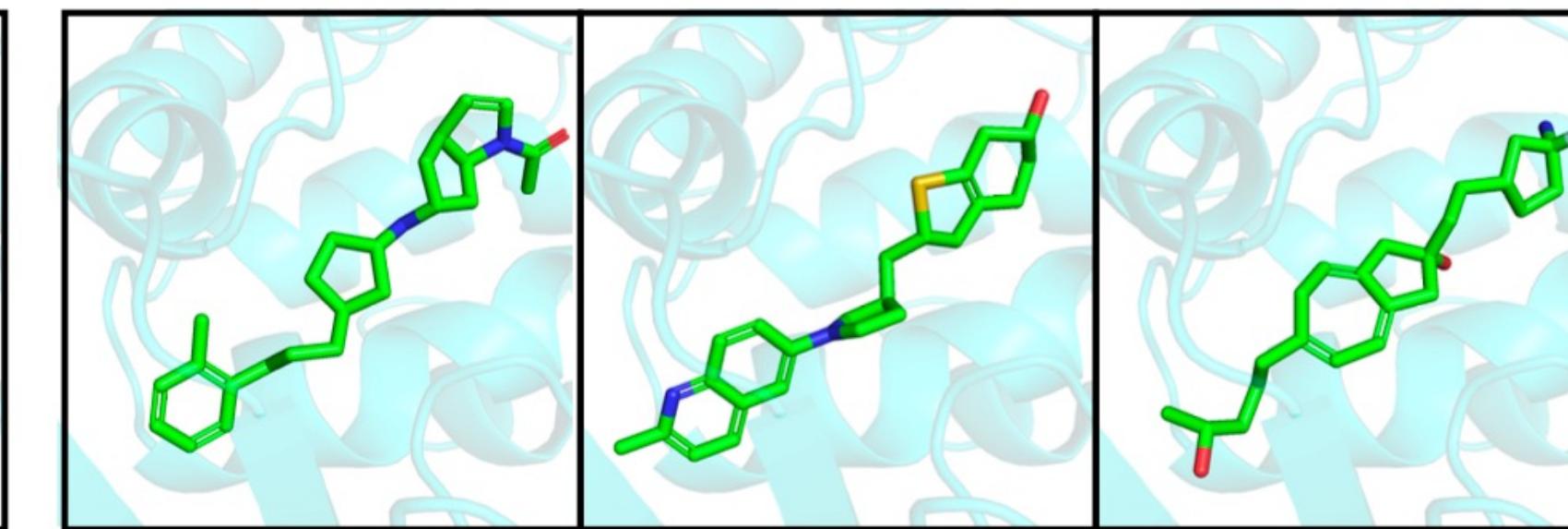
DiffSBDD: Results

Conditional-Ca (6c0b)



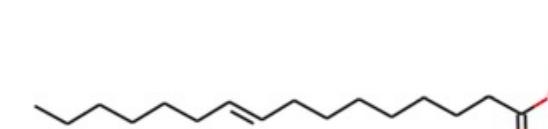
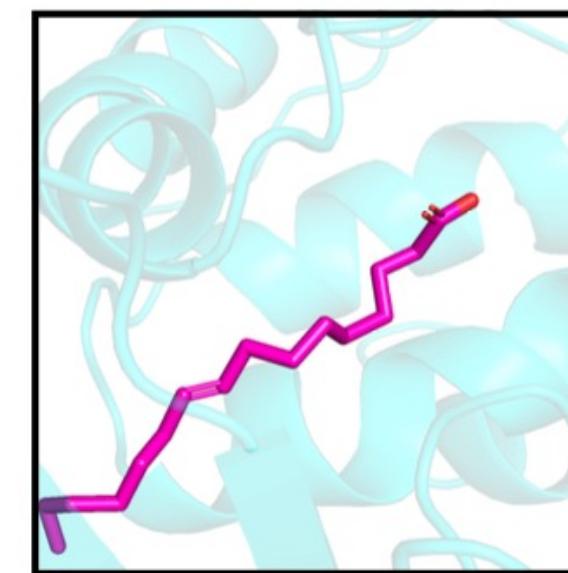
Vina: -12.8 Sim: 0.05 Vina: -11.9 Sim: 0.12 Vina: -11.5 Sim: 0.06
QED: 0.74 SA: 0.45 QED: 0.66 SA: 0.25 QED: 0.68 SA: 0.25

Inpainting-Ca (6c0b)



Vina: -12.4 Sim: 0.07 Vina: -12.3 Sim: 0.07 Vina: -12.2 Sim: 0.12
QED: 0.76 SA: 0.24 QED: 0.85 SA: 0.25 QED: 0.63 SA: 0.34

Reference (6c0b)



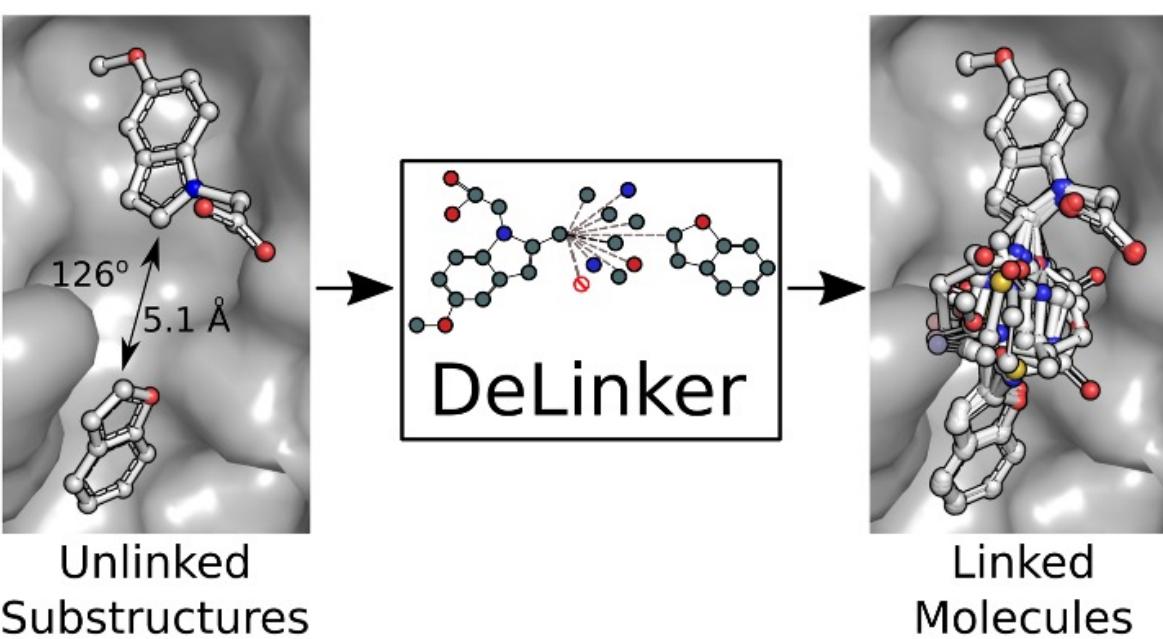
Vina: -8.40 Sim: 1
QED: 0.36 SA: 0.89

Other Strategies in SBDD

Not having to design molecule de novo simplifies the process

Fragment-based Drug Design

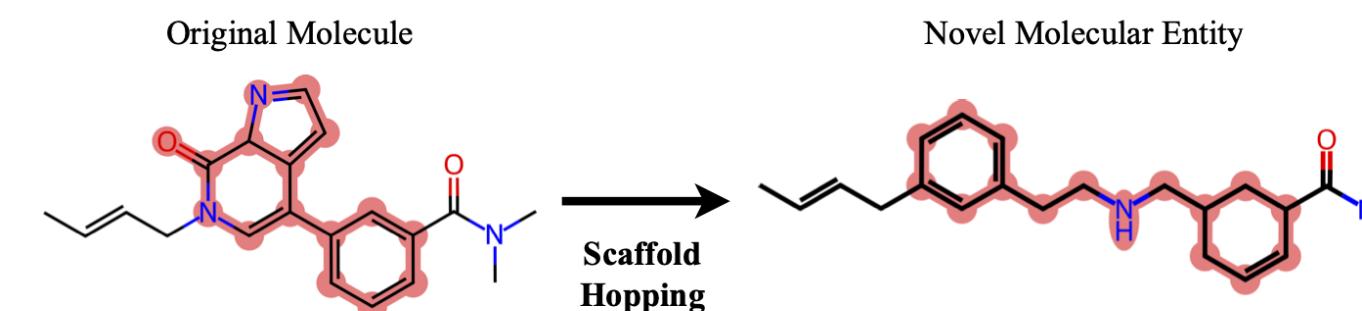
Identifying small molecular motifs (**fragments**) that bind inside a pocket and then **linking** these for form a whole lead molecule



Example: **DiffLinker**

Identifying small molecular motifs (**fragments**) that bind inside a pocket and then **linking** these for form a whole lead molecule

Scaffold Hopping

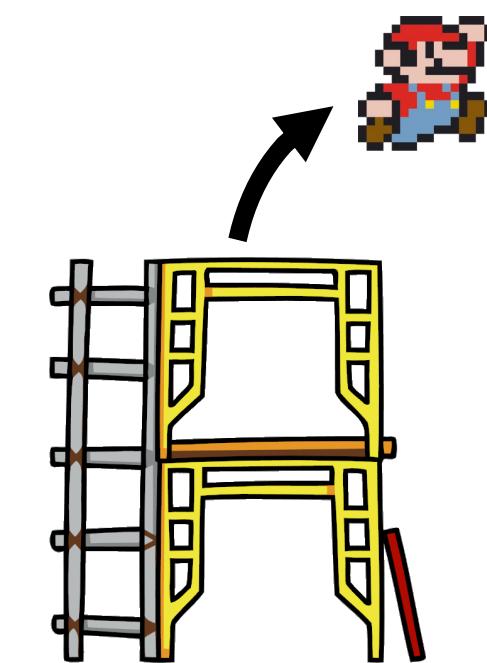
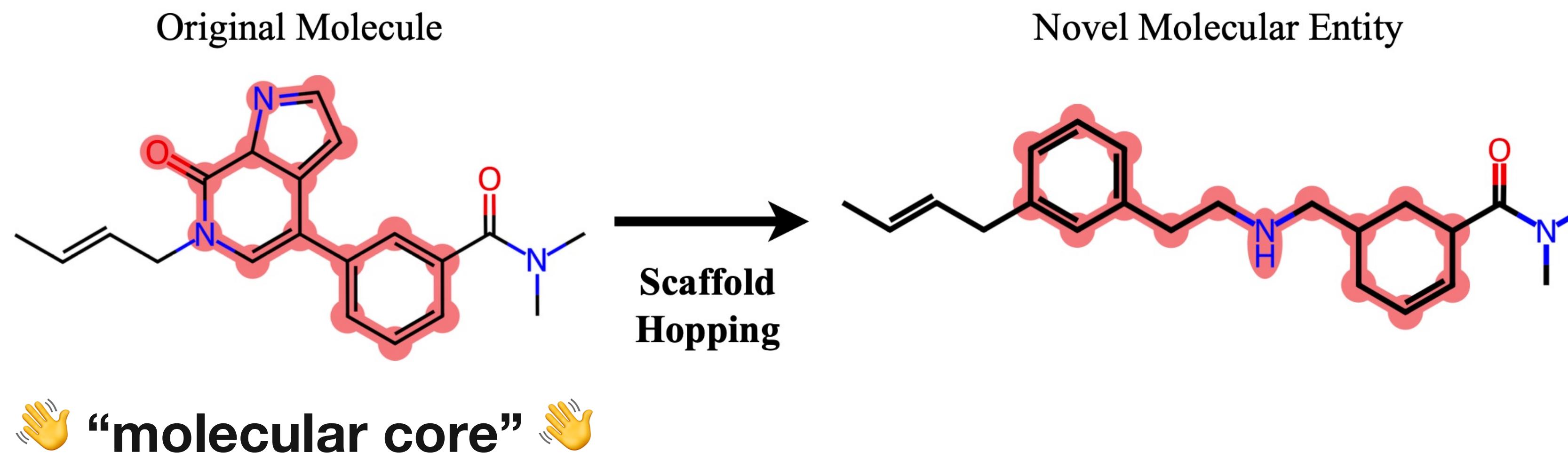


Example: **DiffHopp**

Identifying small molecular motifs (**fragments**) that bind inside a pocket and then **linking** these for form a whole lead molecule

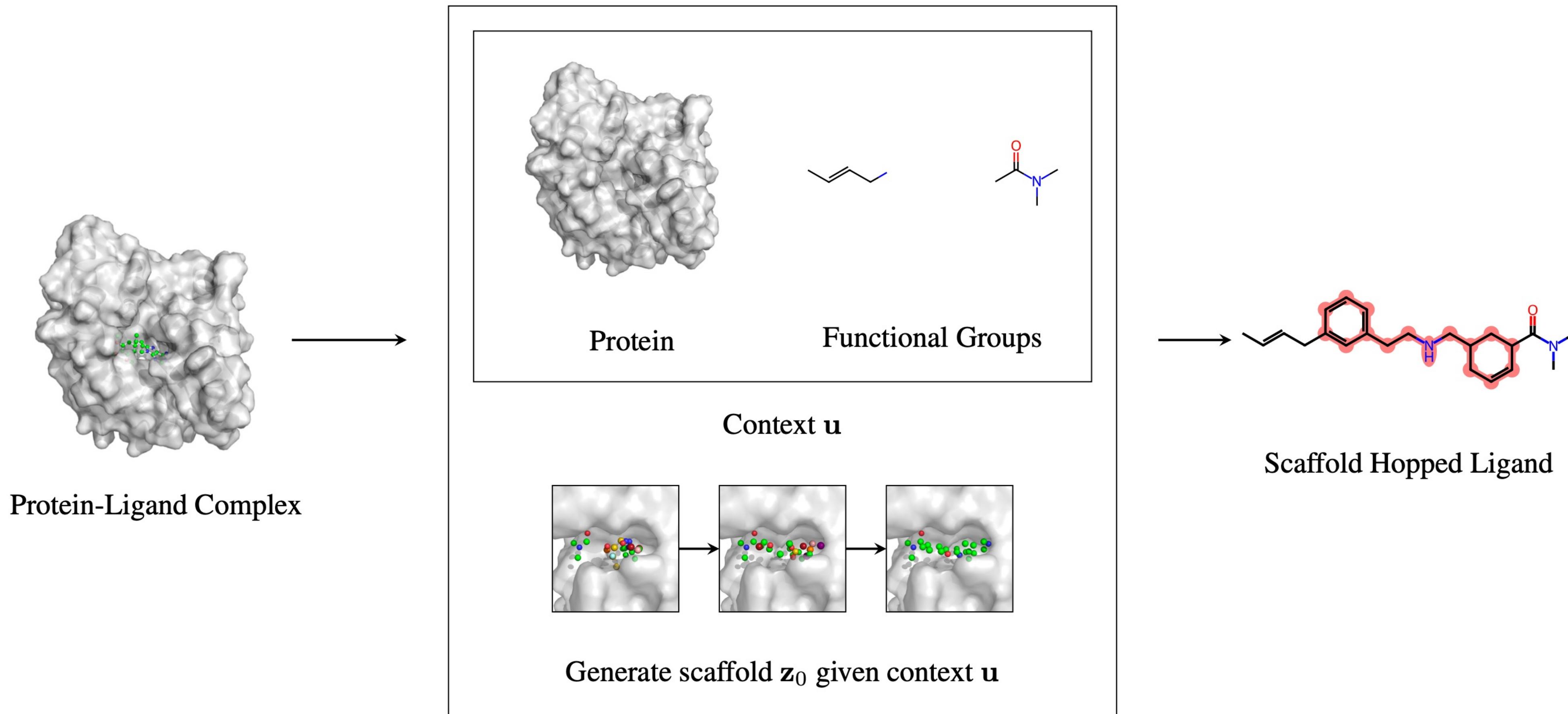
What is scaffold hopping?

Similar properties, novel topology



DiffHopp

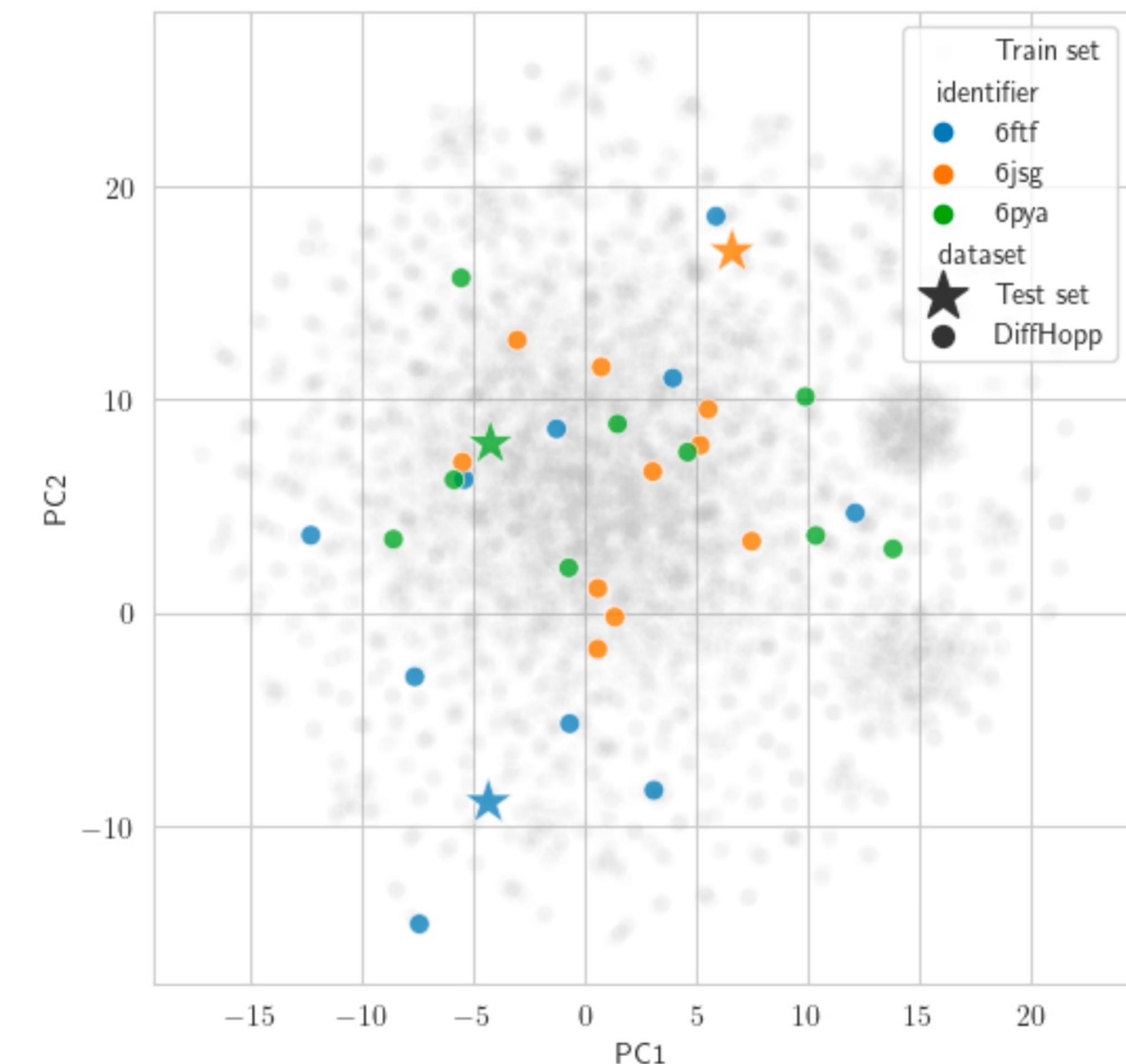
A conditional diffusion model for scaffold hopping



Scaffold diversity analysis

Generated scaffold are as diverse as the PDB

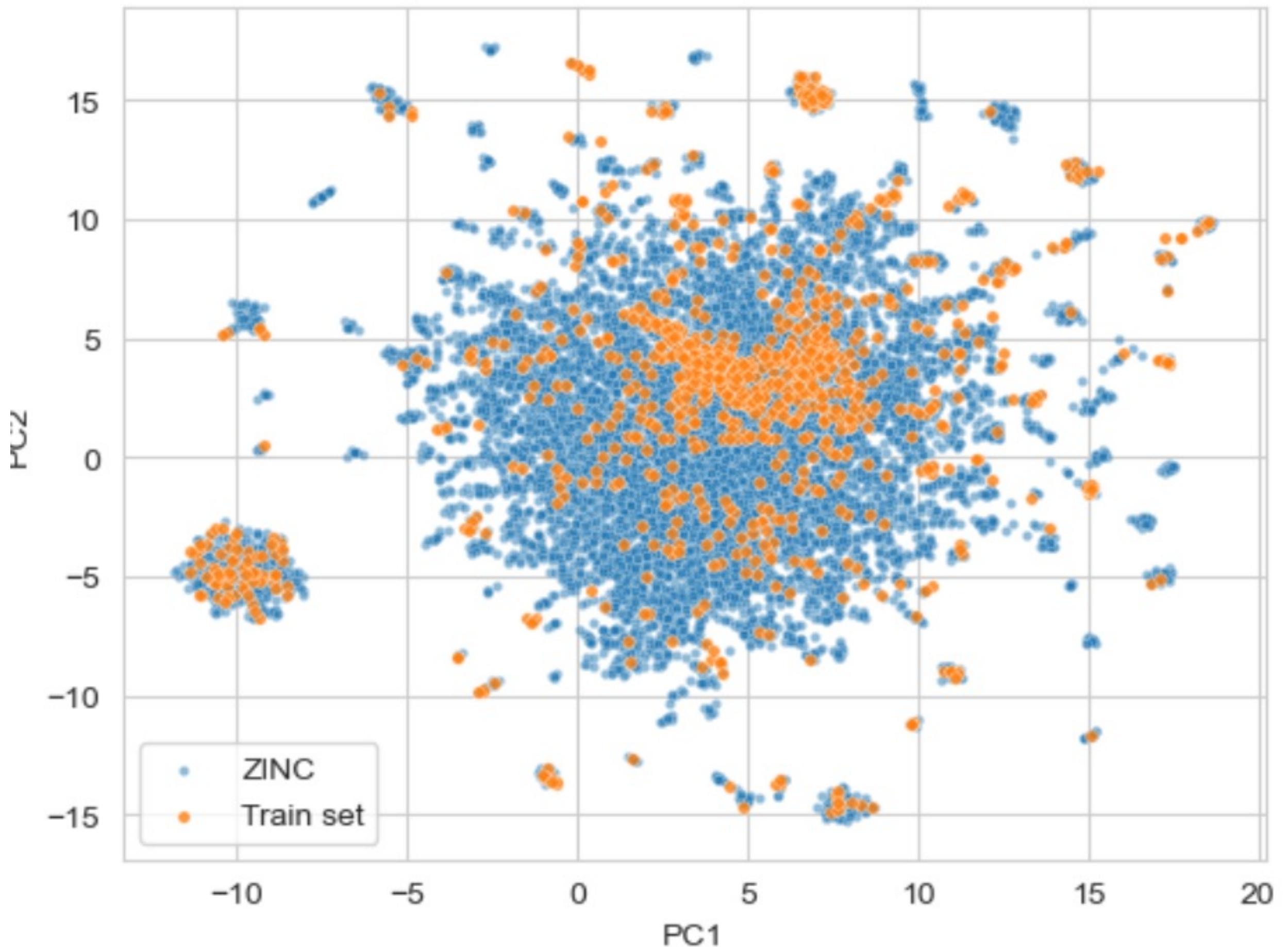
- Can generate diverse scaffolds, regardless of the starting chemotype
- However, scaffold space is very large and we are limited by the PDB (<40,000)



Scaffold diversity analysis

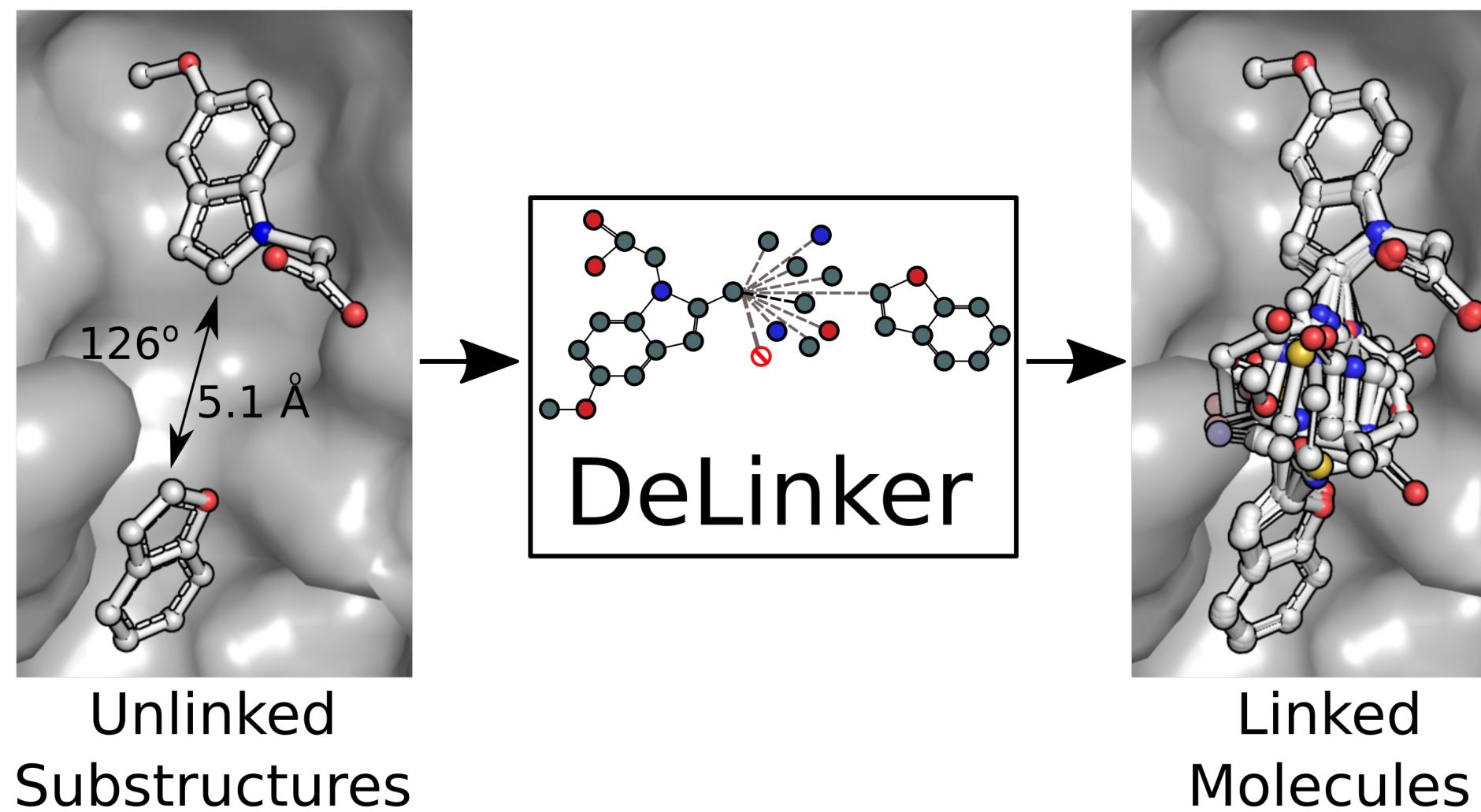
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- Can generate diverse scaffolds, regardless of the starting chemotype
- However, scaffold space is very large and we are limited by the PDB (<40,000)



There are many sub-tasks within SBDD

e.g. Fragment-linking, scaffold hopping



(Imrie et al, 2020)



Conditional models are trained
on synthetic dataset

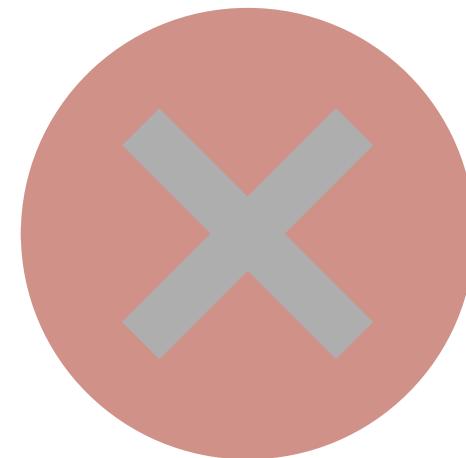


Specialist models cannot
generalise to new tasks

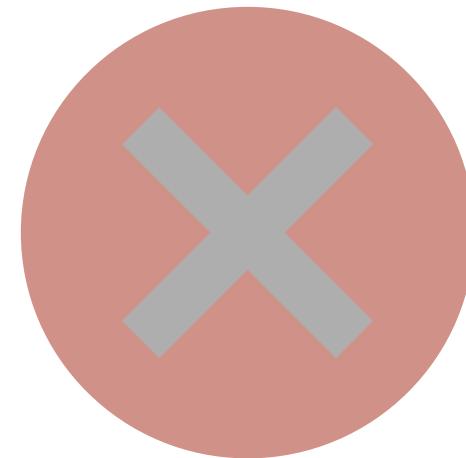


Need to prespecify atom
attachment points

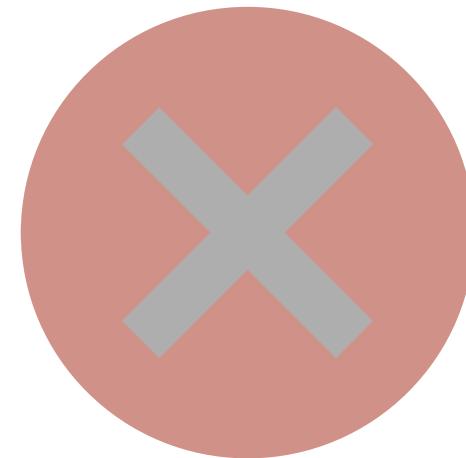
Limitation of conditional models



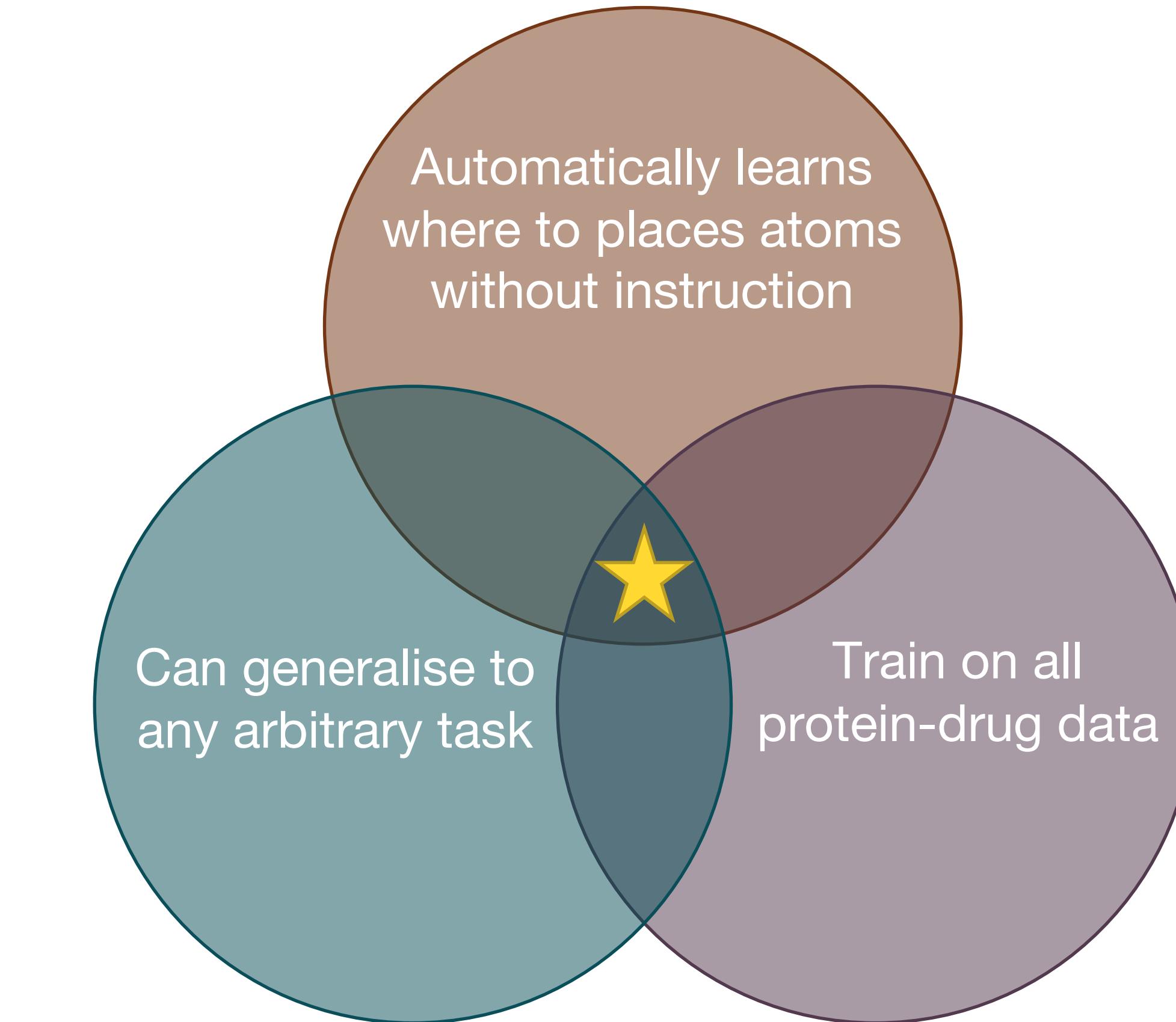
Conditional models are trained
on synthetic dataset



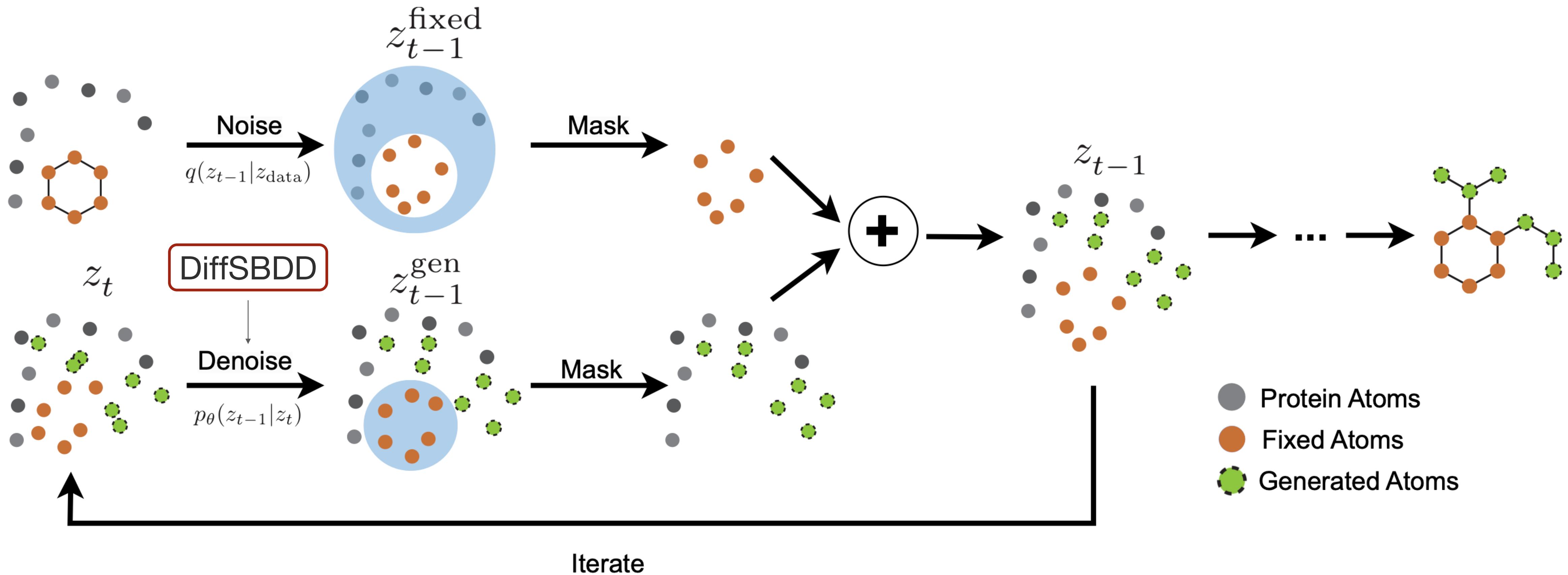
Specialist models cannot
generalise to new tasks



Need to prespecify atom
attachment points



Molecular inpainting with DiffSBDD





Takeaway



Generative modelling **holds promise** for designing novel drugs but has **no real-world validation**