Recommendation_System_TruncatedSVD

October 22, 2021

1 SGD Algorithm to predict movie ratings

1.1 Task 1

Predict the rating for a given (user_id, movie_id) pair

Reading the csv file

```
[1]: import pandas as pd
   data=pd.read_csv('ratings_train.csv')
   data.head()
```

```
[1]:
        user_id item_id rating
             772
                        36
                                  3
             471
                       228
                                  5
     1
             641
                                  4
     2
                       401
     3
             312
                        98
                                  4
     4
              58
                                  5
                       504
```

- [2]: data.shape
- [2]: (89992, 3)

Creating adjacency matrix

```
[3]: from scipy.sparse import csr_matrix
adjacency_matrix

→=csr_matrix((data['rating'],(data['user_id'],data['item_id'])),dtype=int) #

→write your code of adjacency matrix here
```

- [4]: adjacency_matrix.shape
- [4]: (943, 1681)

Grader function - 1

```
[5]: def grader_matrix(matrix):
    assert(matrix.shape==(943,1681))
    return True
    grader_matrix(adjacency_matrix)
```

[5]: True

SVD decomposition

(943, 5) (5,) (1681, 5)

Compute mean of ratings

```
[7]: def m_u(ratings):
    '''In this function, we will compute mean for all the ratings'''
    # you can use mean() function to do this
    # check this (https://pandas.pydata.org/pandas-docs/stable/reference/api/
    →pandas.DataFrame.mean.html) link for more details.
    return ratings.mean()
```

```
[8]: mu=m_u(data['rating'])
print(mu)
```

3.529480398257623

Grader function -2

```
[9]: def grader_mean(mu):
    assert(np.round(mu,3)==3.529)
    return True
    mu=m_u(data['rating'])
    grader_mean(mu)
```

[9]: True

Initialize B_i and C_i

Number of rows of adjacent matrix corresponds to user dimensions (B_i) , number of columns of adjacent matrix corresponds to movie dimensions (C_i)

```
[10]: def initialize(dim):
    '''In this function, we will initialize bias value 'B' and 'C'.'''
```

```
# initalize the value to zeros
          # return output as a list of zeros
          return np.zeros(dim)
[11]: dim= adjacency_matrix.shape[0] # giving the number of dimensions for b_i (Here_
       \rightarrow b_i corresponds to users)
      b_i=initialize(dim)
[12]: dim= adjacency_matrix.shape[1] # giving the number of dimensions for c_j (Here_
       →c j corresponds to movies)
      c_j=initialize(dim)
     Grader function -3
[13]: def grader_dim(b_i,c_j):
        assert(len(b_i)==943 \text{ and } np.sum(b_i)==0)
        assert(len(c_j)==1681 \text{ and } np.sum(c_j)==0)
        return True
      grader_dim(b_i,c_j)
[13]: True
     Compute dL/db i
[14]: def derivative db(user id, item id, rating, U, V, mu, alpha):
           ^{\prime\prime\prime}In this function, we will compute dL/db_i^{\prime\prime\prime}
          res=alpha*(2*b i[user id])+2*(rating-mu-b i[user id]-c j[item id]-np.
       →dot(U[user_id], V.T[item_id]))*(-1)
          return res
     Grader function -4
[15]: def grader_db(value):
          assert(np.round(value,3)==-0.931)
          return True
      U1, Sigma, V1 = randomized_svd(adjacency_matrix, n_components=2,n_iter=5,_
       →random_state=24)
      # Here we are considering n_componets = 2 for our convinence
      alpha=0.01
      value=derivative_db(312,98,4,U1,V1,mu,alpha)
      grader_db(value)
[15]: True
```

Compute dL/dc_j

```
[16]: def derivative_dc(user_id,item_id,rating,U,V,mu):
          '''In this function, we will compute dL/dc_j'''
          res=alpha*(2*c_j[item_id])+2*(rating-mu-b_i[user_id]-c_j[item_id]-np.
       \rightarrowdot(U[user_id], V.T[item_id]))*(-1)
          return res
     Grader function - 5
[17]: def grader dc(value):
          assert(np.round(value,3)==-2.929)
          return True
      U1, Sigma, V1 = randomized_svd(adjacency_matrix, n_components=2,n_iter=5,_
       →random state=24)
      # Here we are considering n_componets = 2 for our convinence
      r=0.01
      value=derivative_dc(58,504,5,U1,V1,mu)
      grader_dc(value)
[17]: True
     Compute MSE (mean squared error) for predicted ratings
[18]: y=np.array(data['rating'])
      user_id=np.array(data['user_id'])
      item_id=np.array(data['item_id'])
[19]: epoch=50
      learning_rate=0.001
      MSE=[]
      curr_mse=0
      length=len(data)
      for i in range(1,epoch): # each epoch
          y_pred=[]
```

```
at epoch 3 MSE= 0.9657973842122543
at epoch 4 MSE= 0.9413218441323338
at epoch 5 MSE= 0.924432128471976
at epoch 6 MSE= 0.9119611421001191
at epoch 7 MSE= 0.9023060448416521
at epoch 8 MSE= 0.8945707810866832
at epoch 9 MSE= 0.8882141270920174
at epoch 10 MSE= 0.882888231555782
at epoch 11 MSE= 0.8783578964442278
at epoch 12 MSE= 0.8744573121608594
at epoch 13 MSE= 0.8710654755863043
at epoch 14 MSE= 0.8680915084953886
at epoch 15 MSE= 0.8654655008991121
at epoch 16 MSE= 0.8631325796497138
at epoch 17 MSE= 0.8610489360677697
at epoch 18 MSE= 0.8591790861510693
at epoch 19 MSE= 0.8574939310896514
         20 MSE= 0.8559693522877421
at epoch
at epoch 21 MSE= 0.8545851725570873
at epoch 22 MSE= 0.8533243739799534
         23 MSE= 0.8521724994546295
at epoch
at epoch 24 MSE= 0.8511171881794503
at epoch 25 MSE= 0.8501478104737527
         26 MSE= 0.8492551774119711
at epoch
at epoch
         27 MSE= 0.8484313075879562
at epoch
         28 MSE= 0.8476692380560537
```

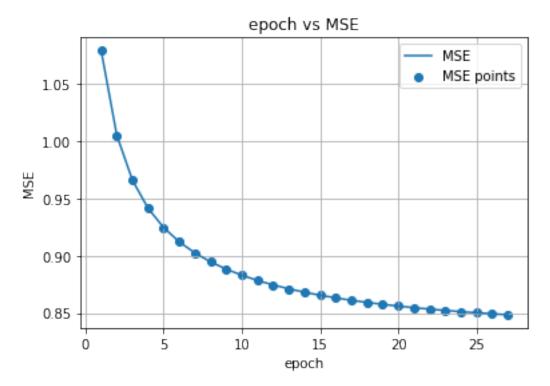
Plotting epoch number vs MSE

```
[28]: #plotting MSE for each epoch
import matplotlib.pyplot as plt

epoch=range(1,epoch_value)

plt.plot(epoch,MSE,label='MSE')
```

```
plt.scatter(epoch, MSE, label='MSE points')
plt.legend()
plt.xlabel("epoch")
plt.ylabel("MSE")
plt.title("epoch vs MSE")
plt.grid()
plt.show()
```



```
Task 2
```

```
[21]: user=pd.read_csv('user_info.csv.txt') #reading csv
[22]: user.head()
[22]:
         user_id age is_male orig_user_id
      0
               0
                   24
                              1
                                            1
      1
               1
                   53
                              0
                                            2
      2
               2
                                            3
                   23
                              1
      3
               3
                   24
                              1
                                            4
      4
                   33
                              0
[23]: X=U # user features
      y=user['is_male'] #target variable
```

```
[24]: length=len(user)
[43]: #applying logisticRegression
      from sklearn.linear_model import LogisticRegression
      reg = LogisticRegression().fit(X, y)
[44]: pred=reg.predict(X)
[51]: from sklearn.metrics import confusion matrix
      C=confusion_matrix(y,pred)
      print(C)
     [[ 0 273]
      [ 0 670]]
     After scaling user features
[54]: from sklearn import preprocessing
[55]: ss= preprocessing.StandardScaler()
      X_scaling=ss.fit_transform(X)
[56]: #applying logisticRegression
      reg = LogisticRegression().fit(X_scaling, y)
      pred=reg.predict(X)
[57]: C=confusion_matrix(y,pred)
      print(C)
     [[ 0 273]
      [ 0 670]]
[66]: user['is_male'].value_counts()
[66]: 1
           670
           273
      0
      Name: is_male, dtype: int64
     Here if you observe the confusion matrix values of the model didn't change after scaling of user
```

features From the confusion matrix was all the users with class label 1 are correctly predicted as 1 and all users with class label 0 are incorrectly predicated as 1 i.e all the users either with class label 1 or 0 are predicated as 1 We can conclude that the user features computed are not helpful in predicting the gender of the user

```
[]:
```