

Hochiminh City University of Technology
Computer Science and Engineering
[CO1027] - Fundamentals of C++ Programming

## Recursive

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Credits: 3

### Outcomes

- \* Understand recursive algorithms
- \* Declare and implement recursive functions

# Outline

\* Recursion

- Problem solving methods
  - \* Principle: divide the big problem into smaller problems
- \* Recursivity is a property that function have to be called by themselves.
  - \* Principle: define the solution of big problem using the solution of smaller problems. A set of base solution must be defined

- \* Factorial function: f(n) = n!
  - \* 0! = 1
  - \* f(n) = f(n 1) \* n
- \* Fibonacci sequence is defined as follows
  - \* F(1) = F(2) = 1
  - F(n) = F(n-1) + F(n-2)

### Recursive termination

- \* A recursive termination is a condition that, when met, will cause the recursive function to stop calling itself.
- \* Factorial function: f(n) = n!
  - \* 0! = 1 (recursive termination)
  - \* f(n) = f(n 1) \* n

# Example

```
#include<iostream>
using namespace std;
int factorial(int n);
int main() {
   cout << factorial(5) << endl;</pre>
   return 0;
int factorial(int n) {
   if (n == 0) return 1;
   return n * factorial(n - 1);
```

# Example

```
#include<iostream>
using namespace std;
int fibonacci(int n);
int main() {
   cout << fibonacci(5) << endl;</pre>
   return 0;
int fibonacci(int n) {
   if (n <= 2) return 1;</pre>
   return fibonacci(n - 1) + fibonacci(n - 2);
```

## Indirect Recursion

```
#include <iostream>
using namespace std;
int fa(int);
int fb(int);
int main() {
    int num = 5;
    cout << fa(num) << endl;</pre>
    return 0;
int fa(int n) {
    if (n <= 1) return 1;</pre>
   else return n * fb(n - 1);
int fb(int n) {
    if (n <= 1) return 1;</pre>
    else return n * fa(n - 1);
```

- \* Type of recursions
  - \* Tail recursion: nothing has to be done after the call return
  - \* Head recursion: the first statement in function is a recursive call
  - \* Middle / multi-recursion
  - \* Mutual recursion: function X and Y are mutually-recursive if function X calls function Y, and function Y in turn call function X. This is called indirect recursion

## Recursion vs. Iteration

### Recursion vs. Iteration

- \* We can always solve a recursive problem iteratively!
- \* Iterative functions are almost always more efficient than their recursive counterparts.
- \* Why do we need recursion?
  - \* much simpler to write
  - \* much cleaner and easier to follow

### When to choose recursion

- \* In general, recursion is a good choice when most of the following are true:
  - □ The recursive code is much simpler to implement.
  - □ The recursion depth can be limited (e.g. there's no way to provide an input that will cause it to recurse down 100,000 levels).
  - □ The iterative version of the algorithm requires managing a stack of data.
  - □ This isn't a performance-critical section of code.

More examples

\* Simple: print a string backward

Classic: Hanoi tower



## Summarise

\* Recursion technique