


Hashmaps \Rightarrow D.S

what \Rightarrow ?

D.S

why \Rightarrow ?

D.C =
 $T.C \Rightarrow$ =
in/Del/Search \rightarrow $O(1)$
operation

a \rightarrow	3
b \rightarrow	2
c \rightarrow	1
d \rightarrow	1

lower case $a' - z'$

i/p

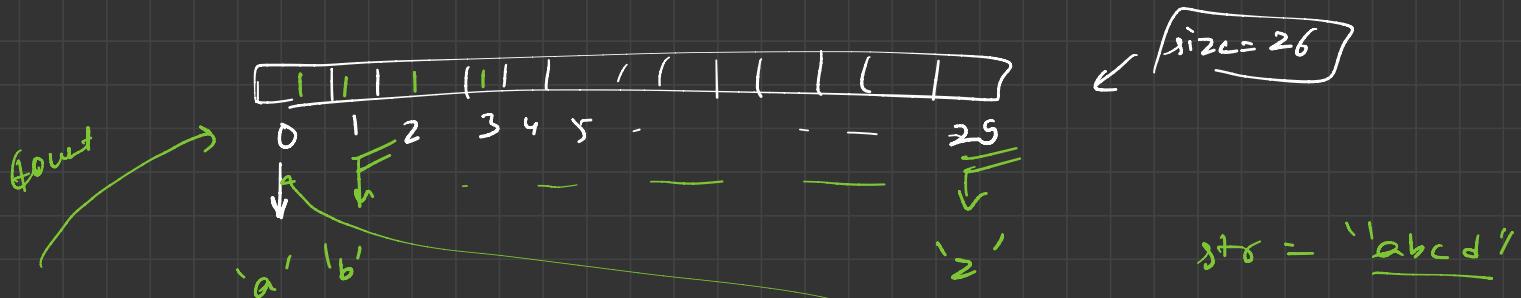
string str = "abc b de af"

maximum occurring character \rightarrow ?

o/p \rightarrow [answer = 'a']

$c \rightarrow i$
 $f \rightarrow l$
 algo:- $a \rightarrow \text{count}$
 For $(a \rightarrow l)$ answer $\rightarrow [a, 3]$
 $\max \rightarrow \underline{\underline{}}$

algo:-



For(int $i=0 \rightarrow \text{str.size()}$)
 {
 $\text{char ch} \cong \text{str}[i];$
 $\text{count} [\text{ch} - \text{'a'}] ++;$

$\text{'a'} - \text{'a'} \rightarrow 0$
 $\text{'b'} - \text{'a'} \rightarrow 1$

$\text{str} \rightarrow \text{" mera naam hai babbas mera babbas babbas "}$

$O/p \rightarrow$ maximum occur γ word

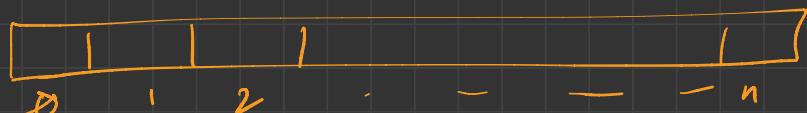
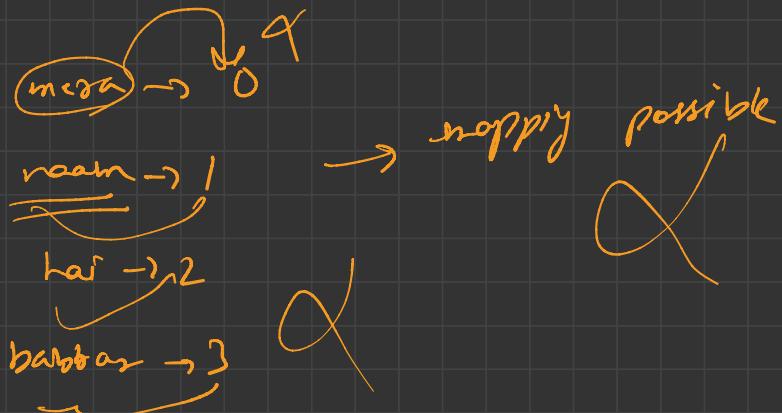
meh $\rightarrow 2$

naam $\rightarrow 1$

hai $\rightarrow 1$

babbas $\rightarrow 3$

answer



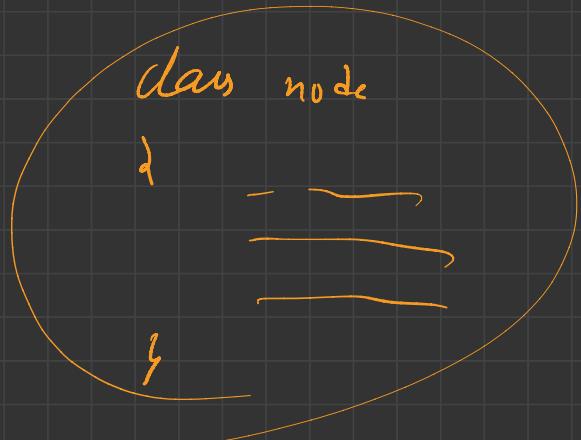
(meh, 2)

(naam, 1)

(babbar, 3)

STL

map



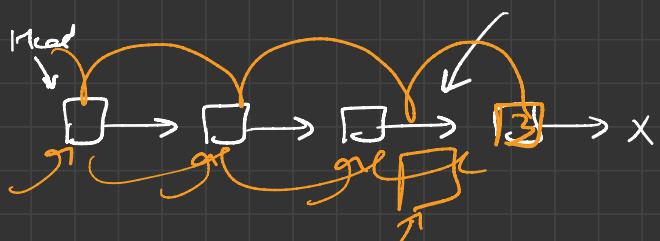
map < node, int> m;

Implementation

→ Using linked list

insertion

O(n)



Deletion → O(n)

, Search → O(n)

↳ Using BST ↳ ordered-map

Insertion $\rightarrow \underline{\mathcal{O}(\log n)}$

Search $\rightarrow \underline{\text{—}}$

Delete $\rightarrow \underline{\mathcal{O}}$

$\mathcal{O}(\log n)$

$\mathcal{O}(1)$

Inbuilt stuff

→ map $\rightarrow \underline{\mathcal{O}(\log n)}$

→ unordered-map $\rightarrow \underline{\mathcal{O}(1)}$

→ Hashtable
 $I/D/S \rightarrow \underline{\mathcal{O}(1)}$

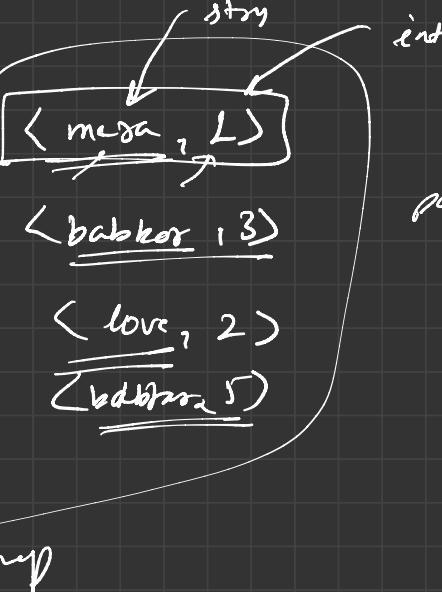
$\langle K_1, V \rangle$

$\langle K_1, V_1 \rangle$

$\langle K_2, V_2 \rangle$

\equiv

map



$$m["\text{mera}"] = 1 \rightarrow$$

↑

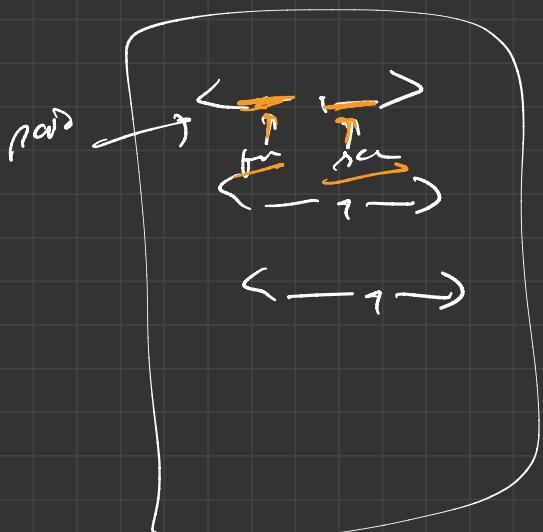
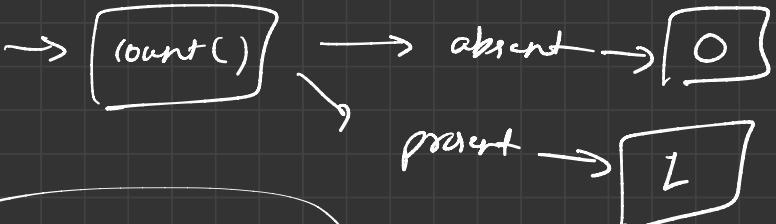
new entry

$\langle \underline{\text{mera}}, \cancel{X} 2 \rangle$

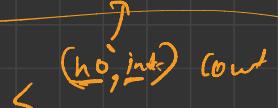
$$m["\text{mera}"] = 2 \rightarrow$$

Unknowny $\rightarrow 0$

count()



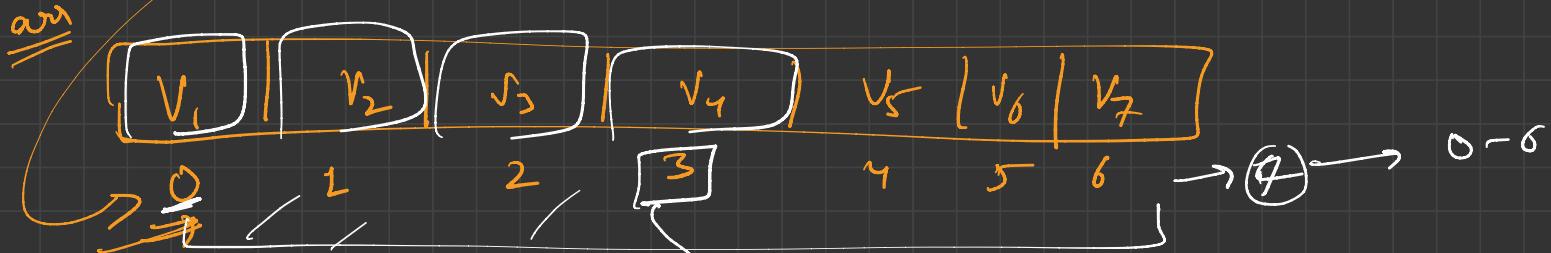
\rightarrow 
 \rightarrow $n \rightarrow \text{car}$
 $\text{rest} \rightarrow \text{cdr}$
size

\leftarrow 
 \leftarrow 
 \leftarrow 
 \leftarrow 
 \leftarrow 
 \leftarrow 
 \leftarrow
 \leftarrow
 \leftarrow
 \leftarrow
 \leftarrow

\leftarrow 
 \leftarrow 
 \leftarrow 
 \leftarrow 
 \leftarrow 
 \leftarrow
 \leftarrow
 \leftarrow
 \leftarrow
 \leftarrow

Bucket Array

Key, Value



babbad ??

story
car
obj

conversion

to int

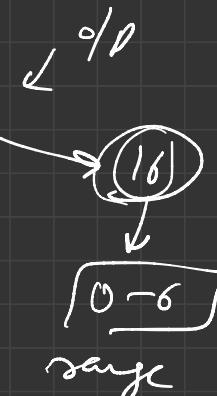
Math Code

compression function

int Maths

Code → range me leken

Hash functions

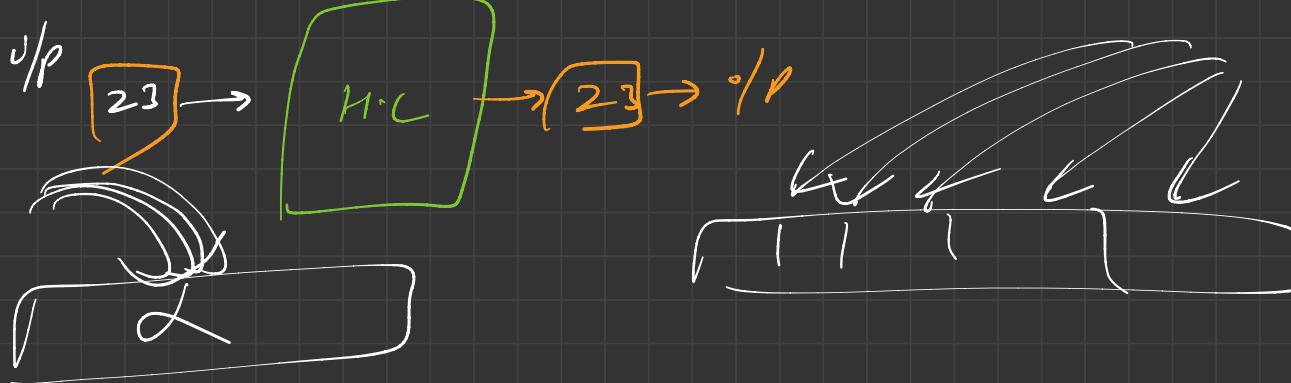


25

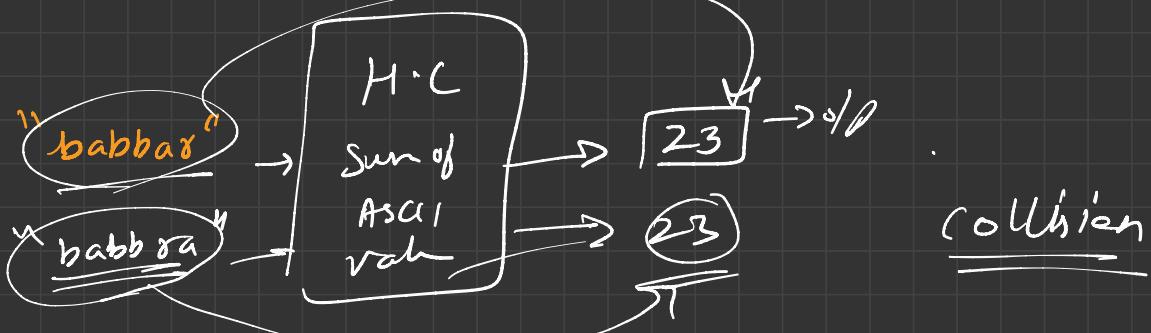
% ~~not~~
% ~~area size~~

→ [0 - 6] → Yes

→ Hash code → why → conversion to int
identity fn → uniform distribution

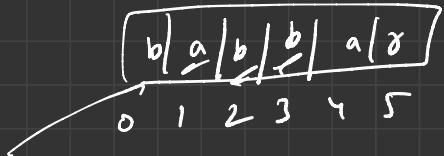


i/p



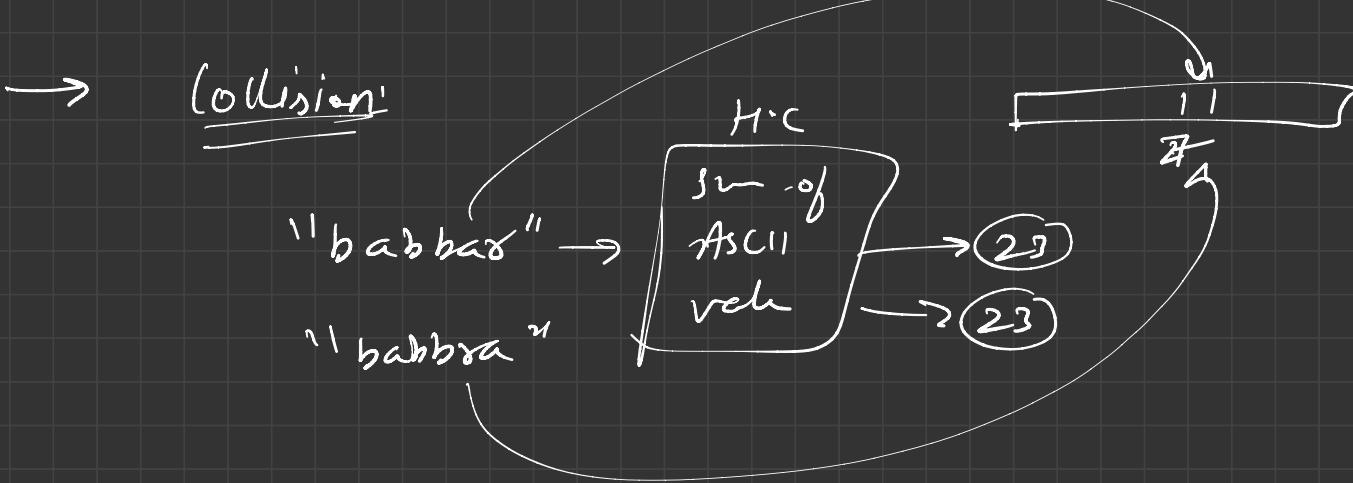
→

87 91 99 97 96 → 606 → 23



$$(b \times 0) + (a \times 1) + (b \times 2) + (b \times 3) + (a \times 4) + (8 \times 5)$$

$$= 1283 \rightarrow \%N \rightarrow 22$$

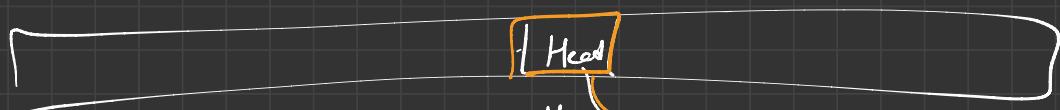


Collision Handling :-

- \rightarrow Open Hashing → same place pr hr jao
- \rightarrow Closed Addressing

→ "babbar" → 23 → 7th index

→ "babbar" → 7th index



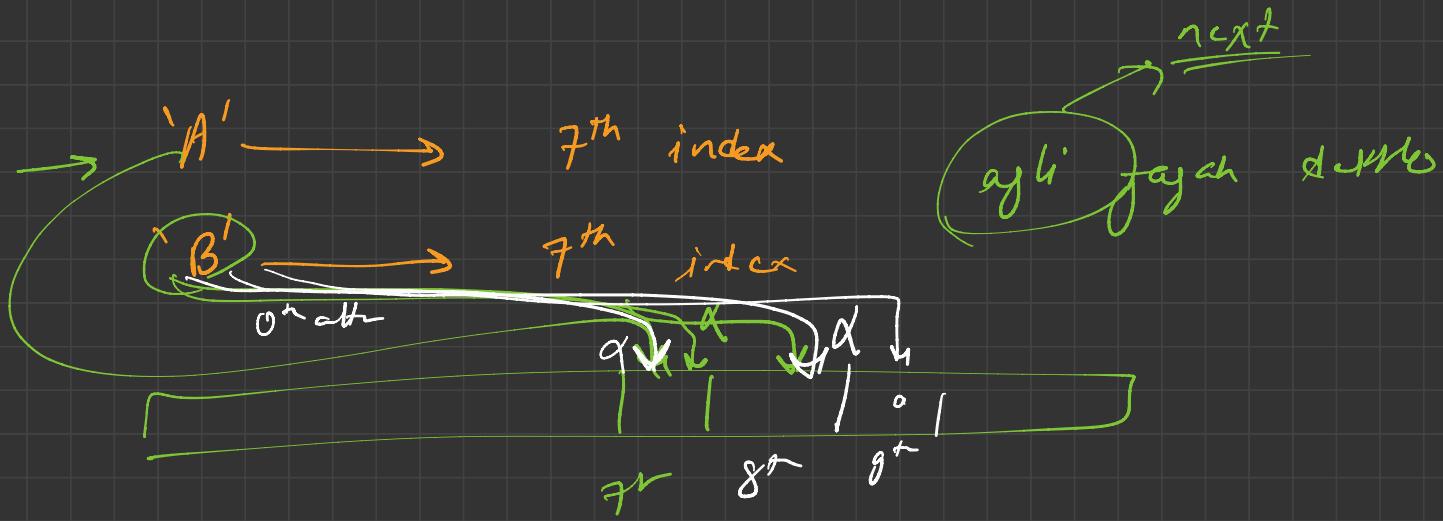
7th

aka → Superate
Chaining

$\% N$ → Prin
Node

100 word \rightarrow index
- \rightarrow 100 LL α

\rightarrow Open Addressing



$$\Rightarrow \underbrace{h_i(a)}_{\text{attempt me Kata people}} = h(a) + \underbrace{f_i(a)}_{f^{\text{th}}}$$

→ Linear probing

$$\underline{f(i)} \rightarrow \underline{\underline{e}}$$

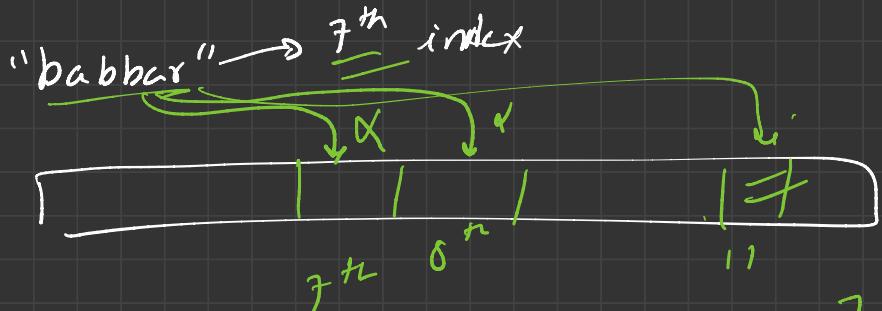
$$\underline{\underline{f(1)}} \rightarrow L$$

$$f(2) \rightarrow 2$$

→ Quadratic Probing

$$f(x) \rightarrow x^2$$

$$f(0) \rightarrow 0$$



$$f(1) \rightarrow (1)^2 \rightarrow 1$$

$$f(2) \rightarrow 2^2 \rightarrow 4$$

$$h_i(a) = \boxed{h(a)} + \boxed{f_i'(a)} = 7 + 1 = 8$$

$$= 7 + 1 = 8$$

(S-C)

$$i^3 + D$$

$$i^{-2} + B$$

$$\sqrt{i^2 + g}$$

=> complexity analysis

"maza bhai love babbar too kya had"

intuition

$n \rightarrow$ total no. of west

$k \rightarrow$ word length

if $n \gg k$

H.C $\rightarrow O(k)$

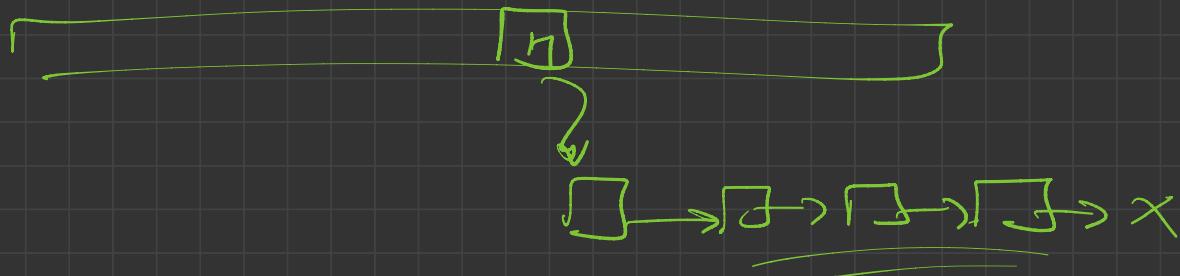
$\approx O(1)$

\rightarrow

traverse

\rightarrow

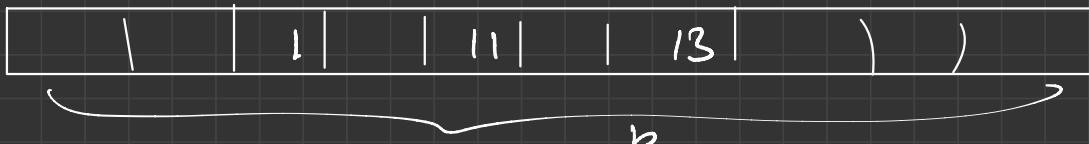
~~$O(n)$~~



$n \rightarrow$ no. of entries in map

$b \rightarrow$ no. of boxes available

$$n = 3$$



no. of carts
in a box \rightarrow n/b \rightarrow Load factor

we always ensure $n/b \leq 0.7$

$H \cdot C \rightarrow \underline{\text{alpha}} \rightarrow O(1)$

$L \cdot F_2 \rightarrow n/b \leq 0.7$

it is very safe to write $\underline{\underline{O(1)}}$

$$\left(\frac{n}{b}\right) \rightarrow \underline{\underline{n}} \uparrow$$

$$\frac{n}{b} < 0.7 \Rightarrow$$

$$b \neq$$

no. of unavalable boxes ↑

ReHashing

increase bucket size
2x

insertion → O(1)
 $H.C \rightarrow O(1)$
 $\rightarrow L.F < 0.7$

Delete / search

$n/b \rightarrow$ half

