1. For N = 10000

Output - ProgramAssign_2 (run) - Editor

```
□ Output - ProgramAssign_2 (run) ×
\square
     run:
\square
     ---- Select Value of N from Following: -----
1. 10000
<u>0</u>€
     2. 100000
     3. 1000000
     1
     --Computing for N = 10000--
     SELECT 1 - ALGORITHM = QUICKSORT
         N = 10000
        K = 5000
         A[5000] = 5062
         Comparisons = 132512
         TIME 3.663701ms
      SELECT 2 - ALGORITHM = QUICKSELECT
         N = 10000
         K = 5000
         A[5000] = 5062
         Comparisons = 28108
         TIME 1.964209ms
      SELECT 3 - ALGORITHM = Linear Select
         N = 10000
         K = 5000
         A[5000] = 5062
         Comparisons = 64284
         TIME 3.361778ms
     BUILD SUCCESSFUL (total time: 3 seconds)
```

Output - ProgramAssign_2 (run) - Editor

```
□ Output - ProgramAssign_2 (run) ×
\square
    run:
\mathbb{D}
    ---- Select Value of N from Following: -----
1. 10000
    2. 100000
    3. 1000000
    --Computing for N = 100000--
     SELECT 1 - ALGORITHM = QUICKSORT
        N = 100000
        K = 50000
        A[50000] = 49962
        Comparisons = 1733594
        TIME 31.263979ms
      SELECT 2 - ALGORITHM = QUICKSELECT
        N = 100000
        K = 50000
        A[50000] = 49962
        Comparisons = 265665
        TIME 5.086502ms
      SELECT 3 - ALGORITHM = Linear Select
        N = 100000
        K = 50000
        A[50000] = 49962
        Comparisons = 632014
        TIME 10.658388ms
     BUILD SUCCESSFUL (total time: 4 seconds)
```

3. For N = 100000

Output - ProgramAssign_2 (run) - Editor □ Output - ProgramAssign_2 (run) × \square ---- Select Value of N from Following: -----1. 10000 **%** 2. 100000 3. 1000000 3 --Computing for N = 1000000--SELECT 1 - ALGORITHM = QUICKSORT N = 1000000K = 500000A[500000] = 499596Comparisons = 21013510 TIME 155.567654ms SELECT 2 - ALGORITHM = QUICKSELECT N = 1000000K = 500000A[500000] = 499596Comparisons = 2182778 TIME 23.272433ms SELECT 3 - ALGORITHM = Linear Select N = 1000000K = 500000A[500000] = 499596Comparisons = 6478424 TIME 46.600032ms BUILD SUCCESSFUL (total time: 3 seconds)

RESULTS

Comparisons

	Quick Sort	Quick Select	Linear Search
N=10000	132512	28108	64284
N=100000	1733594	265665	632014
N=1000000	210103510	2182778	6471424

TIME (MS)

	Quick Sort	Quick Select	Linear Search
N=10000	3.663701	1.964209	3.361778
N=100000	31.263979	5.086502	10.658388
N=1000000	155.567654	23.272433	46.600032

ANALYSIS! I: N = 10,000 @ Quick sort.

according to the sesult produce. n=10,000

Aug. case complexity is given by = T(n) <= O(n*logn) <= A+(n*logn).

nore

Aug cove analysis for Quick sost o(nlogn). TCD) = 10000 (0000 (00) 2 (0000 = 1328 77.

: record as elegant of the londings) :089592000 . A = 0.

: T(n) = 132512 < A.(nlogn)

132512 (A(132877)

: A= 0.99725

(b) Duick select. according to the result produced = n = 10,000. Aug Case Analysis for Quick sort + is o(n).

O(n) = 10,000. (for some No. 0) composes ion = 28108. Aug case complexity is given by Ton) < O(n) < (m) worstant

.. T(n) < O(n) < A(n).
28108 < A(10000).

: A = 2.8108 anosaling to the severit produced n = 10,000 n Aug cos Anauesis 600 cineas select is o(n). .: O(A) = 10,000. Augicase complexity is given by TCD SO(n) < ALD) { winston)} : + (10000) < +(n) 1.4, e4584 = 4 (10000)

-1. A=6.4284 .

II) N=100,000.

@ Quic Sost

N=100000.

N=100000.

No:0) companision: 17 33594

Aug case Analysis for Quick Sox = O(nlogn).

Aug case Analysis for Quick Sox = O(nlogn).

Inlogn = 000000000.

T(n) < O(nlogn) < B(nlogn)

1733594 < B(1660964).

13=1.043+2.

(b) Quick Select

N=109000.

no·0) composition:

Aug case Analysis for Duick Selet = 0(n).

Aug case Analysis for Duick Selet = 0(n).

1=100,000

7(n) < 0(n) < 8 (n).

265665 < 8(100,000).

∴ 1B = 2.65665 ↑

Chineau Solect

N=(00,000 no. of companision: 632 0(4. Aug case Analysis for Linear Search = o(n). N-(0,00000 T(n) { O(n) < B(n).

(1. 632014 & 13 (109000)

N= 1000,000

@ Quick Sost.

N= 1000,000

no-0) componision: 21013510

Aug case Analysis = 0(nlogn)

! nlogn = 219931568

T(n) = 0(nlogn) < #(nlogn).

: = 21013510 < ((19931568).

(b) Quick Select

N=1000,000.

no. of companision: 2182778

they case analysis=0(n).

n=1000,000.

T(n) = o(n(200) ≤ to(n(200)).

= 2182778 ≤ c(1000,000)

[C:2+82.182778].

(C) Linear Select.

N = 1000,000.

no. of composition: 6478 424,

Aug. case analysis = o(n).

n = 1000,000.

T(n) = o(n) = &((n),

7 6478424 = ((1000000))

Conclusion:

- From above results it simply that algorithms have an average case complexity.
- In comparison of the algorithms, we see that, <u>Quick sort</u> first sorts the integers and then finds the Kth smallest and hence it takes more time than other algorithms. Hence it has higher complexity.
- The <u>Quick select</u> algorithm will randomly select a pivot and place that pivot at its correct position and as soon as it finds the required Kth smallest element it returns. Since its randomized algorithm it finds the Kth smallest in the average time and is the fastest amongst others.
- The <u>Linear select</u> algorithm finds the Kth smallest element in the average time of O(n) but it has the highest coefficient. Hence it takes much more time than Quick select algorithm.