

$$(\hat{H} - \epsilon) | \psi_{I_i, I_n, M_n}^{ol}(k, \epsilon) \rangle = | [M^{ol}(\omega) \otimes \psi_{I_i, 0}]^{I_n, M_n} \rangle$$

$$\begin{array}{l} \underbrace{\quad}_{\substack{ol \rightarrow ol'ol \\ o \rightarrow i, f \\ k \rightarrow k, k'}} \\ \Downarrow \end{array}$$

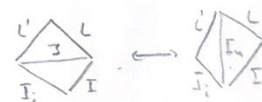
$$L_{ol'ol}^{if, I_n}(k, k', \epsilon) = (-)^{I_n - I_i + L - L' + \nu'} g(I_n, \epsilon) \sum_{M_n} \langle \psi_{I_i, I_n, M_n}^{ol'}(k', \epsilon) | \psi_{I_i, I_n, M_n}^{ol}(k, \epsilon) \rangle$$

\Downarrow inversion

$$F_{ol'ol}^{I_i, I_n}(k, k', E)$$

\Downarrow interact of internally propagating states with I_n via total momentum transfer

$$F_{ol'ol}^{I_i, I_n}(k, k', E) = \sum_{I_n} 6g F_{ol'ol}^{I_n}$$



$$\begin{array}{c} \begin{array}{c} L' \\ \diagup \quad \diagdown \\ I_i \quad I_f \end{array} \quad \begin{array}{c} L \\ \diagup \quad \diagdown \\ I_i \quad I_f \end{array} \\ \hline [I_i \otimes L']^{I_n} \otimes [I_i \otimes L]^{I_n} \end{array}$$

$$P_{ol'ol}^{I_n}(k, k') = 2\pi (-)^{L+I_i+I_n} \hat{L} \hat{L}' \int_{E_i}^{\infty} dE \left[\frac{F}{E - E_i - k} + \frac{F(\omega')}{E - E_i + k'} \right]$$

$$\Downarrow \quad \text{Im/Re}[P]$$

$$P_{\lambda\lambda'}^{I_n, 3}(k, k') = \sum_{\nu, \nu' \in \{0, 1, 2\}} \chi_{\nu'}^{\nu} \chi_{\nu}^{\nu'} P_{ol'ol}^{I_n}(k, k')$$

\uparrow multipole decomposition $\hat{e}_\lambda e^{ik \cdot \hat{r}}$ and $\hat{e}_\lambda \cdot \hat{S}(k)$

amplitude Q_N : $\begin{array}{l} \text{molec } I_i, M_i \\ \text{optical } \lambda\lambda', k, k' \end{array} \quad T_{\lambda\lambda'}^{fi}(k, k') = \# \sum_{\substack{L, M_L \\ L', M_L' \\ 3}} P_{\lambda\lambda' L L'}^{fi, 3}(k, k') \quad \#(\text{rotation})$