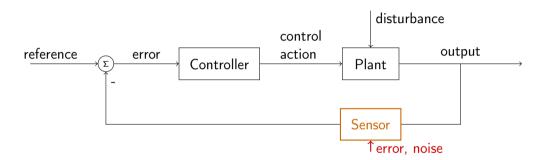
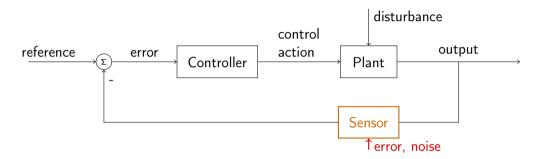
Kjartan Halvorsen

February 24, 2022

## Sensors

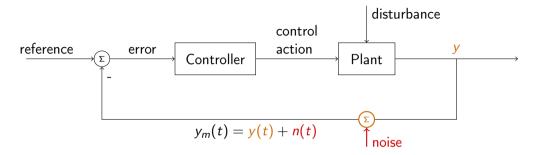


#### Sensors

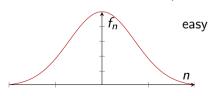


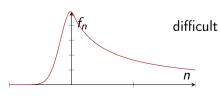
It is inevitable that sensors introduce noise into the system.

#### Sensors



It is important to know the (statistical) characteristics of the measurement error!



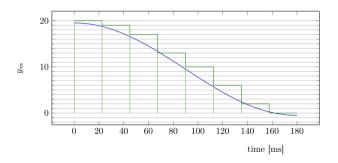


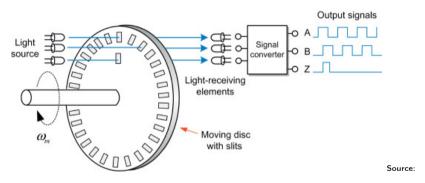
### Sensors - characteristics

- Accuracy How correct is the measurement on average
- Precision How much do the errors vary (standard deviation)
- Sensitivity/resolution The smallest change in the measured variable that can be detected
- Sampling and digitalization

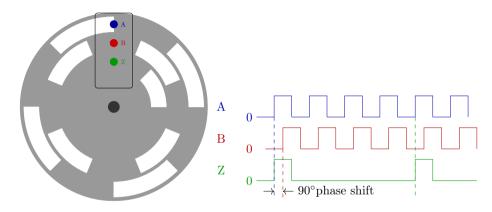
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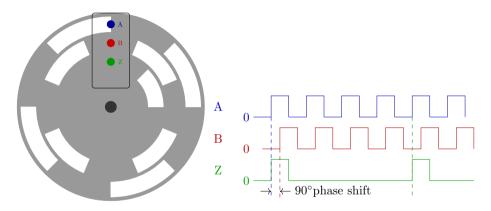




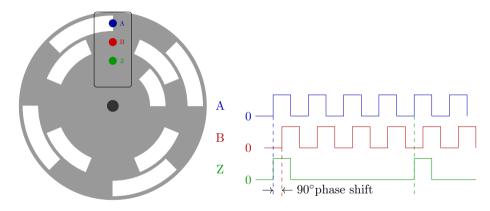
 $\verb|https://www.sciencedirect.com/topics/engineering/incremental-encoder|\\$ 



Pulses Per Revolution (PPR) is 4 en the example. Each aperture covers a sector of  $\frac{360^{\circ}}{2 \times PPR} = 45^{\circ}$ .

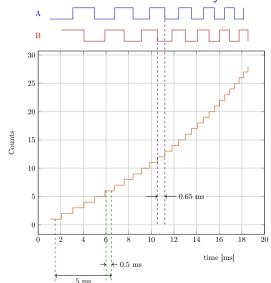


Activity If both rising and falling edges of both signals A and B, what is the smallest change in angle that can be detected (sensitivity of the sensor)?



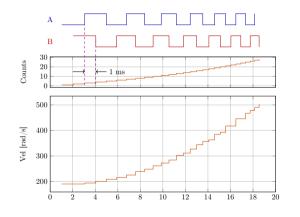
Activity In the above example, does the encoder turn clockwise (CW) or counter-clockwise (CCW)?

### Incremental encoder - velocity



We want to find the angular velocity at the time-instant  $t=6.5~\mathrm{ms}$ . For the encoder we have PPR=8, and both rising and falling edges of both signals A and B are counted, resulting in 32 counts per revolution. Activity Calculate the angular velocity in rad/s for case (a) using a sampling period of  $\Delta t=0.5~\mathrm{ms}$ , and for case (b) using a sampling period of  $\Delta t=5~\mathrm{ms}$ .

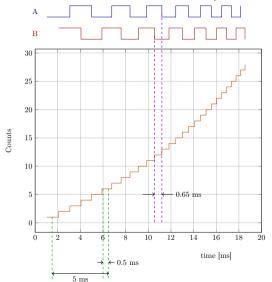
# Incremental encoder - Velocity from frequency of the counts



The velocity can be measured by the inverse of the time between subsequent pulses. In the example there is an interval of  $1\ \mathrm{ms}$  between the two pulses. The velocity becomes

$$v=1$$
 pulses/ms  $= \frac{1/32 \text{ revolutions}}{10^{-3} \text{ s}}$   
 $= \frac{2\pi}{32} \times 1000 \text{ rad/s} = 196.3 \text{ rad/s}$ 

# Incremental encoder - Velocity from frequency of the counts



Activity Calculate the velocity!

#### Simulink exercise - decoder

Complete the simulink diagram so that the angular velocity is correctly estimated.

