

Lecture 10: Optimization problems

Math 195 Section 91

Monday July 13, 2009

Goal: 15.7 and 15.8

Next midterm: orally on Friday. I'll send an email with signups.

1 Extrema

define global min, global max

define local min, local max

theorem re continuous image of closed, bounded sets.

example: $f(x, y) = x^2 + y^2$.

if local extrema, then derivative vanishes

critical point: partials vanish, or partial dne.

second derivative test

procedure: find critical points, find boundary extrema, find largest and smallest.

2 Lagrange multipliers

find extrema with a constraint

intuitive argument: curves on constraint

classic problem: biggest box (without a lid) with 12 square units of cardboard.