So Many Meetings (`meetings`)

William loves organizing computer science competitions such as ITACPC. Because of this, he often needs to have online meetings with sponsors, professors, volunteers and so on.

To keep track of all these meetings he naturally uses a calendar, but the meetings can get so frequent that sometimes more than one meeting is scheduled to take place at the same time! William is keeping up with this, for now (virtual meetings, multiple browser windows, nodding and smiling to the camera...) but he agrees it should really be avoided as much as possible.

Figure 1: A not-so-busy-looking calendar.

We consider two meetings to happen at the same time even if they just "touch", for example a meeting taking place from time 1 to time 3 overlaps with another taking place from time 3 to time 6 because William needs some time to switch meetings, he cannot finish one meeting and immediately be connected in the other meeting.

William asked his friend Antonio to implement an algorithm to reduce meeting overlap in his calendar. The calendar has N meetings, the i-th of which is starting at time L_i and ending at time R_i. We define the "schedule cost" as the maximum number of meetings that William is attending simultaneously. Antonio's algorithm is allowed to cancel K meetings and wants to minimize the cost of the new schedule.

Help Antonio write the algorithm for William's calendar!

Input

The first line contains two integers: N and K, respectively the total number of meetings and the maximum number of meetings that Antonio's algorithm can cancel.

Each of the next N lines contain a pair of integers: L_i and R_i, respectively the starting and the ending time of the i-th meeting.

Output

You need to write a single line containing the minimum cost of the new schedule.

Constraints

- $2 \leq N \leq 100\,000$.
- $2 \leq L_i < R_i \leq 100\,000$ for each i.
- $1 \leq K \leq N - 1$.
- Each pair (L_i, R_i) is unique.

Examples

input	output
3 1 5 12 2 8 6 15	2
5 2 3 10 6 13 11 19 2 20 4 8	2

Explanation

In the first example, it doesn't matter which meeting Antonio's algorithm cancels, the remaining two meetings will always overlap yielding a schedule cost of 2.

In the second example, one way to obtain a schedule cost of 2 by deleting two meetings is to delete meeting $(2, 20)$ and $(4, 8)$, but there are also other valid ways to obtain the same optimal result.