

# DSA Mids Lab exam

## Section A

May 18, 2022

### Instructions for the exam

1. This is a 2 hour exam.
2. You will be submitting your problems on the OJ
3. All the data structures will be provided in a .c file. You can copy them into your code and use them as required. You can modify them as well. Please go through the template code before using it (at-least the function definitions).
4. Problems A and B are worth **100 points** each, and Problem C is worth **200** points.
5. Refer to the time limit and memory limit of each problem on OJ.

## Problem A

Given a binary search tree with  $n$  nodes, return a linked list with  $n$  nodes whose  $i^{\text{th}}$  node contains the sum of the  $i^{\text{th}}$  largest element in the binary search tree and the  $i^{\text{th}}$  smallest element in the binary search tree.

For this question, you will be provided the template code in file *a.c* which will contain the ADT for binary tree and linked list. You only have to implement the function *LL\* ans(BT\* bt, int n)*. You can write additional methods to solve this problem, but ONLY inside the designated area specified by comments. **Any change in code outside designated area will lead to a straight 0 in this problem.**

## Constraints

Number of test cases  $1 \leq T \leq 100$

$1 \leq n \leq 2 \times 10^4$

$-10^8 \leq \text{node values} \leq 10^8$

## Input format

- First line contains an integer  $T$ , the number of test cases.
- For every test case the first line contains an integer  $n$ , the number of nodes in the binary search tree.
- Then  $n$  lines follow that contain three integers;  $p$ ,  $wc$  and  $val$ .  $p$  ( $-1 \leq p < n$ ) denotes the parent of the current node (-1 if it is the root). If  $wc$  ( $-1 \leq wc \leq 1$ ) is 0, then the current node is the left child of the parent, and if it is 1, then the current node is the right child of the parent (It is -1 when the node is the root).  $val$  ( $-10^8 \leq val \leq 10^8$ ) is the value of the node. (Note that  $p$  is zero-indexed)
- The input is a valid binary search tree.

## Examples

### Sample Testcase 1

#### Input

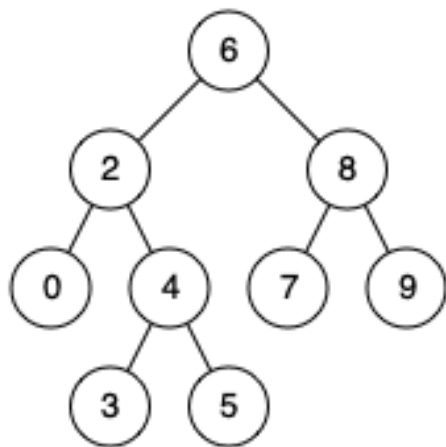
```
1
9
-1 -1 6
0 0 2
1 0 0
1 1 4
3 0 3
3 1 5
0 1 8
6 0 7
6 1 9
```

#### Output

```
9 10 10 10 10 10 10 9
```

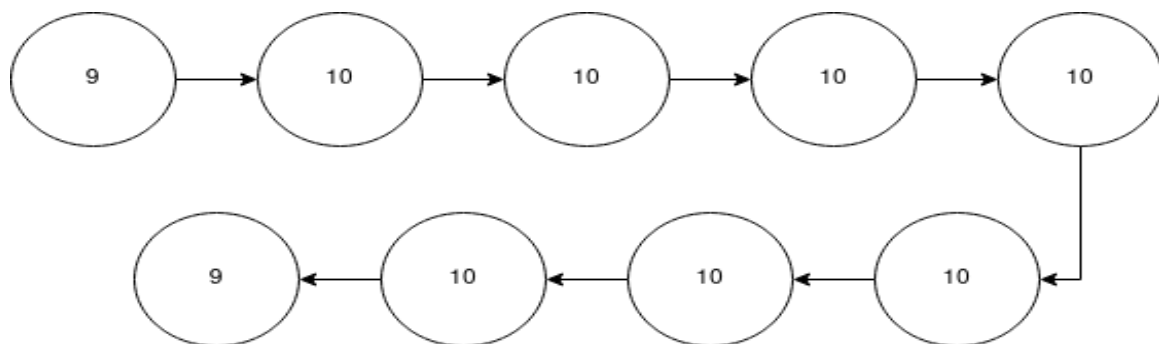
#### Explanation

The Binary search tree is as follows.



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Then, the linked list it should return is as follows



## Problem B

**Definition.** The next greater element of a number  $a$  in an array is the first element strictly greater than  $a$  occurring after  $a$  in the array

**Definition.** A circular array is an array where the next element of the last element is the first element of the array

Given a circular integer array of length  $N$ , find the next greater element for every element in the integer array.

If the next greater element for a number does not exist, print -1 for that number

## Constraints

Number of testcases  $1 \leq T \leq 100$

$1 \leq N \leq 10^6$

$0 \leq \text{numbers} \leq 10^8$

## Input Format

- First line contains  $T$ , the number of test cases
- For every test case the first line contains a single integer  $N$ .
- The following line contains  $N$  integers, denoting the elements of the circular array

## Output Format

Output  $T$  lines, where each line corresponds to the corresponding testcase.

For every test case, output  $N$  integers,  $i^{\text{th}}$  of which is the next greater element of the  $i^{\text{th}}$  number given as the input for that test case.

## Example

### Sample Testcase 1

#### Input

```
1
1 2 3 4 3
```

#### Output

```
2 3 4 -1 4
```

#### Explanation

For the first 3 elements, the next greater is the element right after it. The  $4^{\text{th}}$  element has no greater element in the array. In a normal array the last element would not have a next greater element, but since this is a circular array, its next greater element is the  $4^{\text{th}}$  element, whose value is 4.

## Problem C

Given two integer arrays  $a$  and  $b$  of size  $n$  each. For a real number  $d$  and arrays  $a$  and  $b$ , create a new array  $c$  such that  $\forall i \in [1, n], c_i = d \cdot a_i + b_i$ . By choosing an optimal value of  $d$ , find the maximum number of elements of array  $c$  that you can make 0.

### Constraints

#### Subtask 1 (20 points)

$$1 \leq n \leq 10^3$$
$$\forall i \in [1, n], -10^3 \leq a_i, b_i \leq 10^3$$

#### Subtask 2 (80 points)

$$1 \leq n \leq 2 \times 10^5$$
$$\forall i \in [1, n], -10^9 \leq a_i, b_i \leq 10^9$$

### Input format

- First line contains an integer  $n$ .
- Second line  $n$  integers of array  $a$ ;  $a_1, a_2, \dots, a_n$ .
- Third line  $n$  integers of array  $b$ ;  $b_1, b_2, \dots, b_n$ .

### Output format

A single number denoting the maximum number of elements of array  $c$  that you can make 0.

### Example

#### Sample Testcase 1

##### Input

```
5
1 2 3 4 5
2 4 7 11 3
```

##### Output

```
2
```

##### Explanation

By choosing  $d = -2$ , you can get array  $c$  to be  $[0, 0, 1, 3, -7]$ . Hence, answer is 2.

### Sample Testcase 2

#### Input

3  
13 37 39  
1 2 3

#### Output

2

#### Explanation

By choosing  $d = -\frac{1}{13}$ , you can get array  $c$  to be  $[0, -\frac{11}{13}, 0]$ . Hence, answer is 2.