DIVIDE TWO INTEGERS

AIn this problem, we are given two non zero integers and our job is to divide them without using any in built operator.

We are also supposed to keep int value overflow in mind, as -2^{31} and -1 divided would result in 2^{31} which cannot be stored in a 32 bit integer.

Brute force solution is to obviously loop subtractions from dividend to divisor. Time Complexity is O(dividend) which is too much.

Since subtractions one by one are very slow, so we will do subtraction -s by multiplying the divisor with maximum possible power of 2

Pseudocode:

divide (dividend q divisor) {

if (dividend == divisor) {

return 1

}

sign Pos = true
if (dividend > = 0 & divisor LO) {

```
sign = false
else if (dividend < 0 && divisor>0) {
sign = false
n = als (dividend).
  = als (divison)
    while (n > = d \times 2^{c+1})
     n = n - (d \times 2^c)
if (arus >=INT - MAX 88 sign Pos) {
    return , INT-MAX
  else if (ans > = INT_MAX 98
                                   I sign Post
    return INT_MIN
```