

1. Consider the employee database of figure below. Give an expression in the relational algebra to express each of the following queries:

employee (ID, person_name, street, city)
 works (ID, person_name, company_name, salary)
 company (company_name, city)

Figure

- Find the ID and name of each employee who works for “BigBank”.

$$\Pi_{ID, person_name}(\sigma_{company_name="BigBank"}(works))$$

- Find the ID, name, and city of residence of each employee who works for “BigBank”.

- $\Pi_{ID, person_name, city}(\sigma_{company_name="BigBank"}(employee * works))$

- Find the ID, name, street address, and city of residence of each employee who works for “BigBank” and earns more than \$10000.

$$\Pi_{ID, person_name, street, city}(\sigma_{company_name="BigBank" \wedge salary > 10000}(employee * works))$$

- Find the ID and name of each employee in this database who lives in the same city as the company for which she or he works.

$$\Pi_{ID, person_name}(\sigma_{employee.city=company.city}(employee * company))$$

2. Consider the employee database of figure above. Give an expression in the relational algebra to express each of the following queries:

- Find the ID and name of each employee who does not work for “BigBank”.

$$\Pi_{ID, person_name}(\sigma_{company_name \neq "BigBank"}(employee))$$

- Find the ID and name of each employee who earns at least as much as every employee in the database.

$$minimal \leftarrow \Pi_{ID, person_name}(\sigma_{works.salary \leq some_works.salary}(works * \rho_{some_works}(works)))$$

$$\Pi_{ID, person_name}(works) - minimal$$

4 Consider the employee database of figure above. What are the appropriate primary keys?

employee (ID, person_name, street, city)

works (ID, person_name, company_name, salary)

company (company_name, city)