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## CS 156a Final

7. The attached code generated  $E_{in}$  values of 0.07625840076807022, 0.09107118365107666, 0.08846523110684405, 0.07433822520916199, and 0.08832807570977919 respectively for the classifiers in [a] through [e]. The lowest value, 0.07433822520916199, corresponds to [d] 8 versus all.

**Answer: [d]**

8. The attached code generated  $E_{out}$  values of 0.10662680617837568, 0.02192326856003986, 0.09865470852017937, 0.08271051320378675, and 0.09965122072745392 respectively for the classifiers in [a] through [e]. The lowest value, 0.02192326856003986, corresponds to [b] 1 versus all.

**Answer: [b]**

9. The attached code generated the following results:

0 versus all without transform

$E_{in}$ : 0.10931285146070498  $E_{out}$ : 0.11509715994020926

0 versus all with transform

$E_{in}$ : 0.10231792621039638  $E_{out}$ : 0.10662680617837568

1 versus all without transform

$E_{in}$ : 0.01522424907420107  $E_{out}$ : 0.02242152466367713

1 versus all with transform

$E_{in}$ : 0.012343985735838706  $E_{out}$ : 0.02192326856003986

2 versus all without transform

$E_{in}$ : 0.10026059525442327  $E_{out}$ : 0.09865470852017937

2 versus all with transform

$E_{in}$ : 0.10026059525442327  $E_{out}$ : 0.09865470852017937

3 versus all without transform

$E_{in}$ : 0.09024825126868742  $E_{out}$ : 0.08271051320378675

3 versus all with transform

$E_{in}$ : 0.09024825126868742  $E_{out}$ : 0.08271051320378675

4 versus all without transform

$E_{in}$ : 0.08942531888629818  $E_{out}$ : 0.09965122072745392

4 versus all with transform

$E_{in}$ : 0.08942531888629818  $E_{out}$ : 0.09965122072745392

5 versus all without transform

$E_{in}$ : 0.07625840076807022  $E_{out}$ : 0.07972097658196313

5 versus all with transform

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E<sub>in</sub>: 0.07625840076807022 E<sub>out</sub>: 0.07922272047832586

6 versus all without transform

E<sub>in</sub>: 0.09107118365107666 E<sub>out</sub>: 0.08470353761833582

6 versus all with transform

E<sub>in</sub>: 0.09107118365107666 E<sub>out</sub>: 0.08470353761833582

7 versus all without transform

E<sub>in</sub>: 0.08846523110684405 E<sub>out</sub>: 0.07324364723467862

7 versus all with transform

E<sub>in</sub>: 0.08846523110684405 E<sub>out</sub>: 0.07324364723467862

8 versus all without transform

E<sub>in</sub>: 0.07433822520916199 E<sub>out</sub>: 0.08271051320378675

8 versus all with transform

E<sub>in</sub>: 0.07433822520916199 E<sub>out</sub>: 0.08271051320378675

9 versus all without transform

E<sub>in</sub>: 0.08832807570977919 E<sub>out</sub>: 0.08819133034379671

9 versus all with transform

E<sub>in</sub>: 0.08832807570977919 E<sub>out</sub>: 0.08819133034379671

From this we can see that [a] through [d] are not true, and [e] is true, as the transform improves the out-of-sample performance of '5 versus all' by 0.625%.

**Answer: [e]**

10. The attached code generated the following results:

lamda: 0.01

E<sub>in</sub>: 0.004484304932735426 E<sub>out</sub>: 0.02830188679245283

lamda: 1

E<sub>in</sub>: 0.005124919923126201 E<sub>out</sub>: 0.025943396226415096

We can see that E<sub>in</sub> goes down and E<sub>out</sub> goes up from  $\lambda = 1$  to  $\lambda = 0.01$ .

**Answer: [a]**

11. Plotting the transformed points  $\mathbf{z}_n$  in the Z space:

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12. The attached code uses sklearn.svm package based on quadratic programming, which produces the following values representing  $y_i \alpha_i$ :  $[[-1.00000000e+07 -8.88888896e+06 1.00000000e+07 8.88888894e+06 2.22162241e-02]]$ . Since there are 5 nonzero values of  $\alpha_i$ , there are 5 corresponding  $x_n$  values, which are the support vectors.

**Answer: [c]**

13. The attached code generated 0% for 1000 runs.

**Answer: [a]**

14. The attached code generated 84%.

**Answer: [e]**

15. The attached code generated 75%.

**Answer: [d]**

16. The attached code generated the following frequency distribution for 1000 runs:

{'a': 156, 'b': 118, 'c': 92, 'd': 456, 'e': 3}

**Answer: [d]**

17. The attached code generated the following frequency distribution for 1000 runs:

{'a': 181, 'b': 155, 'c': 304, 'd': 190, 'e': 2}

**Answer: [c]**

18. The attached code generated 1%.

**Answer: [a]**

19. Given a prior  $P(h = f)$ , we can get the posterior  $P(h = f | D) \propto P(D | h = f) P(h = f)$ . Since we have the dataset  $D$  (one person chosen from the population who had a heart attack), we can calculate a specific value of  $P(D | h = f)$  for a hypothesis  $h$ , which is the probability of collecting a dataset like that (where the one person chosen had a heart attack) given the hypothesis truly reflected the probability of getting a heart attack for people in a certain population. Since our only data point had a heart attack, that probability  $P(D | h = f)$  would increase linearly over  $h \in [0, 1]$ ; there is 0 probability of getting such a data point--a person who had a heart attack--if the true probability of getting a heart attack was 0, 1 probability of finding a person who had a heart attack if the true probability of getting a heart attack was 1, and the probability of finding a person who had a heart attack would linearly increase with the true probability of getting a heart attack, reflected by  $h$ , linearly increasing. And with our assumption that  $P(h = f)$  is uniform over  $h \in [0, 1]$ , the posterior  $P(h = f | D) \propto P(D | h = f) P(h = f)$  linearly increases over  $[0, 1]$ , since  $P(D | h = f)$  linearly increases over  $[0, 1]$  and  $P(h = f)$  is uniform over  $[0, 1]$  (think of multiplying a linearly increasing function with a constant function, which gives a linearly increasing function).

**Answer: [b]**