## Cosine similarity

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 $\frac{https://blog.exploratory.io/demystifying-text-analytics-finding-similar-documents-with-cosine-similarity-e7b9e5b8e515$ 

## Jaccard similarity

Jaccard similarity is a simple but intuitive measure of similarity between two sets.

 $J(doc_1,doc_2) = doc_1 \cap doc_2 doc_1 \cup doc_2 J(doc_1,doc_2) = doc_1 \cap doc_2 doc_1 \cup doc_2 J(doc_1,doc_2) = doc_1 \cap doc_2 J$ 

For documents we measure it as proportion of number of common words to number of unique words in both documets. In the field of NLP *jaccard similarity* can be particularly useful for duplicates detection. *text2vec* however provides generic efficient realization which can be used in many other applications.

For calculation of *jaccard similarity* between 2 sets of documents user have to provide DTM for each them (DTMs should be in the same vector space!):

From <a href="http://text2vec.org/similarity.html">http://text2vec.org/similarity.html</a>

## Cosine similarity

Classical approach from computational linguistics is to measure similarity based on the content overlap between documents. For this we will represent documents as bag-of-words, so each document will be a sparse vector. And define measure of overlap as angle between vectors:

similarity( $doc_1, doc_2$ )= $cos(\theta)$ = $doc_1 doc_2 | doc_1 | | doc_2$ 

 $|\sin(\theta)| = \sin(\theta) = \cos(\theta) = \cos(\theta)$ 

By cosine distance/dissimilarity we assume following:

 $distance(doc_1,doc_2)=1-similarity(doc_1,doc_2)distance(doc_1,doc_2)=1-similarity(doc_1,doc_2)$ 

It is important to note, however, that this is not a proper distance metric in a mathematical sense as it does not have the triangle inequality property and it violates the coincidence axiom.

Calculation of cosine similarity is similar to jaccard similarity:

From < <a href="http://text2vec.org/similarity.html">http://text2vec.org/similarity.html</a>>