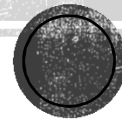


ANACONDA & JUPYTER NOTEBOOK

Mohan M J



ANACONDA - INTRODUCTION

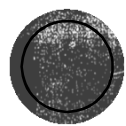
- Distribution of packages built for data science
- Conda - package and environment manager
- Conda to create environments for isolating projects that use different versions of Python and/or different packages
- Download and install Anaconda

<<https://www.anaconda.com/download/>>



MANAGING PACKAGES

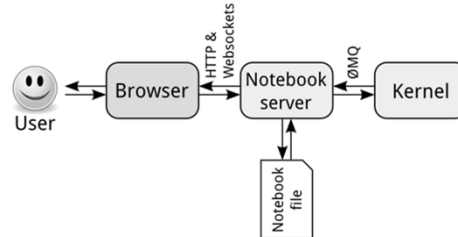
- Install numpy with conda : `conda install numpy=1.14.0`
- Conda also automatically installs dependencies for you. For example scipy depends on numpy
- To uninstall : `conda remove package_name`
- update all packages in an environment: `conda update --all`
- `conda search numpy`



JUPYTER NOTEBOOK



INTRODUCTION

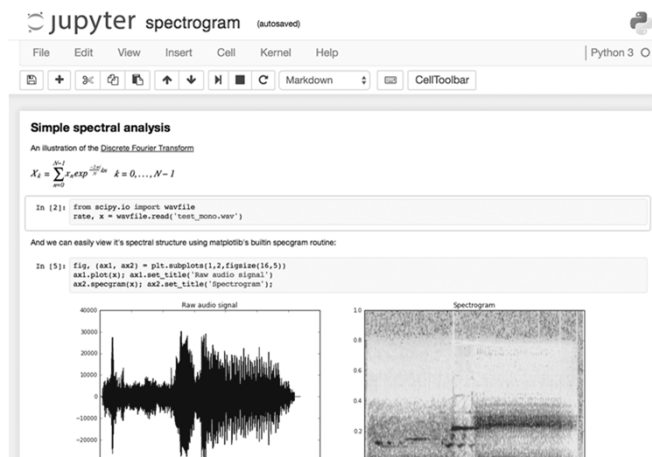


- Web application that allows to combine explanatory text, math equations, code, and visualizations all in one easily sharable document
- Notebooks have quickly become an essential tool when working with data
- Being used for data cleaning and exploration, visualization, machine learning, and big data analysis
- Literate programming proposed by Donald Knuth in 1984 - documentation is written as a narrative alongside the code
- Jupyter notebooks grew out of the IPython project started by Fernando Perez

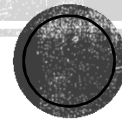


INSTALLING AND LAUNCHING NOTEBOOK

- <http://localhost:8888>
- conda install nb_conda
- cell - Code or Markdown
- Command palette
- Headers



MATRIX MATH & NUMPY



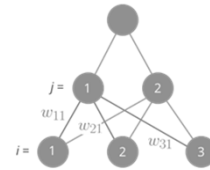
CONTENTS

- Introduction
- Data Dimension
- Data in NumPy
- Element-wise Matrix Operations
- Element-wise Operations in NumPy
- Matrix Multiplication
- NumPy Matrix Multiplication
- Matrix Transpose
- Transpose in NumPy



INTRODUCTION

- ML involves a lot of matrix math
- Understand the basics before diving into the subject
- Refresher on Matrix Math
- NumPy library to work efficiently with matrices in **Python**



$$\begin{bmatrix} x_1 & x_2 & x_3 \end{bmatrix} \times \begin{bmatrix} w_{11} & w_{12} \\ w_{21} & w_{22} \\ w_{31} & w_{32} \end{bmatrix}$$

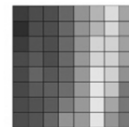


DATA DIMENSION

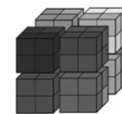
vector



matrix



tensor



- Scalars – Eg. Height of a person – 0 dimension
- Vectors – Row or Column vectors – Eg. Height, weight, age form a vector
- Matrices – Eg. Image pixel values
- Tensors – n dimensional collection of values - Eg. Matrix is a 2dim vector
- Visualize a tensor
- Indexing



DATA IN NUMPY

<Practice in Jupyter Notebook>

```
import numpy as np
s = np.array(5)
V = np.array([1, 2, 3])
M = np.array([[1, 2, 3], [4, 5, 6], [7, 8, 9]])
T = np.array([[[1, 2, 3], [4, 5, 6], [7, 8, 9]], [[1, 2, 3], [4, 5, 6], [7, 8, 9]]])
T.shape
```



ELEMENT-WISE MATRIX OPERATIONS

- Addition and Scalar Multiplication
 - To add or subtract two matrices, their dimensions must be the same

$$\begin{bmatrix} a & b \\ c & d \end{bmatrix} + \begin{bmatrix} w & x \\ y & z \end{bmatrix} = \begin{bmatrix} a+w & b+x \\ c+y & d+z \end{bmatrix}$$

$$\begin{bmatrix} a & b \\ c & d \end{bmatrix} * x = \begin{bmatrix} a*x & b*x \\ c*x & d*x \end{bmatrix}$$



MATRIX MULTIPLICATION

$$\begin{bmatrix} a & b \\ c & d \\ e & f \end{bmatrix} * \begin{bmatrix} w & x \\ y & z \end{bmatrix} = \begin{bmatrix} a*w + b*y & a*x + b*z \\ c*w + d*y & c*x + d*z \\ e*w + f*y & e*x + f*z \end{bmatrix}$$

Properties

- Not commutative. $A*B \neq B*A$
- Associative. $(A*B)*C = A*(B*C)$

$$\begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \end{bmatrix} \times \begin{bmatrix} 7 & 8 \\ 9 & 10 \\ 11 & 12 \end{bmatrix} = \begin{bmatrix} 58 & 64 \\ 139 & 154 \end{bmatrix}$$

$1 \times 7 + 2 \times 9 + 3 \times 11 = 58$

$1 \times 8 + 2 \times 10 + 3 \times 12 = 64$

$$\begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \end{bmatrix} \times \begin{bmatrix} 7 & 8 \\ 9 & 10 \\ 11 & 12 \end{bmatrix} = \begin{bmatrix} 58 & 64 \\ 139 & 154 \end{bmatrix}$$

$4 \times 7 + 5 \times 9 + 6 \times 11 = 139$

$$\begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \end{bmatrix} \times \begin{bmatrix} 7 & 8 \\ 9 & 10 \\ 11 & 12 \end{bmatrix} = \begin{bmatrix} 58 & 64 \\ 139 & 154 \end{bmatrix}$$

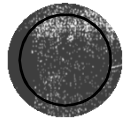
$4 \times 8 + 5 \times 10 + 6 \times 12 = 154$

MATRIX TRANSPOSE

$$A = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix} \quad A^T = \begin{bmatrix} 1 & 4 & 7 \\ 2 & 5 & 8 \\ 3 & 6 & 9 \end{bmatrix}$$

$$A = \begin{bmatrix} 1 & 4 & 3 \\ 8 & 2 & 6 \\ 7 & 8 & 3 \\ 4 & 9 & 6 \\ 7 & 8 & 1 \end{bmatrix} \quad A^T = \begin{bmatrix} 1 & 8 & 7 & 4 & 7 \\ 4 & 2 & 8 & 9 & 8 \\ 3 & 6 & 3 & 6 & 1 \end{bmatrix}$$

$$A = \begin{bmatrix} 1 & 2 \\ 3 & 4 \\ 5 & 6 \end{bmatrix}$$



THANK YOU

