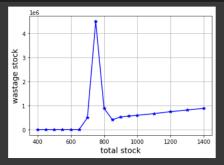


```
wastage_graph.append(results[i][j][0])
unfulfilled_graph.append(results[i][j][1])
```

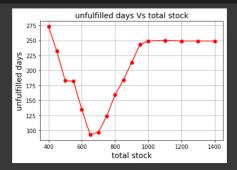
WAREHOUSE CAPACITY VS WASTAGE STOCK

[4] import matplotlib.pyplot as plt
plt.plot(max_stock, wastage_graph, '*-b')
plt.xlabel('total stock', fontsize=14)
plt.ylabel('wastage stock', fontsize=14) plt.grid(True) plt.show()



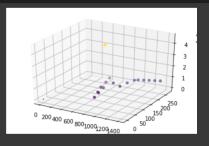
WAREHOUSE CAPACITY VS UNFULFILLED DAYS

[5] import matplotlib.pyplot as plt
plt.plot(max_stock, unfulfilled_graph, color='red', marker='o')
plt.title('unfulfilled days Vs total stock', fontsize=14)
plt.ylabel('total stock', fontsize=14)
plt.ylabel('unfulfilled days', fontsize=14) plt.grid(True) plt.show()



3D GRAPH

▶ from mpl_toolkits import mplot3d import numpy as np import matplotlib.pyplot as plt fig = plt.figure() ax = plt.axes(projection='3d')zline = np.linspace(0, 15, 1000)xline = np.sin(zline)yline = np.cos(zline) ax.plot3D(xline, yline, zline, 'gray') zdata = max_stock xdata = wastage_graph ydata = unfulfilled_graph ax.scatter3D(zdata, ydata, xdata, c=xdata);



MODEL TO SIMULATE POINT ESTIMATES

```
unfullfilled_pe=[]
            life_of_product=80
            available_stock=max_stock
            stocks =[0]*(life_of_product+1)
            stocks[-1] = max_stock
            stock_arrival=5
            required_exp_date=30
            \mathbf{demand} = \mathbf{0}
            unfullfilled_days=0
            wastage_array=[]
            wastage=0
           for z in range(100):
             for m in range(91):
              for i in range(stock_arrival):
               #calculating the wastage in the process and appending it into the array wastage += sum(stocks[:required_exp_date])
               wastage_array.append(wastage)
               day_demand = poisson.rvs(mu=150)
               demand+= day_demand
               available_stock -= wastage
               if available_stock < day_demand:
                unfullfilled_days += 1
                 available_stock = 0
                available_stock-=day_demand
               for j in range(len(stocks)-1,required_exp_date-1,-1):
                 if stocks[j] \ge day_demand:
                  stocks[j] -= day_demand
                  day\_demand = 0
                 day_demand -= stocks[j]
                  stocks[j] = 0
               for k in range(1, len(stocks)):
stocks[k-1] = stocks[k]
               stocks[-1] = 0
              if available_stock == 0:
               stocks[-1] = max_stock
               stocks[-1] = demand + wastage
              wastage = 0
              for l in range(required_exp_date):
               stocks[1] = 0
              available_stock = max_stock
             wastage_pe.append(sum(wastage_array))
             wastage_array=[]
             unfullfilled\_pe.append(unfullfilled\_days)
             unfulfilled_days=0
            return \quad was tage\_pe, unfull filled\_pe
[8] wastage_pe,unfullfilled_pe= simulation_model(850,5)
[9] import scipy.stats as stats
          import math
          mean=np.mean(wastage pe)
          z = stats.norm.ppf(q=0.975)
          x=z*(np.std(wastage\_pe))/math.sqrt(100)
          ci = (mean-x, mean+x)
          print('the expected average wastage',mean)
print('95% confidence interval',ci)
          the expected average wastage 1091.1868131868132 95% confidence interval (353.53769387003535, 1828.835932503591)
                                                                                                                                                                                                                ↑ ↓ ⊖ 🗏 💠 🗓 🔋 :
    import scipy.stats as stats
          import math
          mean=np.mean(unfullfilled_pe)
          z = \text{stats.norm.ppf}(q=0.975)
          x= z*(np.std(unfullfilled_pe))/math.sqrt(100)
          ci = (mean-x,mean+x)
          print('the expected average wastage',mean)
print('95% confidence interval',ci)
```