

Assignment 1

- **Assignment release date:** 09th January
- **Assignment due date:** 23rd January
- **Submission mode:** via email with the title [DOE][Your Name]Assignment 1.
You can include a typeset pdf (written in word or latex) or a scan of a handwritten document. As long as I can read and understand the contents it should be alright. If you have an accompanying code, please use a Google colab notebook and provide a link I can access

1. **Question 1** (10 points)

As the manager of a newly developed laboratory, you have been tasked to set up a safety monitoring and alarm system that would buzz anytime a specific incident occurs more than a specified number of times. For one of the instruments, you have a device that records the number of operating conditions that exceed a set threshold in t seconds is counted. Your task is to devise a scheme such that the alarm will buzz if the number of incidents is above c . Based on your understanding of the instrument's safety manual, you have decided that if the frequency is less than 4, there should be a probability that the alarm will sound 1 in 10 times but will sound 9/10 times if the frequency is above 16. Assuming an appropriate distribution for this case, find out the numeric values for t and c .

[Hint: This is a discrete distribution that we have not discussed in class]

2. **Question 2** (5 points)

A study from a chemical reaction with an improved method B (from method A) has provided the following yield results. Apply the random sample and design methods to provide your conclusions about the experiment. Assume a similar data experimental design as the problem we worked out in class. Provide a python code for doing this in a Google colab.

Method A	Method B
54.6	74.9
45.8	78.3
56.3	68.1
50.7	66.5
64.5	73.5

3. **Question 3** (10 points)

One of the important ideas in statistics is the *curse of dimensionality* which roughly translates to the scenario that as we move higher and higher in dimension, all the points tend to be very close in terms of a Euclidean distance between them. Can you think of a probabilistic way of showcasing this? Describe your method and provide a python code for doing this in a Google colab.