Diamond Price Prediction

The aim of this analysis is to predict the price of diamonds based on their characteristics. The dataset used for this analysis is the Diamonds dataset from Kaggle. The dataset contains 53940 observations and 10 variables. The variables are as follows:

Column Name	Definition							
carat	Weight of the diamond							
cut	Quality of the cut (Fair, Good, Very Good, Premium, Ideal)							
color	Diamond colour, from J (worst) to D (best)							
Clarity	How clear the diamond is (I1 (worst), SI2, SI1, VS2, VS1, VVS2, VVS1, IF (best))							
X	Length in mm							
У	Width in mm							
Z	Depth in mm							
depth	Total depth percentage = z / mean(x, y) = 2 * z / (x + y) (4379)							
table	Width of top of diamond relative to widest point (4395)							
price	Price in US dollars (32618,823)							
<pre>#importing the libraries import numpy as np import pandas as pd import matplotlib.pyplot as plt import seaborn as sns #loading the dataset df = pd.read_csv('diamonds.csv') df.head()</pre>								
1 0.21 Premium E Si 2 0.23 Good E VS 3 0.29 Premium I VS	ty depth table price x y z 12 61.5 55.0 326 3.95 3.98 2.43 11 59.8 61.0 326 3.89 3.84 2.31 15 56.9 65.0 327 4.05 4.07 2.31 15 62 62.4 58.0 334 4.20 4.23 2.63 16 63.3 58.0 335 4.34 4.35 2.75							

Data Preprocessing

```
df.shape
(50000, 10)
```

#checking for null values df.info() <class 'pandas.core.frame.DataFrame'> RangeIndex: 50000 entries, 0 to 49999 Data columns (total 10 columns): Non-Null Count Dtype # Column 0 50000 non-null float64 carat 50000 non-null object 1 cut 2 color 50000 non-null object clarity 50000 non-null object 3 depth table price 4 50000 non-null float64 5 50000 non-null float64 6 50000 non-null int64 7 50000 non-null float64 Χ 50000 non-null float64 8 У 9 50000 non-null float64 dtypes: float64(6), int64(1), object(3) memory usage: 3.8+ MB #checking descriptive statistics

df.describe()

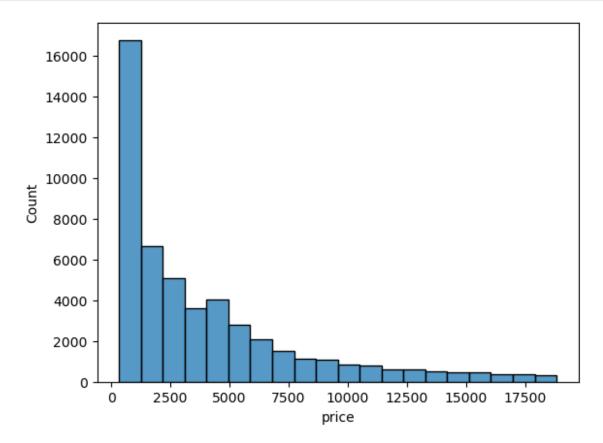
	carat	depth	table	price
x \				
count	50000.000000	50000.000000	50000.000000	50000.000000
50000.	000000			
mean	0.799444	61.753006	57.457830	3944.805440
5.7344	03			
std	0.475173	1.431088	2.232092	3997.938105
1.1230	77			
min	0.200000	43.000000	43.000000	326.000000
0.0000	00			
25%	0.400000	61.000000	56.000000	951.000000
4.7100	00			
50%	0.70000	61.800000	57.000000	2410.000000
5.7000	00			
75%	1.040000	62.500000	59.000000	5351.000000
6.5400	00			
max	5.010000	79.000000	95.000000	18823.000000
10.740	000			
	У	Z		
count	50000.000000	50000.000000		
mean	5.737956	3.541056		
std	1.145579	0.707065		
min	0.000000	0.000000		
25%	4.720000	2.910000		
50%	5.710000	3.530000		

```
75%
          6.540000
                        4.040000
          58.900000
                       31.800000
max
#values count of categorical variables
print(df.cut.value counts(),'\n',df.color.value counts(),'\
n',df.clarity.value counts())
Ideal
             19938
Premium
             12806
Very Good
             11204
Good
              4557
Fair
              1495
Name: cut, dtype: int64
G
      10452
Ε
      9085
F
      8864
Н
      7711
D
      6224
Ι
      5058
J
      2606
Name: color, dtype: int64
SI1
         12115
VS2
        11404
SI2
        8519
VS1
         7579
VVS2
        4694
VVS1
         3369
IF
         1632
         688
I1
Name: clarity, dtype: int64
df.head(10)
               cut color clarity depth table price x y
   carat
Z
             Ideal
                       Ε
                                          55.0
                                                  326
0
    0.23
                             SI2
                                   61.5
                                                       3.95 3.98
2.43
           Premium
                       Ε
                             SI1
                                          61.0
                                                  326
                                                      3.89 3.84
1
    0.21
                                   59.8
2.31
                       Ε
2
    0.23
               Good
                             VS1
                                   56.9
                                          65.0
                                                  327
                                                       4.05 4.07
2.31
3
    0.29
           Premium
                       Ι
                             VS2
                                   62.4
                                          58.0
                                                  334
                                                       4.20 4.23
2.63
    0.31
               Good
                       J
                             SI2
                                   63.3
                                          58.0
                                                  335
                                                       4.34 4.35
4
2.75
    0.24 Very Good
                       J
                            VVS2
                                   62.8
                                          57.0
                                                  336
                                                       3.94 3.96
2.48
                            VVS1
                       Ι
                                   62.3
                                          57.0
                                                  336 3.95 3.98
   0.24 Very Good
2.47
```

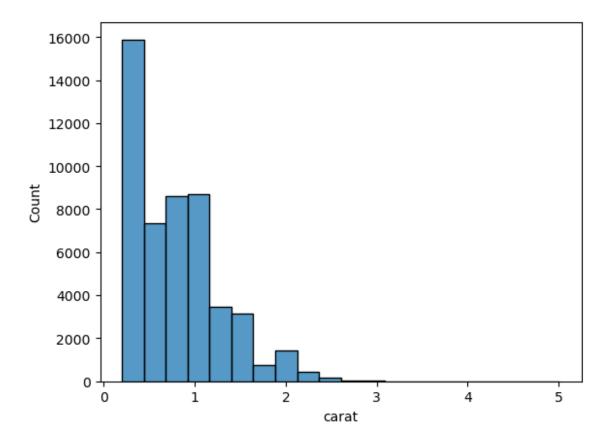
Very Good	Н	SI1	61.9	55.0	337	4.07	4.11	
Fair	Е	VS2	65.1	61.0	337	3.87	3.78	
Very Good	Н	VS1	59.4	61.0	338	4.00	4.05	
	Fair		Fair E VS2	Fair E VS2 65.1	Fair E VS2 65.1 61.0	Fair E VS2 65.1 61.0 337	Fair E VS2 65.1 61.0 337 3.87	Fair E VS2 65.1 61.0 337 3.87 3.78

Exploratory Data Analysis

```
sns.histplot(df['price'],bins = 20)
<Axes: xlabel='price', ylabel='Count'>
```

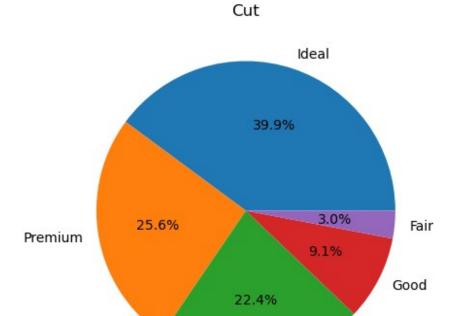


```
sns.histplot(df['carat'],bins=20)
<Axes: xlabel='carat', ylabel='Count'>
```



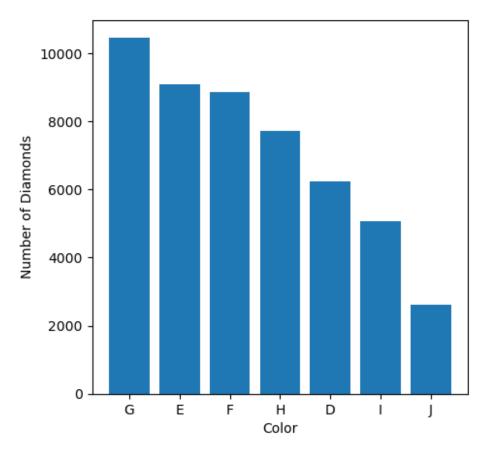
Most of the diamonds are less then 1 carat in weight.

```
plt.figure(figsize=(5,5))
plt.pie(df['cut'].value_counts(),labels=['Ideal','Premium','Very
Good','Good','Fair'],autopct='%1.1f%%')
plt.title('Cut')
plt.show()
```

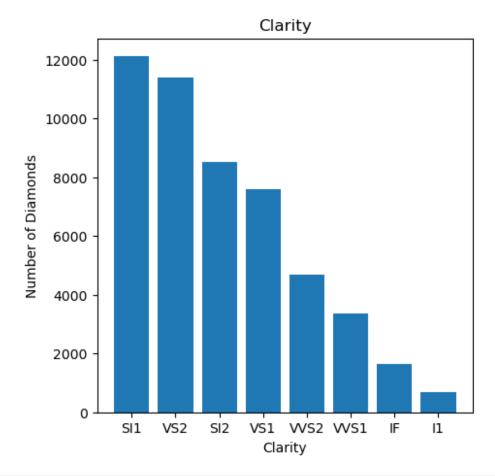


```
plt.figure(figsize=(5,5))
plt.bar(df['color'].value_counts().index,df['color'].value_counts())
plt.ylabel("Number of Diamonds")
plt.xlabel("Color")
plt.show()
```

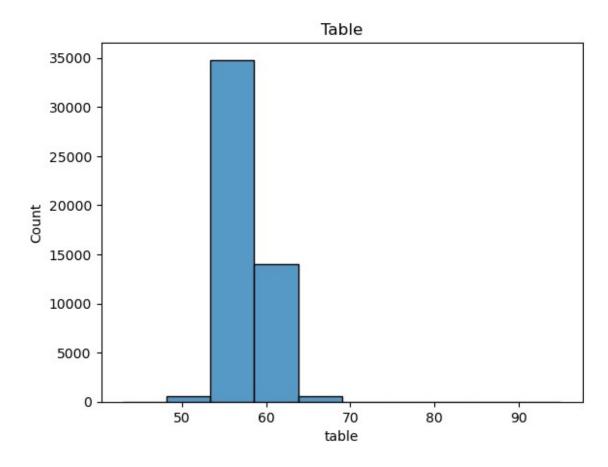
Very Good



```
plt.figure(figsize=(5,5))
plt.bar(df['clarity'].value_counts().index,df['clarity'].value_counts())
plt.title('Clarity')
plt.ylabel("Number of Diamonds")
plt.xlabel("Clarity")
plt.show()
```



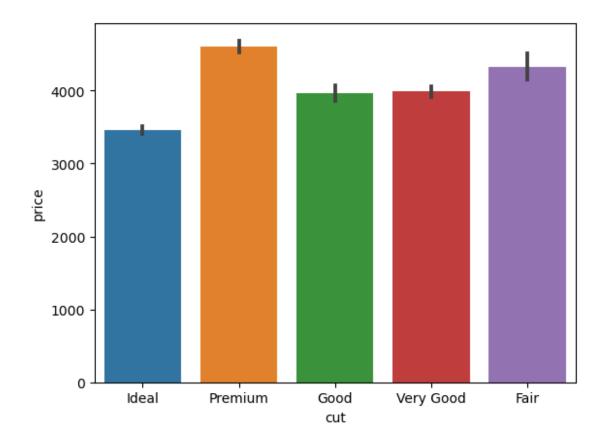
```
sns.histplot(df['table'],bins=10)
plt.title('Table')
plt.show()
```



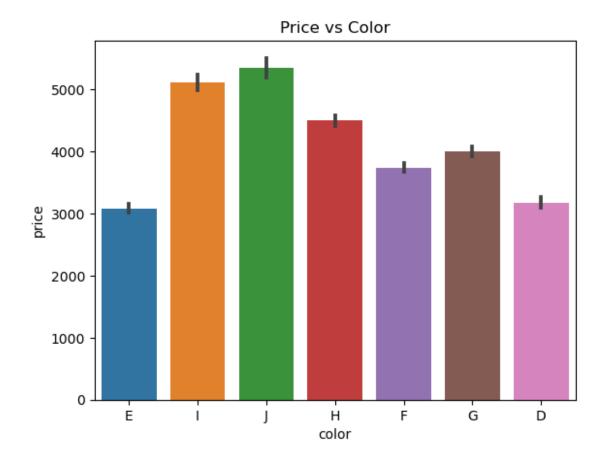
Comparing Diamond's features with Price

sns.barplot(x='cut',y='price',data=df)

<Axes: xlabel='cut', ylabel='price'>

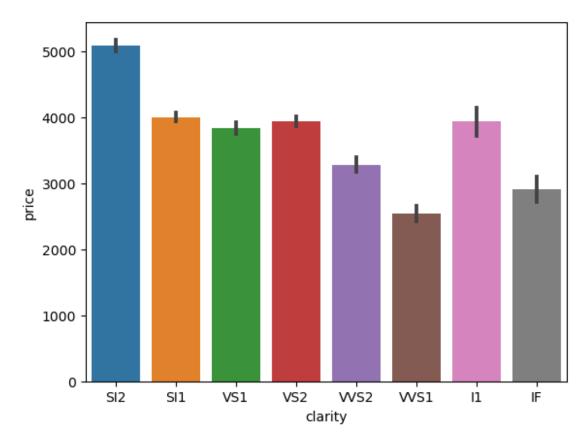


sns.barplot(x='color',y='price',data=df)
plt.title('Price vs Color')
plt.show()



sns.barplot(x = 'clarity', y = 'price', data = df)

<Axes: xlabel='clarity', ylabel='price'>



J color and I1 clarity are worst features for a diamond, however when the data is plotted on bar graph, it is seen that the price of diamonds with J color and I1 clarity is higher than the price of diamonds with D color and IF clarity, which is opposite to what I expected.

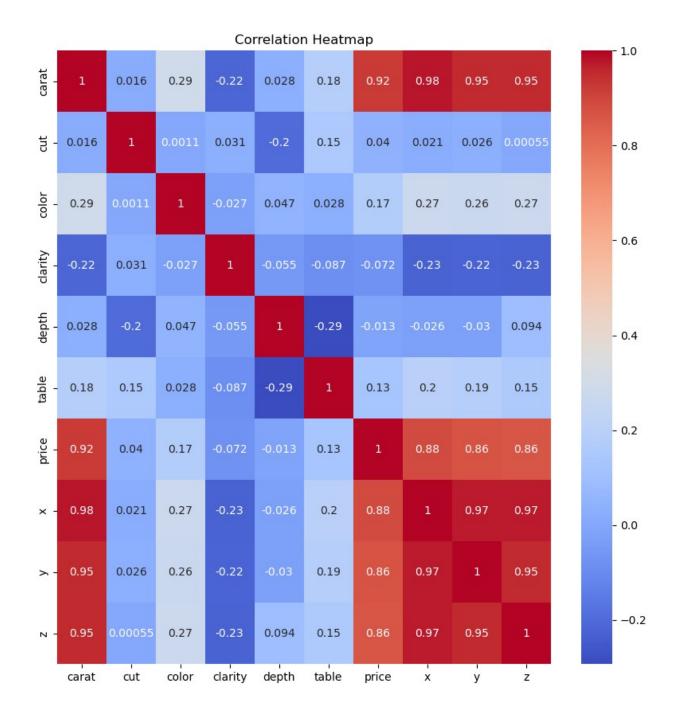
Lable Encoding the categorical values

```
from sklearn.preprocessing import LabelEncoder
Le = LabelEncoder()
df['cut'] = Le.fit transform(df['cut'])
df['color'] = Le.fit transform(df['color'])
df['clarity'] = Le.fit transform(df['clarity'])
df.head(10)
           cut
                 color
                        clarity
                                   depth
                                           table
                                                  price
   carat
0
    0.23
             2
                                    61.5
                                            55.0
                                                     326
                                                          3.95
                                                                 3.98
                                                                        2.43
                     1
                               3
             3
                               2
1
    0.21
                     1
                                    59.8
                                            61.0
                                                     326
                                                          3.89
                                                                 3.84
                                                                        2.31
             1
2
    0.23
                     1
                                    56.9
                                            65.0
                                                     327
                                                          4.05
                                                                 4.07
                                                                        2.31
3
    0.29
             3
                     5
                               5
                                    62.4
                                            58.0
                                                     334
                                                          4.20
                                                                 4.23
                                                                        2.63
4
             1
                     6
                               3
    0.31
                                    63.3
                                            58.0
                                                     335
                                                          4.34
                                                                 4.35
                                                                        2.75
                               7
5
    0.24
             4
                     6
                                    62.8
                                            57.0
                                                     336
                                                          3.94
                                                                 3.96
                                                                        2.48
6
             4
                     5
                               6
    0.24
                                    62.3
                                            57.0
                                                     336
                                                          3.95
                                                                 3.98
                                                                        2.47
7
    0.26
             4
                               2
                                    61.9
                                            55.0
                                                     337
                                                          4.07
                                                                        2.53
                                                                 4.11
```

8	0.22	0	1	5	65.1	61.0	337	3.87	3.78	2.49
9	0.23	4	4	4	59.4	61.0	338	4.00	4.05	2.39

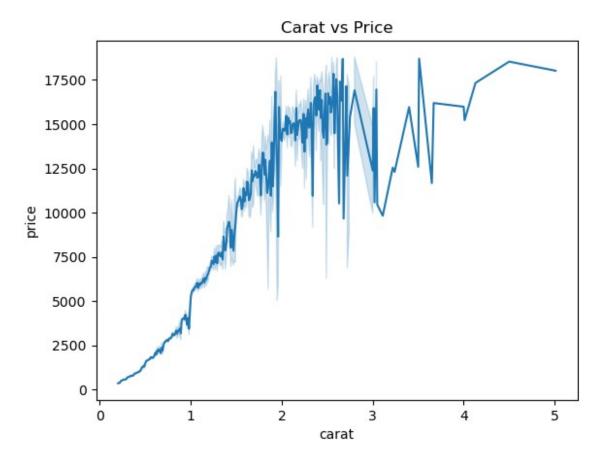
Coorelation

```
#coorelation matrix
df.corr()
                        cut
                                color
                                        clarity
                                                     depth
                                                               table
            carat
price \
                   0.015933
                             0.291530 -0.215337 0.027734 0.183639
carat
         1.000000
0.921804
         0.015933
                   1.000000
                             0.001093 0.030531 -0.199106
                                                           0.150916
cut
0.039873
                   0.001093 1.000000 -0.027277 0.047426
                                                           0.027513
color
         0.291530
0.172629
clarity -0.215337  0.030531 -0.027277  1.000000 -0.055250 -0.086640 -
0.072434
         0.027734 - 0.199106 \quad 0.047426 - 0.055250 \quad 1.000000 - 0.293012 -
depth
0.012731
table
         0.183639
                   0.150916
                             0.027513 -0.086640 -0.293012 1.000000
0.129848
                   0.039873
                            0.172629 -0.072434 -0.012731 0.129848
price
         0.921804
1.000000
                   0.021001
                             0.270529 -0.226871 -0.025563
         0.975037
                                                            0.197198
Х
0.884919
                   0.026202
                             0.263395 -0.218385 -0.029809
         0.950035
                                                            0.185248
0.864393
         0.952700
                   0.000546
                             0.268388 -0.225797 0.094337
                                                            0.153161
0.860963
         0.975037
                   0.950035
                             0.952700
carat
cut
         0.021001
                   0.026202
                             0.000546
color
         0.270529
                   0.263395
                             0.268388
clarity -0.226871 -0.218385
                             -0.225797
depth
        -0.025563 -0.029809
                             0.094337
table
         0.197198
                   0.185248
                             0.153161
price
         0.884919
                   0.864393
                             0.860963
                   0.972977
         1.000000
                             0.970122
Χ
У
         0.972977
                   1.000000
                             0.950030
         0.970122
                   0.950030
                             1.000000
#plotting the correlation heatmap
plt.figure(figsize=(10,10))
sns.heatmap(df.corr(),annot=True,cmap='coolwarm')
plt.title('Correlation Heatmap')
plt.show()
```



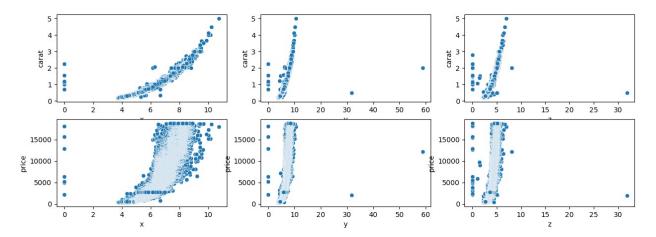
Ploting the relationship between Price and Carat

```
sns.lineplot(x='carat',y='price',data=df)
plt.title('Carat vs Price')
plt.show()
```



From the lineplot it is quite clear that the price of the diamond increases with the increase in the carat of the diamond. However, diamonds with less carat also have high price. This is because of the other factors that affect the price of the diamond.

```
fig, ax = plt.subplots(2,3,figsize=(15,5))
sns.scatterplot(x='x',y='carat',data=df, ax=ax[0,0])
sns.scatterplot(x='y',y='carat',data=df, ax=ax[0,1])
sns.scatterplot(x='z',y='carat',data=df, ax=ax[0,2])
sns.scatterplot(x='x',y='price',data=df, ax=ax[1,0])
sns.scatterplot(x='y',y='price',data=df, ax=ax[1,1])
sns.scatterplot(x='z',y='price',data=df, ax=ax[1,2])
plt.show()
```



Majority of the diamonds have x values between 4 and 8, y values between 4 and 10 and z values between 2 and 6. Diamonds with other dimensions are very rare.

Train Test Split

```
from sklearn.model_selection import train_test_split
x_test,x_train,y_test,y_train =
  train_test_split(df.drop('price',axis=1),df['price'],test_size=0.2,ran
  dom_state=42)
```

Model Building

Decision Tree Regressor

```
from sklearn.tree import DecisionTreeRegressor
dt = DecisionTreeRegressor()
dt

DecisionTreeRegressor()

#training the model
dt.fit(x_train,y_train)
#train accuracy
dt.score(x_train,y_train)
0.9999995617234543

#predicting the test set
dt_pred = dt.predict(x_test)
```

Random Forest Regressor

```
from sklearn.ensemble import RandomForestRegressor
rf = RandomForestRegressor()
rf
RandomForestRegressor()
```

```
#training the model
rf.fit(x_train,y_train)
#train accuracy
rf.score(x_train,y_train)
0.9967113221441675

#predicting the test set
rf_pred = rf.predict(x_test)
```

Model Evaluation

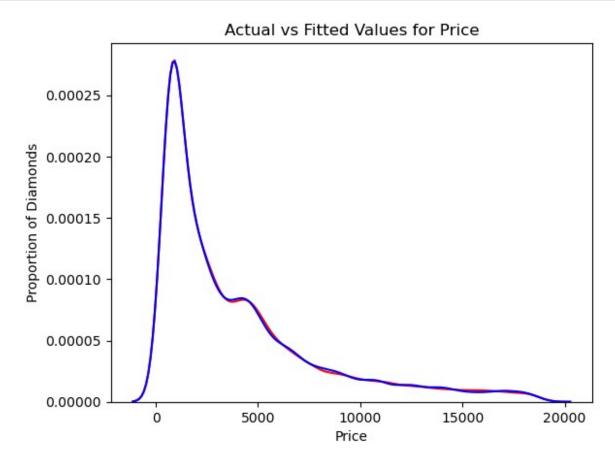
from sklearn.metrics import mean_squared_error,mean_absolute_error

Decision Tree Regressor

```
#distribution plot for actual and predicted values
ax = sns.distplot(y test,hist=False,color='r',label='Actual Value')
sns.distplot(dt pred,hist=False,color='b',label='Fitted Values',ax=ax)
plt.title('Actual vs Fitted Values for Price')
plt.xlabel('Price')
plt.ylabel('Proportion of Diamonds')
plt.show()
C:\Users\admin\AppData\Local\Temp\ipykernel 5496\3672894792.py:2:
UserWarning:
`distplot` is a deprecated function and will be removed in seaborn
v0.14.0.
Please adapt your code to use either `displot` (a figure-level
function with
similar flexibility) or `kdeplot` (an axes-level function for kernel
density plots).
For a guide to updating your code to use the new functions, please see
https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751
  ax = sns.distplot(y test,hist=False,color='r',label='Actual Value')
C:\Users\admin\AppData\Local\Temp\ipykernel 5496\3672894792.py:3:
UserWarning:
`distplot` is a deprecated function and will be removed in seaborn
v0.14.0.
Please adapt your code to use either `displot` (a figure-level
function with
similar flexibility) or `kdeplot` (an axes-level function for kernel
density plots).
```

For a guide to updating your code to use the new functions, please see https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

sns.distplot(dt_pred,hist=False,color='b',label='Fitted
Values',ax=ax)



```
print('Decision Tree Regressor
RMSE:',np.sqrt(mean_squared_error(y_test,dt_pred)))
print('Decision Tree Regressor Accuracy:',dt.score(x_test,y_test))
print('Decision Tree Regressor
MAE:',mean_absolute_error(y_test,dt_pred))

Decision Tree Regressor RMSE: 865.5562109129597
Decision Tree Regressor Accuracy: 0.9535066820765383
Decision Tree Regressor MAE: 427.169425
```

Random Forest Regressor

```
#distribution plot for actual and predicted values
ax = sns.distplot(y_test,hist=False,color='r',label='Actual Value')
sns.distplot(rf_pred,hist=False,color='b',label='Fitted Values',ax=ax)
plt.title('Actual vs Fitted Values for Price')
plt.xlabel('Price')
```

```
plt.ylabel('Proportion of Diamonds')
plt.show()
C:\Users\admin\AppData\Local\Temp\ipykernel_5496\4187378959.py:2:
UserWarning:
```

`distplot` is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either `displot` (a figure-level function with similar flexibility) or `kdeplot` (an axes-level function for kernel density plots).

For a guide to updating your code to use the new functions, please see https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

ax = sns.distplot(y_test,hist=False,color='r',label='Actual Value')
C:\Users\admin\AppData\Local\Temp\ipykernel_5496\4187378959.py:3:
UserWarning:

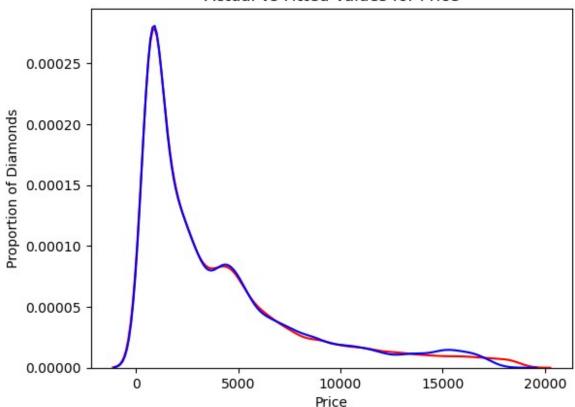
`distplot` is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either `displot` (a figure-level function with similar flexibility) or `kdeplot` (an axes-level function for kernel density plots).

For a guide to updating your code to use the new functions, please see https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

sns.distplot(rf_pred,hist=False,color='b',label='Fitted
Values',ax=ax)

Actual vs Fitted Values for Price



```
print('Random Forest Regressor
RMSE:',np.sqrt(mean_squared_error(y_test,rf_pred)))
print('Random Forest Regressor Accuracy:',rf.score(x_test,y_test))
print('Random Forest Regressor
MAE:',mean_absolute_error(y_test,rf_pred))

Random Forest Regressor RMSE: 649.985578748383
Random Forest Regressor Accuracy: 0.9737815249579145
Random Forest Regressor MAE: 318.729350847619
```

Conclusion

Both the models have almost same accuracy. However, the Random Forest Regressor model is slightly better than the Decision Tree Regressor model.

There is something interesting about the data. The price of the diamonds with J color and I1 clarity is higher than the price of the diamonds with D color and IF clarity which couldn't be explained by the models. This could be because of the other factors that affect the price of the diamond.