

# Homework: Crypto Spread Trading

Wednesday 14<sup>th</sup> January, 2026

## 1 Introduction

A spread trading strategy checks a running estimate of the displacement between two related instruments, and makes bets that this displacement will decline whenever it gets large. Here, we define that displacement in price terms.

## 2 Data

The class website contains high-frequency crypto data. In this assignment, we will work with trade prices since they are easier to handle. Obtain trade prices for ETH-USDT at just 3 exchanges: Binance, Coinbase and OKX. Regularize the data down to the last trade prices observed as of the beginning of each 1-second window.

## 3 Spread Signals

We effectively have 3 pairs available: Binance to Coinbase, Binance to OKX, and Coinbase to OKX. Form 3 base spreads  $s_{A,B,C}^b$  as the difference in your 1-second regularized trade prices. Form exponential moving averages  $a_{A,B,C}$  of these base spreads with half-life 3 hours, and define *shifted* spreads  $s_{A,B,C}$  as  $s^b - a$ .

You will want to do most of your work with a small subset of just one spread, until you are convinced your analysis and graphing routines are bug-free.

At any given timestamp  $t$  will try to find persistent  $p_{A,B,C}^{S,L}$ , by taking the  $N$ -th smallest and  $N$ -th largest observed shifted spread  $s$  over that most recent  $M \geq N$  observations  $t, t-1, \dots, t-(M-1)$ . Note  $N = M = 1$  is a valid choice in which case  $p^S = p^L$ .

## 4 Entry and Exit Bands, Stop Loss Level

Define a stop-loss level  $\ell$ , and define entry and exit bands at levels  $j$  and  $g$ . A short spread position of size 1 ETH will be initiated when  $p^S > g$ , a long one will be initiated when  $p^L < -g$ . A short spread position will be bought back when  $p^S < j$  or the stop loss is reached, i.e.  $p^S > \ell$ . A long spread position will be bought back when  $p^L > -j$  or the stop loss is reached, i.e.  $p^L < -\ell$ .

At the end of the data set, assume a position exit at prevailing prices.

Do not work with values of  $j, g, \ell, N, M$  that result in fewer than 5 trades per day. Instead discard those cases when you find them.

### 4.1 Stop Loss Recovery

A stop loss from a spread exceeding  $|\ell|$  in size results in a pause for the remainder of the day (using timestamps from the data provided).

### 4.2 Trading Costs

Assume a proportional trading cost parameter  $\zeta \geq 0$  in your strategy analysis. On trade the immediate losses are  $\zeta$  times the gross traded entry position value in USDT. On exit they are  $\zeta$  times the gross traded exit position value in USDT. You will want to vary  $\zeta$  in your analysis to understand the effects of trading costs.

### 4.3 Capital

Assume you begin with capital of \$80K in USDT. If capital at any point during the simulated trading time series gets down to \$40K, assume any position is closed and no more trading is done for the rest of the analysis period.

## 5 Analysis

Study the performance<sup>1</sup> of your strategy as you vary  $j$ ,  $g$ ,  $\ell$ ,  $\zeta$ ,  $N$  and  $M$ . You can choose a couple different values for  $\zeta$ : make sure you include zero (costless opportunity) and as basis point  $\zeta = 0.0001$ . Pay attention to Sharpe ratio, drawdown, and raw return.

Include plots. You need not run a fancy nonlinear optimizer, but try to find which parameters work well, and explain how you did it.

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<sup>1</sup>Because we are setting capital to such a high number, returns on capital are small. Do not be alarmed by that.