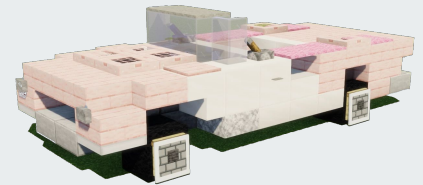


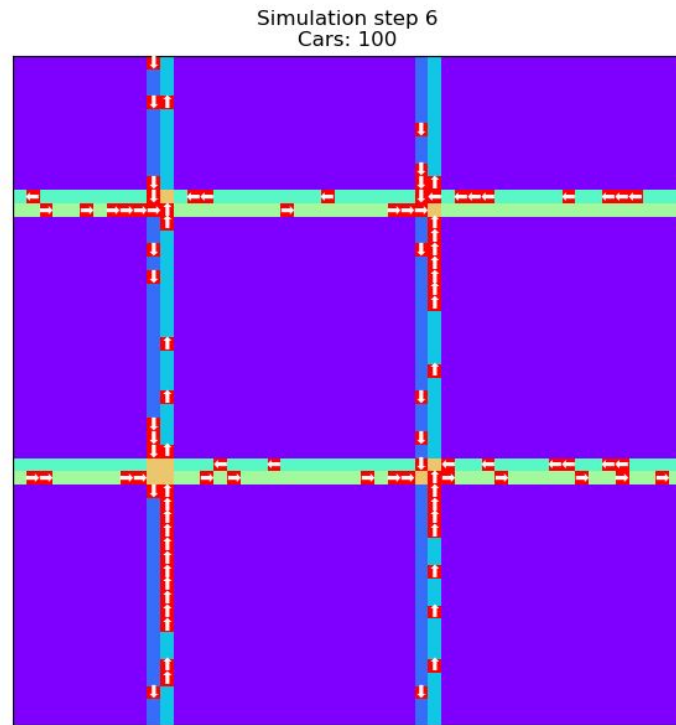
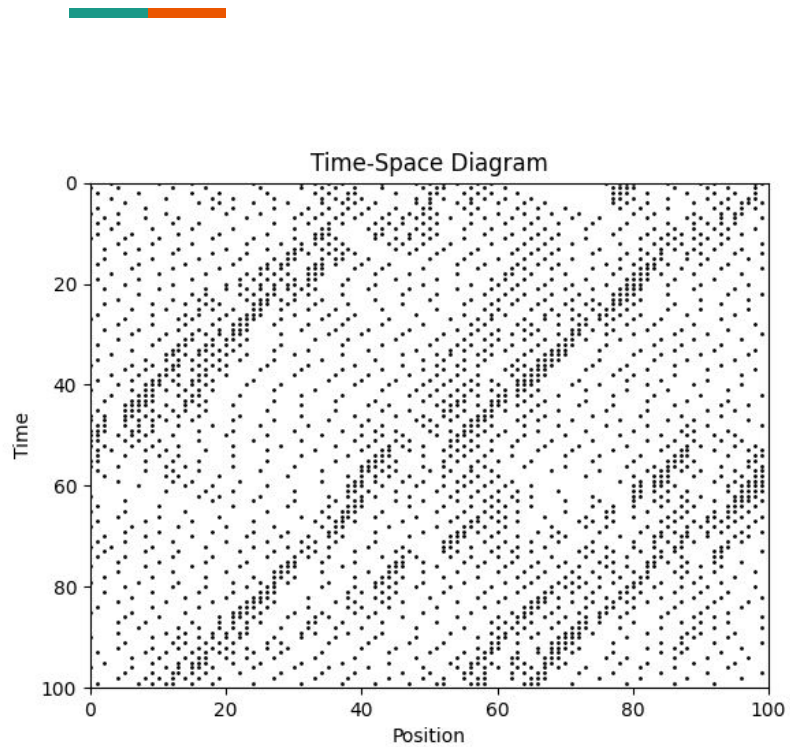


Traffic Flow: An analysis of 1D and 2D systems

Max Bohle, Bart Koedijk, Tycho Stam, & Koen Verlaan



How do traffic **cluster sizes** scale with **increasing vehicle density**, and to what extent do **dimensionality** in a **cellular automata**, and **system parameters** influence the **formation of traffic jams?**



Ho:

- The size of the traffic cluster increases linearly when increasing the cars

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- The size of the traffic cluster increases linearly when increasing the cars
- No difference in emergence can be found between 1D and 2D
- Variations in system parameters do not significantly affect the the formation of traffic jam
 - *Road Length*
 - *Max Speed*
 - *Speed Compliance*

Nagel Schreckenberg / Phantom Traffic Jams

A 1D approach

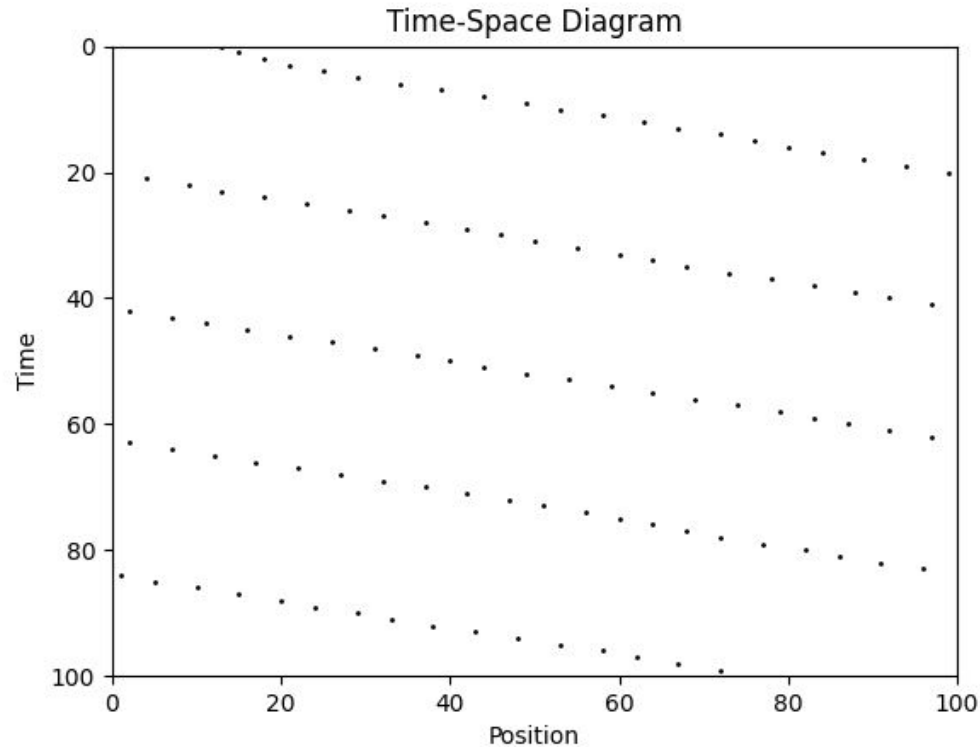




1D traffic model - rules

- Looping 1D road with specified length
- Car occupies single space, moves according to current speed and speed limit
- Cars interact; speed up / slow down according to other cars
- Interaction behavior causes emergence
- Randomization parameter: 30% chance cars will slow down randomly

1D traffic model - logic



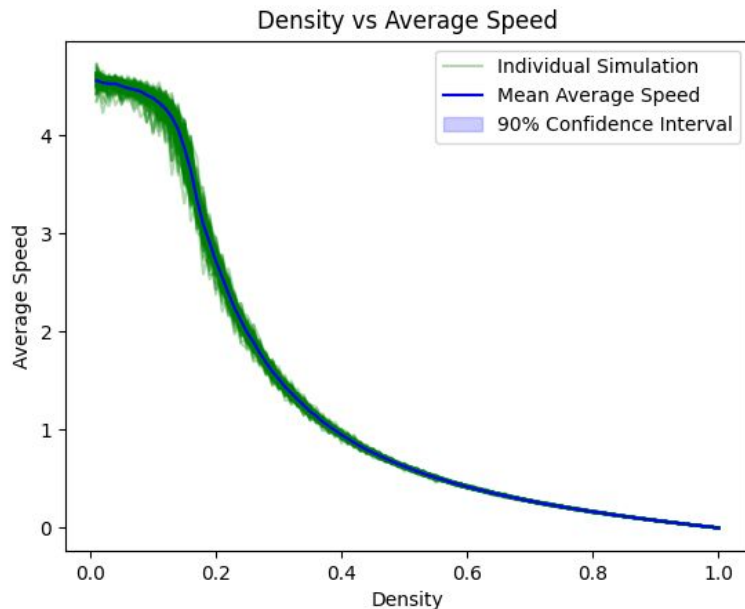
1-90 cars

Wolfram
rule 184

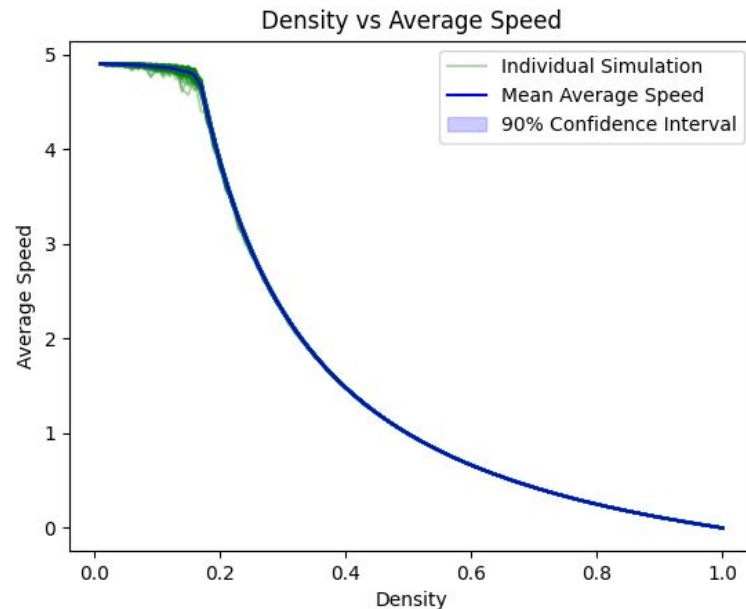
1D Results:

Emergence after ~15% density

randomization



No randomization

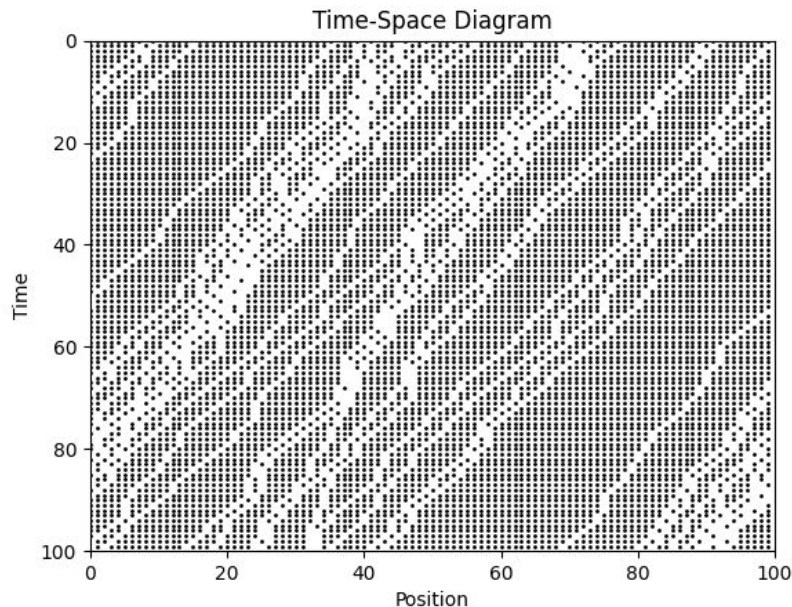


1D Results:

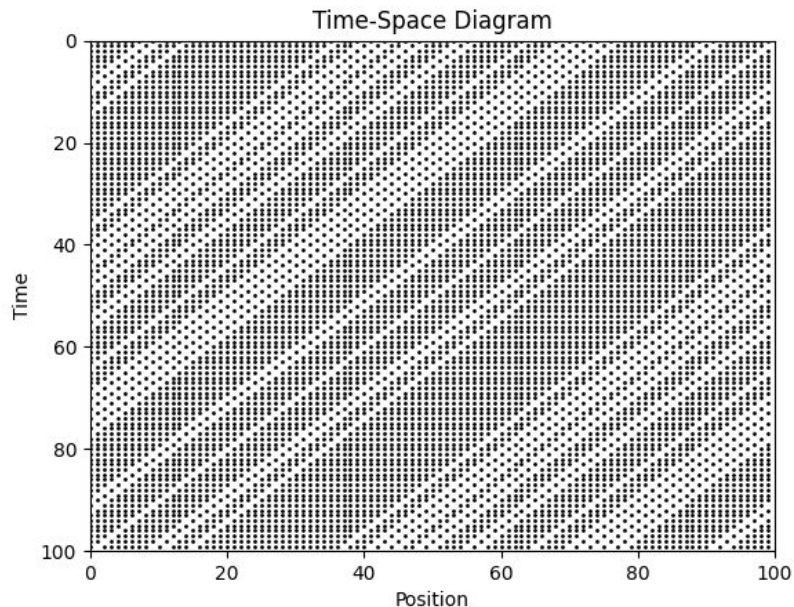
Randomization adds noise to emergent patterns



80 cars - randomization



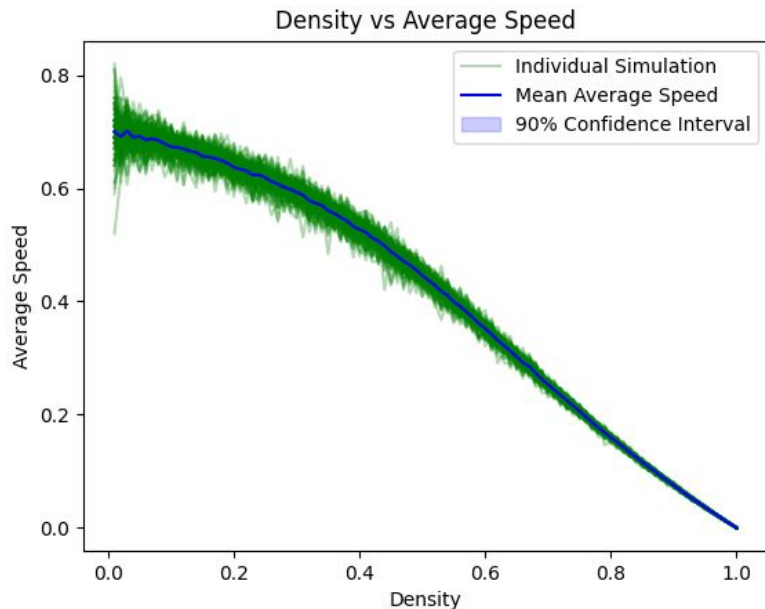
80 cars - no randomization



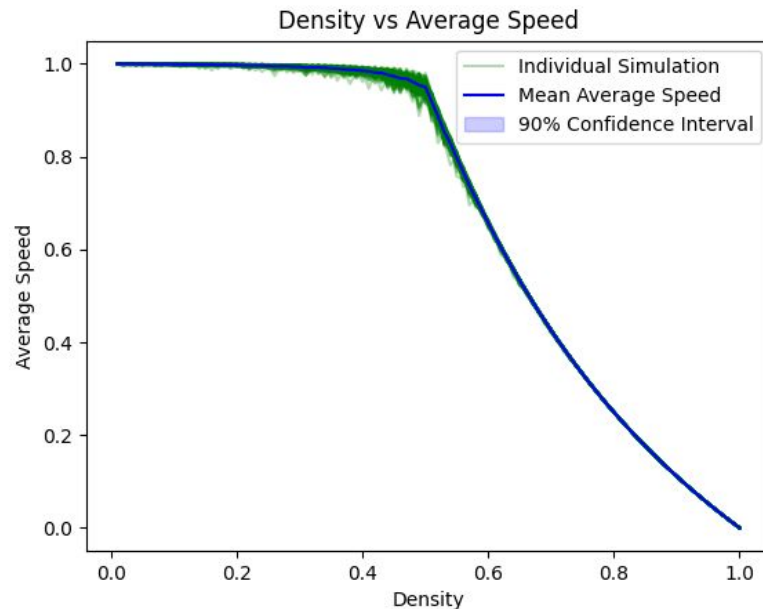
1D Results:

Speed limits delay onset of, and slow transition to, emergence

randomization



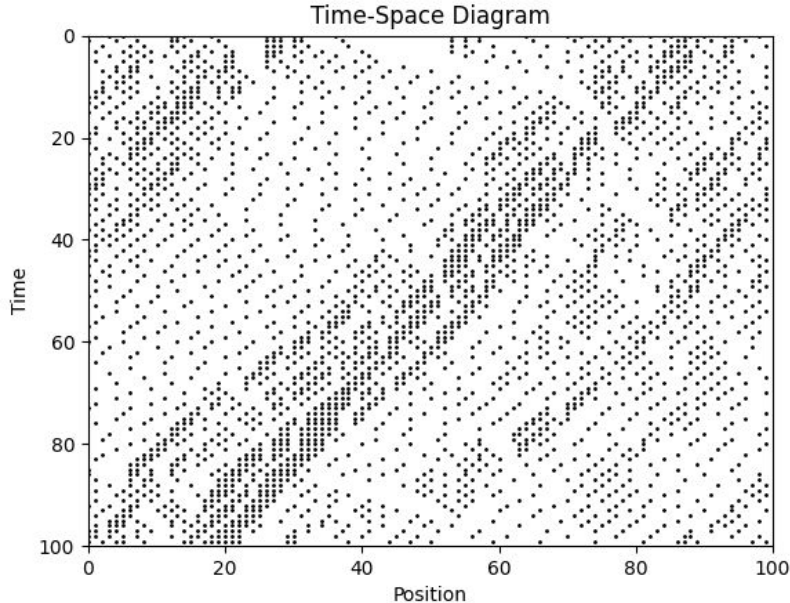
No randomization



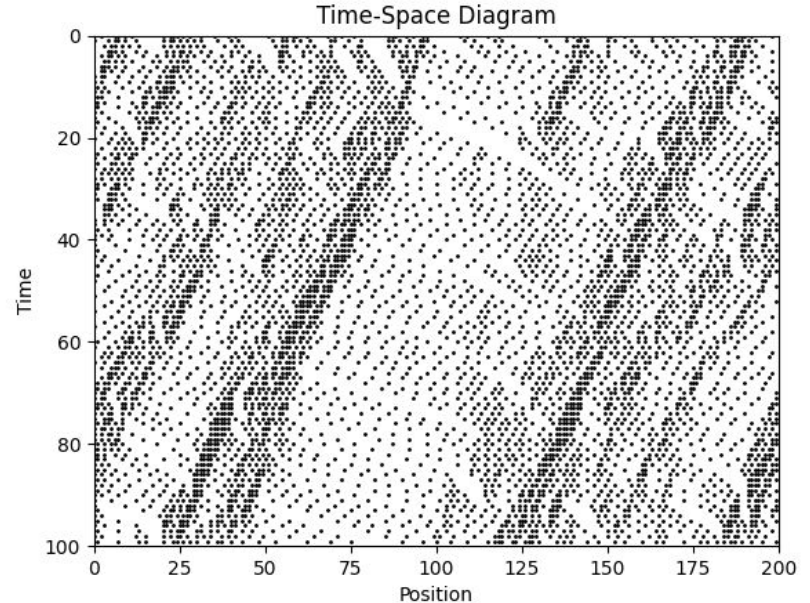
1D Results:

Road length adjusted for density does not impact the 1D system

28 cars, 100 road length -
28% density

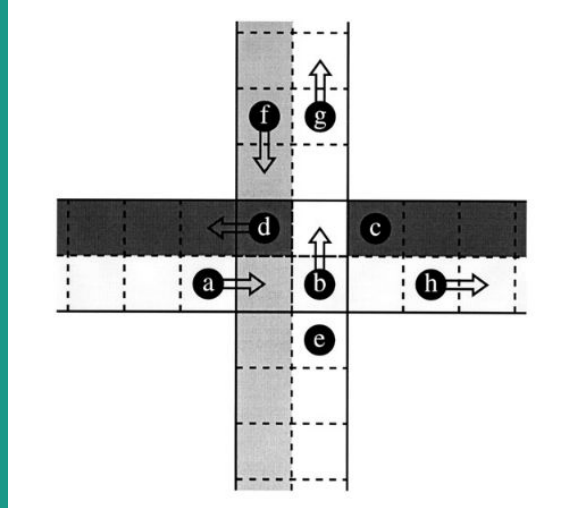


56 cars, 200 road length -
28% density



2D Manhattan-like city

Based on Chopard et al 1996



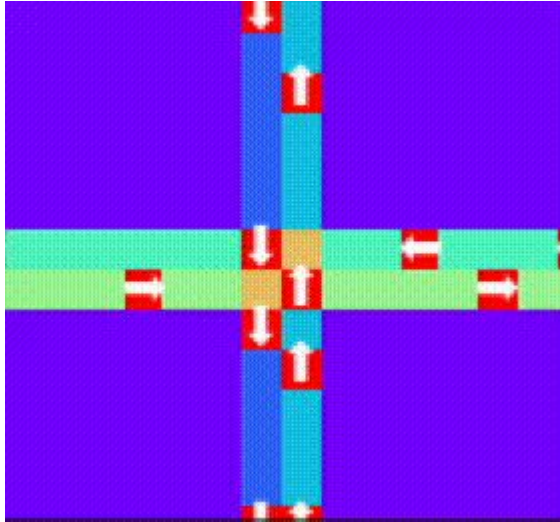


2D traffic model

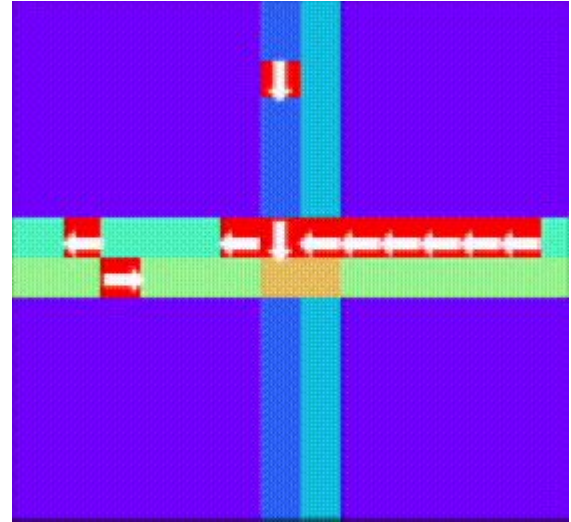
Cars Rules:

- Cars will try to **move at maximum speed** on a straight road
- Cars will **stop** when a **car is in front** of them
- Cars will **move on the rotary** until the flag is changed to exit
 - *Free Movement*
 - *Fixed Destination*

Rotary Methods



Free Movement



Fixed Direction



2D traffic model

Cars Abstractions:

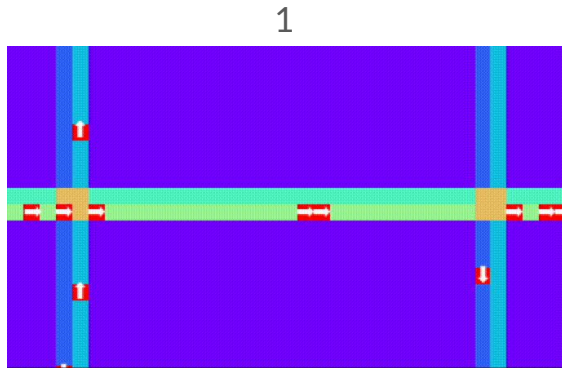
- Cars **can move instantly** to full speed and will break instantly
- Cars **don't have a predefined destination**
- Cars can only move as far as they can, **never overtaking another car**

Experimenting Parameters

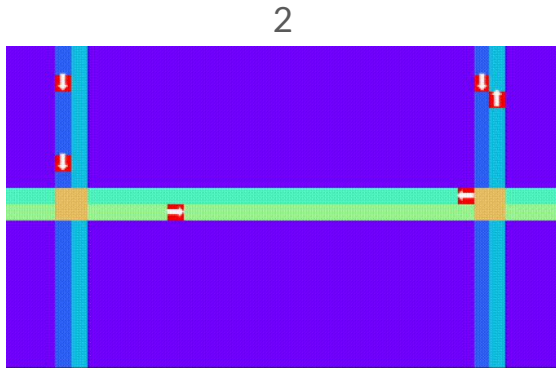
Road Length: How long is the road between intersections

Max Speed: How many cells can a car move each timestep

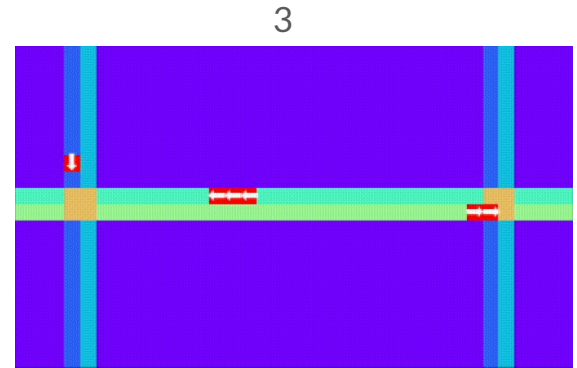
Speed Compliance: What percentage of cars follow the speed limit (rebels can go either faster or slower)



Speed: 1, Compliance 100%



Speed: 5, Compliance 100%

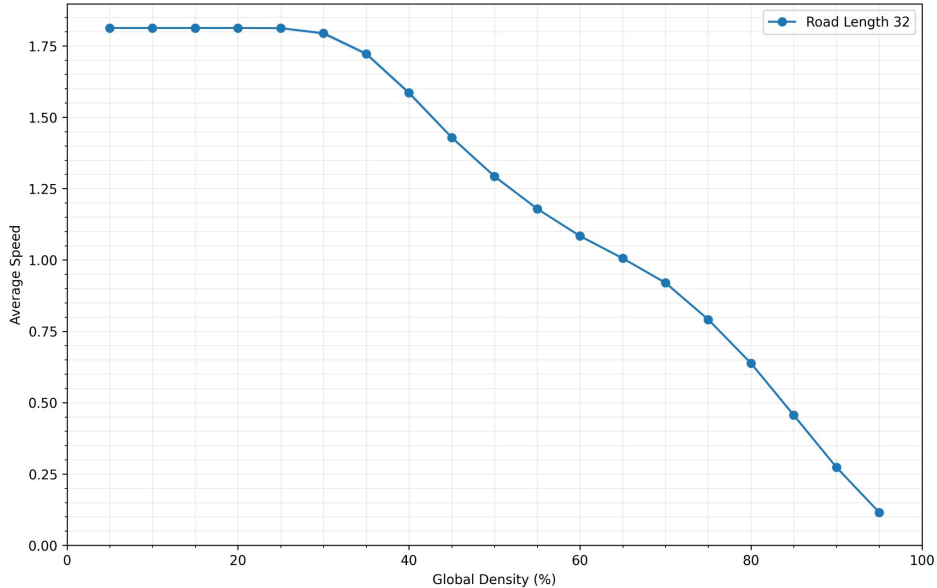


Speed: 2, Compliance 50%

Effect Rotary Method

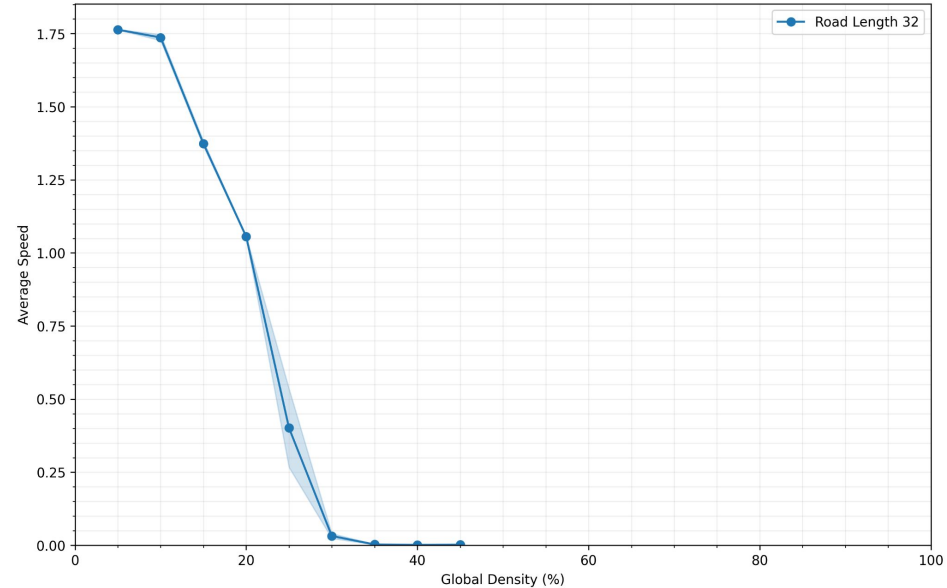


Effect of Road Length on Speed vs Density
(with 95% Confidence Intervals, after 20% warmup)
Rotary Method: Free Movement



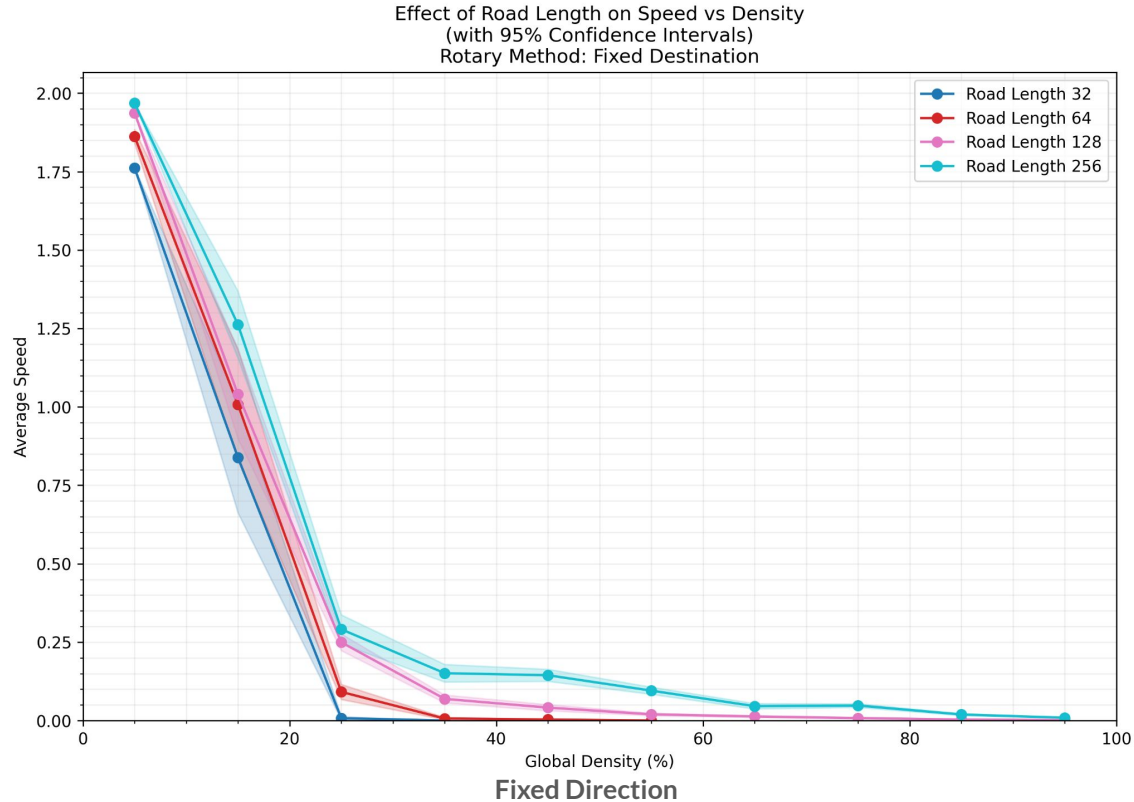
Free Movement

Effect of Road Length on Speed vs Density
(with 95% Confidence Intervals, after 20% warmup)
Rotary Method: Fixed Destination

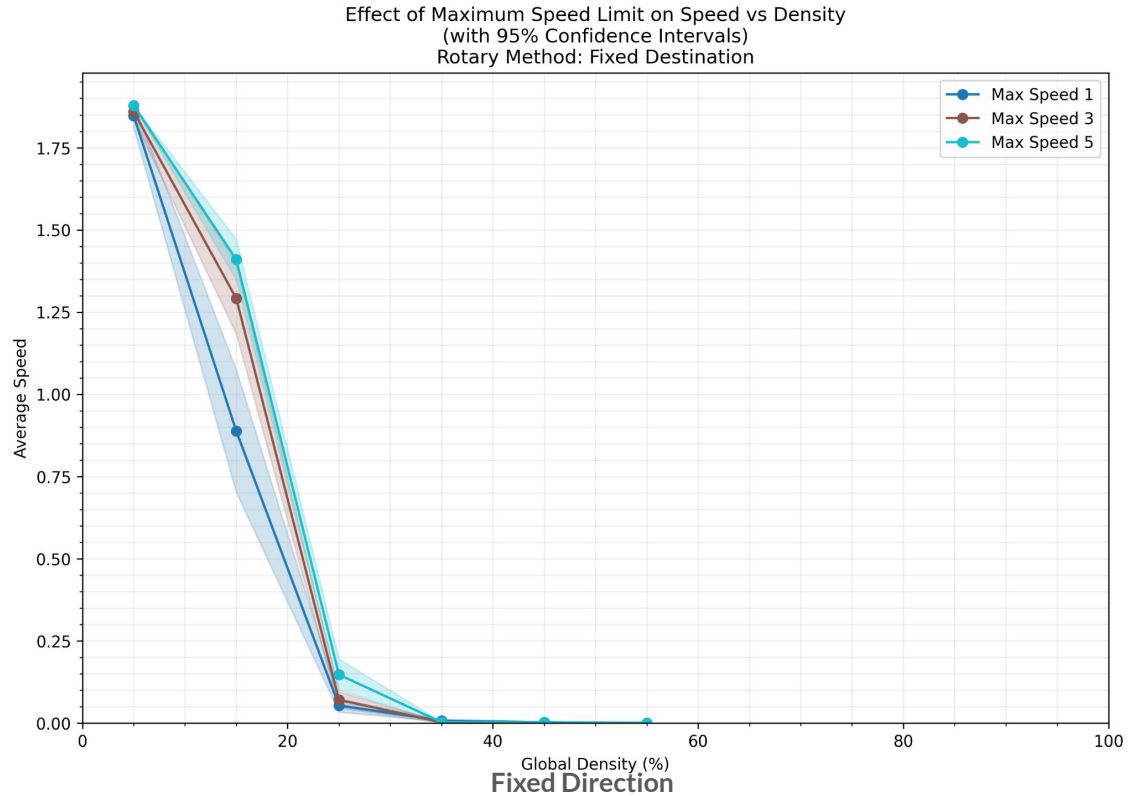


Fixed Direction

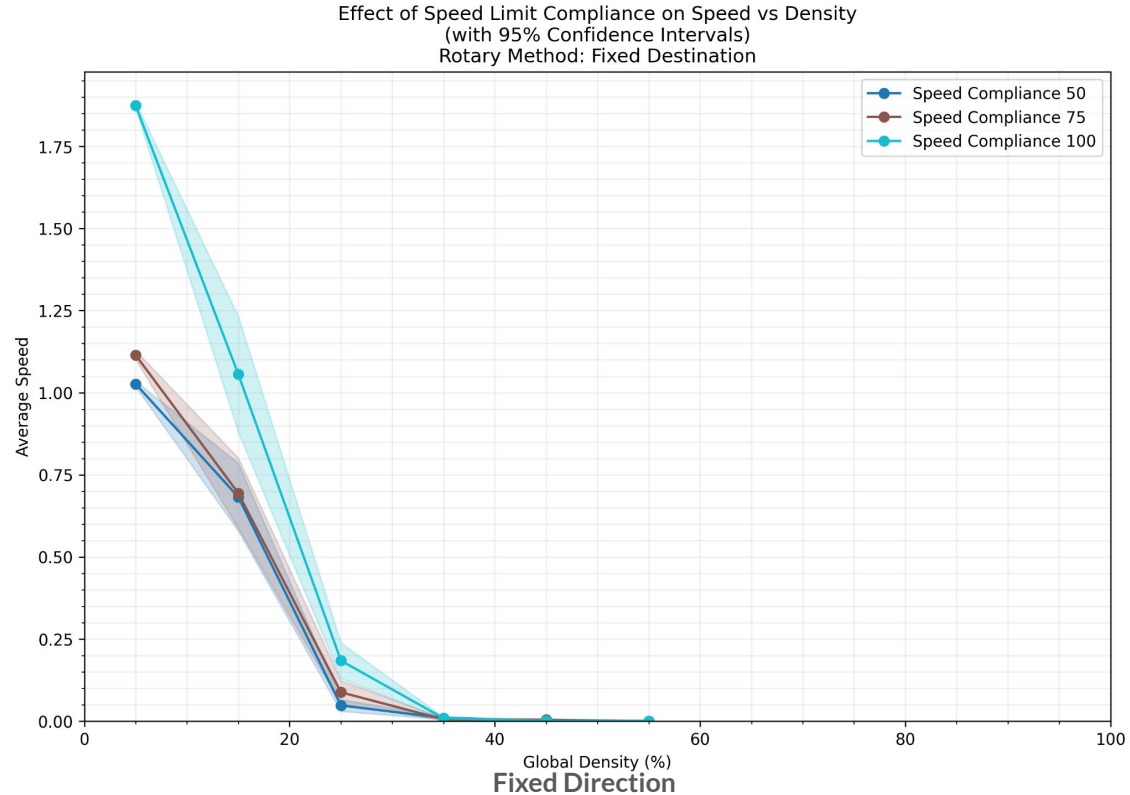
Effect Road Length



Effect Max Speed

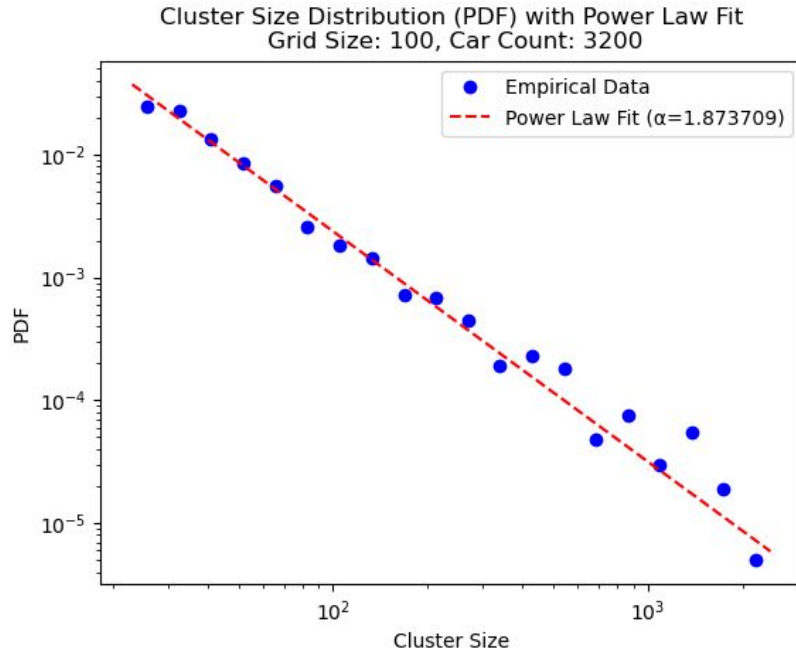


Effect Speed Compliance



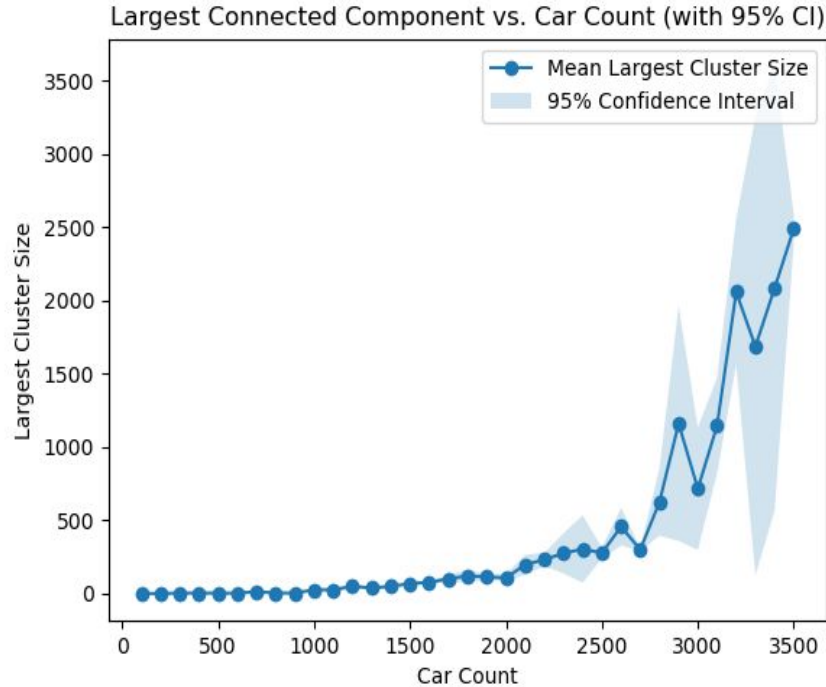
Emergent Behaviour?

Distribution of jammed cars



- Power law distribution preferred over exponential distribution ($p < 0.05$) for 20 simulations.

Evolution of the Giant Component



Grid size = 100

—

Conclusion:

Ho:

- Variations in system parameters do not significantly affect the the formation of traffic jams
 - *Road Length*
 - *Max Speed*
 - *Speed Compliance*

1D:

- Density and speed limits make a big difference
- Road length less of an impact because of the infinite lattice

2D:

- Density and road length make a big difference
- Speed limits and speed compliance less so

Ho:

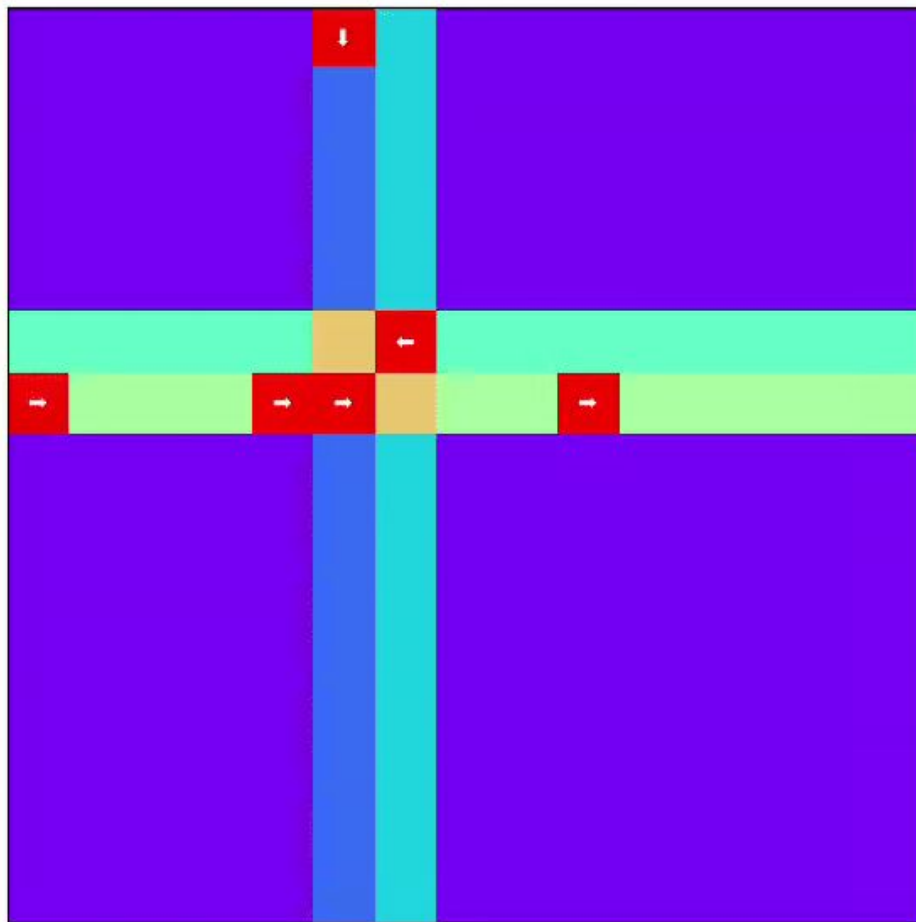
- The size of the traffic cluster increases linearly when increasing the cars
- Given the log-log plot an almost linear distribution can be observed
- Suggests a Power-law
- More clusters of a lower size
- Phase transition after $x > 2000$ for Giant component

Ho:

- No difference in emergence can be found between 1D and 2D
- 2D has the possibility of system wide locks even in lower density
- Cars have a more familiar logic in 2D

Simulation step 63

Cars: 6





Summary

- Use of a Cellular Automata (CA) in 1D and 2D
- The impact of speed limit and road length on the 1D CA
- Implementation of basic car logics, with some necessary assumptions
- The impact of the 2D parameters on the traffic jam
- Cluster frequency follows a power law
- Emergence of a Giant Component