Power Analysis for CSI online typing with patients with aphasia - Interaction effect: Session x Ordinal position (wh estimates)

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load packages

```
library(tidyr)
library(dplyr)
library(devtools)
library(MASS)
library(lme4)
library(lmerTest)
library(simr)
library(pbkrtest)
library(gpkrtest)
library(testthat)
library(ggplot2)

rm(list = ls())

today <- Sys.Date()
today <- format(today, format="%d%m%y")</pre>
```

Load data from Lorenz, Doering, van Scherpenberg, Pino, Abdel Rahman, & Obrig (2021)

In this lab-based study, people with Aphasia did a CSI task with 3 repetitions in two subsequent weeks. Both testing sessions had different items. Additionally, participants also did a CSI task with compounds (not relevant here).

The data loaded here are already cleaned for errors and participants.

The data structure is somewhat different from the planned experiment. Our experiment will have no repetition, but three testing sessions with the same items. Does the variance differ between the repetitions within a session and the two testing sessions?

```
df %>% group_by(wh, repet, OrdPos) %>%
 summarize(sd = sd(RT, na.rm = T))
## 'summarise()' has grouped output by 'wh', 'repet'. You can override using the '.groups' argument.
## # A tibble: 30 x 4
## # Groups: wh, repet [6]
           repet OrdPos
##
##
      <fct> <fct> <chr> <dbl>
  1 1
                 OP1
##
           151
                         694.
## 2 1
           151
                 0P2
                         896.
## 3 1
           151
                 0P3
                         929.
## 4 1
           151
                 0P4
                         706.
                 0P5
## 5 1
           151
                        1048.
## 6 1
           152
                 OP1
                        830.
## 7 1
           152
                 OP2
                         907.
## 8 1
           152
                 0P3
                         726.
## 9 1
           152
                 0P4
                         766.
## 10 1
           152
                 0P5
                         926.
## # ... with 20 more rows
df %>% group_by(wh)%>% summarize(sd = sd(RT, na.rm = T))
## # A tibble: 2 x 2
    wh
    <fct> <dbl>
##
## 1 1
           859.
## 2 2
           958.
df %>% group_by(repet)%>% summarize(sd = sd(RT, na.rm = T))
```

A tibble: 3 x 2

```
##
     repet
              sd
     <fct> <dbl>
##
## 1 151
           1003.
## 2 152
            865.
## 3 153
            857.
df %>% group_by(wh, repet)%>%summarize(sd = sd(RT, na.rm = T))
## 'summarise()' has grouped output by 'wh'. You can override using the '.groups' argument.
## # A tibble: 6 x 3
## # Groups:
               wh [2]
     wh
           repet
     <fct> <fct> <dbl>
##
## 1 1
           151
                   870.
## 2 1
           152
                   833.
## 3 1
           153
                   872.
## 4 2
           151
                  1112.
## 5 2
           152
                   895.
## 6 2
           153
                   840.
df %>% group_by(OrdPos)%>%summarize(sd = sd(RT,na.rm=T))
## # A tibble: 5 x 2
     OrdPos
##
               sd
##
     <chr>
            <dbl>
## 1 OP1
             776.
## 2 OP2
             880.
## 3 OP3
             944.
## 4 OP4
             968.
## 5 OP5
             971.
```

Overall, the variances are not too different (but still). The variance in the second session seems to be somewhat higher and the variances seem to increase with ordinal position.

Comparison 1: Power analysis for the interaction of Ordinal position and Session

Subset the data to the first repetition of the first and second session.

```
df_Ord <- df %>% filter(repet == 151) %>% droplevels()
```

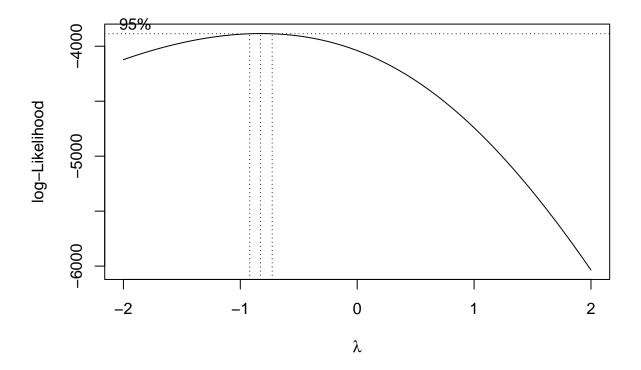
1) Set up models based on the structure of the online CSI experiment

Unfortunately, simr does not work properly with GLMMs. Therefore, for the power analysis, we will set up an LMM with transformed RTs

a) center OrdPos (continuous predictor)

b) Check distribution of RTs

```
# Boxcox plot suggests inverse transformation:
boxcox(df_Ord$RT ~ df_Ord$OrdPos*df_Ord$wh)
```



```
# # check distribution of RTs (by eyeballing)
# # 1) density plot of RTs
# qplot(data=df_Ord, RT, geom="density", na.rm=TRUE)+ theme_bw()
# # 2) plot data against real normal distribution -> is it way off?
# qqnorm(df_Ord$RT); qqline(df_Ord$RT)
#
# check distribution of logRTs (by eyeballing)
# df_Ord$lRT <- log(df_Ord$RT)</pre>
```

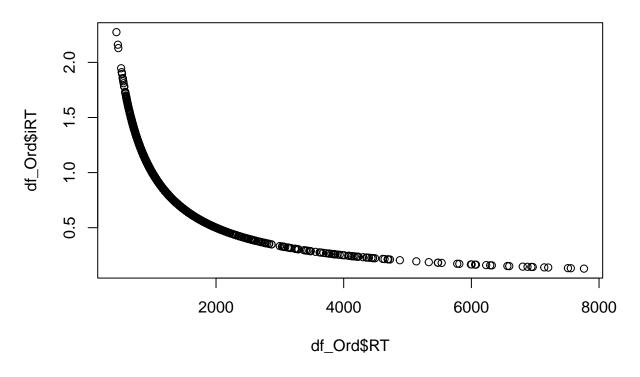
```
# # 1) density plot of logRTs
# qplot(data=df_Ord, lRT, geom="density", na.rm=TRUE) + theme_bw()
# # 2) plot data against real normal distribution -> is it way off?
# qqnorm(df_Ord$lRT); qqline(df_Ord$lRT)
# ### data kind of normally distributed. Log RTs fit better
#
# check distribution of 1/RT (by eyeballing)
# df_Ord$iRT <- 1/df_Ord$RT
# # 1) density plot of logRTs
# qplot(data=df_Ord, iRT, geom="density", na.rm=TRUE) + theme_bw()
# # 2) plot data against real normal distribution -> is it way off?
# qqnorm(df_Ord$iRT); qqline(df_Ord$iRT)
# ### data kind of normally distributed. Inverse RTs fit well
```

Check the goodness of fit of an inverse transformation (with RT divided by 1000: 1/(x/1000) = 1000/x):

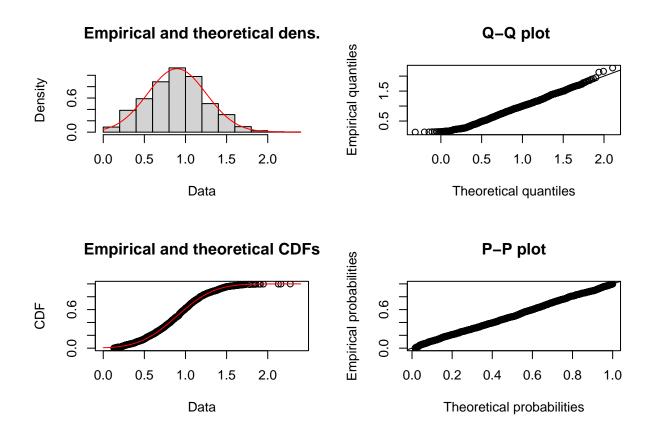
```
library(fitdistrplus)
```

Lade nötiges Paket: survival

```
# fit.normal<- fitdist(df_Ord$RT, distr = "norm", method = "mle")
# summary(fit.normal)
# plot(fit.normal)
df_Ord$iRT <-1000/df_Ord$RT
# plot this transformation distribution
plot(df_Ord$RT, df_Ord$iRT)</pre>
```



```
# check fit
fit.normal_inv<- fitdist(df_Ord$iRT, distr = "norm", method = "mle")</pre>
summary(fit.normal_inv)
\ensuremath{\mbox{\sc #\#}} Fitting of the distribution ' norm ' by maximum likelihood
## Parameters :
         estimate Std. Error
## mean 0.8957700 0.009580682
        0.3577073 0.006774327
## Loglikelihood: -544.9123
                               AIC: 1093.825
                                                 BIC: 1104.304
## Correlation matrix:
##
        mean sd
## mean
           1 0
           0 1
## sd
plot(fit.normal_inv)
```



An inverse transformation fits the data well. We will thus use this kind of transformation

c) Set up the models

Model 1: Linear model with continuous predictor "Ordinal position", treatment contrasted predictor "repetition" and inversely transformed RT data

```
# compute sliding difference contrast: Intercept is grand mean, second level is compared to first level
contrasts(df_Ord$wh) <- contr.sdif(2)</pre>
# maximal model has singular fit - stepwise reduction
#lmm1 <- lmer(iRT ~ OrdPos.c*wh +
                (OrdPos.c*wh|subject) +(OrdPos.c*wh|cat_nr) ,
#
             data = df_Ord, REML = FALSE,
             control=lmerControl(optimizer = "bobyga"))
lmm1 <- lmer(iRT ~ OrdPos.c*wh +</pre>
               (wh|subject) +(wh|cat_nr) ,
            data = df_Ord, REML = FALSE,
            control=lmerControl(optimizer = "bobyqa",
                                 optCtrl=list(maxfun=2e5)))
  lmm1 <- afex::lmer_alt(iRT ~ OrdPos.c*wh +</pre>
#
                  (wh//subject) +(OrdPos.c*wh//cat_nr) ,
#
              data = df_Ord, REML = FALSE,
              control=lmerControl(optimizer = "bobyqa",
#
                                   optCtrl=list(maxfun=2e5)))
```

```
# isSingular(lmm1)
# summary(lmm1)
```

A) Power analysis for the Ordinal position effect in this more complex model

2a) Extend dataset

Other than Lorenz et al, we have 24 categories (we use the same stimuli as in Stark, van Scherpenberg et

```
al., 2021). So we extend along categories.
Additionally, we also extend along participants: 25 participants (20 + 25\%)
lmm24 <- extend(lmm1, along="cat_nr", n=24)</pre>
m2data <- getData(1mm24)</pre>
## ok, data were indeed extended to n categories ;-)
str(m2data)
## 'data.frame':
                   1871 obs. of 10 variables:
## $ subject : Factor w/ 18 levels "1", "2", "3", "4", ...: 1 1 1 1 2 2 2 3 3 3 ...
## $ OrdPos : chr "OP5" "OP1" "OP2" "OP3" ...
## $ RT
              : num 7558 735 678 860 1208 ...
## $ repet
              : Factor w/ 1 level "151": 1 1 1 1 1 1 1 1 1 ...
               : Factor w/ 2 levels "1","2": 1 1 1 1 1 1 1 1 1 1 ...
## $ wh
    ..- attr(*, "contrasts")= num [1:2, 1] -0.5 0.5
##
##
    ...- attr(*, "dimnames")=List of 2
    ....$ : chr [1:2] "1" "2"
    .. ...$ : chr "2-1"
##
   $ item_id : Factor w/ 90 levels "1","2","3","4",..: 20 16 17 18 18 20 16 18 19 20 ...
##
## $ cat_nr : Factor w/ 24 levels "a", "b", "c", "d", ...: 1 1 1 1 1 1 1 1 1 1 ...
## $ OrdPos_num: num 5 1 2 3 2 4 5 1 2 3 ...
## $ OrdPos.c : num [1:1871, 1] 2.0136 -1.9864 -0.9864 0.0136 -0.9864 ...
    ..- attr(*, "dimnames")=List of 2
##
    .. ..$ : NULL
    ....$ : NULL
##
   $ iRT
            : num 0.132 1.36 1.476 1.163 0.828 ...
str(df_Ord)
## 'data.frame':
                   1394 obs. of 10 variables:
## $ subject : Factor w/ 18 levels "1","2","3","4",..: 1 1 1 1 1 1 1 1 1 1 ...
## $ OrdPos : chr "OP5" "OP1" "OP1" "OP1" ...
## $ RT
               : num 7558 652 735 728 552 ...
               : Factor w/ 1 level "151": 1 1 1 1 1 1 1 1 1 ...
## $ repet
               : Factor w/ 2 levels "1", "2": 1 1 1 1 1 1 1 1 1 1 ...
## $ wh
    ..- attr(*, "contrasts")= num [1:2, 1] -0.5 0.5
     ...- attr(*, "dimnames")=List of 2
##
    .. ...$ : chr [1:2] "1" "2"
    .. ... : chr "2-1"
## $ item_id : Factor w/ 90 levels "1","2","3","4",..: 20 1 16 56 31 61 2 32 62 57 ...
              : Factor w/ 18 levels "1","2","3","4",...: 4 1 4 12 7 13 1 7 13 12 ...
## $ OrdPos_num: num 5 1 1 1 1 1 2 2 2 2 ...
## $ OrdPos.c : num [1:1394, 1] 2.01 -1.99 -1.99 -1.99 -1.99 ...
```

```
..- attr(*, "scaled:center")= num 2.99
               : num 0.132 1.533 1.36 1.373 1.811 ...
##
   $ iRT
lmm24_20 <- extend(lmm24, along="subject", n=20)</pre>
m2data <- getData(lmm24_20)</pre>
lmm24_25 <- extend(lmm24, along="subject", n=25)</pre>
m2data <- getData(lmm24_25)</pre>
# ## ok, data were indeed extended to n subjects ;-)
str(m2data)
## 'data.frame':
                    2567 obs. of 10 variables:
## $ subject : Factor w/ 25 levels "a","b","c","d",..: 1 1 1 1 1 1 1 1 1 1 ...
               : chr "OP5" "OP1" "OP2" "OP3" ...
## $ OrdPos
## $ RT
               : num 7558 735 678 860 652 ...
              : Factor w/ 1 level "151": 1 1 1 1 1 1 1 1 1 ...
## $ repet
               : Factor w/ 2 levels "1", "2": 1 1 1 1 1 1 1 1 1 1 ...
## $ wh
##
    ..- attr(*, "contrasts")= num [1:2, 1] -0.5 0.5
##
    ...- attr(*, "dimnames")=List of 2
    .. ...$ : chr [1:2] "1" "2"
##
##
     .. ... : chr "2-1"
   $ item_id : Factor w/ 90 levels "1","2","3","4",..: 20 16 17 18 1 2 3 4 5 56 ...
##
               : Factor w/ 24 levels "a", "b", "c", "d", ...: 1 1 1 1 2 2 2 2 2 3 ...
## $ cat_nr
## $ OrdPos_num: num 5 1 2 3 1 2 3 4 5 1 ...
   $ OrdPos.c : num [1:2567, 1] 2.0136 -1.9864 -0.9864 0.0136 -1.9864 ...
##
##
    ..- attr(*, "dimnames")=List of 2
##
    ....$ : NULL
    ....$ : NULL
## $ iRT
                : num 0.132 1.36 1.476 1.163 1.533 ...
```

3a) Specify effect sizes: Use the ordinal position effect from Lorenz et al 2021

str(df_Ord)

Model 1: Linear model with continuous predictor "Ordinal position" and inversely transformed RT data Ordinal position effect: $\sim 77~\mathrm{ms}$

```
# use this as the fixed effect of interest
fixef(lmm24_20)
##
                                           wh2-1 OrdPos.c:wh2-1
      (Intercept)
                        OrdPos.c
##
      0.882846217
                    -0.027034979
                                   -0.062846528
                                                     0.007402801
fixef(lmm24_25)
##
      (Intercept)
                         OrdPos.c
                                           wh2-1 OrdPos.c:wh2-1
      0.882846217
                    -0.027034979
##
                                    -0.062846528
                                                    0.007402801
```

4a) Run the power analysis for ordinal position based on effect size from Lorenz et al (2021)

```
set.seed(99)
Model 1: Linear model with continuous predictor "Ordinal position" and the factor "repetition" (sliding diff.
contrast) and inversely transformed RT data (sample size: 16)
PowerLMM_OrdPos_16 <- powerCurve(lmm24_20,along = "subject",
                                   test=fixed("OrdPos.c","t"),
                            breaks = c(16), nsim = n_it)
lastResult()$warnings
lastResult()$errors
PowerLMM_OrdPos_16
## Power for predictor 'OrdPos.c', (95% confidence interval),
## by number of levels in subject:
        16: 100.0% (99.63, 100.0) - 1649 rows
##
## Time elapsed: 0 h 5 m 33 s
Model 2: Linear model with continuous predictor "Ordinal position" and the factor "repetition" (sliding diff.
contrast) and inversely transformed RT data (sample size: 16)
PowerLMM_OrdPos_20 <- powerSim(lmm24_20, test=fixed("OrdPos.c","t"), nsim = n_it) # increase to nsim >
lastResult()$warnings
lastResult()$errors
PowerLMM_OrdPos_20
## Power for predictor 'OrdPos.c', (95% confidence interval):
##
         100.0% (99.63, 100.0)
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
##
         Effect size for OrdPos.c is -0.027
##
## Based on 1000 simulations, (1 warning, 0 errors)
## alpha = 0.05, nrow = 2081
##
## Time elapsed: 0 h 6 m 38 s
## nb: result might be an observed power calculation
Model 3: Linear model with continuous predictor "Ordinal position" and the factor "repetition" (sliding diff.
contrast) and inversely transformed RT data (sample size: 25)
PowerLMM_OrdPos_25 <- powerSim(lmm24_25, test=fixed("OrdPos.c", "t"), nsim = n_it) # increase to nsim >
lastResult()$warnings
lastResult()$errors
```

PowerLMM_OrdPos_25

```
## Power for predictor 'OrdPos.c', (95% confidence interval):
## 100.0% (99.63, 100.0)
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
## Effect size for OrdPos.c is -0.027
##
## Based on 1000 simulations, (4 warnings, 0 errors)
## alpha = 0.05, nrow = 2567
##
## Time elapsed: 0 h 7 m 37 s
##
## nb: result might be an observed power calculation
```

Do the same with the effect size from Stark et al (2021)

3a) Specify effect sizes: Use the ordinal position effect from Stark et al 2021 Model 1: Linear model with continuous predictor "Ordinal position" and inversely transformed RT data Ordinal position effect: ~31

```
# take the grand mean
gm <- mean(df_Ord$RT)
fixeff_Stark <- (1000/(gm+(31/2))) - (1000/(gm-(31/2)))
# use this as the fixed effect of interest
lmm20_Stark <- lmm24_20
fixef(lmm20_Stark)["OrdPos.c"] <- fixeff_Stark
lmm25_Stark <- lmm24_25
fixef(lmm25_Stark)["OrdPos.c"] <- fixeff_Stark</pre>
```

```
set.seed(99)
```

4a) Run the power analysis for ordinal position based on effect size from Stark et al (2021) Model 1: Linear model with continuous predictor "Ordinal position" and the factor "repetition" (sliding diff. contrast) and inversely transformed RT data (sample size: 16)

```
PowerLMM_OrdPos_16_Stark
```

```
## Power for predictor 'OrdPos.c', (95% confidence interval),
## by number of levels in subject:
## 16: 100.0% (99.63, 100.0) - 1649 rows
##
## Time elapsed: 0 h 5 m 36 s
```

Model 2: Linear model with continuous predictor "Ordinal position" and the factor "repetition" (sliding diff. contrast) and inversely transformed RT data (sample size: 20)

```
PowerLMM_OrdPos_20_Stark <- powerSim(lmm20_Stark, test=fixed("OrdPos.c", "t"), nsim = n_it) # increase t
lastResult()$warnings
lastResult()$errors
PowerLMM_OrdPos_20_Stark
## Power for predictor 'OrdPos.c', (95% confidence interval):
         92.90% (91.13, 94.41)
##
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
         Effect size for OrdPos.c is -0.015
##
## Based on 1000 simulations, (3 warnings, 0 errors)
## alpha = 0.05, nrow = 2081
##
## Time elapsed: 0 h 6 m 40 s
Model 3: Linear model with continuous predictor "Ordinal position" and the factor "repetition" (sliding diff.
contrast) and inversely transformed RT data (sample size: 25)
PowerLMM_OrdPos_25_Stark <- powerSim(lmm25_Stark, test=fixed("OrdPos.c","t"), nsim = n_it) # increase t
lastResult() $warnings
lastResult()$errors
PowerLMM_OrdPos_25_Stark
## Power for predictor 'OrdPos.c', (95% confidence interval):
         96.90% (95.63, 97.88)
##
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
         Effect size for OrdPos.c is -0.015
##
## Based on 1000 simulations, (5 warnings, 0 errors)
## alpha = 0.05, nrow = 2567
## Time elapsed: 0 h 7 m 37 s
```

B) Power analysis for the Interaction effect Ordinal position x Session

2b) Extend data set

We will use the sample size as for the effect of main interest (ordinal position)

3b)+ 4b) Specify effect sizes and run different power analyses

To specify the effect sizes, we always take the grand mean and take +- 1/2 the inversly transformed difference we want to implement. We keep the two main effects unchanged.

```
gm <- mean(df_Ord$RT)</pre>
eff_35ms \leftarrow (1000/(gm+(35/2))) - (1000/(gm-(35/2)))
fixef(lmm24_20)["OrdPos.c:wh2-1"] <- eff_35ms
35 ms interaction effect, 20 VP Model B1: Linear model with interaction effect "Ordinal position x
Session" of 35 ms
PowerLMM1_Interaction35_20 <- powerSim(lmm24_20, test=fixed("OrdPos.c:wh2-1","t"), nsim = n_it) # incre
lastResult()$warnings
lastResult()$errors
PowerLMM1_Interaction35_20
## Power for predictor 'OrdPos.c:wh2-1', (95% confidence interval):
         48.30% (45.16, 51.45)
##
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
##
         Effect size for OrdPos.c:wh2-1 is -0.017
## Based on 1000 simulations, (2 warnings, 0 errors)
## alpha = 0.05, nrow = 2081
## Time elapsed: 0 h 6 m 39 s
gm <- mean(df_Ord$RT)</pre>
eff_35ms \leftarrow (1000/(gm+(35/2))) - (1000/(gm-(35/2)))
fixef(lmm24_25)["OrdPos.c:wh2-1"] \leftarrow eff_35ms
35 ms interaction effect, 25 VP Model B1: Linear model with interaction effect "Ordinal position x
Session" of 35 ms
PowerLMM1_Interaction35 <- powerSim(lmm24_25, test=fixed("OrdPos.c:wh2-1","t"), nsim = n_it) # increase
lastResult()$warnings
lastResult()$errors
PowerLMM1_Interaction35
## Power for predictor 'OrdPos.c:wh2-1', (95% confidence interval):
         55.90% (52.76, 59.01)
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
         Effect size for OrdPos.c:wh2-1 is -0.017
##
## Based on 1000 simulations, (3 warnings, 0 errors)
## alpha = 0.05, nrow = 2567
## Time elapsed: 0 h 7 m 35 s
```

```
gm <- mean(df_Ord$RT)</pre>
eff_{40ms} \leftarrow (1000/(gm+(40/2))) - (1000/(gm-(40/2)))
fixef(lmm24_20)["OrdPos.c:wh2-1"] <- eff_40ms
40 ms interaction effect, 20 VP Model B2: Linear model with interaction effect "Ordinal position x
Session" of 40 ms
PowerLMM1_Interaction40_20 <- powerSim(lmm24_20, test=fixed("OrdPos.c:wh2-1","t"), nsim = n_it) # incre
lastResult()$warnings
lastResult()$errors
PowerLMM1_Interaction40_20
## Power for predictor 'OrdPos.c:wh2-1', (95% confidence interval):
         60.20% (57.09, 63.25)
##
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
##
         Effect size for OrdPos.c:wh2-1 is -0.020
## Based on 1000 simulations, (2 warnings, 0 errors)
## alpha = 0.05, nrow = 2081
## Time elapsed: 0 h 6 m 40 s
gm <- mean(df_Ord$RT)</pre>
eff_40ms \leftarrow (1000/(gm+(40/2))) - (1000/(gm-(40/2)))
fixef(lmm24_25)["OrdPos.c:wh2-1"] \leftarrow eff_40ms
40 ms interaction effect, 25 VPs Model B2: Linear model with interaction effect "Ordinal position x
Session" of 40 ms
PowerLMM1_Interaction40 <- powerSim(lmm24_25, test=fixed("OrdPos.c:wh2-1","t"), nsim = n_it) # increase
lastResult()$warnings
lastResult()$errors
PowerLMM1_Interaction40
## Power for predictor 'OrdPos.c:wh2-1', (95% confidence interval):
         65.30% (62.26, 68.25)
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
         Effect size for OrdPos.c:wh2-1 is -0.020
## Based on 1000 simulations, (0 warnings, 0 errors)
## alpha = 0.05, nrow = 2567
## Time elapsed: 0 h 7 m 36 s
```

```
gm <- mean(df_Ord$RT)</pre>
eff_45ms \leftarrow (1000/(gm+(45/2))) - (1000/(gm-(45/2)))
fixef(lmm24_20)["OrdPos.c:wh2-1"] <- eff_45ms
45 ms interaction effect, 20 VP Model B3: Linear model with interaction effect "Ordinal position x
Session" of 45 ms
PowerLMM1_Interaction45_20 <- powerSim(lmm24_20, test=fixed("OrdPos.c:wh2-1","t"), nsim = n_it) # incre
lastResult()$warnings
lastResult()$errors
PowerLMM1_Interaction45_20
## Power for predictor 'OrdPos.c:wh2-1', (95% confidence interval):
         67.60% (64.60, 70.50)
##
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
##
         Effect size for OrdPos.c:wh2-1 is -0.022
## Based on 1000 simulations, (1 warning, 0 errors)
## alpha = 0.05, nrow = 2081
## Time elapsed: 0 h 6 m 39 s
gm <- mean(df_Ord$RT)</pre>
eff_45ms \leftarrow (1000/(gm+(45/2))) - (1000/(gm-(45/2)))
fixef(lmm24_25)["OrdPos.c:wh2-1"] \leftarrow eff_45ms
45 ms interaction effect, 25 VP Model B3: Linear model with interaction effect "Ordinal position x
Session" of 45 ms
PowerLMM1_Interaction45 <- powerSim(lmm24_25, test=fixed("OrdPos.c:wh2-1","t"), nsim = n_it) # increase
lastResult()$warnings
lastResult()$errors
PowerLMM1_Interaction45
## Power for predictor 'OrdPos.c:wh2-1', (95% confidence interval):
         77.90% (75.20, 80.44)
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
         Effect size for OrdPos.c:wh2-1 is -0.022
##
## Based on 1000 simulations, (6 warnings, 0 errors)
## alpha = 0.05, nrow = 2567
## Time elapsed: 0 h 7 m 35 s
```

```
gm <- mean(df_Ord$RT)</pre>
eff_50ms \leftarrow (1000/(gm+(50/2))) - (1000/(gm-(50/2)))
fixef(lmm24_20)["OrdPos.c:wh2-1"] <- eff_50ms
50 ms interaction effect, 20 VP Model B4: Linear model with interaction effect "Ordinal position x
Session" of 50 ms
PowerLMM1_Interaction50_20 <- powerSim(lmm24_20, test=fixed("OrdPos.c:wh2-1","t"), nsim = n_it) # incre
lastResult()$warnings
lastResult()$errors
PowerLMM1_Interaction50_20
## Power for predictor 'OrdPos.c:wh2-1', (95% confidence interval):
##
         78.50% (75.82, 81.01)
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
##
         Effect size for OrdPos.c:wh2-1 is -0.024
##
## Based on 1000 simulations, (2 warnings, 0 errors)
## alpha = 0.05, nrow = 2081
## Time elapsed: 0 h 6 m 39 s
gm <- mean(df_Ord$RT)</pre>
eff_50ms \leftarrow (1000/(gm+(50/2))) - (1000/(gm-(50/2)))
fixef(lmm24_25)["OrdPos.c:wh2-1"] \leftarrow eff_50ms
50 ms interaction effect, 25 VP Model B4: Linear model with interaction effect "Ordinal position x
Session" of 50 ms
PowerLMM1_Interaction50 <- powerSim(lmm24_25, test=fixed("OrdPos.c:wh2-1","t"), nsim = n_it) # increase
lastResult()$warnings
lastResult()$errors
PowerLMM1_Interaction50
## Power for predictor 'OrdPos.c:wh2-1', (95% confidence interval):
         85.20% (82.85, 87.34)
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
         Effect size for OrdPos.c:wh2-1 is -0.024
##
## Based on 1000 simulations, (2 warnings, 0 errors)
## alpha = 0.05, nrow = 2567
## Time elapsed: 0 h 7 m 36 s
```

```
gm <- mean(df_Ord$RT)</pre>
eff_55ms \leftarrow (1000/(gm+(55/2))) - (1000/(gm-(55/2)))
fixef(lmm24_20)["OrdPos.c:wh2-1"] <- eff_55ms
55 ms interaction effect, 20 VP Model B5: Linear model with interaction effect "Ordinal position x
Session" of 55 ms
PowerLMM1_Interaction55_20 <- powerSim(lmm24_20, test=fixed("OrdPos.c:wh2-1","t"), nsim = n_it) # incre
lastResult()$warnings
lastResult()$errors
PowerLMM1_Interaction55_20
## Power for predictor 'OrdPos.c:wh2-1', (95% confidence interval):
##
         82.20% (79.69, 84.52)
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
##
         Effect size for OrdPos.c:wh2-1 is -0.027
## Based on 1000 simulations, (2 warnings, 0 errors)
## alpha = 0.05, nrow = 2081
## Time elapsed: 0 h 6 m 37 s
gm <- mean(df_Ord$RT)</pre>
eff_55ms \leftarrow (1000/(gm+(55/2))) - (1000/(gm-(55/2)))
fixef(lmm24_25)["OrdPos.c:wh2-1"] \leftarrow eff_55ms
55 ms interaction effect, 25 VP Model B5: Linear model with interaction effect "Ordinal position x
Session" of 55 ms
PowerLMM1_Interaction55 <- powerSim(lmm24_25, test=fixed("OrdPos.c:wh2-1","t"), nsim = n_it) # increase
lastResult()$warnings
lastResult()$errors
PowerLMM1_Interaction55
## Power for predictor 'OrdPos.c:wh2-1', (95% confidence interval):
         89.60% (87.54, 91.42)
##
## Test: t-test with Satterthwaite degrees of freedom (package lmerTest)
         Effect size for OrdPos.c:wh2-1 is -0.027
## Based on 1000 simulations, (1 warning, 0 errors)
## alpha = 0.05, nrow = 2567
## Time elapsed: 0 h 7 m 36 s
```

C) Calculate effect size for interaction effect

Use the method by Westfall, Judd, and Kenny (2014), as reviewed in Brysbaert & Stevens (2018) Westfall d = (difference between the means)/sqrt(variances of all random effects) We use the experimental variances and the simulated effect sizes

```
x <- summary(lmm1)
randomvars <- 0.031756+0.001310+0.011178+0.002588+0.082964
(d_35 <- eff_35ms /sqrt(randomvars))

## [1] -0.04750136

(d_40 <- eff_40ms /sqrt(randomvars))

## [1] -0.05428975

(d_45 <- eff_45ms /sqrt(randomvars))

## [1] -0.06107914

(d_50 <- eff_50ms /sqrt(randomvars))

## [1] -0.06786966

(d_55 <- eff_55ms /sqrt(randomvars))

## [1] -0.07466141</pre>
```