Application: Model

Case study: Houses for sale

## Setup

#### In [9]:

```
%matplotlib inline
import pandas as pd
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt

import tensorflow as tf
from tensorflow import keras
from tensorflow.keras import layers
from tensorflow.keras.layers.experimental import preprocessing

print(tf.__version__)
sns.set_theme(style="ticks", color_codes=True)
```

## 2.4.1

## Data preparation

See notebook 10a-application-model-data-exploration.ipynb for details about data preprocessing and data exploration.

#### In [10]:

```
ROOT = "https://raw.githubusercontent.com/kirenz/modern-statistics/main/data/"
DATA = "duke-forest.csv"
df = pd.read_csv(ROOT + DATA)

# Drop irrelevant features
df = df.drop(['url', 'address', 'type'], axis=1)

# Convert data types
df['heating'] = df['heating'].astype("category")
df['cooling'] = df['cooling'].astype("category")
df['parking'] = df['parking'].astype("category")

# drop column with too many missing values
df = df.drop(['hoa'], axis=1)
df.columns.tolist()
```

#### Out[10]:

```
['price',
  'bed',
  'bath',
  'area',
  'year_built',
  'heating',
  'cooling',
```

```
'parking',
'lot']
```

# Simple regression

#### In [11]:

```
# Select features for simple regression
features = ['area']
X = df[features]

X.info()
print("Missing values:", X.isnull().any(axis = 1).sum())

# Create response
y = df["price"]
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 98 entries, 0 to 97
Data columns (total 1 columns):
    # Column Non-Null Count Dtype
--- 0 area 98 non-null int64
dtypes: int64(1)
memory usage: 912.0 bytes
Missing values: 0
```

## Data splitting

#### In [12]:

```
from sklearn.model_selection import train_test_split

# Train Test Split

# Use random_state to make this notebook's output identical at every run

X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
```

## Linear regression

Start with a single-variable linear regression, to predict price from area. Training a model with tf.keras typically starts by defining the model architecture. In this case use a keras. Sequential model. This model represents a sequence of steps. In this case there is only one step:

Apply a linear transformation to produce 1 output using layers. Dense.

The number of inputs can either be set by the input\_shape argument, or automatically when the model is run for the first time.

```
In [13]:
lm = tf.keras.Sequential([
  layers.Dense(units=1, input shape=(1,))
1)
lm.summary()
Model: "sequential 1"
Layer (type)
                                     Output Shape
Param #
dense 1 (Dense)
                                      (None, 1)
 _______
Total params: 2
Trainable params: 2
```

Non-trainable	params:	0

This model will predict price from area.

Run the untrained model on the first 10 area values. The output won't be good, but you'll see that it has the expected shape, (10,1):

```
In [14]:
lm.predict(X train[:10])
Out[14]:
array([-2667.3628],
         [-2423.789]
         [-1526.7021],
         [-2527.6526],
         [-2145.2878]
         [-2129.6624],
         [-1997.3052],
         [-3606.7305],
         [-2290.513]
         [-2918.2898]], dtype=float32)
```

```
lm.compile(
    optimizer=tf.optimizers.Adam(learning_rate=0.1),
    loss='mean_absolute_error')
```

#### In [16]:

```
%%time
history = lm.fit(
    X_train, y_train,
    epochs=400,
    # suppress logging
    verbose=0,
    # Calculate validation results on 20% of the training data
    validation_split = 0.1)
```

CPU times: user 14.5 s, sys: 747 ms, total: 1 5.3 s
Wall time: 14.9 s

```
In [17]:
  y_train
Out[17]:
```

```
49
     525000
     520000
70
68
     412500
15
     610000
39
     535000
60
     509620
71
     540000
14
     631500
92
     590000
51 725000
Name: price, Length: 78, dtype: int64
```

#### In [18]:

```
# Calculate R squared
from sklearn.metrics import r2_score

y_pred = lm.predict(X_train).astype(np.int64)
y_true = y_train.astype(np.int64)

r2_score(y_train, y_pred)
```

#### Out[18]:

-0.8072585066424944

#### In [19]:

```
# slope coefficient
lm.layers[0].kernel
```

#### Out[19]:

```
<tf.Variable 'dense_1/kernel:0' shape=(1, 1)
dtype=float32, numpy=array([[118.29804]], dty
pe=float32)>
```

#### In [20]:

```
hist = pd.DataFrame(history.history)
hist['epoch'] = history.epoch
hist.tail()
```

### Out[20]:

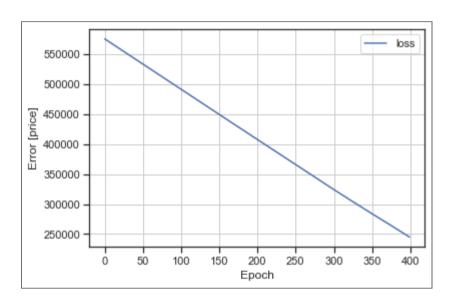
	loss	val_loss	epoch
395	248125.968750	194706.562500	395
396	247328.968750	193920.875000	396
397	246563.859375	193134.828125	397
398	245783.453125	192343.437500	398
399	244997.031250	191549.718750	399

#### In [21]:

```
def plot_loss(history):
   plt.plot(history.history['loss'], label='loss')
   plt.xlabel('Epoch')
   plt.ylabel('Error [price]')
   plt.legend()
   plt.grid(True)
```

## In [22]:

plot\_loss(history)



## Collect the results (mean squared error) on the test set, for later:

Since this is a single variable regression it's easy to look at the model's predictions as a function of the input:

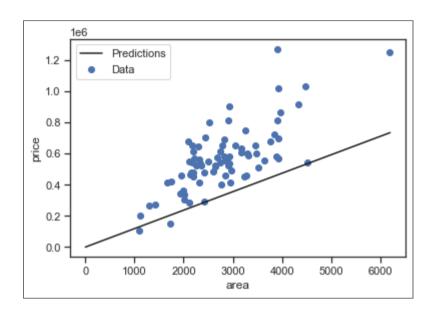
```
In [26]:
x = tf.linspace(0.0, 6200, 6201)
v = lm.predict(x)
Out [26]:
array([[1.1863766e+02],
          [2.3693570e+02],
          [3.5523373e+02],
          • • • /
          [7.3332988e+05],
          [7.3344819e+05],
          [7.3356650e+05]], dtype=float32)
```

#### In [27]:

```
def plot_area(x, y):
   plt.scatter(X_train['area'], y_train, label='Data')
   plt.plot(x, y, color='k', label='Predictions')
   plt.xlabel('area')
   plt.ylabel('price')
   plt.legend()
```

## In [28]:

plot\_area(x,y)



# Multiple Regression

#### In [29]:

```
# Select all relevant features
features= [
 'bed',
 'bath',
 'area',
 'year built',
 'cooling',
 'lot'
 1
X = df[features]
# Convert categorical to numeric
X = pd.get dummies(X, columns=['cooling'], prefix='cooling', prefix sep=' ')
X.info()
print("Missing values:", X.isnull().any(axis = 1).sum())
# Create response
v = df["price"]
```

```
98 non-null
                                   int64
    area
3
                    98 non-null
                                  int64
    year built
4
                    97 non-null float64
    lot
5 cooling central 98 non-null uint8
    cooling other 98 non-null uint8
 6
dtypes: float64(2), int64(3), uint8(2)
memory usage: 4.1 KB
Missing values: 1
```

#### In [30]:

```
from sklearn.model_selection import train_test_split

# Train Test Split

# Use random_state to make this notebook's output identical at every run

X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
```

```
In [31]:
lm 2 = tf.keras.Sequential([
  layers.Dense(units=1, input shape=(7,))
])
lm 2.summary()
Model: "sequential 2"
Layer (type)
                                      Output Shape
Param #
dense 2 (Dense)
                                      (None, 1)
8
 _______
Total params: 8
Trainable params: 8
```

Non-trainable	params:	0

### In [32]:

```
lm_2.compile(
    optimizer=tf.optimizers.Adam(learning_rate=0.1),
    loss='mean_absolute_error')
```

#### In [33]:

```
%time
history = lm_2.fit(
    X_train, y_train,
    epochs=400,
    # suppress logging
    verbose=0,
    # Calculate validation results on 20% of the training data
    validation_split = 0.1)
```

CPU times: user 14.5 s, sys: 739 ms, total: 1 5.2 s
Wall time: 14.7 s

#### In [34]:

```
# Calculate R squared
from sklearn.metrics import r2_score

y_pred = lm_2.predict(X_train).astype(np.int64)
y_true = y_train.astype(np.int64)

r2_score(y_train, y_pred)
```

#### Out[34]:

## 0.28772384550829944

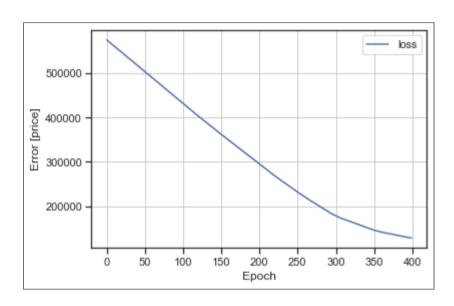
## In [35]: # slope coefficients lm 2.layers[0].kernel Out[35]: <tf. Variable 'dense 2/kernel:0' shape=(7, 1) dtype=float32, numpy= array([[105.53154], [108.65832], [105.82798], [104.10174], [108.07097],

[ 97.46925]], dtype=float32)>

[104.49152],

## In [36]:

plot\_loss(history)



## In [37]:

```
test_results['lm_2'] = lm_2.evaluate(
    X_test, y_test, verbose=0)
```

# DNN regression

The previous section implemented linear models for single and multiple inputs. This section implements a multiple-input DNN models. The code is basically the same except the model is expanded to include some "hidden" non-linear layers. The name "hidden" here just means not directly connected to the inputs or outputs.

These models will contain a few more layers than the linear model:

- Two hidden, nonlinear, Dense layers using the relu nonlinearity.
- A linear single-output layer.

#### In [38]:

#### In [39]:

```
%%time
history = dnn_model.fit(
    X_train, y_train,
    epochs=100,
    # suppress logging
    verbose=0,
    # Calculate validation results on 20% of the training data
    validation_split = 0.1)
```

```
CPU times: user 4.05 s, sys: 212 ms, total: 4.26 s
Wall time: 4.09 s
```

#### In [40]:

```
# Calculate R squared
from sklearn.metrics import r2_score

y_pred = dnn_model.predict(X_train).astype(np.int64)
y_true = y_train.astype(np.int64)

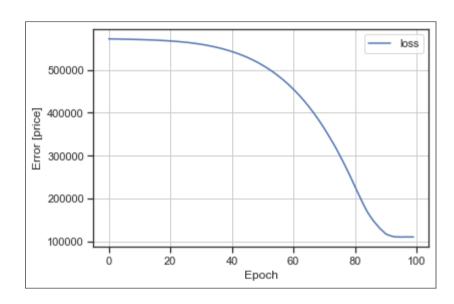
r2_score(y_train, y_pred)
```

Out[40]:

0.4847519024408956

## In [41]:

plot\_loss(history)



## In [42]:

```
test_results['dnn_model'] = dnn_model.evaluate(
    X_test, y_test, verbose=0)
```

# Performance comparison

143017.937500

dnn\_model