

**Prelab:**

**Question 1**

**Aim:**

To use MATLAB to plot pole-zero map of the given signal and list the possible ROC's for left sided, right sided and two sided signal

**Short Theory;**

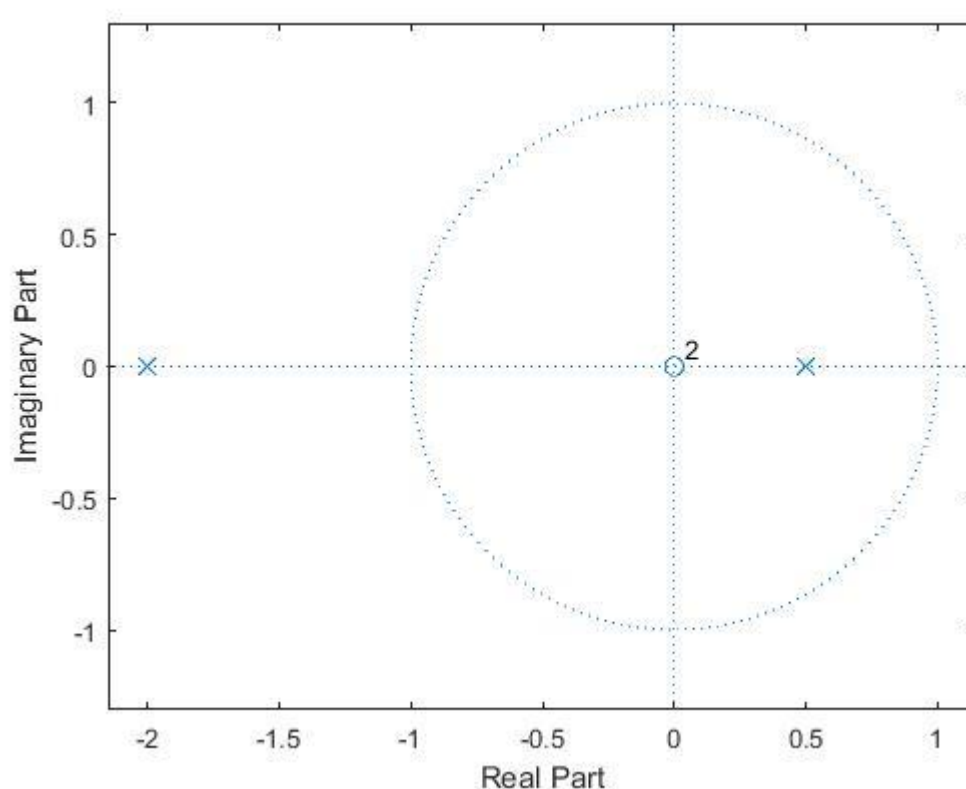
We use zplane function to plot the pole-zero plot of the given signal.

**Key Commands:**

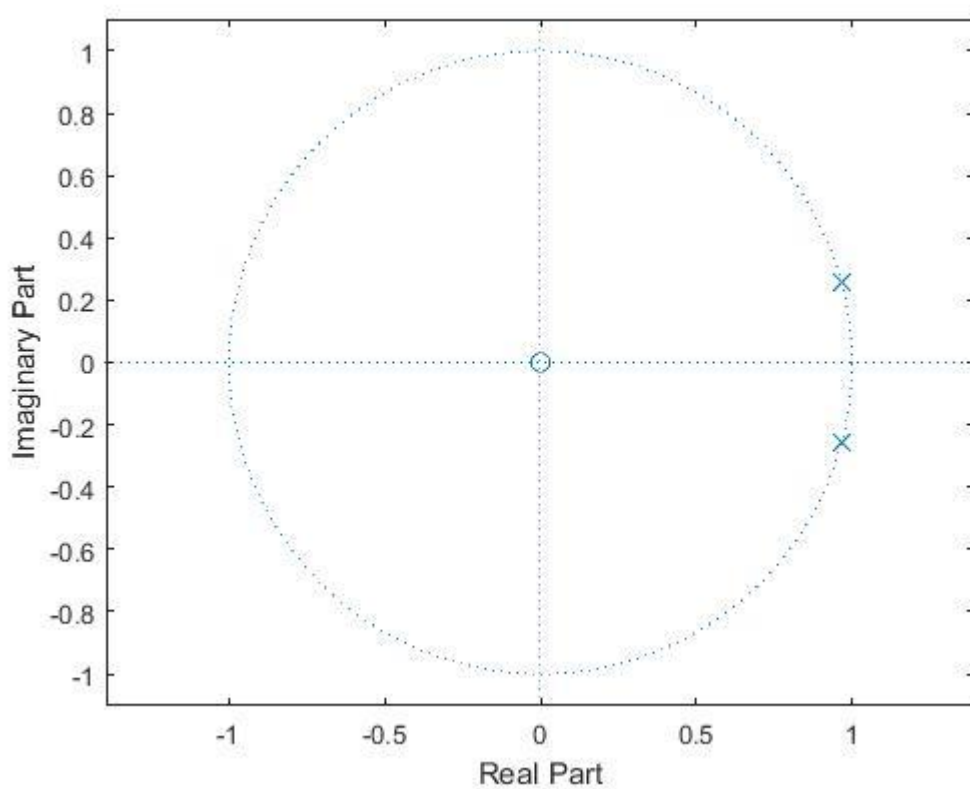
- zplane()

**Results:**

For first  $X(z)$



**For second X(z)**



**Comments/Inferences:**

For first X(z) the ROC's are as follows:

- Left sided function :  $|z| < 0.5$
- Two sided function :  $0.5 <= |z| <= 2$
- Right sided function:  $|z| > 2$

For second X(z) the ROC's are as follows:

- Left side function:  $|z| < 1$
- Right sided function:  $|z| > 1$
- Two sided function: Does not exist

## Question 2

### Aim:

- To find  $H(z)$  and find the region of convergence.
- To write the difference equation satisfied by the given input and output and to find whether the system is stable or casual or both.

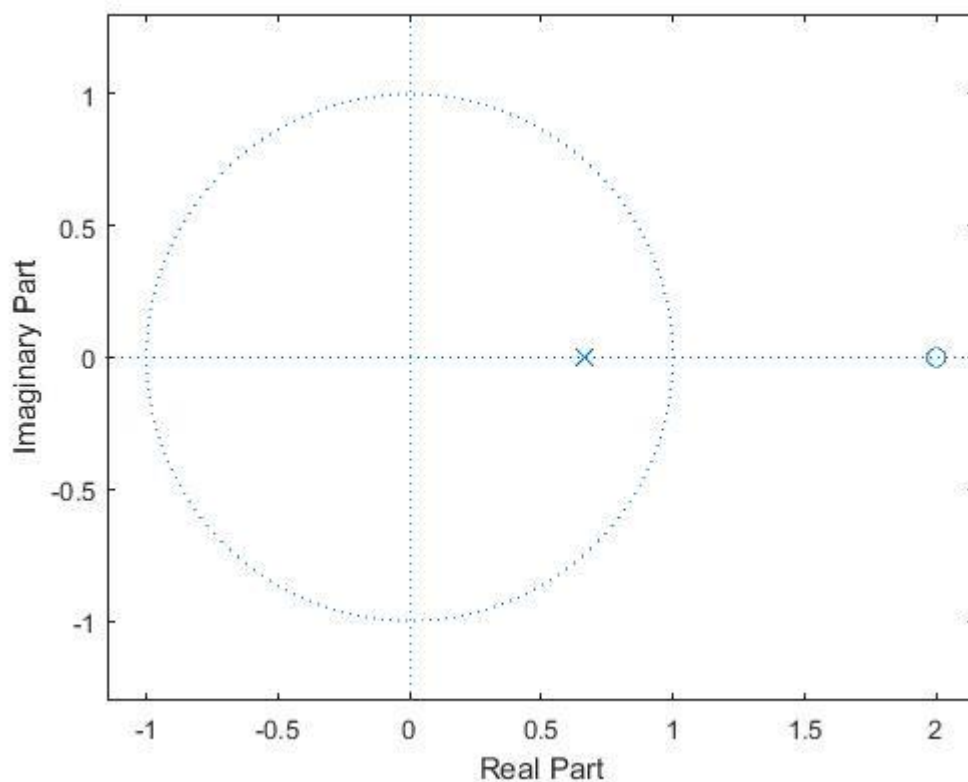
### Short Theory:

The z transform of  $a^n u[n]$  is  $1/(z-a)$

### Key Commands:

- `zplane()`

### Results:



### Comments/Inference:

- The difference equation is  $y[n] - 0.66y[n-1] = x[n] - 2x[n-1]$ .
- The ROC is  $|z| > 0.666$
- The system is both stable and causal

## **Lab Exercises:**

### **Question 1**

#### **Aim:**

- To find the impulse response of the difference equation using `impz` function.
- To modify the program to generate the first 40 samples of the impulse response of the given difference equation.
- To generate the impulse response of the system using `filter` function for the first 40 samples and compare the response with previous response
- To write matlab program to generate the step response for the first 40 samples

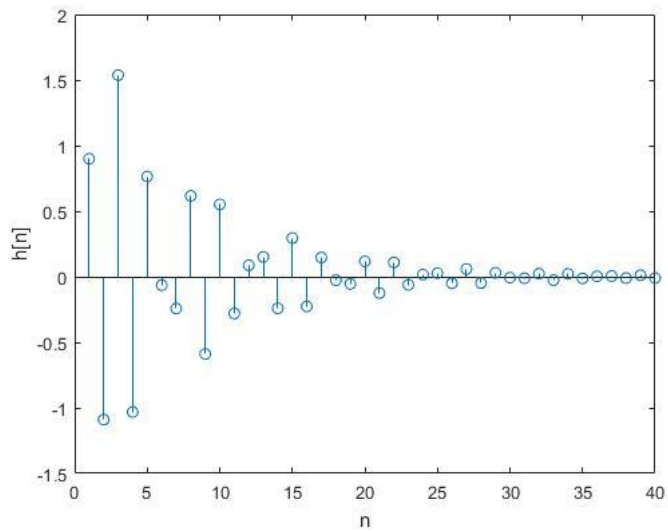
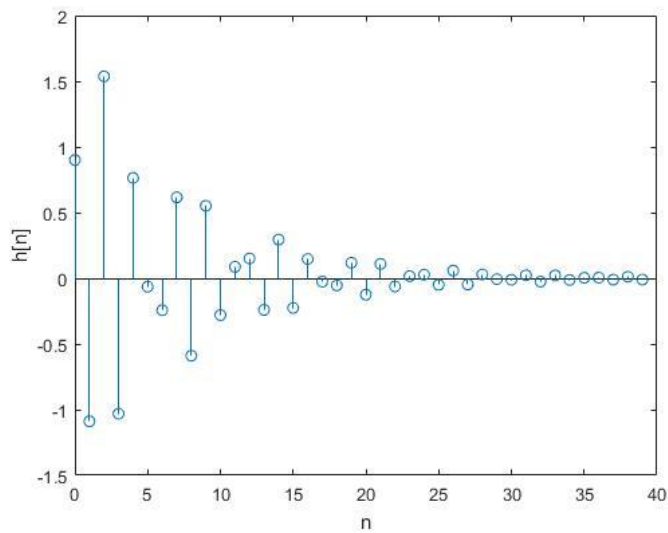
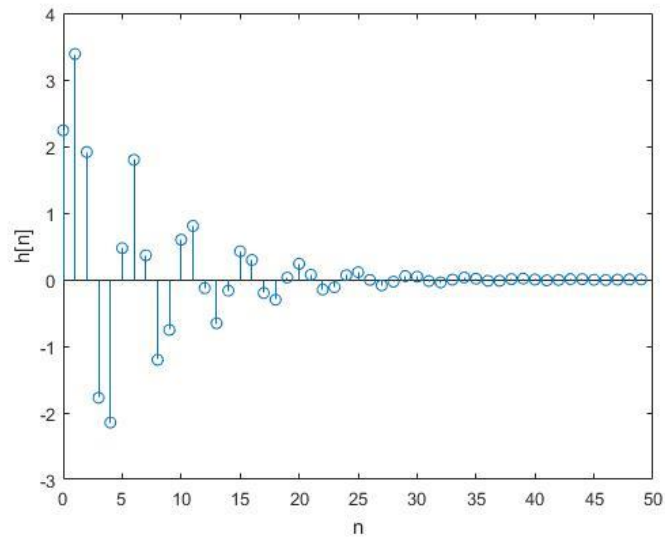
#### **Short Theory:**

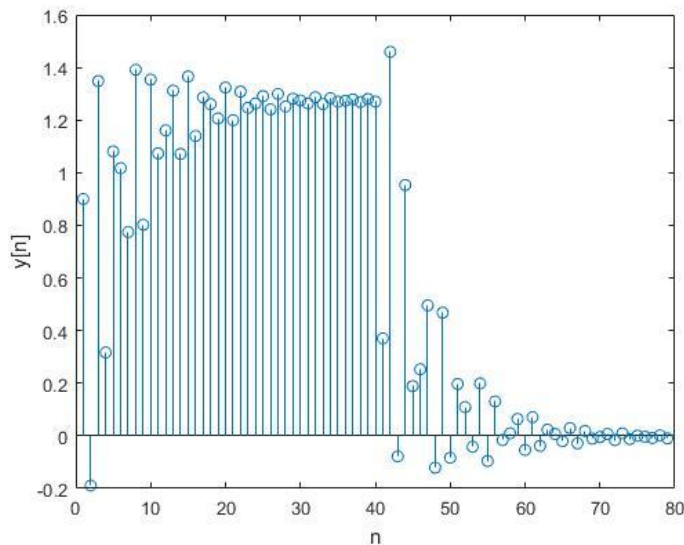
- a) By giving the numerator and denominator coefficients to the `impz` function we get the impulse response of the transfer function.
- b) By mention the number of samples in the `impz` function we get impulse response based on the number of samples specified
- c) In `filter` command by mentioning the transfer coefficients and the function to which the function is to be applied we get the output
- d) By using `conv` function we find the output of unit step signal and impulse response.

#### **Key Commands:**

- `impz(b,a,50)`
- `filter(b,a,x)`
- `conv(u,v)`

## Result:





### Inferences/comments:

- We therefore find that the response of 1b matches exactly as that of 1c.

## Question 2

### Aim:

To use ztrans to find z transform of  $a^n u[n]$ , and to find inverse z-transform using iztrans to verify the results.

### Short Theory:

We symbs to declare n a and z as variables by doing so we define the function in terms of a and n. Then we apply ztrans and iztrans to verify the results

### Key Commands:

- $y = \text{ztrans}(f, z)$
- $f1 = \text{iztrans}(y)$

### Results:

We get

- $y = -z / (a - z)$

- $\text{piecewise}(a == 0, \text{kronackerDelta}(n, 0), a \neq 0, a * (a^n/a - \text{kronackerDelta}(n, 0)/a) + \text{kronackerDelta}(n, 0))$

### **Comments/Inference:**

We find both  $f$  and  $f1$  are the same function

## **Question 3**

### **Aim:**

To determine  $X_3 = X_1 * X_2$  For given  $X_1$  and  $X_2$  and find theoretically find  $y[n]$  and verify the results

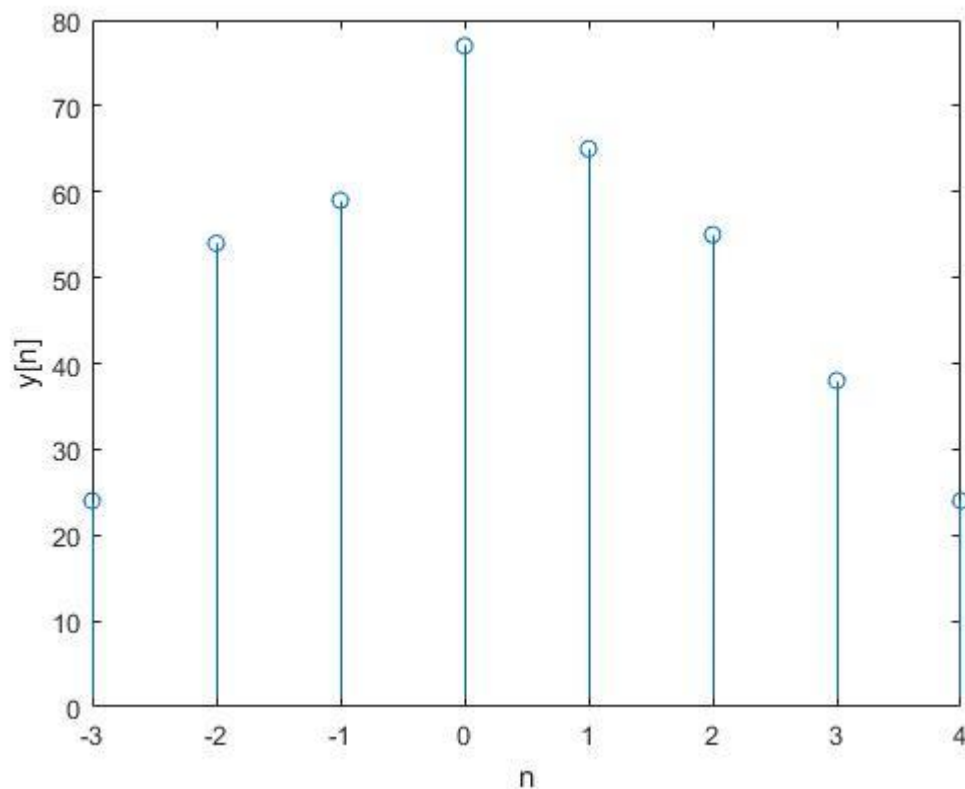
### **Short Theory:**

For given  $X_1$  and  $X_2$  we find  $x_1[n]$  and  $x_2[n]$  and then use conv function to find  $y[n]$ . Theoretically we find  $X_3$  and then find the inverse z transform to verify the results.

### **Key Commands:**

- `conv(x1,x2)`
- `iztrans(f3)`

### **Results:**



### Comments/Inferences:

- We find both  $y[n]$  and the inverse z transform of  $X_3$  are same.

## Question 4

### Aim:

- To find the pole zero maps of  $H(z)$ ,  $X(z)$  and  $Y(z)$
- Plot impulse response  $h[n]$
- Plot the output signal  $y[n]$

### Short Theory:

We use `zplane(b,a)` to plot zero maps of the transfer function. And then we use `impz()` to find the inverse z transform of the transfer functions

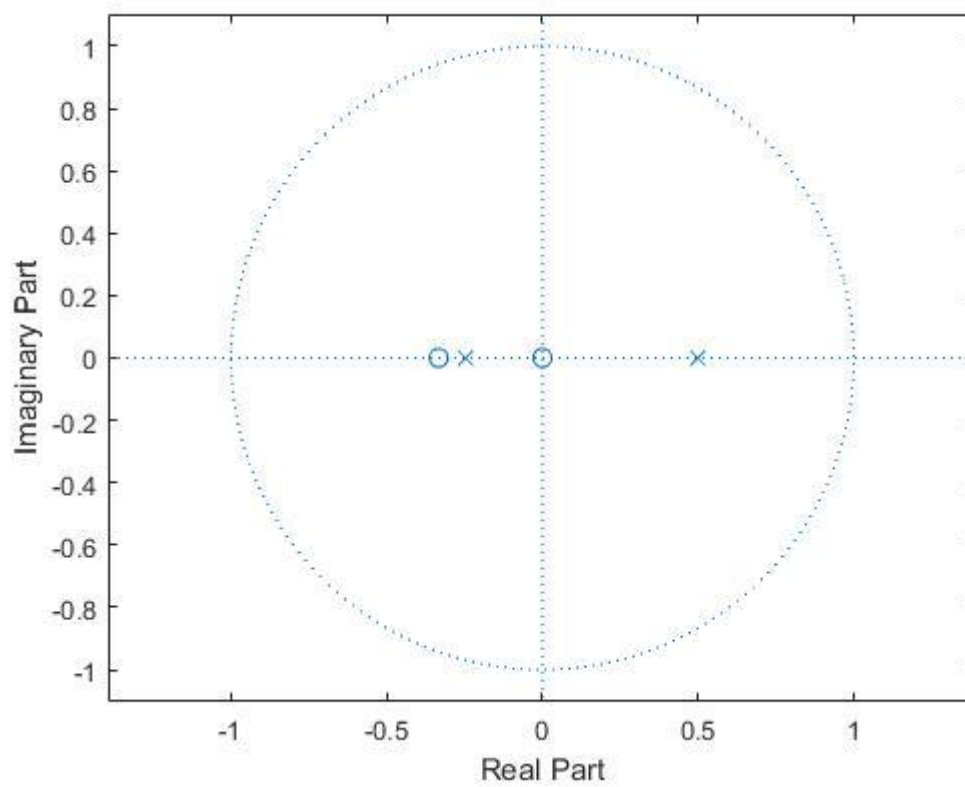
### Key Commands:

- `impz(b,a)`
- `zplane(b,a)`

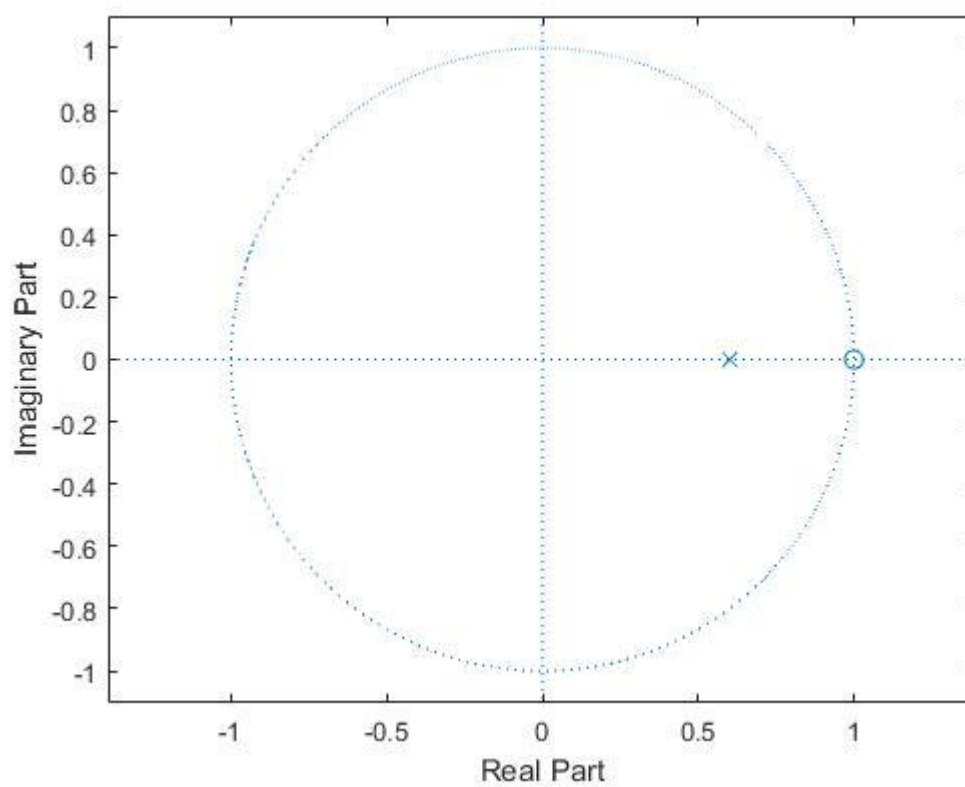


**Result:**

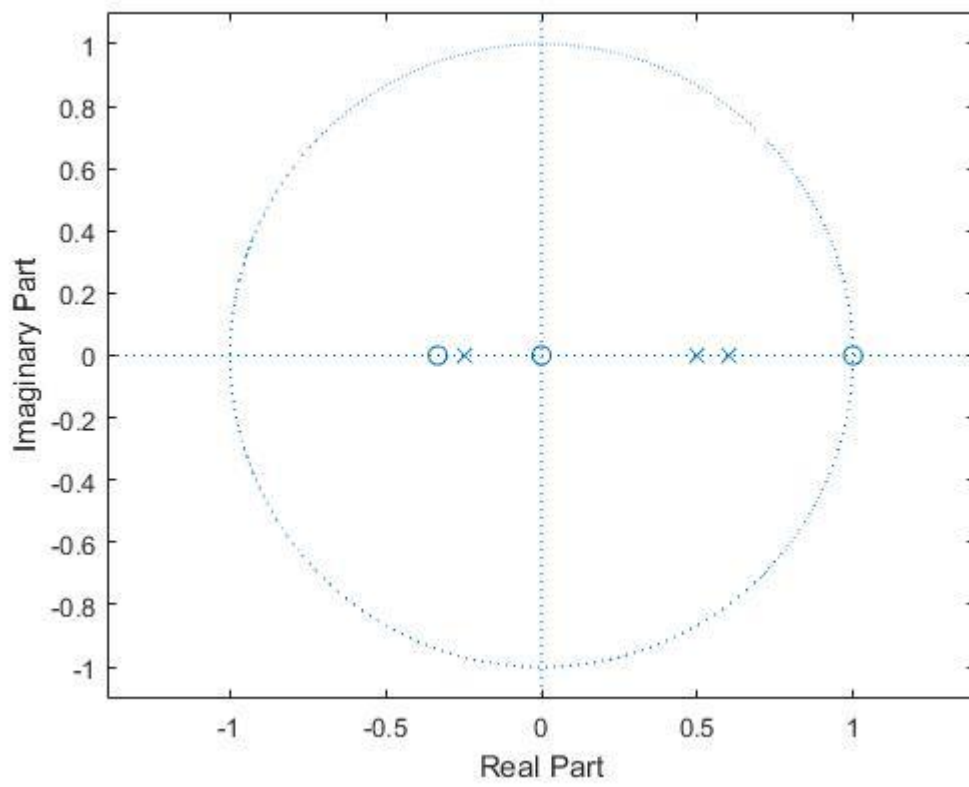
**Zplane of X**



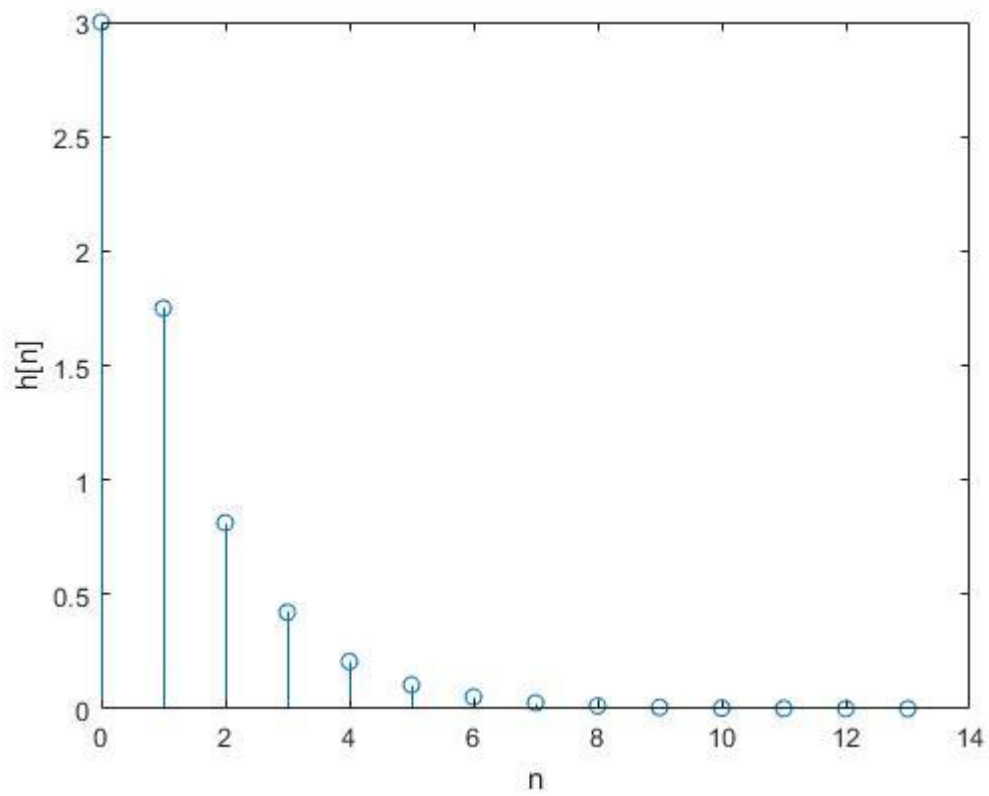
**Zplane of H**



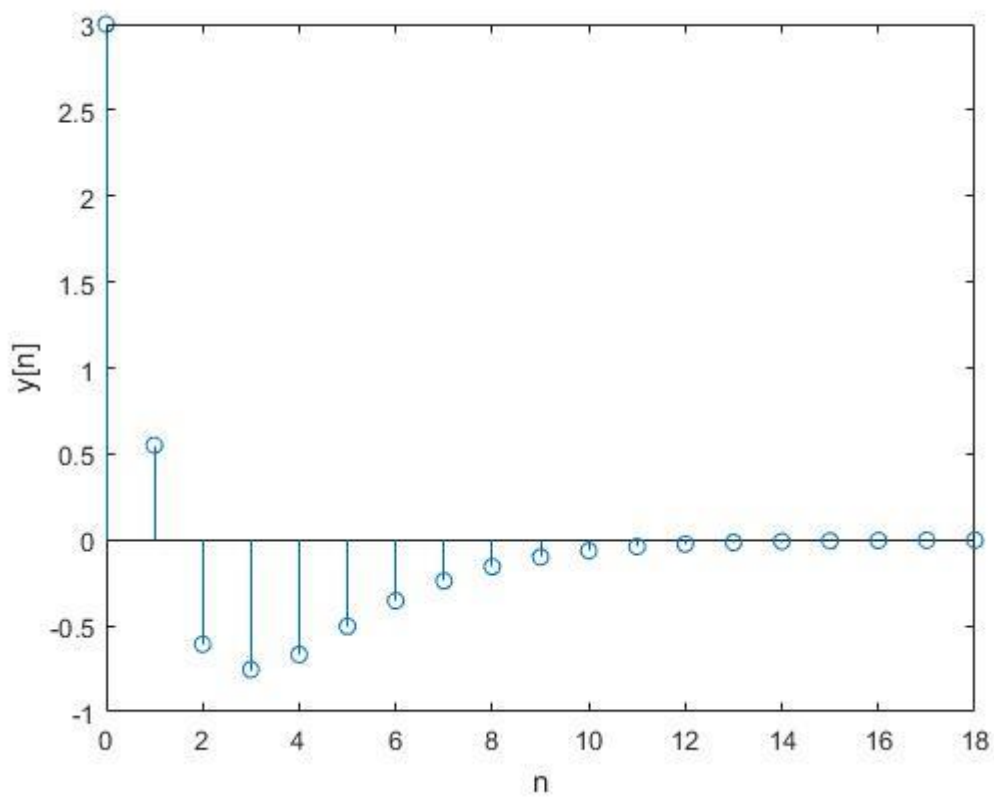
### Zplane of Y



### Impulse Response $h[n]$



**Output  $y[n]$**



**Comments/Inferences:**

- We find that the  $Y(z)$  has the all the poles and zeros of  $X(z)$  and  $H(z)$ .

**Question 5****Aim:**

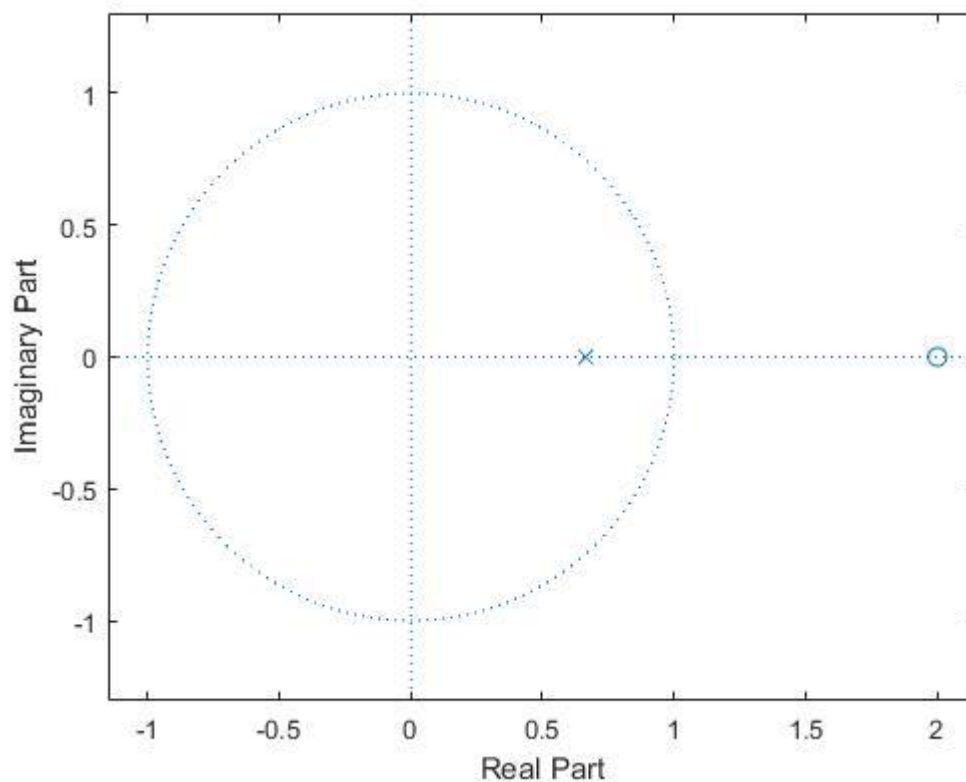
To plot the pole zero map of the transfer function  $H(z)$  discussed in prelab(2). We also need to plot  $h[n]$ ,  $x[n]$  and the output signal.

**Short Theory:**

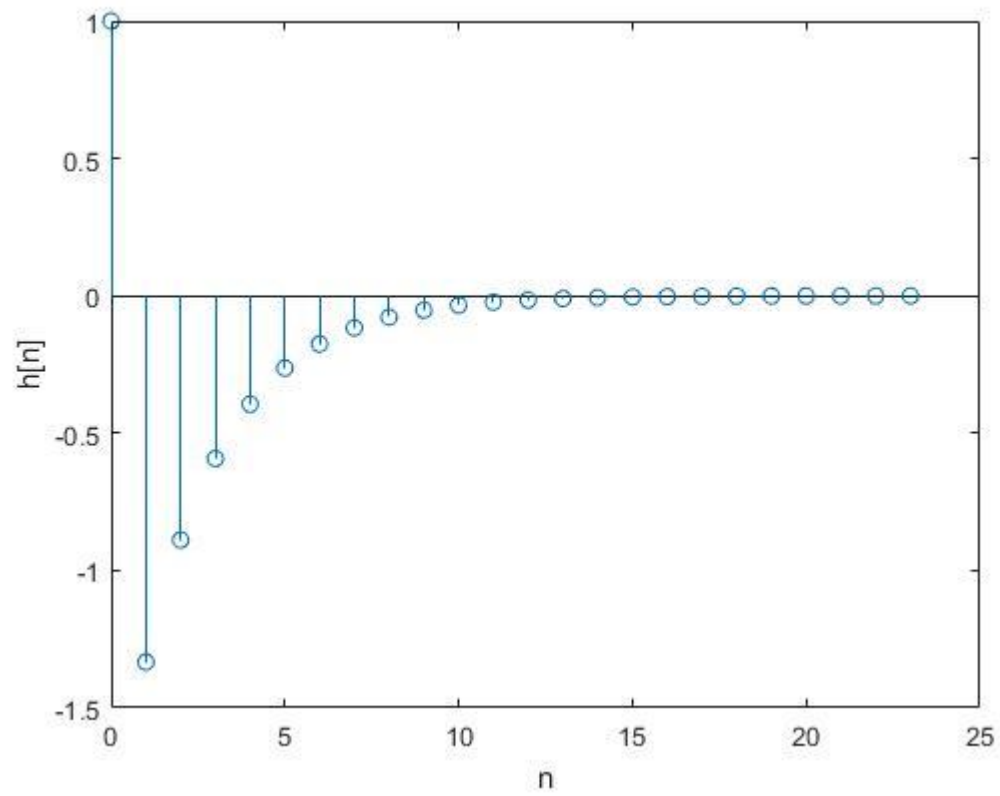
We use `impz` function to find the signals from transfer function. And use `zplane()` to plot the pole zero plot of the transfer function.

**Key Commands:**

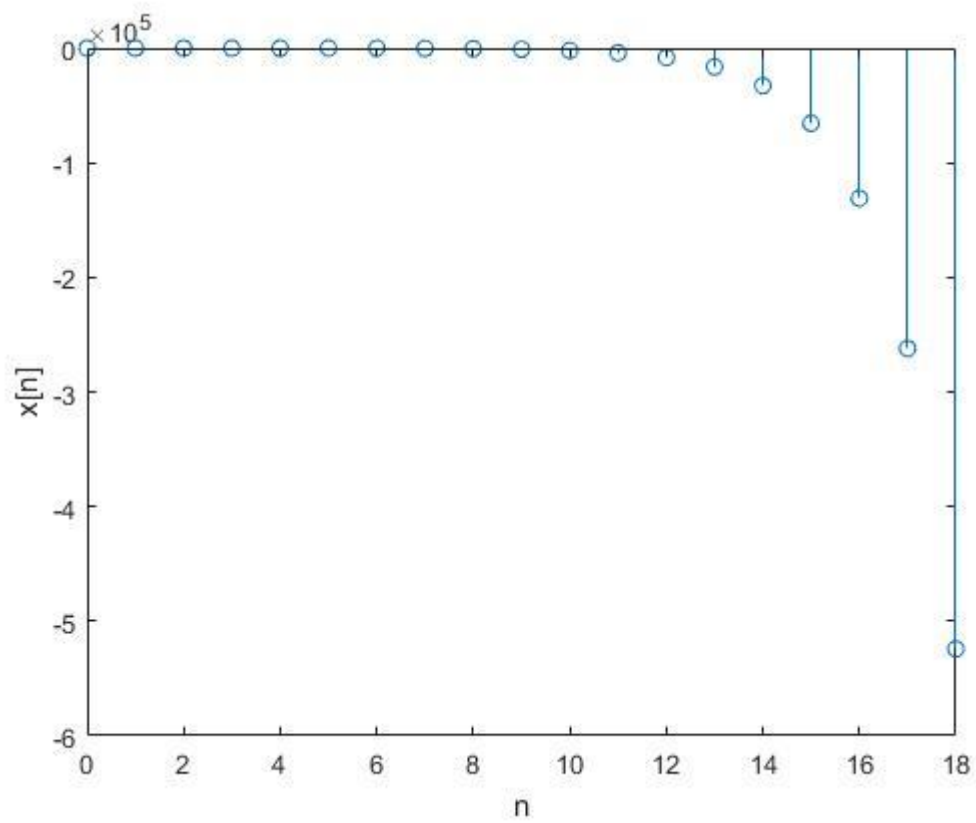
- `impz(b,a)`

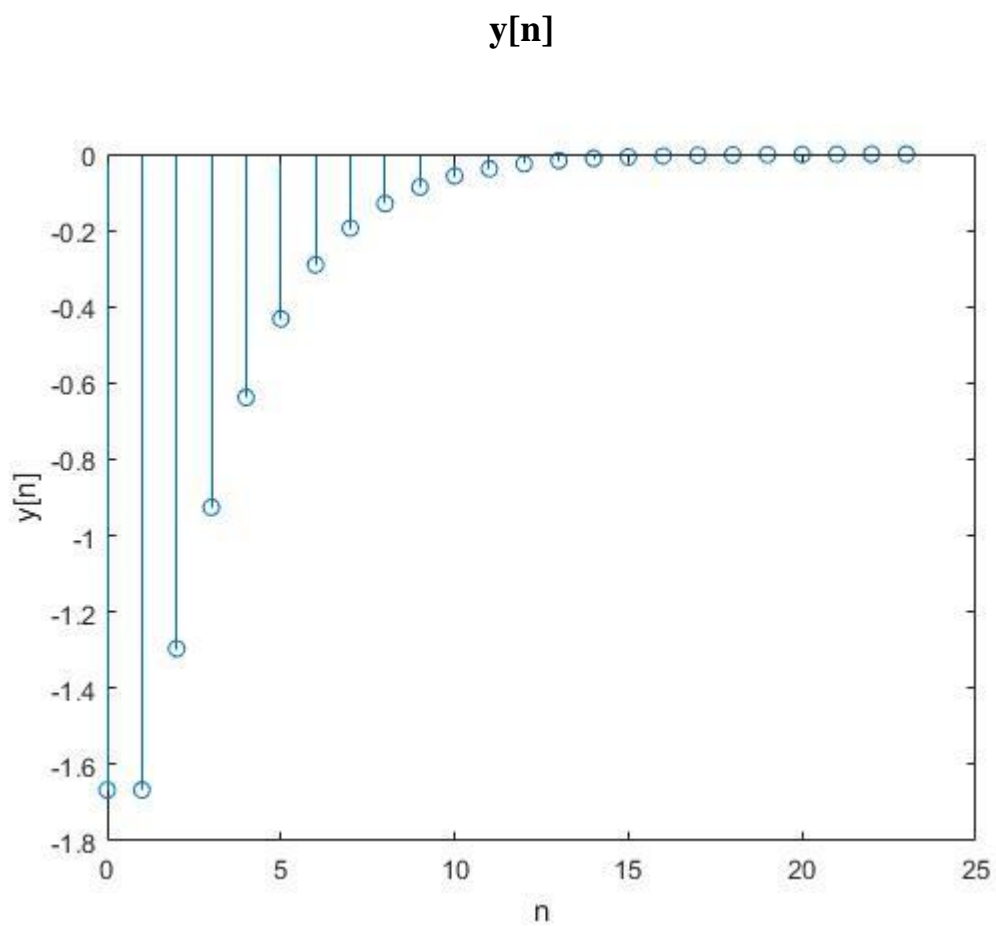
**Results:****Zplane of  $H(z)$** 

**$h[n]$**



**$x[n]$**





**Comments/Inferences:**

We therefore plot the pole zero plots and the functions successfully.