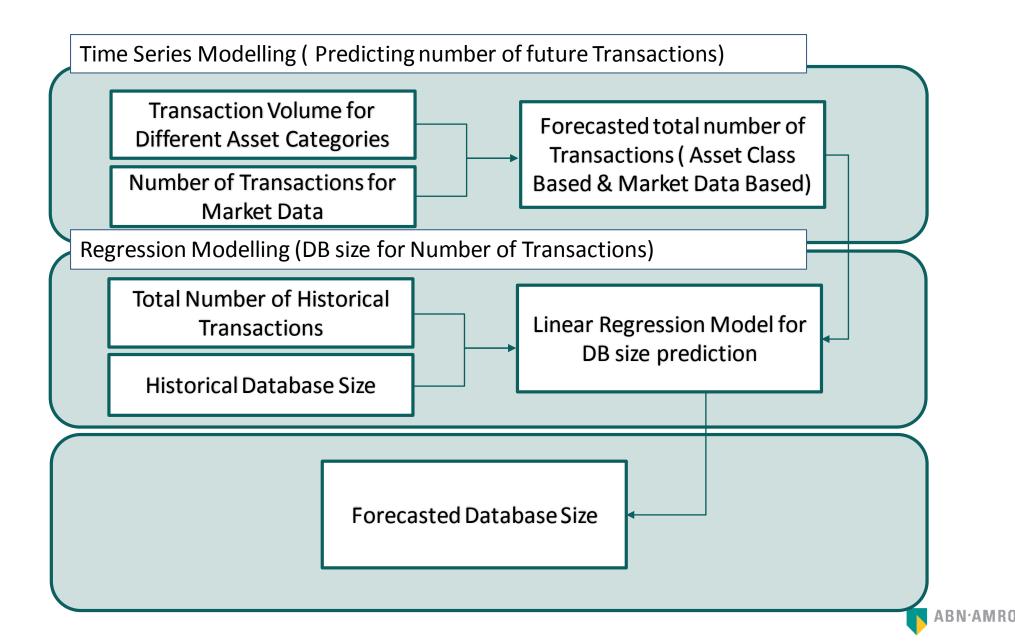
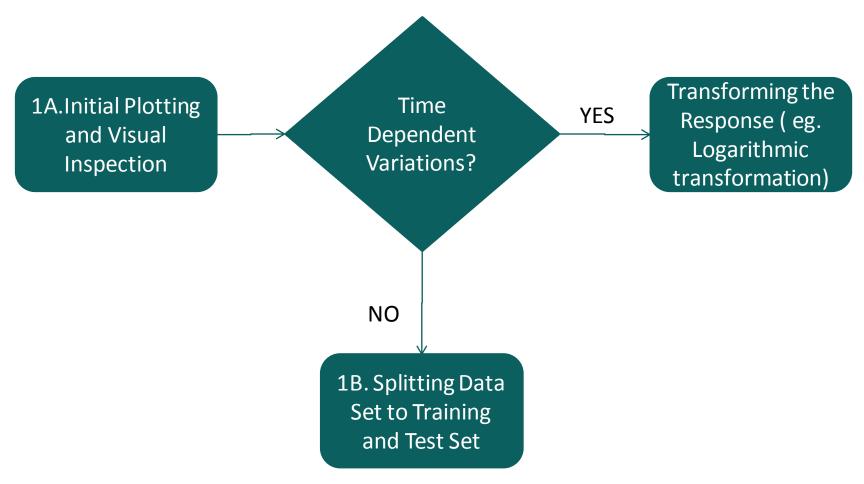


# **Overall Process Design**



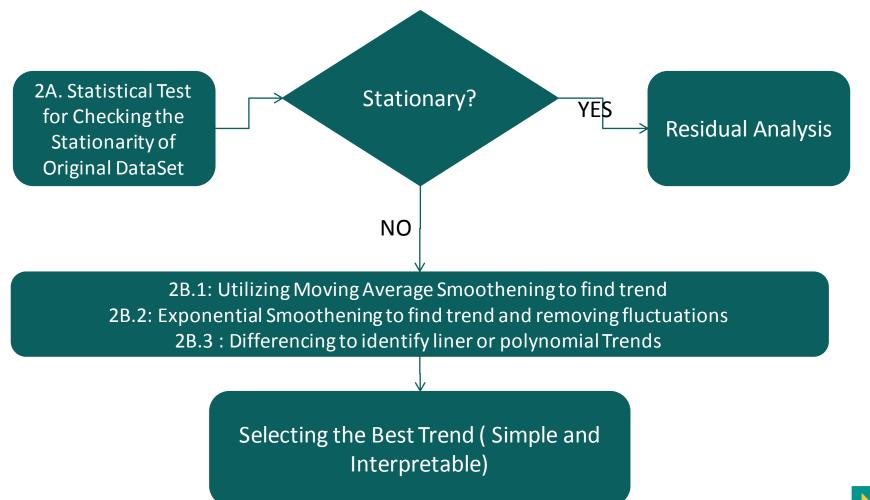


1.PREPROCESSING: Plotting, Optional Transformation, and Splitting for Supervised Learning



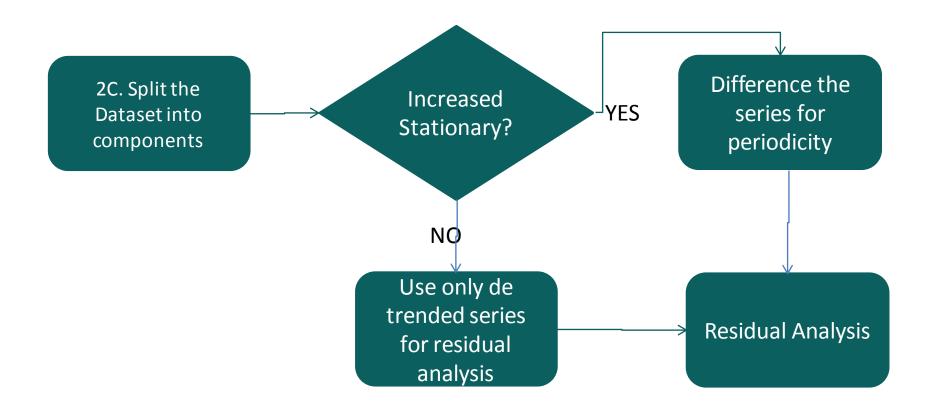


#### 2. PROCESSING: Checking for Stationarity and Identifying the trends

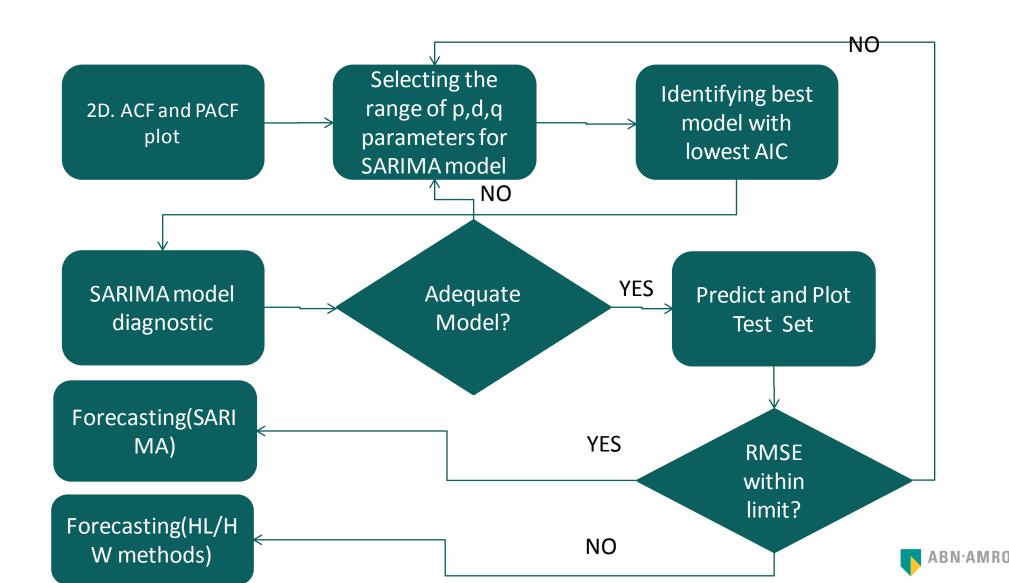




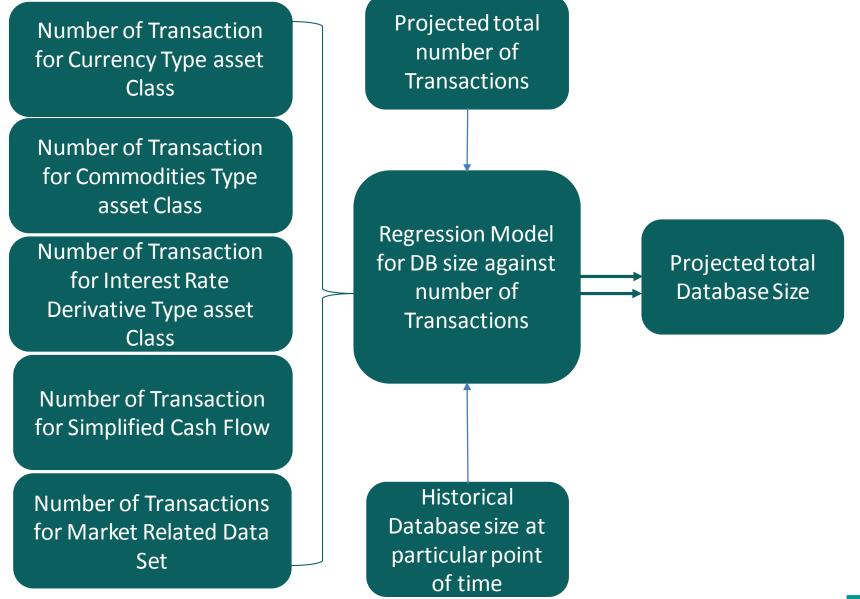
2. PROCESSING: Splitting the Dataset into Trend, Seasonal Component, and Residuals



2:PROCESSING(cont.)&3FORECAASTING: Residual Analysis and Forecasting



## **DB** size for Number of Transactions

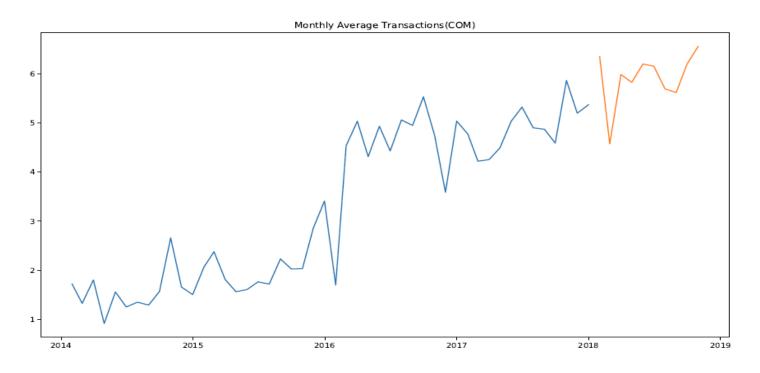




# **APPENDIX**



### 1.Initial Plotting of Dataset (after converting to natural logarithmic scale)



- Since the Variation is number of transactions is varying with time, we have applied natural logarithmic transformation to change the variability scale
- Existence of general upward trend



### 2. Checking for Stationarity of Existing Dataset

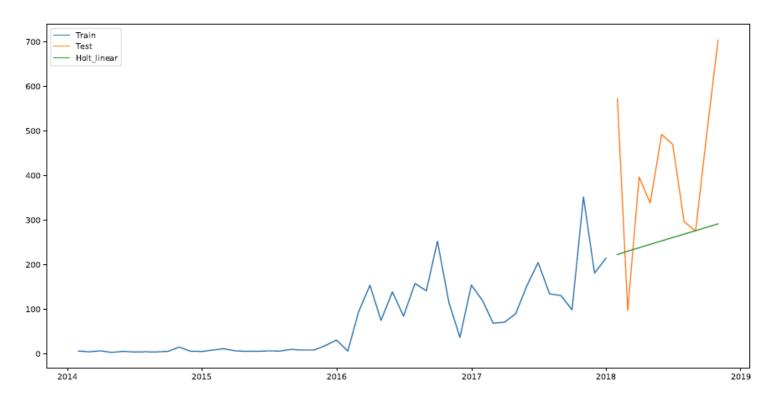
```
Results of Dickey-Fuller Test:
Test Statistic
                                -0.425168
p-value
                                 0.905811
#Lags Used
                                 2.000000
Number of Observations Used
                                55.000000
Critical Value (1%)
                                -3.555273
Critical Value (5%)
                                -2.915731
Critical Value (10%)
                                -2.595670
dtype: float64
```

#### Diagnostics

 We cannot reject the Null Hypothesis of ADF test, hence concluded that Dataset is non stationary



### 3. Testing a Holt Linear Approximation for forecasting



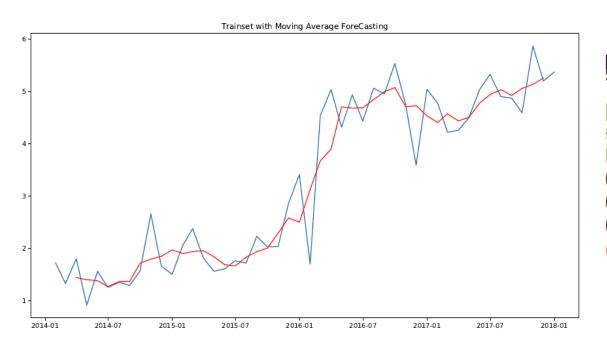


#### Diagnostics

Holt linear model provides a reasonable estimate with Mean Squared Error of 221.34



### 4A. Checking for Trend (Moving average Method)

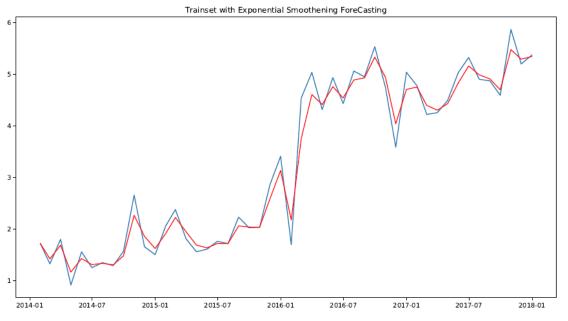


Results of Dickey-Fuller Test	:
Test Statistic	-9.044735e+00
p-value	5.022276e-15
#Lags Used	1.000000e+00
Number of Observations Used	4.300000e+01
Critical Value (1%)	-3.592504e+00
Critical Value (5%)	-2.931550e+00
Critical Value (10%)	-2.604066e+00
dtype: float64	

- Presence of an upward trend
- Removal of Trend renders the Dataset Stationary (indicative of absence of no seasonal component)



### 4A. Checking for Trend (Exponential Smoothening)

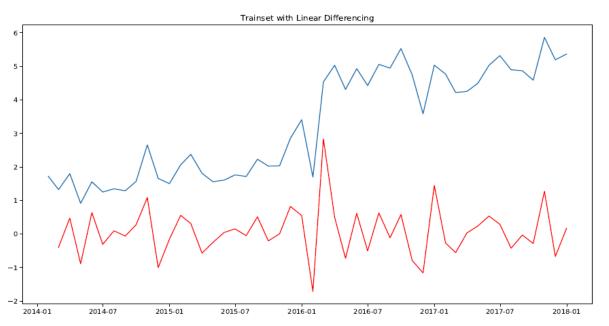


Results of Dickey-Fuller Test	:
Test Statistic	-6.750889e+00
p-value	2.953126e-09
#Lags Used	1.000000e+00
Number of Observations Used	4.600000e+01
Critical Value (1%)	-3.581258e+00
Critical Value (5%)	-2.926785e+00
Critical Value (10%)	-2.601541e+00
dtype: float64	

- Presence of an upward trend
- Removal of Trend renders the Dataset Stationary (indicative of absence of no seasonal component)



### 4A. Checking for Trend (Linear Trend)

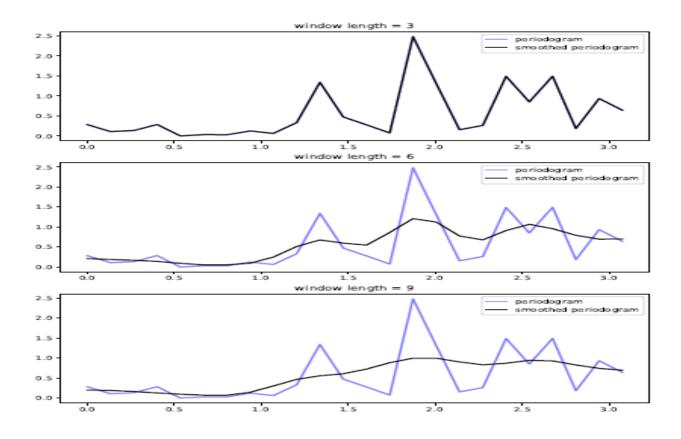


Results of Dickey-Fuller Test	:
Test Statistic	-8.183560e+00
p-value	8.010773e-13
#Lags Used	1.000000e+00
Number of Observations Used	4.500000e+01
Critical Value (1%)	-3.584829e+00
Critical Value (5%)	-2.928299e+00
Critical Value (10%)	-2.602344e+00
dtype: float64	

- Presence of an upward trend
- Removal of Trend renders the Dataset Stationary (indicative of absence of no seasonal component)
- We can use the linear trend for modelling as this will reduce bias in predicted model compared to the previous two methods



### 5. Checking for Seasonality (Periodogram Analysis)



- There is no specific Frequency that is largely responsible for the signature of the variation
- Smoothening reveals that there is no significant periodicity



5. Checking for Stationarity of Residuals (Results from TS decomposition)

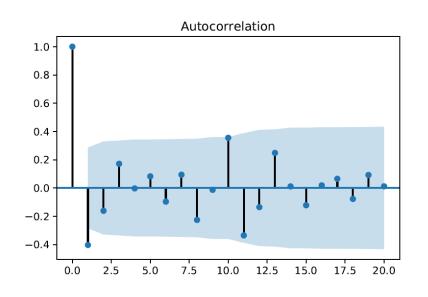
```
Results of Dickey-Fuller Test:
Test Statistic
                               -3.191501
p-value
                                0.020482
#Lags Used
                                7.000000
Number of Observations Used
                               28.000000
Critical Value (1%)
                            -3.688926
                            -2.971989
Critical Value (5%)
Critical Value (10%)
                               -2.625296
dtype: float64
```

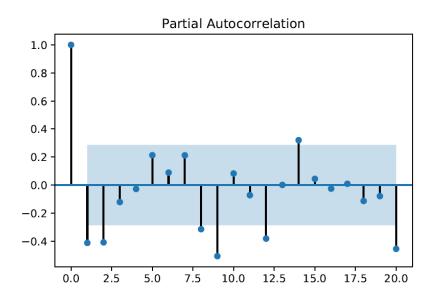
#### Diagnostics

The results further strengthens the assumption that residuals are stationary



### 5A. Residual Modelling (AR and MA modelling)



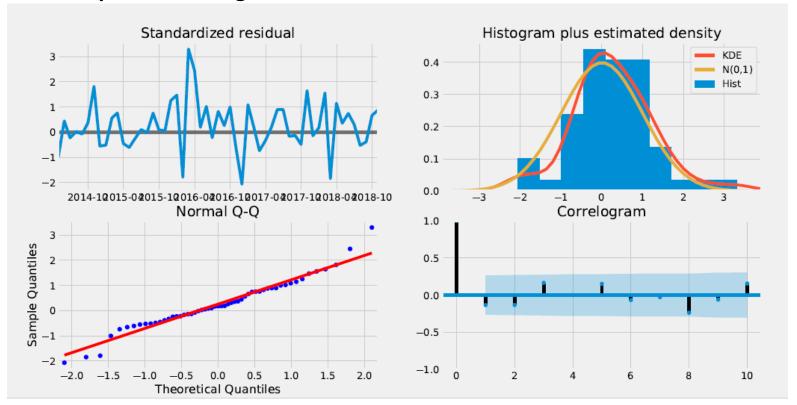


- The plots suggests three possible models
  - ARMA(0,1,1) model
  - MA(1,0,1) model
  - ARMA(1,1,1) model
  - ARMA(0,1,1) model is selected based upon model diagonisitics





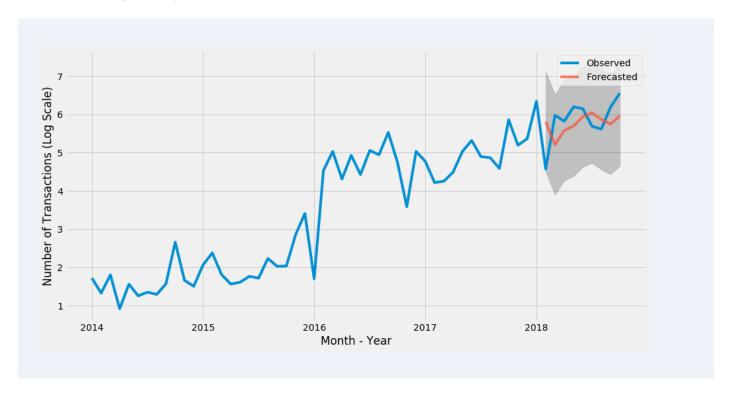
### **5B.** Comparison among three models



- ARMA(0,1,1) model can be used for modelling the residuals as it provides the least AIC among all the models
- All models more or less approximates the residuals as Normal Distribution with 0 mean



### 6. Plotting the predicted Results for Test Set



#### **Diagnostics**

The model fairly approximates the test result set.



### 6. Forecasted Values Set (with 95% confidence interval)

```
Actual
                            LowerBound UpperBound
DateTime
2018-01-31
            572.739130
                            96.366266
                                       310.730319
2018-02-28
                            89.422482
             96.761905
                                       317.674103
            396.909091
2018-03-31
                            82.877606
                                       324.218979
2018-04-30
            338.238095
                            76.669892
                                       330.426693
2018-05-31
            492.478261
                            70.752049
                                       336.344536
2018-06-30
            470.000000
                            65.086903
                                       342.009682
2018-07-31
            296.565217
                            59.644609
                                       347.451976
2018-08-31
            275.130435
                            54.400768
                                       352.695817
2018-09-30
                            49.335135
            491.105263
                                       357.761450
2018-10-31
            704.565217
                            44.430689
                                       362.665896
2018-11-30
                            39.672957
                                       367.423629
2018-12-31
                            35.049510
                                       372.047075
                   NaN
2019-01-31
                            30.549583
                                       376.547002
                   NaN
2019-02-28
                            26.163774
                                       380.932811
                   NaN
2019-03-31
                   NaN
                            21.883818
                                       385.212767
2019-04-30
                            17.702401
                   NaN
                                       389.394184
2019-05-31
                            13.613016
                                       393.483569
                   NaN
2019-06-30
                             9,609841 397,486744
The Root Mean Squared Error of Test Set(2018 Jan to 2018 Oct) is 197.63
```

- All test Values are within 95% confidence interval range barring few extreme observations
- MSE for the model is 197.63 (better than Holt Linear Approximation model)



### **Current Status**

- Time Series Modelling of SCF and IRD type of transactions
- Time Series Modelling of Market Dataset
- Linear Regression between Number of Transactions and DB size (for final volume prediction)

TASK(s)		Status		
Time Series Modelling to forecast number of transactions  Market Data Set	Asset Based Transactions	CURR ( Currency)	Complete	
		COM(Commodity)	Complete	
		IRD(Interest Rate	In Progress	
		Derivatives)		
	SCF ( Simplified CashFlow)	In Progress		
	Market Data	Normal Data Set & Binary	Complete	
	Set	Data Set	Complete	
	Asset Based		Waiting for	
	Transactions		input (	
Linear ( Multiple) Regression modelling to	& Market		Historical DB	
check for the DB size for individual types of	Related		size)	
transactions	Transactions		31201	

