

# The Impact of Macroeconomic Factors on Bitcoin Price

September 8, 2022

Kiet Nguyen

ID: 001601720

Email: kngu179@wgu.edu

## I. Introduction

**1. Context** Since its creation in 2009, the value of Bitcoin went from \$0 to an all time high of almost \$69,000 in 2021 (Edwards, 2022). As of September 2022, the price has fallen to just above \$20,000. The extreme volatility of this asset was driven in part due to its status as an emerging investment vehicle. While Bitcoin shared some similarities with other asset classes such as stocks and commodities, its short history meant there was not enough evidence to support this claim. Therefore, an analysis into Bitcoin would help to explain its characteristics in relation to the financial market.

**2. Research Question** This analysis aimed to answer the following question: Was the price of Bitcoin affected by macroeconomic factors, such as the dollar strength, interest rates, inflation, and unemployment?

**3. Hypothesis** The null hypothesis was that the price of Bitcoin was not affected by macroeconomic factors. The alternative hypothesis was that macroeconomic factors had an effect on Bitcoin price. This hypothesis was based on the assumption that as an investment vehicle, Bitcoin should be subjected to the same condition of the financial market. A stronger macroeconomic environment would be favorable to the demand of Bitcoin, and vice versa.

H0: Bitcoin price is not affected by macroeconomic factors

H1: Bitcoin price is affected by macroeconomic factors

## II. Data Collection

**1. Datasets** Five datasets were collected from various sources, as detailed in the table below.

Dataset	Time Range	Format	Source
Bitcoin Prices	2014 - 2022	CSV	<a href="https://www.cryptodatadownload.com/data/cexio/">https://www.cryptodatadownload.com/data/cexio/</a>

Dataset	Time Range	Format	Source
Dollar Strength	2006 - 2022	CSV	<a href="https://fred.stlouisfed.org/series/RTWEXBGS">https://fred.stlouisfed.org/series/RTWEXBGS</a>
Inflation	1914 - 2022	XLSX	<a href="https://www.rateinflation.com/inflation-rate/usa-historical-inflation-rate/">https://www.rateinflation.com/inflation-rate/usa-historical-inflation-rate/</a>
Interest Rate	1954 - 2022	CSV	<a href="https://fred.stlouisfed.org/series/FEDFUNDS">https://fred.stlouisfed.org/series/FEDFUNDS</a>
Unemployment	2012 - 2022	XLSX	<a href="https://data.bls.gov/timeseries/LNS14000000">https://data.bls.gov/timeseries/LNS14000000</a>

**2. Process** The datasets were found by searching through open datasets from government agencies and company websites. The advantage of this data gathering process was that it was simple to execute. The datasets were downloaded directly from the websites. But the disadvantage was that the process was entirely manual. If the analysis needed to be updated with new data, the datasets have to be found and downloaded again.

One of the challenge when collecting inflation data was that data was not in a tabular format and difficult to extract. The Consumer Price Index report contained written price indices for various items, such as food, energy, and shelter. To overcome this problem, the inflation data was taken from a third-party website instead. This website calculated historical inflation rates and published the data in a common format. Other datasets were already in a tabular format for download, which made data preparation on them straightforward.

### III. Data Extraction and Preparation

**1. Libraries** The language that will be used to perform the extraction, preparation, and analysis was Python. This language was a commonly used language in data analysis due to its extensive libraries for data science. The advantage of using Python for this analysis was its ease of use. Python syntax could be learned relatively quickly without having to know much about programming (Paul, 2021). The disadvantage of using Python for analytics would be due to its large library. Performing data analytics on Python required learning about many libraries, their functionalities, and what parameters to use.

The following Python libraries were used:

- **numpy**: numeric computation library.
- **pandas**: efficient 1D and 2D data structures, such as Series and DataFrame.
- **matplotlib** and **seaborn**: graphs and figures for data visualizations.
- **statsmodels**: various classes and functions related to statistical models.

```
[1]: import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
import statsmodels as sm

from tabulate import tabulate
```

```
from statsmodels.tsa.stattools import adfuller
from statsmodels.tsa.vector_ar.var_model import VAR
```

**2. Data Extraction** The datasets were imported into dataframes using `pandas`. Each dataset was assigned to a separate variable.

```
[2]: btc = pd.read_csv('CEX_BTC_USD.csv')
dollar = pd.read_csv('REAL_BROAD_DOLLAR_INDEX.csv')
inflation = pd.read_excel('US_INFLATION_RATES.xlsx')
interest = pd.read_csv('FED_FUND_RATES.csv')
unemployment = pd.read_excel('US_UNEMPLOYMENT_RATES.xlsx')
```

**3. Data Preparation** To prepare the data for analysis, each dataset needed to be cleaned separately. Other datasets were not in the same time range as Bitcoin prices. The time range of Bitcoin prices was from July 2014 to August 2022. Other datasets contained data that went back further than 2014. This meant data older than July 2014 had to be dropped from other datasets to ensure consistency with Bitcoin prices. Bitcoin prices were also converted from daily to monthly to fit with the timeframes of other datasets.

#### a. Bitcoin Prices

```
[3]: # View Bitcoin prices
btc
```

```
[3]: https://www.CryptoDataDownload.com Unnamed: 1 Unnamed: 2 Unnamed: 3 \
0          unix          date      symbol      open
1      1661558400  8/27/2022    BTC/USD    20280.1
2      1661472000  8/26/2022    BTC/USD    21608.2
3      1661385600  8/25/2022    BTC/USD    21418.5
4      1661299200  8/24/2022    BTC/USD    21538.9
...          ...          ...      ...      ...
2955      1405987200  7/22/2014    BTC/USD      604
2956      1405900800  7/21/2014    BTC/USD    603.06
2957      1405814400  7/20/2014    BTC/USD    603.02
2958      1405728000  7/19/2014    BTC/USD      613
2959      1405641600  7/18/2014    BTC/USD    550

      Unnamed: 4 Unnamed: 5 Unnamed: 6  Unnamed: 7  Unnamed: 8
0      high      low      close  Volume BTC  Volume USD
1    20389.2    19859.9    20074.1  34.07540398  684033.067
2     21881    20139.1    20280.6  112.8191918  2288040.902
3    21793.1    21367.6    21618.3  16.86206973  364529.282
4    21950.7    21196.5    21418.9  17.31601862  370890.0712
...      ...      ...      ...      ...      ...
2955    611.85      603    609.99  4.95748732  3024.01769
2956     613      603    603.15  2.83179863  1707.999344
2957     613      603    603.06  5.36491325  3235.364585
```

2958	617	603	613.96	5.90101612	3622.987857
2959	617.79	550	603	5.21329842	3143.618947

[2960 rows x 9 columns]

```
[4]: # Set row 0 as header
btc.columns = btc.iloc[0]
btc = btc[1:]

# Keep only date and close columns
btc = btc[['date', 'close']]

# Conver close column to float type
btc['close'] = btc['close'].astype(float)

# Rename columns
btc.rename(columns={'date': 'Date', 'close': 'Bitcoin Price'}, inplace=True)

# Convert Date column into datetime index
btc.set_index('Date', inplace=True)
btc.index = pd.to_datetime(btc.index)

# Take price on first day of each month
btc = btc.resample('MS').first()

# Remove most recent row to match with other datasets
btc = btc.iloc[:-1]

btc
```

```
[4]: 0          Bitcoin Price
Date
2014-07-01      603.0000
2014-08-01      596.8900
2014-09-01      498.9900
2014-10-01      374.5342
2014-11-01      330.3000
...
2022-03-01     44422.2000
2022-04-01     46264.0000
2022-05-01     38489.0000
2022-06-01     29816.6000
2022-07-01     19280.0000
```

[97 rows x 1 columns]

```
[5]: # Assign Bitcoin begin and end date to variables
begin = '2014-07-01'
end = '2022-07-01'
```

## b. Dollar Strength Index

```
[6]: dollar
```

```
[6]:
```

	DATE	RTWEXBGS
0	2006-01-01	100.0000
1	2006-02-01	100.2651
2	2006-03-01	100.5424
3	2006-04-01	100.0540
4	2006-05-01	97.8681
..	...	...
194	2022-03-01	111.2659
195	2022-04-01	111.8324
196	2022-05-01	114.6075
197	2022-06-01	115.6957
198	2022-07-01	118.2674

[199 rows x 2 columns]

```
[7]: # Rename columns
dollar.rename(columns={'DATE': 'Date', 'RTWEXBGS': 'Dollar Index'},
               inplace=True)

# Convert date column into datetime index
dollar.set_index('Date', inplace=True)
dollar.index = pd.to_datetime(dollar.index)

# Slice dataframe from oldest Bitcoin price date
idx = dollar.index.get_loc(begin)
dollar = dollar.iloc[idx:]

dollar
```

```
[7]:
```

	Dollar Index
Date	
2014-07-01	88.9483
2014-08-01	89.7677
2014-09-01	91.0844
2014-10-01	92.1952
2014-11-01	93.5410
...	...
2022-03-01	111.2659
2022-04-01	111.8324

```
2022-05-01      114.6075
2022-06-01      115.6957
2022-07-01      118.2674
```

[97 rows x 1 columns]

### c. Inflation Rate

```
[8]: inflation
```

```
[8]:
```

	Year	Jan	Feb	Mar	Apr	May	Jun	Jul	\
0	2022	0.07480	0.07871	0.08542	0.08259	0.08582	0.09060	0.08525	
1	2021	0.01400	0.01676	0.02620	0.04160	0.04993	0.05391	0.05365	
2	2020	0.02487	0.02335	0.01539	0.00329	0.00118	0.00646	0.00986	
3	2019	0.01551	0.01520	0.01863	0.01996	0.01790	0.01648	0.01811	
4	2018	0.02071	0.02212	0.02360	0.02463	0.02801	0.02872	0.02950	
..	...	...	...	...	...	...	...	...	
104	1918	0.19658	0.17500	0.16667	0.12698	0.13281	0.13077	0.17969	
105	1917	0.12500	0.15385	0.14286	0.18868	0.19626	0.20370	0.18519	
106	1916	0.02970	0.04000	0.06061	0.06000	0.05941	0.06931	0.06931	
107	1915	0.01000	0.01010	0.00000	0.02041	0.02020	0.02020	0.01000	
108	1914	0.02041	0.01020	0.01020	0.00000	0.02062	0.01020	0.01010	
	Aug	Sep	Oct	Nov	Dec	Annual			
0	NaN	NaN	NaN	NaN	NaN	NaN			
1	0.05251	0.05390	0.06222	0.06809	0.07036	0.04698			
2	0.01310	0.01371	0.01182	0.01175	0.01362	0.01234			
3	0.01750	0.01711	0.01764	0.02051	0.02285	0.01812			
4	0.02699	0.02277	0.02522	0.02177	0.01910	0.02443			
..	...	...	...	...	...	...			
104	0.18462	0.18045	0.18519	0.20741	0.20438	0.17284			
105	0.19266	0.19820	0.19469	0.17391	0.18103	0.17841			
106	0.07921	0.09901	0.10784	0.11650	0.12621	0.07667			
107	-0.00980	-0.00980	0.00990	0.00980	0.01980	0.00915			
108	0.03030	0.02000	0.01000	0.00990	0.01000	0.01349			

[109 rows x 14 columns]

```
[9]: # Drop Annual column
inflation.drop(['Annual'], axis=1, inplace=True)

# Convert dataframe from wide to long format
month = ['Jan', 'Feb', 'Mar', 'Apr', 'May', 'Jun', 'Jul', 'Aug', 'Sep', 'Oct',
        ↪ 'Nov', 'Dec']
inflation = pd.melt(inflation, id_vars=['Year'], value_vars=month,
        ↪ var_name='Month', value_name='Inflation Rate')
```

```

# Create a date column using Year and Month columns
inflation['Date'] = pd.to_datetime(inflation['Year'].astype(str) + '-' +
    ↪inflation['Month'].astype(str))

# Keep only Date and Inflation Rate columns
inflation = inflation[['Date', 'Inflation Rate']]

# Sort dataframe by Date
inflation.sort_values(by='Date', inplace=True)

# Use Date column as index
inflation.set_index('Date', inplace=True)

# Slice dataframe to Bitcoin time range
idx_1 = inflation.index.get_loc(begin)
idx_2 = inflation.index.get_loc(end)
inflation = inflation[idx_1: idx_2 + 1]

inflation

```

```

[9]:           Inflation Rate
Date
2014-07-01      0.01992
2014-08-01      0.01700
2014-09-01      0.01658
2014-10-01      0.01664
2014-11-01      0.01322
...
2022-03-01      0.08542
2022-04-01      0.08259
2022-05-01      0.08582
2022-06-01      0.09060
2022-07-01      0.08525

```

[97 rows x 1 columns]

#### d. Interest Rate

```
[10]: interest
```

```

[10]:           DATE  FEDFUNDS
0    1954-07-01      0.80
1    1954-08-01      1.22
2    1954-09-01      1.07
3    1954-10-01      0.85
4    1954-11-01      0.83
..         ...      ...

```

812	2022-03-01	0.20
813	2022-04-01	0.33
814	2022-05-01	0.77
815	2022-06-01	1.21
816	2022-07-01	1.68

[817 rows x 2 columns]

```
[11]: # Rename columns
interest.rename(columns={'DATE': 'Date', 'FEDFUNDS': 'Interest Rate'},
                inplace=True)

# Convert date column into datetime index
interest.set_index('Date', inplace=True)
interest.index = pd.to_datetime(interest.index)

# Slice dataframe to Bitcoin time range
idx = interest.index.get_loc(begin)
interest = interest[idx:]

interest
```

```
[11]:          Interest Rate
Date
2014-07-01          0.09
2014-08-01          0.09
2014-09-01          0.09
2014-10-01          0.09
2014-11-01          0.09
...
2022-03-01          0.20
2022-04-01          0.33
2022-05-01          0.77
2022-06-01          1.21
2022-07-01          1.68
```

[97 rows x 1 columns]

### e. Unemployment Rate

```
[12]: unemployment
```

```
[12]:   Year  Jan  Feb  Mar  Apr  May  Jun  Jul  Aug  Sep  Oct  Nov  Dec
0  2012  8.3  8.3  8.2  8.2  8.2  8.2  8.2  8.1  7.8  7.8  7.7  7.9
1  2013  8.0  7.7  7.5  7.6  7.5  7.5  7.3  7.2  7.2  7.2  6.9  6.7
2  2014  6.6  6.7  6.7  6.2  6.3  6.1  6.2  6.1  5.9  5.7  5.8  5.6
3  2015  5.7  5.5  5.4  5.4  5.6  5.3  5.2  5.1  5.0  5.0  5.1  5.0
```



4	2016	4.8	4.9	5.0	5.1	4.8	4.9	4.8	4.9	5.0	4.9	4.7	4.7
5	2017	4.7	4.6	4.4	4.4	4.4	4.3	4.3	4.4	4.3	4.2	4.2	4.1
6	2018	4.0	4.1	4.0	4.0	3.8	4.0	3.8	3.8	3.7	3.8	3.8	3.9
7	2019	4.0	3.8	3.8	3.6	3.6	3.6	3.7	3.7	3.5	3.6	3.6	3.6
8	2020	3.5	3.5	4.4	14.7	13.2	11.0	10.2	8.4	7.9	6.9	6.7	6.7
9	2021	6.4	6.2	6.0	6.0	5.8	5.9	5.4	5.2	4.7	4.6	4.2	3.9
10	2022	4.0	3.8	3.6	3.6	3.6	3.6	3.5	NaN	NaN	NaN	NaN	NaN

```
[13]: # Convert dataframe from wide to long format
unemployment = pd.melt(unemployment, id_vars=['Year'], value_vars=month,
    ↳var_name='Month', value_name='Unemployment Rate')

# Create a date column using Year and Month columns
unemployment['Date'] = pd.to_datetime(unemployment['Year'].astype(str) + '-' +
    ↳unemployment['Month'].astype(str))

# Keep only Date and unemployment Rate columns
unemployment = unemployment[['Date', 'Unemployment Rate']]

# Sort dataframe by Date
unemployment.sort_values(by='Date', inplace=True)

# Use Date column as index
unemployment.set_index('Date', inplace=True)

# Slice dataframe to Bitcoin time range
idx_1 = unemployment.index.get_loc(begin)
idx_2 = unemployment.index.get_loc(end)
unemployment = unemployment[idx_1: idx_2 + 1]

unemployment
```

```
[13]: Unemployment Rate
```

Date	Unemployment Rate
2014-07-01	6.2
2014-08-01	6.1
2014-09-01	5.9
2014-10-01	5.7
2014-11-01	5.8
...	...
2022-03-01	3.6
2022-04-01	3.6
2022-05-01	3.6
2022-06-01	3.6
2022-07-01	3.5

```
[97 rows x 1 columns]
```

**4. Combine Datasets** After cleaning, the separate datasets will be combined into one dataset for analysis.

```
[14]: df = pd.concat([btc, dollar, inflation, interest, unemployment], axis=1)

df
```

```
[14]:
```

	Bitcoin Price	Dollar Index	Inflation Rate	Interest Rate \
Date				
2014-07-01	603.0000	88.9483	0.01992	0.09
2014-08-01	596.8900	89.7677	0.01700	0.09
2014-09-01	498.9900	91.0844	0.01658	0.09
2014-10-01	374.5342	92.1952	0.01664	0.09
2014-11-01	330.3000	93.5410	0.01322	0.09
...	...	...	...	...
2022-03-01	44422.2000	111.2659	0.08542	0.20
2022-04-01	46264.0000	111.8324	0.08259	0.33
2022-05-01	38489.0000	114.6075	0.08582	0.77
2022-06-01	29816.6000	115.6957	0.09060	1.21
2022-07-01	19280.0000	118.2674	0.08525	1.68

	Unemployment Rate
Date	
2014-07-01	6.2
2014-08-01	6.1
2014-09-01	5.9
2014-10-01	5.7
2014-11-01	5.8
...	...
2022-03-01	3.6
2022-04-01	3.6
2022-05-01	3.6
2022-06-01	3.6
2022-07-01	3.5

[97 rows x 5 columns]

## IV. Analysis

**1. Exploratory Data Analysis** Before building a model, exploratory data analysis will be performed on the dataset. This preliminary step ensured that the variables could be analyzed before actual modeling. It could also lead to the discovery of patterns, anomalies, and outliers in the dataset.

This process involved the following steps:

1. Check the descriptive statistics.
2. Visualize variables.

3. Determine the correlation between them.

```
[15]: # Show descriptive statistics
df.describe()
```

```
[15]:
```

	Bitcoin Price	Dollar Index	Inflation Rate	Interest Rate \
count	97.000000	97.000000	97.000000	97.000000
mean	12194.804176	105.113201	0.023894	0.789897
std	16614.597223	5.072579	0.022011	0.810827
min	226.564900	88.948300	-0.002000	0.050000
25%	603.000000	103.085600	0.011750	0.090000
50%	6588.600000	105.857300	0.017900	0.380000
75%	11293.640000	107.870500	0.024870	1.510000
max	60982.700000	118.267400	0.090600	2.420000

	Unemployment Rate
count	97.000000
mean	5.023711
std	1.849875
min	3.500000
25%	3.800000
50%	4.700000
75%	5.400000
max	14.700000

```
[16]: # Color palette
pal = sns.color_palette()

# Create subplots for variables
fig, axes = plt.subplots(3, 2, figsize=(14, 10))

# Counters for subplot positions and color
x = 0
y = 0
color = 0

# Get list of variables
cont = df.columns.tolist()

# Loop and plot
for idx, var in enumerate(cont):
    # Reset counters at limit
    if y == 2:
        x += 1
        y = 0

    # Plot time series
    p = sns.lineplot(ax=axes[x, y], data=df[var], color=pal[color])
```

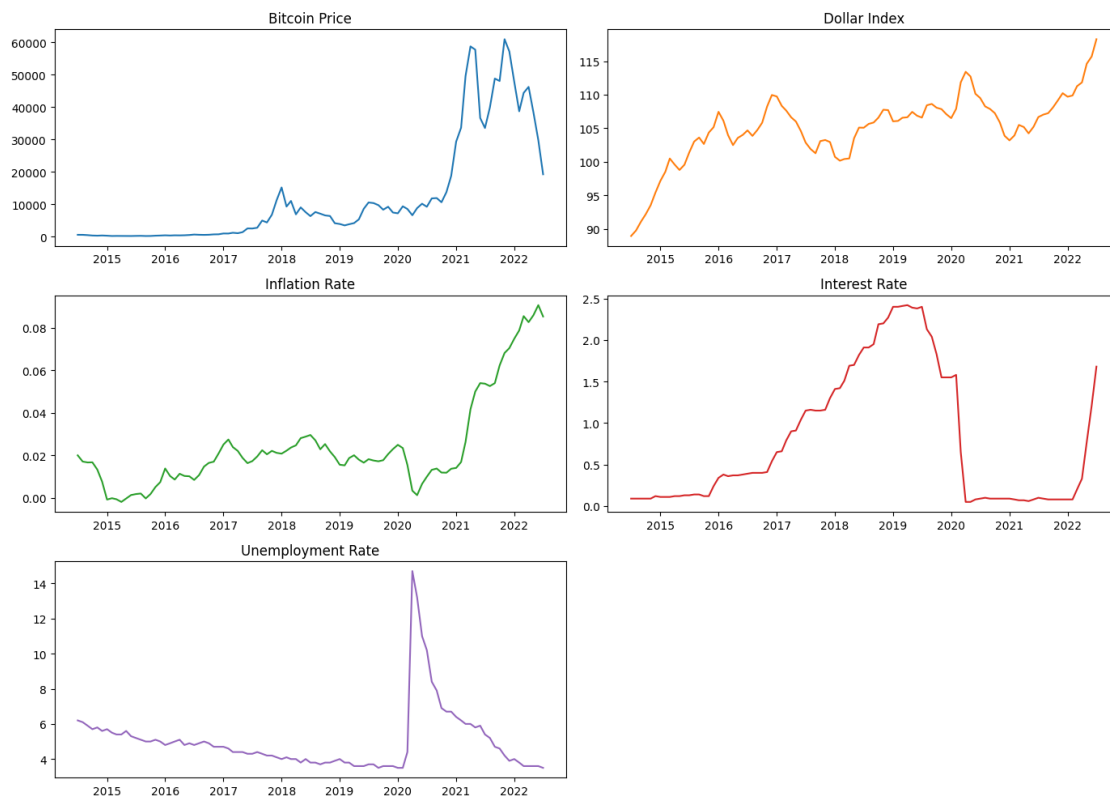
```

p.set(ylabel=None)
p.set(xlabel=None)
p.set(title=var)

# Increment counters
y += 1
color += 1

fig.delaxes(axes[2, 1])
plt.tight_layout()
plt.show()

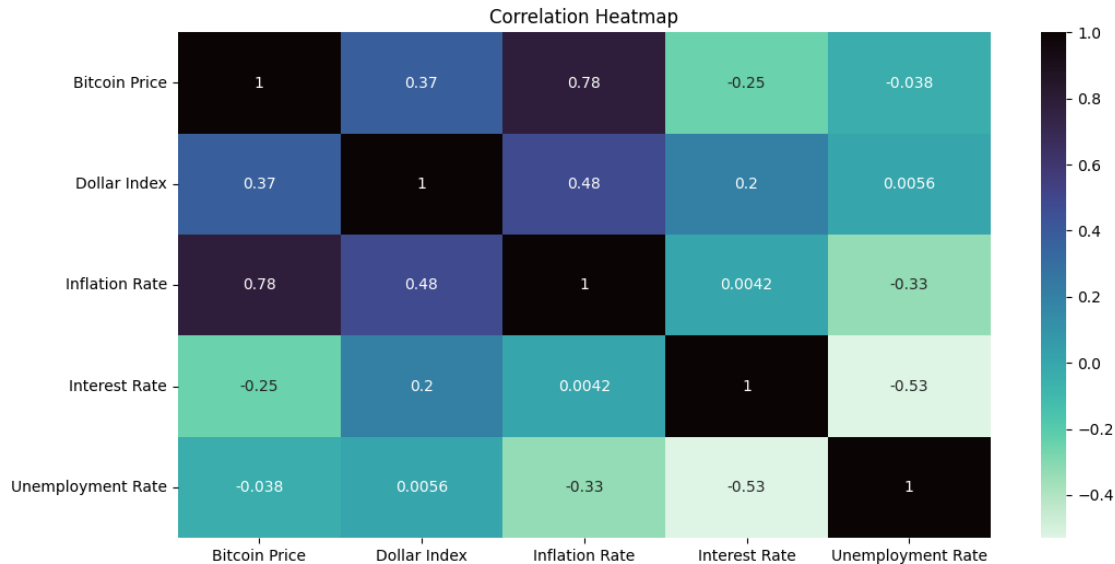
```



```

[17]: # Plot correlation heatmap
fig = plt.figure(figsize=(12, 6))
sns.heatmap(df.corr(), annot=True, cmap='mako_r')
plt.title('Correlation Heatmap')
plt.show()

```



**2. Evaluate Stationarity** For time series analysis to be effective, each time series needed to be stationary. In a stationary time series, the mean, variance, and covariance were constant. This meant that the distribution of the time series remained constant (Singh, 2020). On the other hand, non-stationary time series cannot be effectively analyzed due to the change in its distribution over time. Most statistical models required the time series to be stationary.

To evaluate stationarity, the Augmented Dicker-Fuller Test was performed on each variable. At a significance level of 0.05, the hypothesis for this test was:

H0: time series is not stationary

H1: time series is stationary

```
[18]: def stationary_test(df_in, sig=0.05, name=''):
    # Perform ADF test on each variable at significance level 0.05
    result = []
    for name, column in df_in.iteritems():
        res = adfuller(column, autolag='AIC')
        p_value = round(res[1], 3)
        result.append([name, p_value, bool(p_value <= sig)])

    # Print table of result
    print(tabulate([res for res in result], headers=['Variable', 'P-Value', 'Stationary']))

stationary_test(df)
```

Variable	P-Value	Stationary
Bitcoin Price	0.078	False

Dollar Index	0.377	False
Inflation Rate	0.963	False
Interest Rate	0.534	False
Unemployment Rate	0.028	True

Based on the result of the ADF test, only unemployment rate was stationary. To proceed with the analysis, the time series needed to be differenced.

**3. Time Series Differencing** To remove trend and seasonality that made up non-stationarity, differencing needed to be applied to the time series. This method effectively stabilized the mean and variance (Brownlee, 2020a). After differencing, the variables needed to be tested again for stationarity. Additional differencing would be needed if some variables were still non-stationary.

```
[19]: # First differencing
diff_df = df.diff().dropna()

print('First Differencing\n')
stationary_test(diff_df)
```

First Differencing

Variable	P-Value	Stationary
Bitcoin Price	0.199	False
Dollar Index	0.002	True
Inflation Rate	0.216	False
Interest Rate	0	True
Unemployment Rate	0	True

```
[20]: # Second differencing
diff_df = diff_df.diff().dropna()

print('Second Differencing\n')
stationary_test(diff_df)
```

Second Differencing

Variable	P-Value	Stationary
Bitcoin Price	0	True
Dollar Index	0	True
Inflation Rate	0.011	True
Interest Rate	0	True
Unemployment Rate	0	True

**4. Vector Autoregression** Vector Autoregression (VAR) was a time series analysis algorithm that could be used to model multiple time series. The assumption was that these time series have influenced on each other in binary relationships. The advantage of this technique was that it

could be used to capture the relationships between multiple variables. The disadvantage was that the model result only provide an estimation, not the true relationships between complex variables (Maitra, 2021).

```
[44]: # Instantiate VAR model
model = VAR(diff_df)

# Run 5 models with different lags
result = []
for i in range(1, 6):
    res = model.fit(i)
    result.append([i, res.aic, res.bic])

# Print table of scores
print(tabulate([res for res in result], headers=['Lag Order', 'AIC', 'BIC']))
```

Lag Order	AIC	BIC
1	2.34949	3.16118
2	2.19564	3.69342
3	1.80145	3.99431
4	1.79071	4.68786
5	1.94986	5.56069

When running the model with different lag orders, the best model appeared to be lag 1. While it did not have the lowest AIC score, its BIC score was the lowest. Lag 2 had slightly higher AIC score but its BIC score was significantly higher than lag 1. Other models had lower AIC scores but their BIC scores were much larger. Therefore, the appropriate model was lag 1.

```
[45]: # Model fitted with lag order 1
chosen_model = model.fit(1)

chosen_model.summary()
```

[45]: Summary of Regression Results

```
=====
Model:                                VAR
Method:                               OLS
Date:                                Thu, 08, Sep, 2022
Time:                                11:03:14
-----
No. of Equations:                    5.00000    BIC:                                3.16118
Nobs:                                94.0000    HQIC:                               2.67736
Log likelihood:                       -747.327    FPE:                                10.4894
AIC:                                  2.34949    Det(Omega_mle):                     7.69818
-----
Results for equation Bitcoin Price
=====
```

```

=====
                                coefficient      std. error      t-stat
prob
-----
const                -159.949679      522.300698      -0.306
0.759
L1.Bitcoin Price      -0.227687      0.102477      -2.222
0.026
L1.Dollar Index        627.309202      411.367310      1.525
0.127
L1.Inflation Rate     152505.523026    154616.582980      0.986
0.324
L1.Interest Rate       2829.615243      3955.898697      0.715
0.474
L1.Unemployment Rate   354.224917      349.821909      1.013
0.311
=====
=====

```

#### Results for equation Dollar Index

```

=====
                                coefficient      std. error      t-stat
prob
-----
const                0.010520      0.140509      0.075
0.940
L1.Bitcoin Price      -0.000028      0.000028      -1.000
0.317
L1.Dollar Index        -0.170169      0.110666      -1.538
0.124
L1.Inflation Rate      35.407389      41.594992      0.851
0.395
L1.Interest Rate       -0.451338      1.064217      -0.424
0.671
L1.Unemployment Rate   -0.011791      0.094109      -0.125
0.900
=====
=====

```

#### Results for equation Inflation Rate

```

=====
                                coefficient      std. error      t-stat
prob

```



```

-----
-----
const                -0.000064      0.000387      -0.164
0.869
L1.Bitcoin Price    -0.000000      0.000000      -0.128
0.898
L1.Dollar Index     -0.000333      0.000305      -1.090
0.276
L1.Inflation Rate   -0.195307      0.114648      -1.704
0.088
L1.Interest Rate     0.005829      0.002933      1.987
0.047
L1.Unemployment Rate 0.000008      0.000259      0.031
0.975
=====
=====

```

#### Results for equation Interest Rate

```

=====
=====
                                coefficient      std. error      t-stat
prob
-----
-----
const                0.005711      0.015054      0.379
0.704
L1.Bitcoin Price    -0.000000      0.000003      -0.113
0.910
L1.Dollar Index     -0.008765      0.011856      -0.739
0.460
L1.Inflation Rate   -1.151208      4.456368      -0.258
0.796
L1.Interest Rate     -0.137264      0.114017      -1.204
0.229
L1.Unemployment Rate 0.019211      0.010083      1.905
0.057
=====
=====

```

#### Results for equation Unemployment Rate

```

=====
=====
                                coefficient      std. error      t-stat
prob
-----
-----
const                0.036537      0.094176      0.388

```

```

0.698
L1.Bitcoin Price      -0.000010      0.000018      -0.551
0.582
L1.Dollar Index      0.056906      0.074173      0.767
0.443
L1.Inflation Rate     6.199237     27.878817      0.222
0.824
L1.Interest Rate     -7.788933      0.713286     -10.920
0.000
L1.Unemployment Rate  -0.585645      0.063076     -9.285
0.000
=====
=====

```

Correlation matrix of residuals

	Bitcoin Price	Dollar Index	Inflation Rate	Interest Rate
Unemployment Rate				
Bitcoin Price	1.000000	-0.049295	0.126812	0.029113
-0.135370				
Dollar Index	-0.049295	1.000000	-0.114872	-0.332748
0.080785				
Inflation Rate	0.126812	-0.114872	1.000000	0.321580
-0.239985				
Interest Rate	0.029113	-0.332748	0.321580	1.000000
-0.369236				
Unemployment Rate	-0.135370	0.080785	-0.239985	-0.369236
1.000000				

## V. Summary

**1. Result of Analysis** The regression equation of Bitcoin price based on the VAR model was:

$$y = -159.95 + (627.31 \cdot \text{Dollar Index}) + (152,505.52 \cdot \text{Inflation Rate}) + (2,829.61 \cdot \text{Interest Rate}) + (354.22 \cdot \text{Unemployment Rate})$$

To evaluate whether the variables were statistically significant, a comparison check needed to be done between the probability and the t-statistic for each variable. The variable was significant if the probability is greater than t-statistic. This was outlined in the table below.

Name	Probability	t-statistic	Significant
Dollar Index	0.127	1.525	False
Inflation Rate	0.324	0.986	False
Interest Rate	0.474	0.715	False

Name	Probability	t-statistic	Significant
Unemployment Rate	0.311	1.013	False

All of the variables were not statistically significant. This result failed to reject the null hypothesis that Bitcoin was not affected by macroeconomic factors.

**2. Limitation** The biggest limitation of this analysis was that the time length of the variables were short. Since Bitcoin was a relatively new asset class, it did not have the same amount of data as the traditional stock market. The time range of other variables were truncated to ensure consistency with the price of Bitcoin. The accuracy of the model could be improved further with additional data.

**3. Recommendation** Based on the analysis, the recommendation would be to perform additional analysis on this topic. While this analysis showed that Bitcoin was not affected by macroeconomic factors at this moment, the same could not be said in the future. As Bitcoin grew into a mature asset class, it could become less volatile and started to follow traditional market cycles. By then, running more experiment would uncover additional details about Bitcoin’s relationship with the overall economy.

**4. Future Directions** One direction for future study would be to use different macroeconomic factors to the analysis. Some good factors include GDP growth, energy consumption, and consumer spending. The result showed that not all of the variables had an effect on Bitcoin, the question then was to find variables that had an effect in future studies. The other study direction would be to analyze the relationships between Bitcoin and other markets. An investment portfolio often consists of multiple asset classes, such as stocks, bonds, and cash. A regression or time series analysis on the impact of other markets on Bitcoin can provide insights into the new asset’s characteristics.

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