

# SLAM 2D – BE

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## Way to proceed

- ▶ Get the `slam2d_BE.zip` from the LMS
- ▶ Unpack `slam2d_BE.zip`
- ▶ Launch Matlab
- ▶ Set Matlab path to `slam2d_BE` folder
- ▶ Launch `slam2d_BE.m`

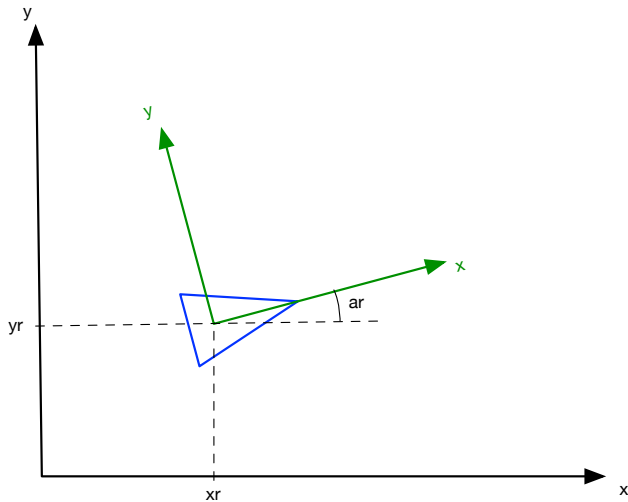
Notice that it **is not** complete: it only simulates a robot, but it does not do any SLAM.

It is your task to implement the SLAM code.

*Carefully read the `HELP` lines at the beginning of `slam2d_BE.m`*

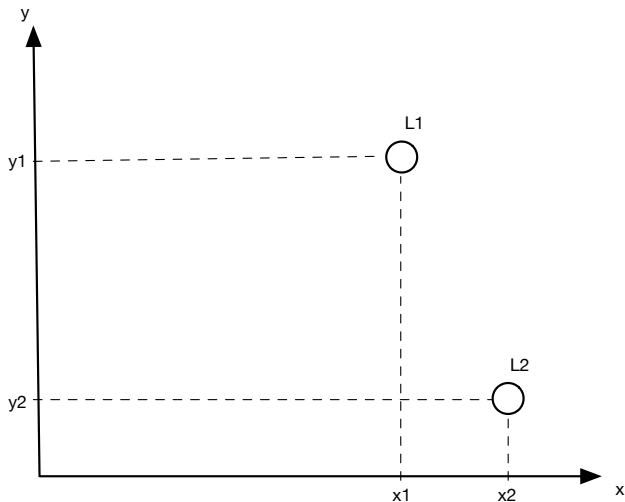
## Robot state

$$x(r) = [x_r, y_r, a_r]^T$$



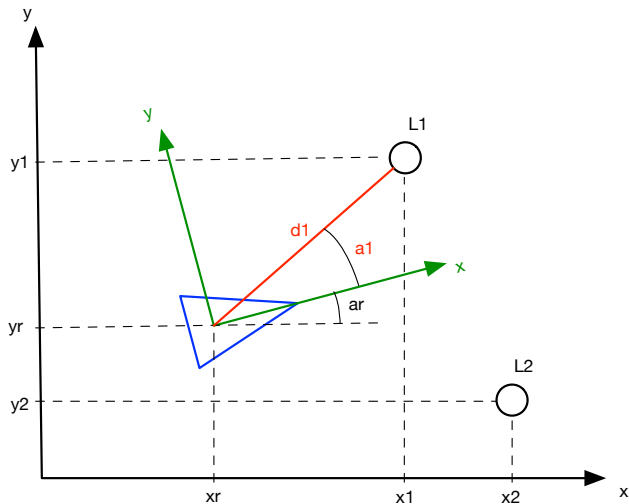
## Landmark states

$$x(li) = [x_i, y_i]^T$$



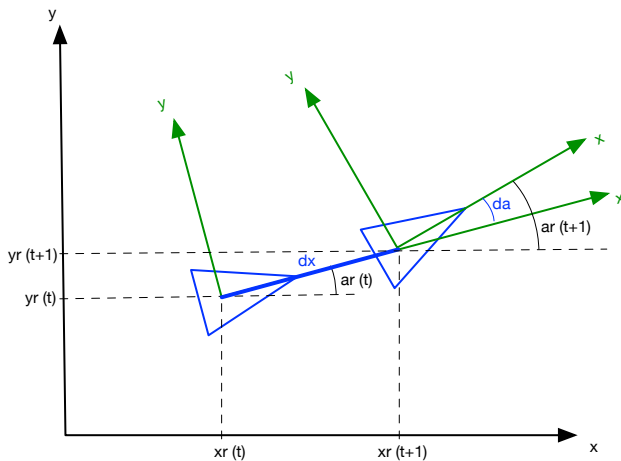
# Landmark observations

$$Y_i = [d_i, a_i]^T$$



# Robot motion

$$u = [dx, da]^T$$



# States

- ▶ robot state =  $\begin{bmatrix} x_r & y_r & a_r \end{bmatrix}^T$
- ▶ landmark state =  $\begin{bmatrix} x_i & y_i \end{bmatrix}^T$
- ▶ map state =  $\begin{bmatrix} x_r & y_r & a_r & x_1 & y_1 & x_2 & y_2 & \cdots & x_n & y_n \end{bmatrix}^T$
- ▶ estimated Gaussian map:  $\mathbf{x} = \begin{bmatrix} x_r \\ \vdots \\ y_n \end{bmatrix}^T$  and  $\mathbf{P} = \begin{bmatrix} P_{x_r x_r} & \cdots & P_{x_r y_n} \\ \vdots & \ddots & \vdots \\ P_{y_n x_r} & \cdots & P_{y_n y_n} \end{bmatrix}$

# Pointers

Access the Gaussian map through *pointers*:

- ▶ Pointes are row-vectors of integers used as indices
- ▶ Ex: if  $\mathbf{r} = [1 \ 2 \ 3]$  is a pointer, then:

$$\mathbf{x}(\mathbf{r}) = \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} \text{ and } \mathbf{P}(\mathbf{r}, \mathbf{r}) = \begin{bmatrix} P_{11} & P_{12} & P_{13} \\ P_{21} & P_{22} & P_{23} \\ P_{31} & P_{32} & P_{33} \end{bmatrix}$$

- ▶ Use the following pointer names:
  - ▶ Robot : 'r' (size 3),  
ex.  $\mathbf{r} = [1, 2, 3]$
  - ▶ Landmark : 'l' for one landmark (size 2),  
ex.  $\mathbf{l1} = [4, 5]$ ,  $\mathbf{l2} = [6, 7]$
  - ▶ Map : 'm' for all known landmarks,  
ex.  $\mathbf{m} = [\mathbf{l1}, \mathbf{l2}, \dots, \mathbf{ln}] = [4, 5, 6, 7]$
  - ▶ Robot and one landmark : 'r1',  
ex. if  $\mathbf{l} = [6, 7]$  then  $\mathbf{r1} = [\mathbf{r}, \mathbf{l}] = [1, 2, 3, 6, 7]$
  - ▶ Full state : 'rm' for robot and all known landmarks,  
ex.  $\mathbf{rm} = [\mathbf{r}, \mathbf{m}] = [\mathbf{r}, \mathbf{l1}, \mathbf{l2}, \dots, \mathbf{ln}] = [1, 2, 3, 4, 5, 6, 7]$



# Map manager

Helps you to manage the map space

- ▶ `mm_query_space(n)` → returns pointer `fs` to `n` free spaces
- ▶ `mm_block_space(fs)` → block positions indicated in pointer `fs`
- ▶ `mm_free_space(fs)` → liberate positions indicated in pointer `fs`

# Landmark manager

Helps you to manage the landmarks

- ▶ `lm_find_non_mapped_lmk()` → look for one non-mapped landmark
- ▶ `lm_associate_pointer_to_lmk(fs,i)` → associate free space pointer `fs` to landmark `i`
- ▶ `lm_lmk_pointer(i)` → recover pointer `l` for a landmark `i`
- ▶ `lm_all_lmk_pointers()` → recover pointers to all known landmarks
- ▶ `lm_forget_lmk(i)` → forget landmark `i`
- ▶ `lm_all_lmk_ids()` → recover the id of all known landmarks

# Control Signal and Measurements

- ▶ Control signal  $\mathbf{U} = \begin{bmatrix} \delta_x \\ \delta_a \end{bmatrix}$
- ▶ Motion perturbation:
  - ▶ std dev vector  $\mathbf{q} = \begin{bmatrix} q_x \\ q_a \end{bmatrix}$  and covariance matrix  $\mathbf{Q}$
- ▶ Landmark measurement  $\mathbf{Y}_i = \begin{bmatrix} d_i \\ a_i \end{bmatrix}$
- ▶ Measurement noise:
  - ▶ std dev vector  $\mathbf{s} = \begin{bmatrix} s_d \\ s_a \end{bmatrix}$  and covariance matrix  $\mathbf{S}$

# Simulator

`sim_simulate_one_step()` perform one step of simulation. It is already used where it should be called. Do NOT use it again!

Interface functions:

- ▶ `sim_get_control_signal()` → recover the current control signal  $\mathbf{U}$
- ▶ `sim_get_lmk_measurement(i)` → recover measurement  $\mathbf{Y}_i$  to landmark  $i$
- ▶ `sim_get_initial_robot_pose()` → recover the initial pose of the robot