사회과학을위한데이터과학 과제5.

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 > #1
 > library(dplyr)
 > n1=276
 > n2=468
 > n3=87
 > ybar1=10.4
 > ybar2=7.4
 > ybar3=8.3
 > sd1=17.8
 > sd2=13.6
 > sd3=15.6
 > set.seed(123)
 > data=data.frame(
 + happiness = factor(rep(c("very", "pretty", "not very"), times=c(n1,
 n2, n3))),
 + good_friends = c(rnorm(n1, ybar1,sd1), rnorm(n2, ybar2,sd2), rnorm
 (n3, ybar3, sd3)))
 > anova_results= aov(good_friends ~ happiness, data = data)
 > summary(anova_results)
             Df Sum Sq Mean Sq F value Pr(>F)
              2 1579 789.3 3.511 0.0303 *
 happiness
 Residuals 828 186151
                         224.8
 Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
 > #(d)
 > confint(anova_results)
                    2.5 %
                             97.5 %
 (Intercept)
                 4.943925 11.254528
 happinesspretty -4.018098 2.854081
 happinessvery -1.206158 6.031027
 > #(e)
 > confint(anova_results.level=1-0.05/3)
                  0.833 % 99.167 %
 (Intercept)
                 4.243010 11.955443
 happinesspretty -4.781387 3.617370
 happinessvery -2.009988 6.834857
```

		Source	3am 39	at	mean Sq.	1	p-vaine	
		happiness	15 N9	2	189.3	3.5[]	0.0303	
		residuals	186151	828	724.8			
Ho: population mean number of good friends is same								
Mappiness								

among who reported different

- (P) (B) Ha: is different " F test statistic = 3.511 \sim F (2,828)
 - p-value = 0.0303 <0.05 > reject the null.
 - population mean number of good friends is different among who reported different happiness
- sample size in each group is large \Rightarrow \ddot{y} is approximately normal by CLT (c) random sample > not sure.

 T is same for each group > not sure.
- (d) R 코드 참고

(a)

- (e) 月 記 沙2
- (f) Bonferron; 95% (1 is wider.

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2.
       > student=read.table("C:\\Users\\kjhoe\\OneDrive\\바탕화~1-LAPTOP-VG0F9F
       J7-25904429\\사회과학을위한데이터과학\\student.dat",header=T)
       > student.1=student[,c(4,15)]
       > head(student.1)
         traveltime G2
                  2 10
       2
                  1 6
       3
                  1 13
       5
                  2 10
                  1 12
       > traveltime_1 = subset(student.1, traveltime==1)
       > traveltime_2 = subset(student.1, traveltime==2)
       > traveltime_3 = subset(student.1, traveltime==3)
       > traveltime_4 = subset(student.1, traveltime==4)
       > n1 = length(traveltime_1)
       > n2 = length(traveltime_2)
       > n3 = length(traveltime_3)
       > n4 = length(traveltime_4)
       > ybar1 = mean(traveltime_1$G2)
       > ybar2 = mean(traveltime_2$G2)
       > ybar3 = mean(traveltime_3$G2)
       > ybar4 = mean(traveltime_4$G2)
       > s1 = sd(traveltime_1$G2)
       > s2 = sd(traveltime_2$G2)
       > s3 = sd(traveltime_3$G2)
       > s4 = sd(traveltime_4$G2)
       > data=data.frame(
          traveltime = factor(rep(c(1,2,3,4), times=c(n1,n2,n3,n4))),
           grade = c(rnorm(n1, ybar1,s1), rnorm(n2, ybar2,s2), rnorm(n3, ybar
       3, s3), rnorm(n4, ybar4, s4)))
(a) N_1 = 250 N_2 = 103 N_3 = 21 N_4 = 8
      \overline{y_1} = 11.0 \text{ M2}, \ \overline{y_2} = 10.83981, \ \overline{y_3} = 9.28501, \ \overline{y_4} = 8
      S, = 3.7367, S2 = 3.701, S3 = 4.595, S4= 3.6645
(b)
        > anova_results= aov(grade~ traveltime, data = data)
        > summary(anova_results)
                     Df Sum Sq Mean Sq F value Pr(>F)
        traveltime 3 71.55
                                23.85
                                          1.148 0.432
        Residuals
                   4 83.10
                                  20.77
        → accept Ho (population mean G2 is same among different traveltime)
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small sample size for NA
(c)
        randomization - not sure.
        Sawe 5 > not sure.
 (d)
       > \#(d)
       > confint(anova_results)
                        2.5 %
                                 97.5 %
        (Intercept)
                     2.482695 20.379229
        traveltime2 -11.244189 14.065332
        traveltime3 -18.170895 7.138626
        traveltime4 -17.482731 7.826790
(e)
       > #(e)
        > confint(anova_results,level=1-0.05/4)
                      0.625 % 99.375 %
        (Intercept) -2.474839 25.33676
        traveltime2 -18.255202 21.07634
        traveltime3 -25.181908 14.14964
       traveltime4 -24.493744 14.83780
       > #(f)
(4)
       > TukeyHSD(anova_results)
          Tukey multiple comparisons of means
            95% family-wise confidence level
        Fit: aov(formula = grade ~ traveltime, data = data)
        $traveltime
                            lwr
                                      upr
       2-1 1.4105714 -17.14398 19.96512 0.9882402
        3-1 -5.5161347 -24.07069 13.03842 0.6529559
       4-1 -4.8279709 -23.38252 13.72658 0.7290963
        3-2 -6.9267061 -25.48126 11.62785 0.5042353
       4-2 -6.2385423 -24.79309 12.31601 0.5745985
        4-3 0.6881637 -17.86639 19.24272 0.9985690
(9) Bonterroni 95% is wider.
       simultaneous CI
```