# ECON3133 Microeconomic Theory II

Tutorial #12: Imperfect Competition – privatizing the telephone industry in the UK

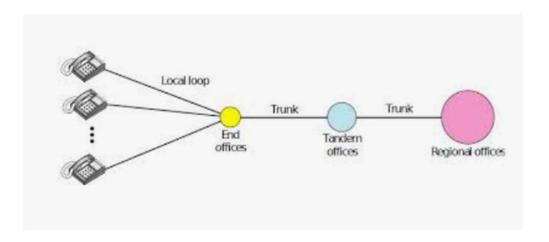
## Today's tutorial:

- Imperfect competition and the case of privatising the landline telephone monopoly
  - Landline telephony is a homogenous product
  - Can be analysed in terms of the models of imperfect competition that we have looked at
  - The analysis is inspired by the case of the UK, where the privatisation of British Telecom (BT) in 1984 was the first privatisation of the Thatcher government
  - The initial privatisation was accompanied by the creation of Mercury
     Communications in 1982
    - Intended as a competitor to BT
  - We model the privatisation in a Stackelberg framework



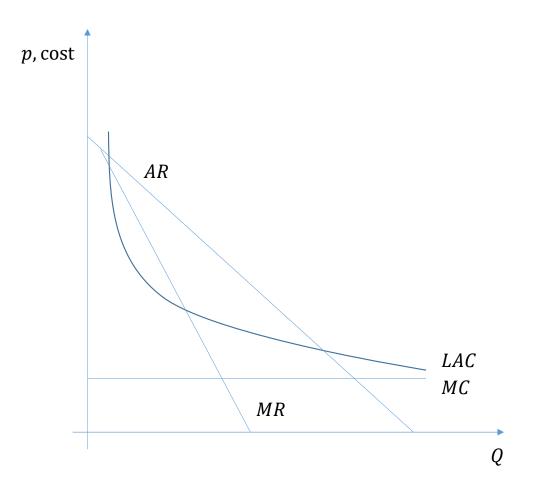


## Structure of the telephone industry:



- The landline telecommunications industry traditionally consists of
  - Access network: Connects the switching network to the consumer "the last mile"
  - Switching network: Centralized points on a network to enable communication between points on the network
  - Transmission network: Transmits calls between points on the switching networks

## The starting point: a monopoly telephone company

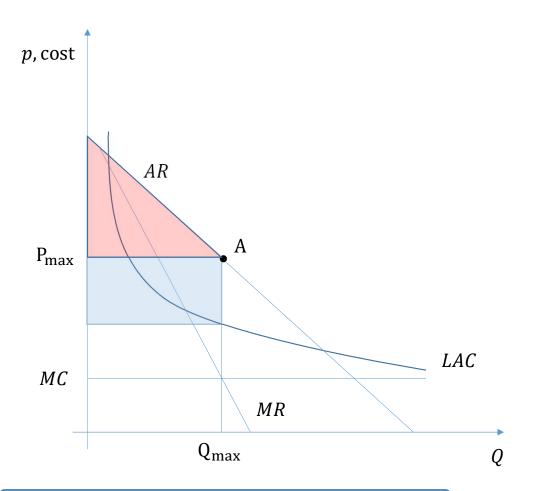


- Assume that a single firm is responsible for the telephone industry
- · Suppose that the firm has total costs

• 
$$TC = 10000 + 4Q$$

- Then  $LAC = \frac{10000}{Q} + 4$  and MC = 4
- Also suppose that the market demand curve is given by  $Q^D = 500 \frac{1}{2}p$
- · Assume that the firm maximises profits
- What is the equilibrium output, Q, price, p, profits,  $\Pi$  and consumer surplus in this case?

## The starting point: a monopoly telephone company



• The firm's optimisation problem:

$$\max_{Q} \Pi = pQ - TC$$

$$= 1000Q - 2Q^{2} - 10000 - 4Q$$

$$= 996Q - 2Q^{2} - 10000$$

• FOC: 
$$\frac{d\Pi}{dQ} = 996 - 4Q = 0$$

$$Q_{max} = 249$$

$$P_{max} = 1000 - 2 \times Q_{max}$$

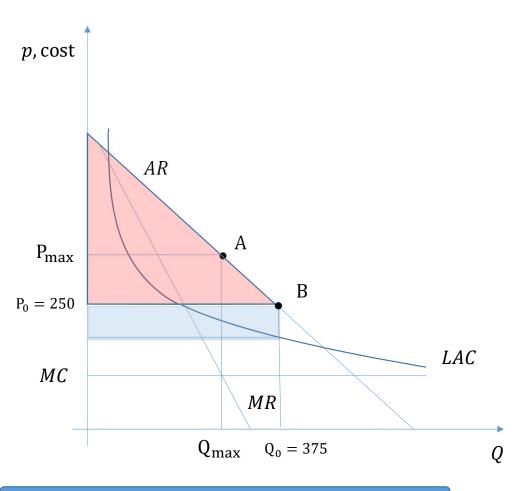
$$= 502$$

$$\Pi_{max} = 249 \times 502 - 10000 - 4 \times 249$$

$$= 114,002$$

$$CS_{max} = \frac{1}{2}(1000 - 502) \times 249$$
$$= 62,001$$

## The starting point: a monopoly telephone company

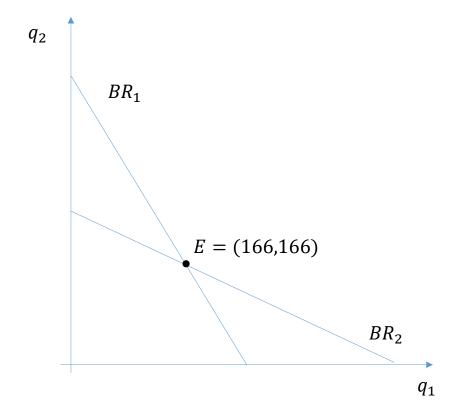


- Now suppose that the government decides that 502 is too high a price to pay for telephone calls, and fixes the price at 250
- What are output, profits and consumer surplus in this case?
- The firm now produces  $Q_0 = 500 \frac{1}{2}p_0 = 375$  (from 249 previously)
- Note that the firm maximises profits in this case by producing on the demand curve ( $MR=p_0>\mathrm{MC}$  for  $Q\leq Q_0$ )
- Profits are now  $\Pi = 250 \times 375 10000 4 \times 375 = 82,250$  (from 114,002 previously)
- CS is now  $\frac{1}{2}(1000 250) \times 375 = 140,625$  (from 62,001 previously)

## Privatisation and the introduction of a competitor: duopoly

- Now suppose that instead of price controls, the government believes that the introduction of a competitor will reduce prices for the consumer
- A consortium consisting of Cable & Wireless, Barclays and BP believes that entering the UK telephone market could be profitable, and creates Mercury Communications to compete with BB
- The competitor has cost function
- $C(q_2) = 4q_2 + F_2$
- We now have a duopoly in the UK telephone industry

# The Cournot equilibrium in a duopoly



- Suppose that both BT (firm 1) and Mercury (firm 2) decide output,  $q_1$  and  $q_2$ , and let the market decide price
- Cost function:  $C_i(q_i) = cq_i + F_i$ 
  - Market demand: P = a bQ
- This is now a Cournot problem:
- Firm 1:  $\max_{q_1} \pi_1(q_1, q_2) = \pi_1(q_1, BR_2(q_1))$
- Firm 2:  $\max_{q_2} \pi_2(q_1, q_2) = \pi_2(BR_1(q_2), q_2)$
- · With solution:

• 
$$q_1^{NE} = q_1^{NE} = \frac{1}{n+1} \left[ \frac{a-c}{b} \right]$$

- With a = 1000, b = 2, c = 4 we have in this case:
  - $q_1^{NE} = q_1^{NE} = 166$

#### The Cournot equilibrium in a duopoly

• The Cournot equilibrium gives the following results

• 
$$q_{NE}(n,c) = \frac{1}{n+1} \left[ \frac{a-c}{b} \right]$$

• 
$$Q^{NE}(n,c) = n \times q_{NE}$$

• 
$$p^{NE}(n,c) = 1000 - 2 \times Q^{NE}(n)$$

• 
$$\pi_i(n,c) = p^{NE}(n,c) \times q_{NE}(n,c) - c \times q_{NE}(n,c)$$

• 
$$\Pi(n,c) = n \times \pi_i(n,c)$$

• 
$$n = 2$$

• 
$$a = 1000$$

• 
$$b = 2$$

• 
$$c = 4$$

• 
$$q_{NE}(n,c) = \frac{1}{3} \left[ \frac{1000-}{2} \right] = 166$$

• 
$$Q^{NE}(n,c) = 2 \times q_{NE} = 332$$

• 
$$p^{NE}(n,c) = 1000 - 2 \times Q^{NE}(n) = 336$$

• 
$$\pi_i(n,c) = p^{NE}(n,c) \times q_{NE}(n,c) - c \times q_{NE}(n,c) - F_i$$

• Firm 1: 
$$\pi_1(2,4) = 45,112$$

• Firm 2: 
$$\pi_2(2,4) = 55,112 - F_2$$

• 
$$\Pi(n,c) = 100,224 - F_2$$

• 
$$CS = \frac{1}{2}(1000 - 336) \times 332 = 110,224$$

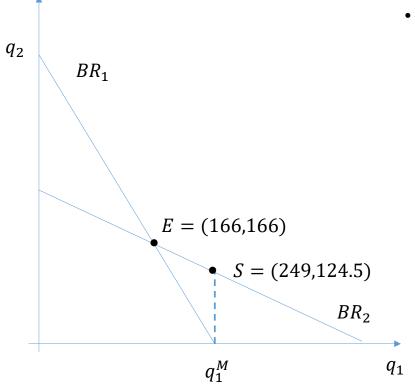
# The Cournot equilibrium in a duopoly compared to the monopoly case

• Would there be benefits to privatisation and the introduction of a duopoly?

	Before privatisa	Privatisation and duopoly		
	Without price control	With price control	2 firms: Cournot	
$q_i$	-	-	166	
Q	249	375	332	
P	502	250	336	
$\pi_1$	-	-	45,112	
П	114,002	82,250	$100,224-F_2$	
CS	62,001	140,625	110,224	

- Under the duopoly, market output would be close to that under monopoly with price control, whilst price would be roughly half-way between monopoly with and without price control
- Profits depend on fixed costs, but would be roughly half way between the monopoly cases
- Consumer surplus is higher than under the basic monopoly but below what it was under price controls

- · In practice, BT was the incumbent in the industry, and Mercury the entrant
- Therefore, we may model this in the Stackelberg framework with:
  - BT: Leader, firm 1
  - Mercury: Follower, firm 2
- Control case: Assume that Mercury has no fixed costs
- The framework:
  - t = 1: Incumbent chooses  $q_1$
  - t = 2: Entrant chooses  $q_2$  after observing  $q_1$
- Solve using backward induction



With no fixed costs for firm 2, the Stackelberg problem is:

- Firm 2:  $\max_{q_2} \pi_2(q_1, q_2) = [a b(q_1 q_2) c] q_2$ 
  - $q_2^F = \frac{a bq_1 c}{2b}$
- Firm 1:  $\max_{q_1} \pi_1(q_1, BR_2(q_1)) = [a b(q_1 BR_2(q_1)) c] q_1$

• 
$$q_1^L = \frac{a-c}{2h} = 249$$

- Then Firm 2's output is then  $q_2^F = \frac{a-c}{4b} = 124.5$
- Note:
  - $q_1^L = 249 =$  monopoly output (with linear demand and cost functions)
  - $q_1^L > q_1^{NE}$
  - $q_2^F < q_2^{NE}$

• The basic Stackelberg equilibrium

	Duopoly firms			
	BT (Incumbent)	Mercury (entrant)		
$q_i$	249	124.5		
Q	373.5			
P	253			
$\pi_i$	52,001	31,000.5		

- Under the duopoly, market output would be close to that under monopoly with price control (375), whilst price would be roughly half-way between monopoly with (250) and without (502) price control
- Profits depend on fixed costs, but would be roughly half way between the monopoly cases

	Before privatisation: monopoly		Privatisation			
	Without price control	With price control	Cournot	Duopoly: BT	Duopoly: Mercury	
$q_i$	-	-	166	249	124.5	
Q	249	375	332	373.5		
P	502	250	336	253		
$\pi_i$	-	-	45,112	52,001	31,000.5	
П	114,002	82,250	$100,224-F_2$	83,001.5		
CS	62,001	140,625	110,224	139,502.3		

- Under Stackelberg, profits for BT have increased, but profits for Mercury have fallen compared to the Cournot equilibrium; total profits are lower under Stackelberg (note that we've assumed zero fixed costs for Mercury in the basic Stackelberg case)
- First mover advantage has increased BT's profits by 15%
- Price and output are close to their levels under price control: Stackelberg is good for consumers!

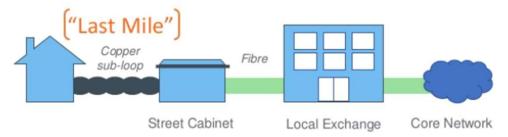
- In practice, the new entrant will have fixed costs, which will reduce profits
- Assuming that we are still in a leader/follower framework, we need to address the following questions:
  - What is the relationship between firm 2's profits and fixed costs in a Stackelberg framework?
  - What is BT's optimal behaviour in this framework?
  - What should the government do to achieve its objective of greater competition leading to an increase in consumer welfare?

- The relationship between firm 2's profits and fixed costs in a Stackelberg framework
- Suppose now that Mercury/firm 2 incurs fixed costs of  $F_2$
- Mercury may decide whether or not to enter the market; its total costs will be:
- $C_2(q_2) = \begin{cases} 0 & q_2 = 0 \Rightarrow \text{ Mercury does not enter the market} \\ F_2 & q_2 > 0 \Rightarrow \text{ Mercury enters the market} \end{cases}$
- Mercury's decision process may be summarised:
  - t = 1: BT produces  $q_1$
  - t = 2: Mercury observes  $q_1$  and decides whether to enter
  - t=3 (or simultaneously at t=2): Mercury chooses  $q_2$

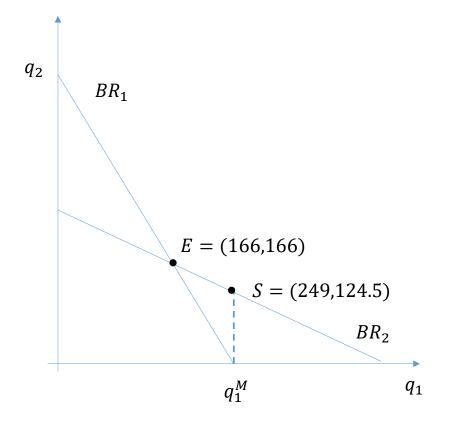
- Mercury's profit maximisation problem is now:
- $\max_{q_2} \pi_2(q_1, q_2) = (a b(q_1 + q_2) c)q_2 F_2$
- $q_2^F = BR_2(q_1) = \begin{cases} \frac{a-c-bq_1}{2b} & q_2 > 0 \Rightarrow \text{ Mercury enters the market} \\ 0 & q_2 = 0 \Rightarrow \text{ Mercury does not enter the market} \end{cases}$
- Mercury's profits under the optimal response are:
  - $\pi_2^F = (a q_1^L q_2^F c)q_2^F F_2$ , with:
    - $q_1^L = \frac{a-c}{2b}$ ;  $q_2^F = \frac{a-c}{4b}$
  - ie  $\pi_2^F = \frac{1}{b} \left( \frac{a-c}{4} \right)^2 F_2$
- Mercury will enter the market as long as:
  - $\pi_2^F > 0$  ie as long as  $\frac{1}{b} \left( \frac{a-c}{4} \right)^2 > F_2$  to give  $F_{2,crit} < 31,000.5$

- Therefore, Mercury can make profits as long as its fixed costs are not more than 31,000.5
- · However, Mercury tells the government:
  - Its best estimate of its fixed costs as a new entrant is approximately 20,000
  - This generates expected profits of  $\frac{1}{b} \left( \frac{a-c}{4} \right)^2 F_2 = 11,000.5$
  - Mercury's weighted average cost of capital requires profits of 15,000 to make the whole project worthwhile
- With BT producing  $\frac{a-c}{2b} = 249$  and Mercury producing  $\frac{a-c}{4b} = 124.5$ , Mercury's profits with fixed costs 20,000 are at 11,000.5, not high enough to justify the consortium's investment
- What can the government do in this case?

- The government does not want to see a public monopoly become a private monopoly, and so is very keen that Mercury enter and remain in the market
- The government proposed the following:
  - Mercury pay BT to use BT's network, except for the 'last mile': the part of the network from the local exchange to consumers' homes/offices



- How much should Mercury pay?
  - Half the value of the fixed costs (ie 5,000)?
  - Less? More?



- The government decides that Mercury should pay BT 5,000 to use BT's network
- BT wants the fee to be higher than 5,000 to compensate BT for the risk to its business that the new entrant brings
- Mercury also has fixed costs of 10,000 for the 'last mile', so total fixed costs = 15,000
- So now Mercury's expected profits are  $\frac{1}{b} \left( \frac{a-c}{4} \right)^2 F_2 = 16,000.5$
- This is enough to keep Mercury's shareholders happy
- BT's profits are now 57,001

	Before privatisation: monopoly		Privatisation				
	Without price control	With price control	Cournot	Leader: BT	Follower: Mercury (fixed costs 20,000)	Leader: BT with fixed fee	Follower: Mercury with fixed fee
$q_i$	-	-	166	249	124.5	249	124.5
Q	249	375	332	373.5		373.5	
P	502	250	336	253		253	
$\pi_i$	-	-	45,112	52,001	11,000.5	57,001	16,000.5
П	114,002	82,250	$100,224-F_2$	63,001.5		73,001.5	
CS	62,001	140,625	110,224	139,502.3		139,502.3	

- Both BT and Mercury benefit from the fixed fee arrangement: profits are higher for both
- Do you think BT is happy with the overall outcome?
- BT did much better when it was a monopoly...

- BT's management begin to feel nostalgic about the past
- They wonder if there's any way that they could increase profits
- What could they do?
  - 1)
  - 2)
  - 3)
  - 4)

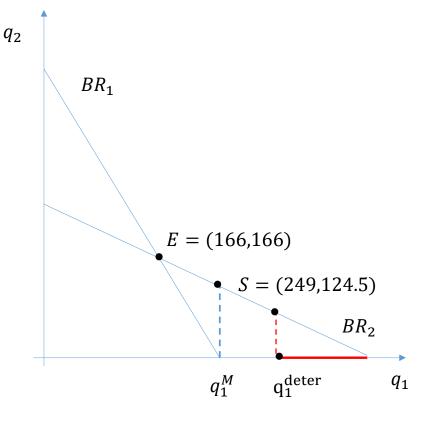
- BT wonders whether it has a deterrence strategy to drive Mercury out of the market
- Deterrence strategy given by:

$$\bullet \quad q_2 = BR_2(q_1) = \begin{cases} \frac{a-c-bq_1}{2b} & \text{if } q_1 < q_1^{\text{deter}} \\ 0 & \text{if } q_1 \geq q_1^{\text{deter}} \end{cases}$$

• Firm 2's profit function in this case is:

• 
$$\pi_2^F(q_1, q_2 = BR_2(q_1)) = \frac{1}{b} \left(\frac{a - c - bq_1}{2b}\right)^2 - F_1$$

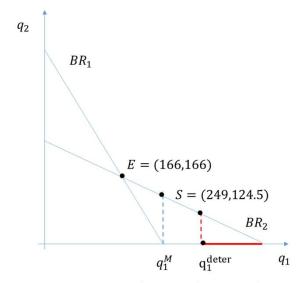
- And
- $\pi_2^F \le 0$  for deterrence to work
- Then BT will produce  $q_1^{deter}$  if:
  - $\pi_1^{L,\text{deter}} > \pi_1^L$



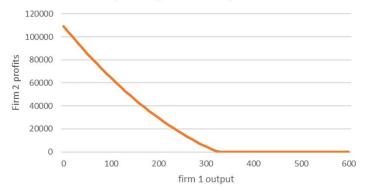
• We have:

• 
$$q_1^{\text{dete}r} = \frac{a - c - 2\sqrt{F_2 b}}{b} \approx 325$$

- And
- $P = 1000 2 \times q_1^{\text{dete}r} = 350$
- $\pi_1^{L,deter} = 107,500$
- $\pi_1^L = 57,001$
- So BT has every incentive to produce  $q_1^{
  m dete}$  to drive Mercury out of the market!
- Also, CS here = 105,492, from 139,502 in the initial Stackelberg equilibrium
- So should the government allow BT to play this strategy?



Firm 2 profits given firm 1 production



- It's likely that this situation will prove temporary: Mercury will likely lose interest eventually, leaving BT as a private sector monopoly
- So this is unlikely to benefit consumers for longer than the short run
- What could/should the government do instead?
  - 1) Prohibit BT from overproducing? Impossible to measure and enforce
  - 2) Manage Mercury's fixed costs more aggressively? Mercury already gets a good deal
  - 3) Encourage BT and Mercury to differentiate their products? Difficult with such a homogeneous product, but there was evidence of this







## What happened to BT and Mercury?

- Mercury Communications went out of business in 1997
- BT's power as the incumbent proved too strong
- BT agreed a range of global alliances, arguing to the UK government that it was now national champion and should be encouraged rather than discouraged
- Successive governments were stricter with BT, especially as telecommunications completely changed
- BT now faces competition in all its business lines

