

```

format short
% problem1
%(a)
disp('problem1')
v = [-3;3];
A = [cos(pi/5) -sin(pi/5); sin(pi/5) cos(pi/5)];
A*v;
disp('a) The answer is :')
disp(A*v)
%(b)
B = [cos(pi/13) -sin(pi/13);sin(pi/13) cos(pi/13)];
A*B;
B*A;
disp('b) We can see that A*B is equal to B*A')
disp('A*B')
disp(A*B)
disp('B*A')
disp(B*A)
%(c)
disp('c) Rotation matrices satisfy commutative property. That is order of rotation does not matters,end result is the same')
%(d)
C = A*B;
t = acos(C(1,1));
format rat
t/pi;
disp('d) t/pi = ')
disp(t/pi)
%(e)
format short
D = inv(A);
R5 = [cos(-pi/5) -sin(-pi/5);sin(-pi/5) cos(-pi/5)];
disp('e) We can see that A^-1 is equal to R_-pi/5')
disp('A^-1')
disp(D)
disp('R_-pi/5')
disp(R5)
%(f)
L0 = [1 0;0 -1];
L5 = A*L0*R5;
disp('f) The reflection of line thru origin making angle pi/5 is')
disp(L5)
%(g)
L = L0*L5;
M = L5*L0;
disp('g) The composition L_0 L_pi/5 is not commutative')
disp('L_0 L_pi/5')
disp(L)
disp('L_pi/5 L_0')
disp(M)
%(h)
t = acos(M(1,1));
format rat
n = t/pi;
disp('h) The angle of rotation of composition of L_pi/5 L_0 is')
disp(n*pi)
%problem2
disp('problem2')
format rat
A = [8 1 2;1 2 2;4 1 3];
%(a)
M = [A eye(3)];
N = rref(M);
X = N(:,4:6);
disp('a)A^-1 =')
disp(X)
%(b)
inv(A)
disp('(b)')
disp(inv(A))
%problem3
disp('problem3')
A=[6 17 0 11;0 1 4 3;0 0 -5 -1;0 0 0 2];
B=[3 3 1 -1;3 1 2 0;1 3 -1 1;0 -1 0 1];
Z = det(B);
disp('a) The determinant of A is')
disp(Z)
disp(' The determinant of B is')
disp(Z)
%(b)
disp('b)The matrix A is upper triangular matrix,hence determinant can easily be calculated without using MATLAB. The operation is : 6*1*(-5)*2=')
disp(6*1*-5*2)
%(c)
C = A*B;
det(C);
disp('(c)C=')
disp(C)
disp(' det(C)=')
disp(det(C))

```

```

%(d)
disp('d) Since C is prodeuct of upper triangular matrix A with B, the determinant can be calculated by product of determinant of A and B:-6*-60')
disp(-6*-60)
%problem4
disp('problem4')
format rat
A=[-1 1 7 0;4 0 6 -1;1 8 0 2;1 8 2 5];
%(a)
disp('a)det(A)')
disp(det(A))
%(b)
disp('b)i.det(B)=-868')
disp(' ii.det(C)=1736')
disp(' iii.det(D)=868')
%(c)
B=A;
temp=B(1,:);
B(1,:)=B(3,:);
B(3,:)=temp;
disp('B=')
disp(B)
C=A;
C(4,:)=2*C(4,:);
disp('C=')
disp(C)
D=A;
D(4,:)=D(4,:)-D(3,:);
disp('D=')
disp(D)
%(d)
disp('det(B)')
disp(det(B))
disp('det(C)')
disp(det(C))
disp('det(D)')
disp(det(D))
%problem5
disp('problem5')
%(a)
syms a b c d;
A = [a b;c d]
disp('A=')
disp(A)
%(b)
inv(A);
disp('A^-1=')
disp(inv(A))
%(c)
syms e f g h i;
B=[a b c;d e f;g h i];
disp('B^-1')
disp(inv(B))
%(d)
disp('adjB=')
disp(inv(B)*det(B))

```

problem1  
(a) The answer is :  
-4.1904  
0.6637

(b) We can see that  $A*B$  is equal to  $B*A$   
 $A*B$   
0.6448    -0.7643  
0.7643    0.6448

$B*A$   
0.6448    -0.7643  
0.7643    0.6448

(c) Rotation matrices satisfy commutative property. That is order of rotation does not matters,end result is the same  
(d)  $t/\pi =$   
18/65

(e) We can see that  $A^{-1}$  is equal to  $R_{-\pi/5}$   
 $A^{-1}$   
0.8090    0.5878  
-0.5878    0.8090

$R_{-\pi/5}$   
0.8090    0.5878  
-0.5878    0.8090

(f) The reflection of line thru origin making angle  $\pi/5$  is  
0.3090    0.9511  
0.9511    -0.3090

(g) The composition  $L_0 L_{\pi/5}$  is not commutative

```
L_0 L_pi/5
0.3090    0.9511
-0.9511    0.3090
```

```
L_pi/5 L_0
0.3090   -0.9511
0.9511    0.3090
```

(h) The angle of rotation of composition of  $L_{\pi/5} L_0$  is  
142/113

problem2

```
(a) A^-1 =
    4/23    -1/23    -2/23
    5/23    16/23   -14/23
   -7/23    -4/23    15/23
```

ans =

```
    4/23    -1/23    -2/23
    5/23    16/23   -14/23
   -7/23    -4/23    15/23
```

(b)

```
    4/23    -1/23    -2/23
    5/23    16/23   -14/23
   -7/23    -4/23    15/23
```

problem3

(a) The determinant of A is  
-60

The determinant of B is  
-6

(b) The matrix A is upper triangular matrix, hence determinant can easily be calculated without using MATLAB. The operation is :  $6 \times 1 \times (-5) \times 2 = -60$

(c) C=

```
    69    24    40    5
     7    10    -2    7
    -5   -14     5   -6
     0    -2     0    2
```

det(C)=  
360

(d) Since C is product of upper triangular matrix A with B, the determinant can be calculated by product of determinant of A and B:  $-6 \times -60 = 360$

problem4

(a) det(A)  
868

(b) i. det(B) = -868

ii. det(C) = 1736

iii. det(D) = 868

B=

```
     1     8     0     2
     4     0     6    -1
    -1     1     7     0
     1     8     2     5
```

C=

```
    -1     1     7     0
     4     0     6    -1
     1     8     0     2
     2    16     4    10
```

D=

```
    -1     1     7     0
     4     0     6    -1
     1     8     0     2
     0     0     2     3
```

det(B)  
-868

det(C)  
1736

det(D)  
868

problem5

A =

[ a, b]

```
[ c, d]
```

```
A=
```

```
[ a, b]
```

```
[ c, d]
```

```
A^-1=
```

```
[ d/(a*d - b*c), -b/(a*d - b*c)]
```

```
[ -c/(a*d - b*c), a/(a*d - b*c)]
```

```
B^-1
```

```
[ (e*i - f*h)/(a*e*i - a*f*h - b*d*i + b*f*g + c*d*h - c*e*g), -(b*i - c*h)/(a*e*i - a*f*h - b*d*i + b*f*g + c*d*h - c*e*g), (b*f - c*e)/(a*e*i - a*f*h - b*d*i + b*f*g + c*d*h - c*e*g),
```

```
[ -(d*i - f*g)/(a*e*i - a*f*h - b*d*i + b*f*g + c*d*h - c*e*g), (a*i - c*g)/(a*e*i - a*f*h - b*d*i + b*f*g + c*d*h - c*e*g), -(a*f - c*d)/(a*e*i - a*f*h - b*d*i + b*f*g + c*d*h - c*e*g),
```

```
[ (d*h - e*g)/(a*e*i - a*f*h - b*d*i + b*f*g + c*d*h - c*e*g), -(a*h - b*g)/(a*e*i - a*f*h - b*d*i + b*f*g + c*d*h - c*e*g), (a*e - b*d)/(a*e*i - a*f*h - b*d*i + b*f*g + c*d*h - c*e*g)]
```

```
adjB=
```

```
[ e*i - f*h, c*h - b*i, b*f - c*e]
```

```
[ f*g - d*i, a*i - c*g, c*d - a*f]
```

```
[ d*h - e*g, b*g - a*h, a*e - b*d]
```