

### DIGITAL SIGNAL PROCESSING LAB Lab sheet. No: 02

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## **QUESTION 1**

#### Aim:

To find convolution of two finite sequences:

X1 = [4263815]

X2 = [386967]

## **Short Theory:**

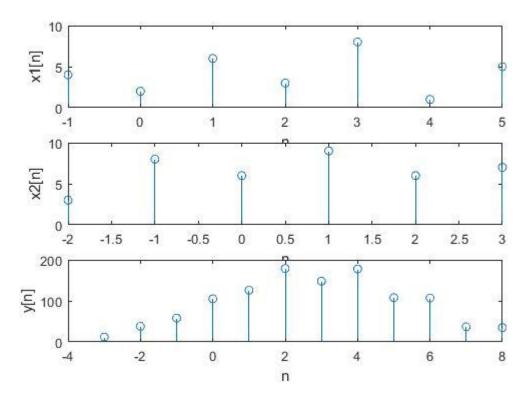
Here we need to find and plot the discrete time convolution of X1 and X2 using conv() in MATLAB.

## **Key Commands:**

- conv()
- subplot()
- stem
- xlabel()
- ylabel()
- suptitle()

#### **Result:**

#### Convolution of discrete sequences



#### **Inferences/comments:**

- Therefore convolution of two discrete sequences can be easily found using conv() in MATLAB.
- Even though conv gives the desired output the range of time for convoluted signal must be provided by the user.

## **QUESTION 2**

#### Aim:

To find auto correlations and cross correlation of the sequences

$$X1 = [4263815]$$

$$X2 = [386967]$$

## **Short Theory:**

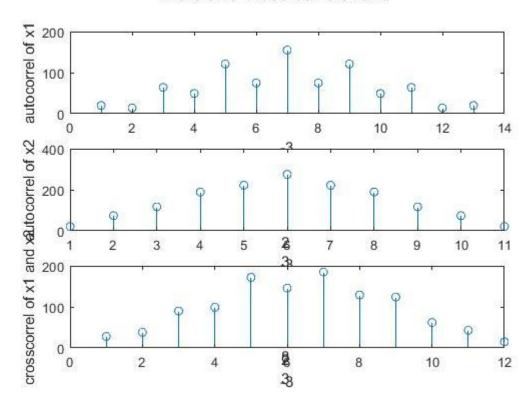
Here we need to find the auto correlations and cross correlation of the signals X1 and X2 as mentioned in the question.

# **Key Commands:**

- flip()
- conv()
- stem()
- title()
- xlabel()
- ylabel()
- suptitle()

# **Result:**

## Auto and cross correlations



## **Inferences/comments:**

# **QUESTION 3**

#### Aim:

To generate exponentially growing and decaying complex signal.

## **Short Theory:**

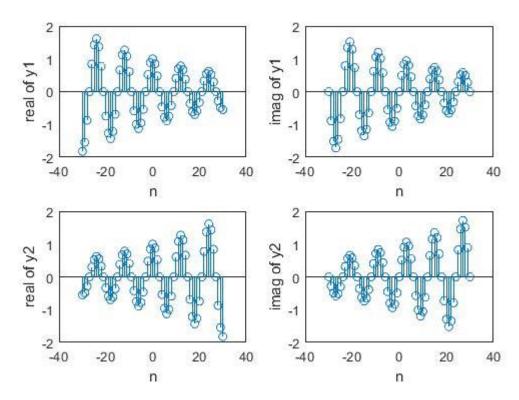
- a) To generate exponentially decaying signal we define real of z as a positive number
- b) To generate exponentially decaying signal we define real of z as a negative number

## **Key Commands:**

- exp()
- stem()
- real()
- imag()
- subplot()
- xlabel()
- ylabel()
- suptitle()

#### **Result:**

## Exponentially growing and decaying signals



#### **Inferences/comments:**

- Real part of z as a positive number generates exponentially growing sequence
- Real part of z as a negative number generates exponentially decaying sequence

# **QUESTION 4**

## Aim:

To find the impulse response of the differential equation y[n] = ay[n-1]+x[n]

## **Short Theory:**

y = filter(b,a,X)

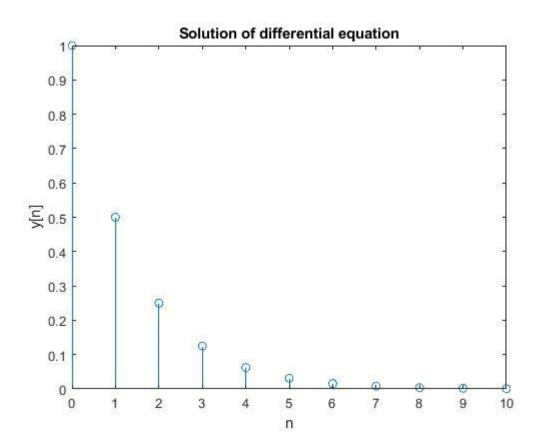
$$Y(z) = \frac{b(1) + b(2)z^{-1} + \ldots + b(nb+1)z^{-nb}}{1 + a(2)z^{-1} + \ldots + a(na+1)z^{-na}}X(z)$$

Here b is the row vector of the numerator coefficients while a is that of denominator.

## **Key Commands:**

- filter()
- stem()
- title()
- xlabel()
- ylabel()

#### **Result:**



#### **Inferences/comments:**

- We need to first find the impulse response in frequency domain to know the numerator and denominator coefficients
- We can directly apply the filter to the data through x vector.

## **QUESTION 5**

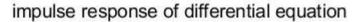
#### Aim:

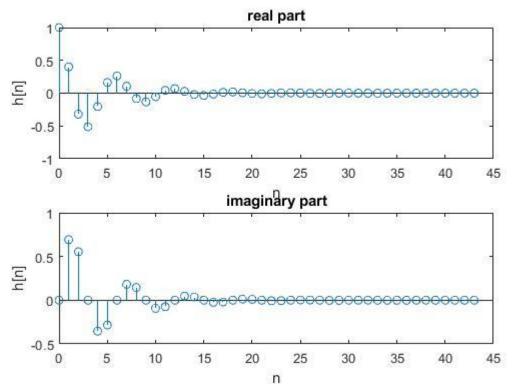
# **Short Theory:**

## **Key Commands:**

- exp()
- impz()
- stem()
- imag()
- real()
- subplot()
- title()
- xlabel()
- ylabel()
- suptitle()

#### **Result:**





#### **Inferences/comments:**

## **QUESTION 6**

#### Aim:

To generate the impulse response of the difference equation  $y[n] = 1.8 \cos(\pi/16) \ y[n-1] + 0.81 \ y[n-2] = x[n] + 0.5 \ x[n-1]$ 

## **Short Theory:**

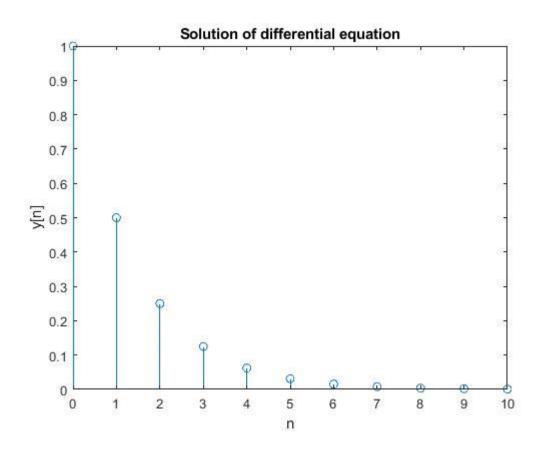
We need to use filter command to find the impulse response of the difference equation. But before doing that we need to find H(z) as we did in the above question.

# **Key Commands:**

• cos()

- filter()
- stem()
- xlabel()
- ylabel()
- title()

## **Result:**



## **Inferences/comments:**

 The impulse response of the difference equation is a decaying signal, it is also causal and stable.