# Patch-based Path Planning using Deep Reinforcement Learning

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Abstract

Todo

## 1 Introduction

Many algorithms exist to solve the problem of path planning—the problem of finding a path from a starting position to a goal position in some environment with obstacles. However, most of these algorithms involve expensive calculation and are not suitable for environments with moving obstacles. Some works are thus exploring methods of applying deep reinforcement learning (DRL) to the problem (TODO: reference other works). This work details one such method to apply DRL algorithms for path planning that relies only on a small patch of the environment at each time step to operate.

## 2 Methodology

Our method is based on Deep Deterministic Policy Gradient (DDPG) [1] and allows an agent to make continuous movements within a grid environment. DDPG, like many other deep reinforcement learning algorithms, relies on three main components: states, actions, and rewards. In this work, we refer to these components at time step t as  $s_t$ ,  $a_t$ , and  $r_t$  respectively.

Note that we imagine the agent as mobile, so by the agent's current position we mean the position of the theoretical mobile device that would be performing the navigation. Simultaneously, we use the term agent in the traditional reinforcement learning sense: an intelligent algorithm that determines which actions to take given some state of the environment.

During each time step, the agent is presented with a local view of its surroundings, with which it determines its immediate trajectory in order to avoid obstacles and reach the goal position. The following sections detail the environment setup, states, actions, and rewards used in the method.

## 2.1 Environment Setup and State

The environment setup was kept as simple as possible to allow the agent to be extended to as many different applications as possible (e.g. UAVs, land robots, etc.). Hence, an environment is described as a 2-dimensional grid of spaces, each either traversable or not, representing a top-down view of the area of interest. Such an environment is stored as an image and some examples can be seen in Figure 1.

At time step t, the state  $s_t$  is a combination of 1) a local patch of the environment centered around the agent's current position and 2) the normalized displacement vector of the goal from the agent's current position.

The local patch component of the state is a  $11 \times 11$  grid space view of the environment centered at its current position. Since the agent may not be positioned at the exact center of a grid space, we perform bilinear interpolation to scale the weights of each component of this local view (see Figure 2).



Figure 1: Environments used for training and testing. Black pixels represent an untraversable grid space, while white ones are traversable.

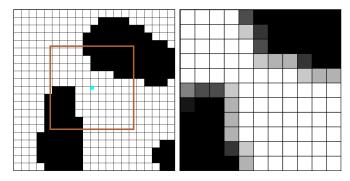


Figure 2: Example of the bilinear interpolation of the agent's local view of the environment. On the left the orange box represents the area of the bigger environment that the agent can see, and on the right is the interpolated view that the agent receives as input.

## 2.2 Agent Action Space

While the environment is defined within a uniform grid, the agent's action space is continuous. Hence, at time step t, the action  $a_t \in \mathbb{R}^2$  is the velocity vector of the agent in 2-dimensional space.

When the agent provides action  $a_t$ , we perform collision detection to ensure the agent cannot move through untraversable grid spaces.

#### 2.3 Reward Functions

In this work, the reward function  $r_t$  consists of a few components that encode certain behaviors we desire from a well-trained agent. These components are  $r_{goal}$ ,  $r_{dist}$ , and  $r_{margin}$ . The component  $r_{goal}$  is a constant reward given when the agent reaches the goal position.

The component  $r_{dist}$  is a function of the distance of the agent from the goal position. It is defined exactly as

$$r_{dist} = -C_1 d_{goal} \tag{1}$$

where  $C_1$  is a hyper parameter and  $d_{goal}$  is the distance between the agent and the goal position. This function incurs a penalty for every simulation step, but this penalty shrinks as the agent approaches the goal. Hence, it encourages the agent to reach the goal in as few steps as possible.

The component  $r_{margin}$  is a function of the distance to the closest untraversable grid space from the agent, defined as

$$r_{margin} = \begin{cases} -C_2 (d_{wall} + 0.5)^{-C_3} & \text{if } d_{wall} <= 6\\ 0 & \text{if } d_{wall} > 6 \end{cases}$$
 (2)

where  $C_2$  and  $C_3$  are hyper parameters and  $d_{wall}$  is the distance between the agent and the closest untraversable grid space. This function was chosen because the penalty for the agent traversing close to an obstacle grows exponentially. Hence, it incurs a large penalty for collisions while still allowing the agent to traverse relatively close to obstacles without as much penalty.

Finally, the total reward is defined as

$$r_t = r_{margin} + r_{dist} + \begin{cases} r_{goal} & \text{if the agent reached the} \\ & \text{goal in this time step} \\ 0 & \text{otherwise} \end{cases}$$
(3)

where  $r_{goal}$  is another hyper parameter.

## 2.4 Agent Network Structure

DDPG is an actor-critic deep reinforcement learning method, meaning our agent consists of two networks: the actor network that chooses actions based environment state, and the critic network that evaluates the Q-value of a given state and action pair.

Our actor network takes the environment state (as described in Section 2.1) and produces an action  $a_t$  (as described in Section 2.2). The network architecture consists of 2D convolutional layers, followed by fully connected layers, with the final layer having a tanh activation to clamp the velocity components in the range (-1,1). See Figure 3 for a detailed view of the network.

The critic network is in many ways similar to the actor network, except the output is a single number (the Q-value) with a linear activation. See Figure 4 for the detailed view.

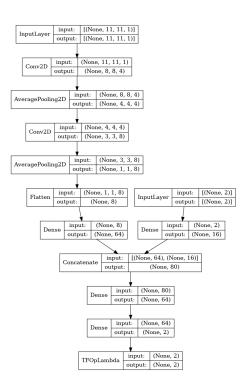


Figure 3: Architecture of the actor network. TODO: Create better graphic.

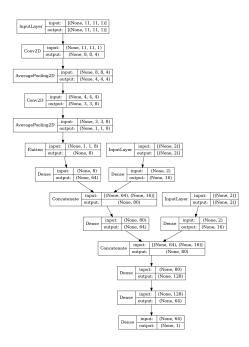


Figure 4: Architecture of the critic network. TODO: Create better graphic.

## 3 Experiment Results

Our networks were trained using DDPG in an environment with many obstacles (the left-most environment shown in Figure 1). For each episode of training, the start and end states within the environment were randomized, taking care to not place either within or too close to an obstacle. Then, the agent uses its actor network to take steps through the environment. An episode ends when either the agent reaches the goal or a fixed number of time steps occur.

After the agent was proficient in the training environment, its performance was evaluated in the other two environments of Figure 1. We evaluated the agent's performance with and without the  $r_{margin}$  reward component, finding that the margin allowed for smoother traversal around obstacles. These results can be found in Figures 5 and 6.

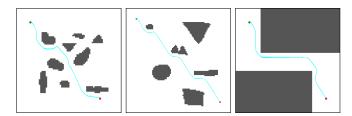


Figure 5: Paths found without the  $r_{margin}$  reward component. The agent was trained on the leftmost environment. The results for the right two are generalization; the agent never saw these environments in training.



Figure 6: Paths found with the  $r_{margin}$  reward component. The agent was trained on the leftmost environment. The results for the right two are generalization; the agent never saw these environments in training.

TODO: Re-run some the experiments and get reward graphs over time.

## 4 Conclusion

This work presents a method of applying DRL algorithms to the task of path planning. From our empirical results, we find that such a method can be very effective for environments with simple obstacles. Furthermore, we find that our trained agents generalize well to new environments that were not encountered while training. We continue to develop this method, namely exploring more components to the reward function to further smooth the generated path.

## References

[1] Timothy P. Lillicrap, Jonathan J. Hunt, Alexander Pritzel, Nicolas Heess, Tom Erez, Yuval Tassa, David Silver, and Daan Wierstra. Continuous control with deep reinforcement learning. In Yoshua Bengio and Yann LeCun, editors, 4th International Conference on Learning Representations, ICLR 2016, San Juan, Puerto Rico, May 2-4, 2016, Conference Track Proceedings, 2016.