

Polarimetric Depth EstimationGroup 1 - Final Presentation

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Advanced Topics in 3D Computer Vision

Technical University of Munich

Munich, 28.07.2022





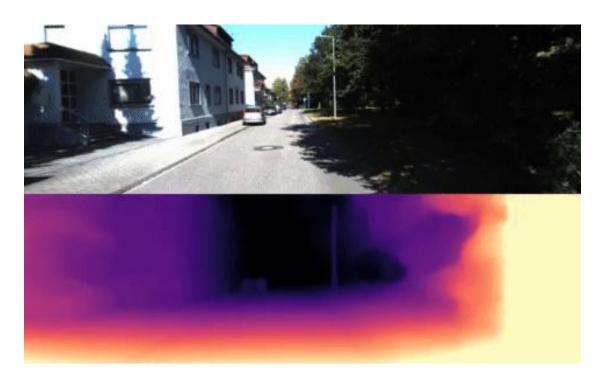
Agenda

- Motivation
- Related Work
- Polarimetric characteristics
- Architecture and losses
- Results and analysis
- Demonstration
- Limitations
- Conclusions
- Future development



Motivation

What is monocular depth estimation?

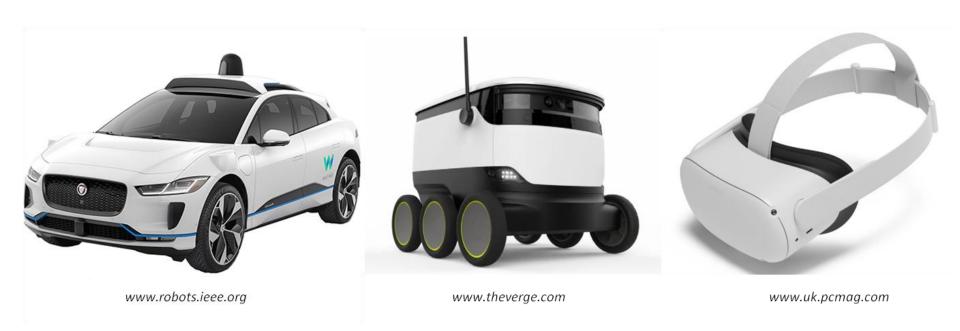


"Digging Into Self-Supervised Monocular Depth Estimation" Clément Godard, Oisin Mac Aodha, Michael Firman, Gabriel Brostow; ICCV 2019



Motivation

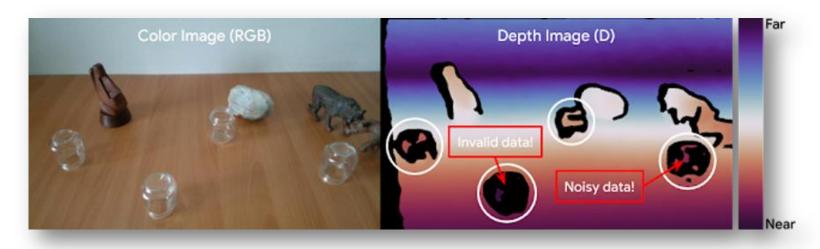
- What is monocular depth estimation?
- Where is it applied?





Motivation

- What is monocular depth estimation?
- Where is it applied?
- Why polarised images?



www.ai.googleblog.com



Goal

Quantitative and qualitative improvement of the supervised monocular depth estimation for photometrically challenging objects by leveraging polarimetric characteristics of light



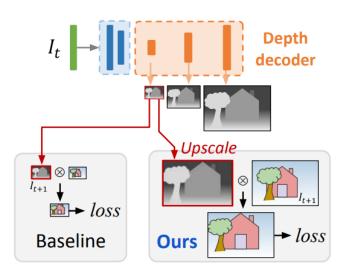
www.robots.ieee.org



Related work

Monodepth2

- Popular baseline for depth estimation
- Sequential frames as train data
- Depth loss using downscaled predictions



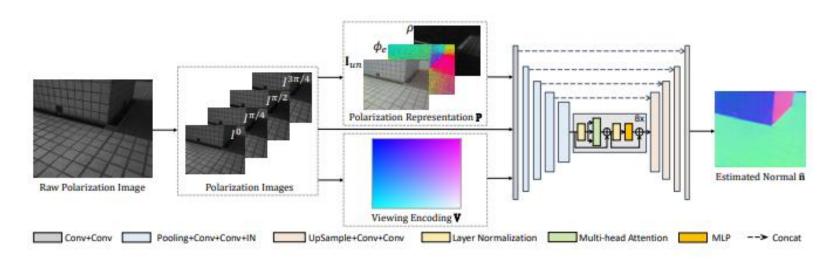
"Digging Into Self-Supervised Monocular Depth Estimation" Clément Godard, Oisin Mac Aodha, Michael Firman, Gabriel Brostow; ICCV 2019



Related work

Shape from Polarization for Complex Scenes in the Wild

- Normals estimation for full scenes
- Encoder-decoder structure
- Attention in bottleneck



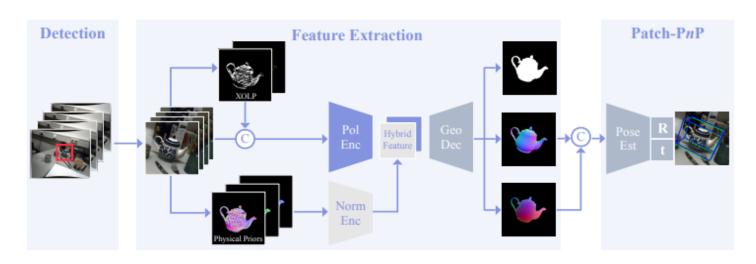
"Shape from Polarization for Complex Scenes in the Wild" Chenyang Lei, Chenyang Qi, Jiaxin Xie, Na Fan, Vladlen Koltun and Qifeng Chen; CVPR 2022



Related work

Polarimetric Pose Prediction

- Prediction of 6D pose
- Utitizes a normal encoder



"Polarimetric Pose Prediction" Daoyi Gao, Yitong Li, Patrick Ruhkamp, Iuliia Skobleva, Magdalena Wysocki, HyunJun Jung, Pengyuan Wang, Arturo Guridi, Nassir Navab, Benjamin Busam (ECCV 2022)



Dataset

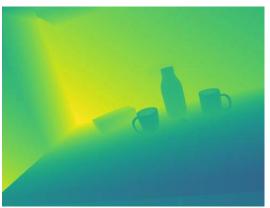
HAMMER

- RGB images
- 4 polarised images
 (0, 45, 90 and 135 deg)
- Instance masks
- Depth ground truth







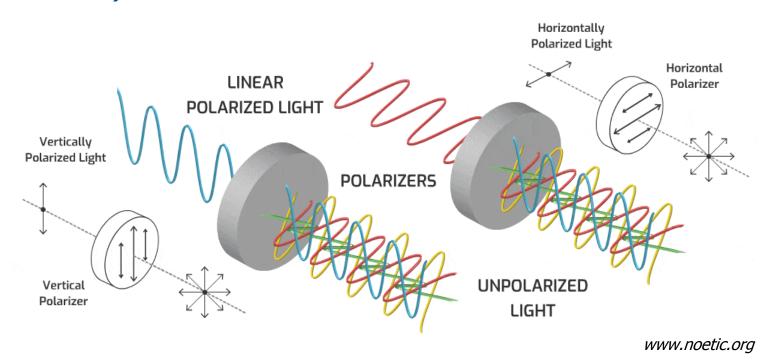


"Is my Depth Ground-Truth Good Enough? HAMMER - Highly Accurate Multi-Modal Dataset for DEnse 3D Scene Regression" HyunJun Jung, Patrick Ruhkamp, Guangyao Zhai, Nikolas Brasch, Yitong Li, Yannick Verdie, Jifei Song, Yiren Zhou, Anil Armagan, Slobodan Ilic, Aleš Leonardis, Benjamin Busam; 2022



Light polarisation

- Initially: a beam of light with multiple directional waves (unpolarised)
- After going through a polariser: some particular rays remain (polarised)





Polarimetric characteristics

polarised images







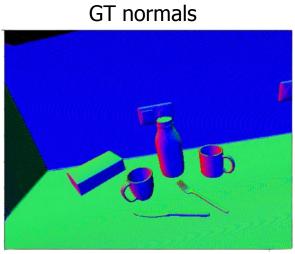
DOLP



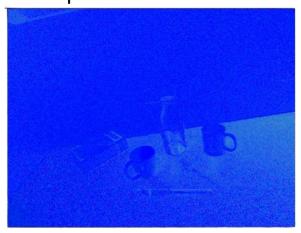




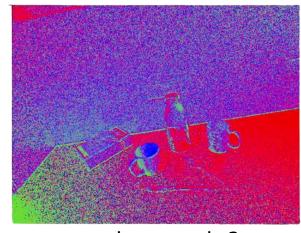
Polarimetric characteristics



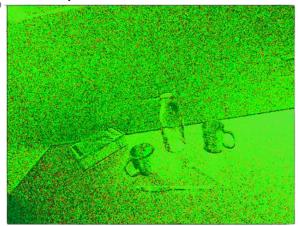
specular normals 1



diffuse normals



specular normals 2





Data preprocessing

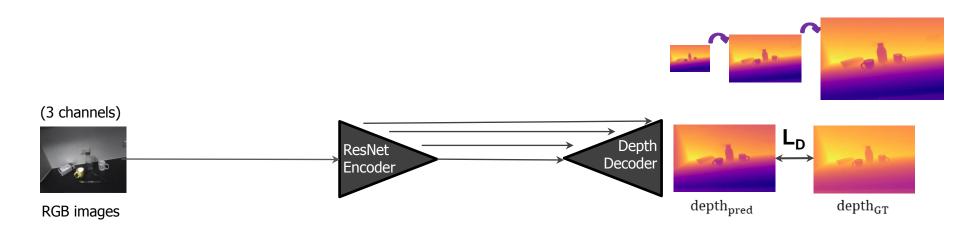
- Augmentation:
 - horizontal flip
 - o random brightness, contrast, saturation, hue jitter
- Downscaling images for loss calculations
- Speeding up training with pre-splitting polarised images
- Standardisation of RGB and XOLP encoder inputs



Architecture development



Baseline architecture





Loss Functions

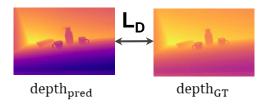
Depth Regression

$$\mathcal{L}_1(y, \hat{y}) = |y - \hat{y}|$$

Smoothing Loss (d stands for disparity):

$$\mathcal{L}_s(d,\hat{I}) = \frac{\partial d}{\partial x} e^{-\partial \hat{I}/\partial x} + \frac{\partial d}{\partial y} e^{-\partial \hat{I}/\partial y}$$

- Discourage shrinking of the estimated depth

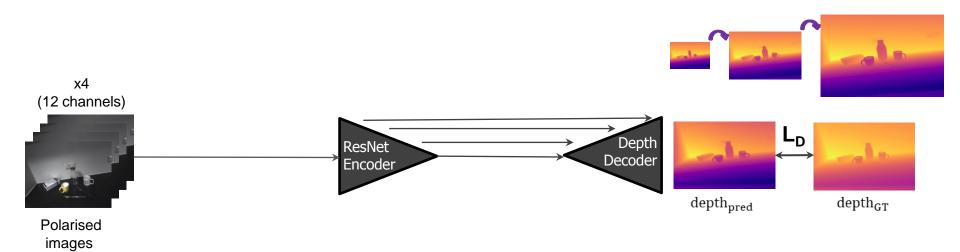


Overall:

$$\mathcal{L} = \alpha \mathcal{L}_1 + \beta \mathcal{L}_s$$



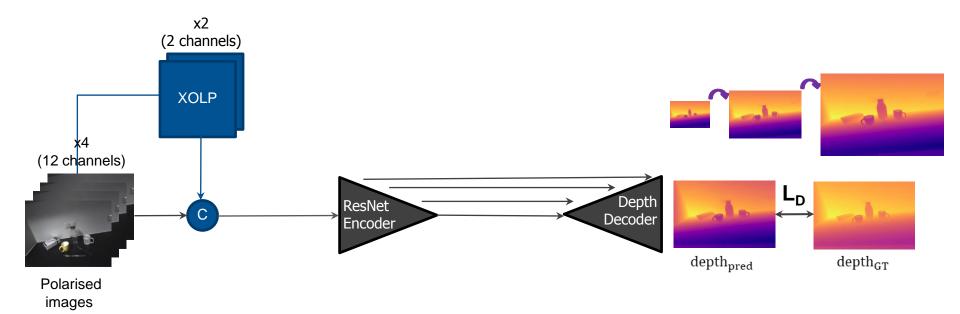
Architecture - proof of concept



- Performs better
- Polarization contains significant information

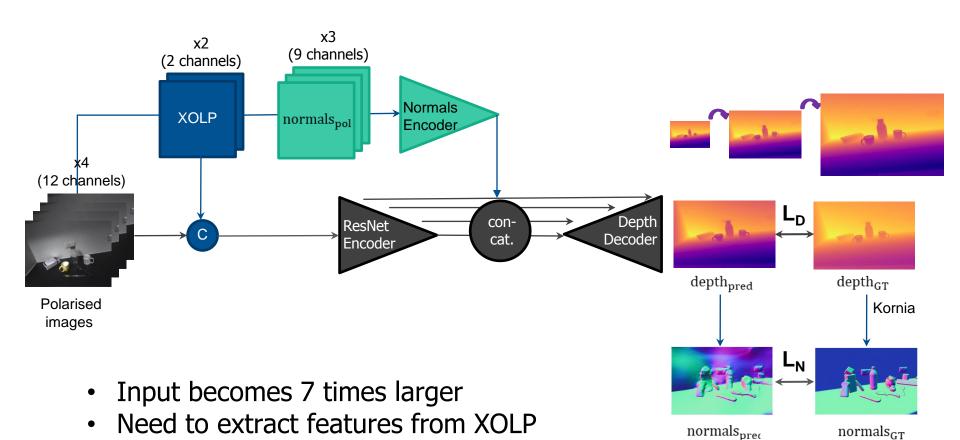


Architecture - blending the priors



- Adding XOLP alone did not increase the results
- Can still add more information







Loss Functions

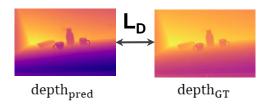
Depth Regression

$$\mathcal{L}_1(y, \hat{y}) = |y - \hat{y}|$$

Smoothing Loss (d stands for disparity):

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- Discourage shrinking of the estimated depth



Overall:

$$\mathcal{L} = \alpha \mathcal{L}_1 + \beta \mathcal{L}_s$$



Loss Functions

Depth Regression

$$\mathcal{L}_1(y, \hat{y}) = |y - \hat{y}|$$

Smoothing Loss (d stands for disparity):

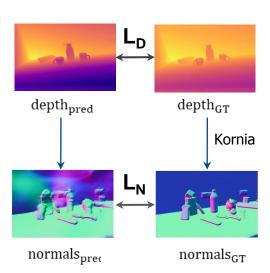
$$\mathcal{L}_s(d,\hat{I}) = \frac{\partial d}{\partial x} e^{-\partial \hat{I}/\partial x} + \frac{\partial d}{\partial y} e^{-\partial \hat{I}/\partial y}$$

- Discourage shrinking of the estimated depth
- Normals Loss

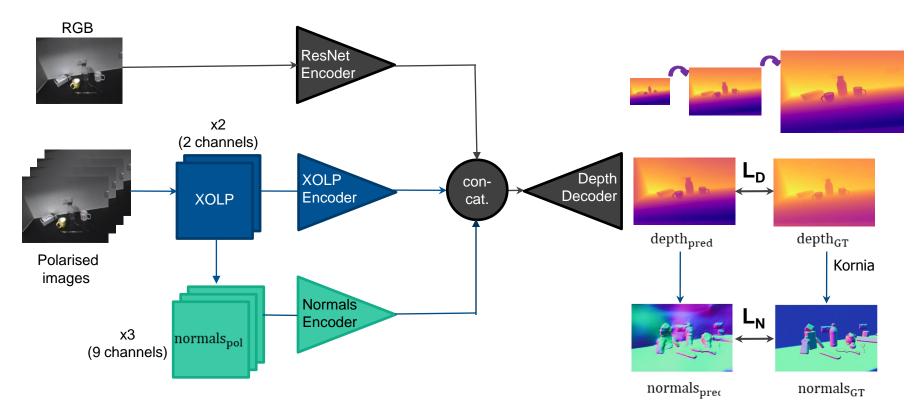
$$\mathcal{L}_n(n,\hat{n}) = 1 - cos(\angle(n,\hat{n}))$$

Overall:

$$\mathcal{L} = \alpha \mathcal{L}_1 + \beta \mathcal{L}_s + \theta \mathcal{L}_n$$

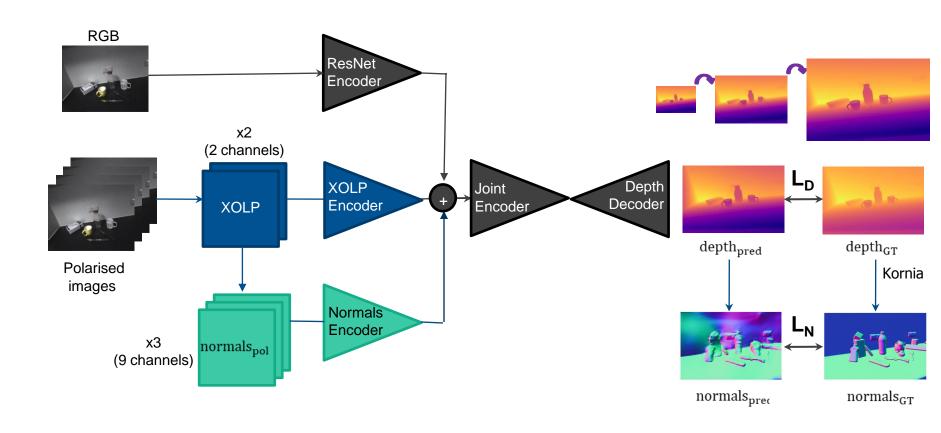




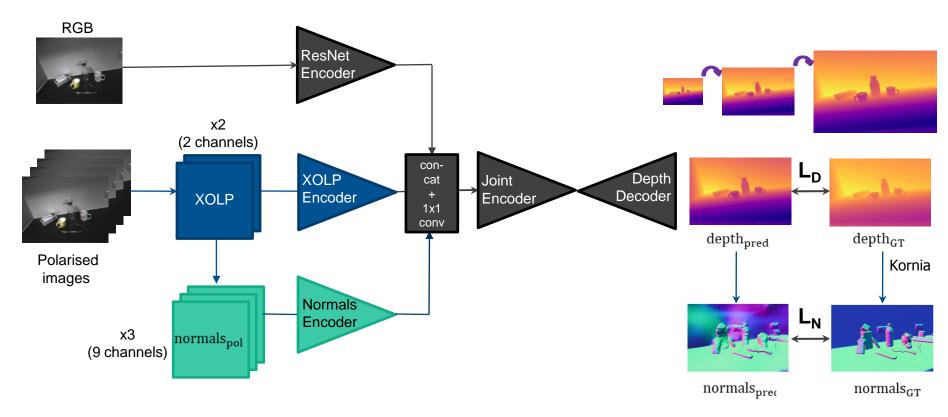


Too much load on the decoder



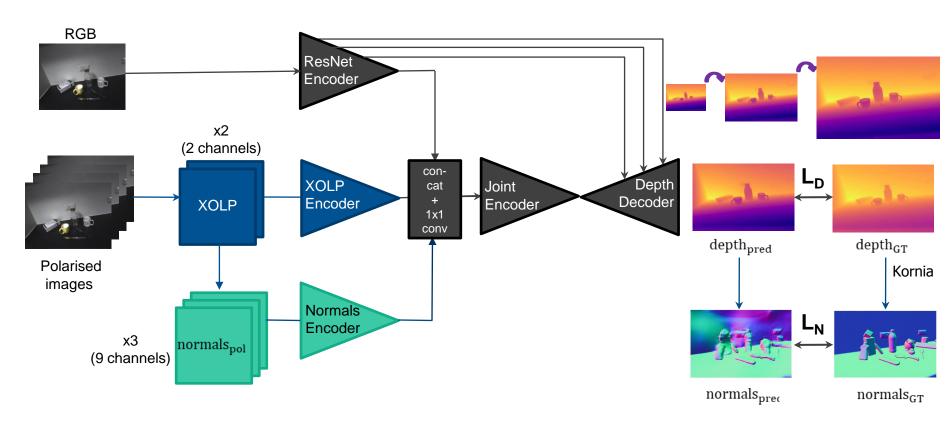






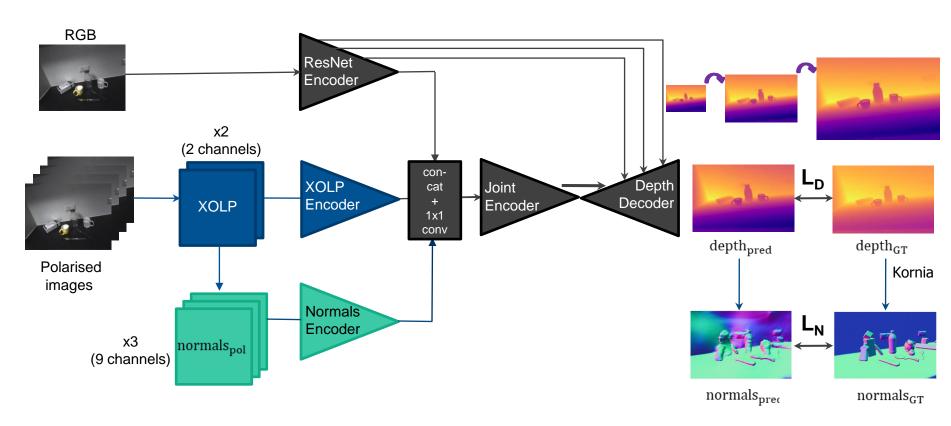
Combine features channel-wise





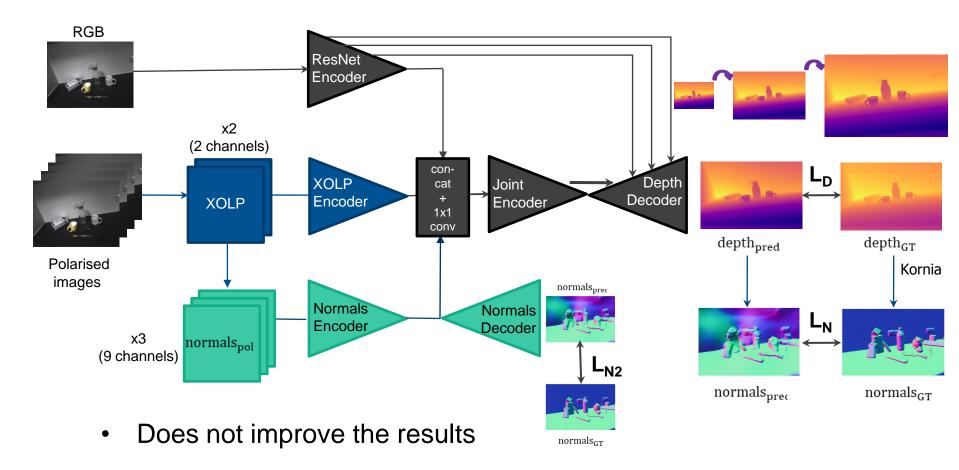
Skip connections for high resolution depth estimation





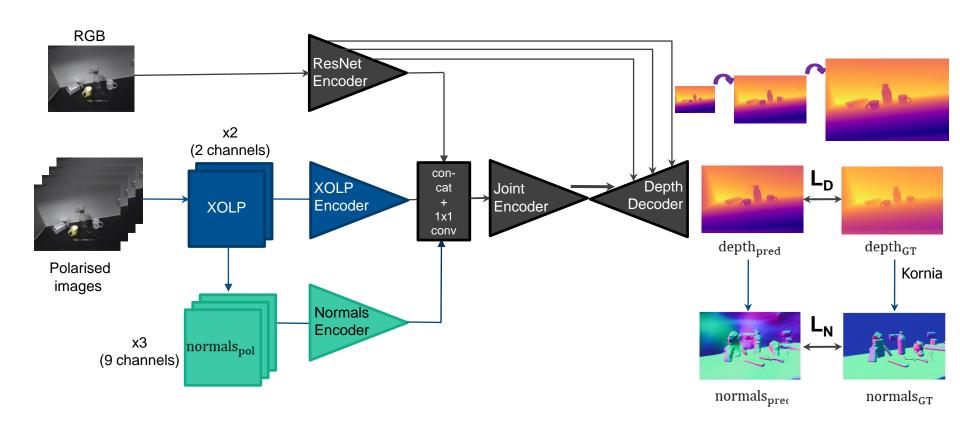
 Skip connections from the joint encoder boost results for non-Lambertian objects







Final architecture





Ablations



Ablations – losses

$$\mathcal{L} = \alpha \mathcal{L}_1 + \beta \mathcal{L}_s + \theta \mathcal{L}_n$$

GLASS	a1	abs_rel	log_rms	rms	sq_rel
$\theta = 0$	0.9575	0.08241	0.09517	0.06184	0.00762
$\theta = 0.35$	0.9896	0.08115	0.09086	0.05855	0.00652
θ = 1	0.9566	0.09645	0.10460	0.06821	0.00930
$\beta = 0$	0.9628	0.09977	0.10770	0.07119	0.00988
losses only at scale 0	0.9456	0.08838	0.10110	0.06576	0.00825

Initial setup: $\alpha = 1$, $\beta = 1$, $\theta = 0.35$, scales: 0, 1, 2, 3. The table indicates changes of the specified values.





Ablations – losses

$$\mathcal{L} = \alpha \mathcal{L}_1 + \beta \mathcal{L}_s + \theta \mathcal{L}_n$$

GLASS	a1	abs_rel	log_rms	rms	sq_rel
$\theta = 0$	0.9575	0.08241	0.09517	0.06184	0.00762
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losses only at scale 0	0.9456	0.08838	0.10110	0.06576	0.00825

METAL	a1	abs_rel	log_rms	rms	sq_rel
$\theta = 0$	0.9113	0.1278	0.1335	0.08742	0.01389
$\theta = 0.35$	0.9767	0.1135	0.1218	0.07607	0.01006
$\theta = 1$	0.9021	0.1419	0.1476	0.09614	0.01609
$\beta = 0$	0.8377	0.1586	0.1607	0.10720	0.02086
losses only at scale 0	0.8700	0.1495	0.1492	0.09899	0.01765

Initial setup: $\alpha = 1$, $\beta = 1$, $\theta = 0.35$, scales: 0, 1, 2, 3. The table indicates changes of the specified values.







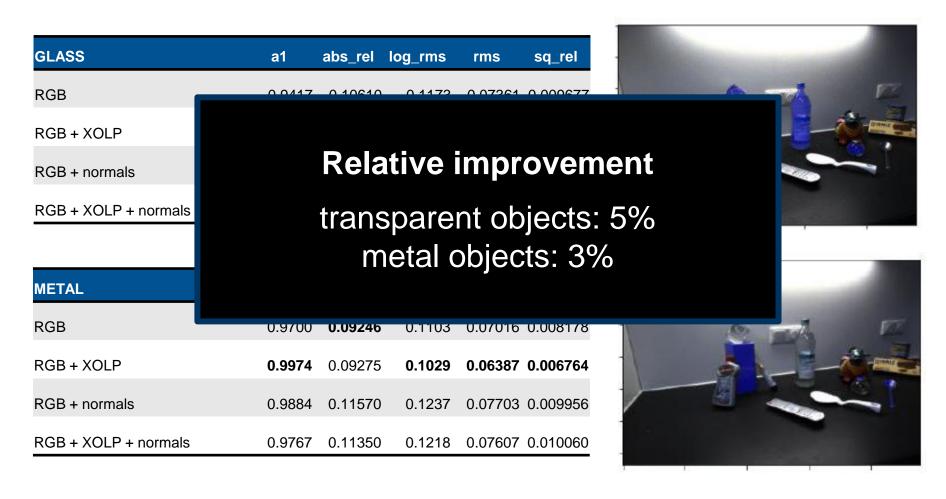
GLASS	a1	abs_rel	log_rms	rms	sq_rel
RGB	0.9417	0.10610	0.11730	0.07361	0.009677
RGB + XOLP	0.9908	0.06904	0.08126	0.05221	0.004954
RGB + normals	0.9723	0.08807	0.09818	0.06648	0.008598
RGB + XOLP + normals	0.9896	0.08115	0.09086	0.05855	0.006523



METAL	a1	abs_rel	log_rms	rms	sq_rel
RGB	0.9700	0.09246	0.1103	0.07016	0.008178
RGB + XOLP	0.9974	0.09275	0.1029	0.06387	0.006764
RGB + normals	0.9884	0.11570	0.1237	0.07703	0.009956
RGB + XOLP + normals	0.9767	0.11350	0.1218	0.07607	0.010060









OBJECTS	a1	abs_rel	log_rms	rms	sq_rel
RGB	0.93670	0.10331	0.12908	0.08602	0.0123
RGB + XOLP	0.91344	0.09740	0.13261	0.09063	0.0129
RGB + normals	0.91583	0.10257	0.13679	0.09447	0.0140
RGB + XOLP + normals	0.92258	0.10347	0.13486	0.09236	0.0132





OBJECTS	a1	abs_rel	log_rms	rms	sq_rel
RGB	0.93670	0.10331	0.12908	0.08602	0.0123
RGB + XOLP	0.91344	0.09740	0.13261	0.09063	0.0129
RGB + normals	0.91583	0.10257	0.13679	0.09447	0.0140
RGB + XOLP + normals	0.92258	0.10347	0.13486	0.09236	0.0132

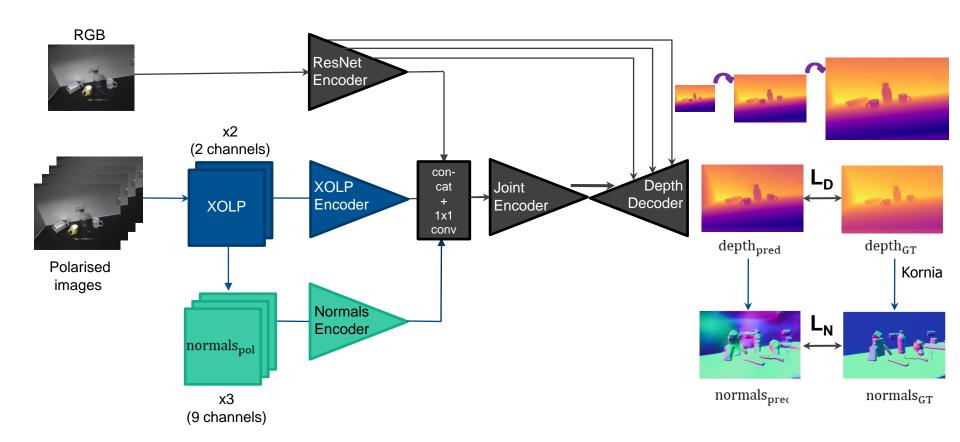


OBJECTS WITHOUT BOX	a1	abs_rel	log_rms	rms	sq_rel
RGB	0.95123	0.09958	0.12432	0.07799	0.01144
RGB + XOLP	0.97161	0.08409	0.11243	0.07149	0.00892
RGB + normals	0.96648	0.09153	0.11942	0.07777	0.01055
RGB + XOLP + normals	0.97417	0.09036	0.11605	0.07379	0.00943



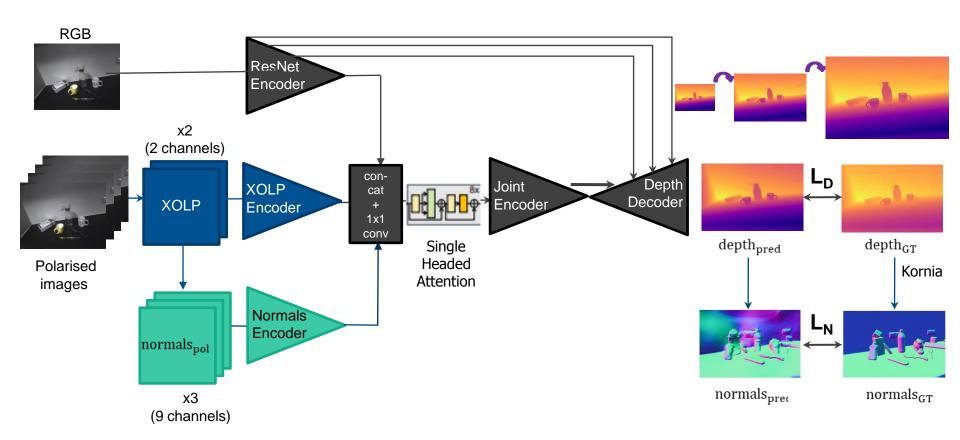


Final architecture





Final architecture – with attention





Ablations – polarimetric characteristics

OBJECTS	a1	abs_rel	log_rms	rms	sq_rel
RGB	0.93670	0.10331	0.12908	0.08602	0.0123
RGB + XOLP	0.91344	0.09740	0.13261	0.09063	0.0129
RGB + normals	0.91583	0.10257	0.13679	0.09447	0.0140
RGB + XOLP + normals	0.92258	0.10347	0.13486	0.09236	0.0132
RGB + XOLP + normals + attention	0.96769	0.08841	0.11351	0.07738	0.0010

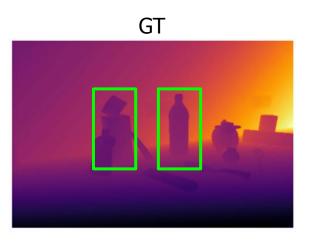


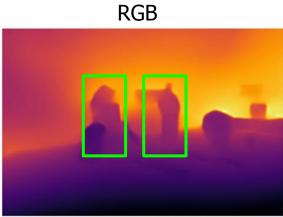


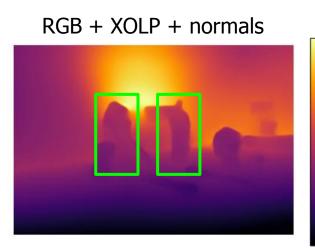
- 100

[cm]

Qualitative analysis – polarimetry







glass







- 160

- 140

- 120

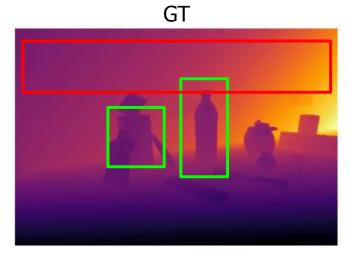
- 100

- 80

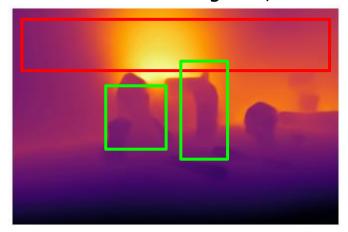
60

[cm]

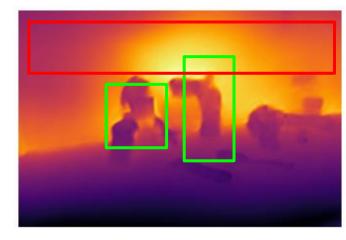
Qualitative analysis – normals loss



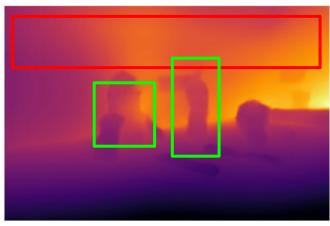
normals loss weight: 0,35



without normals loss



normals loss weight: 1



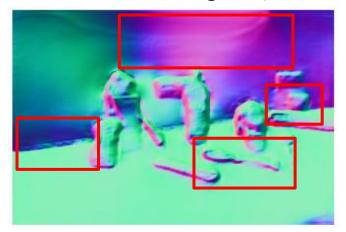


Qualitative analysis – normals loss

GT



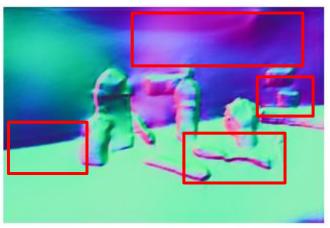
normals loss weight: 0,35



without normals loss



normals loss weight: 1



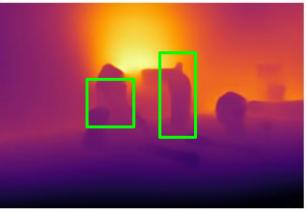


Qualitative analysis – loss at multiple scales

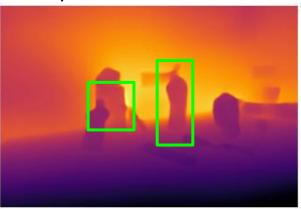
GT

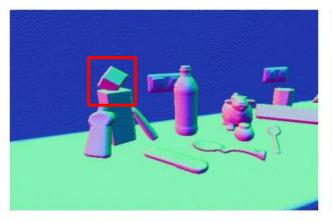


depth loss at multiple scales

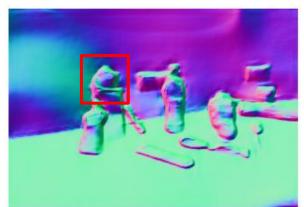


depth loss at one scale



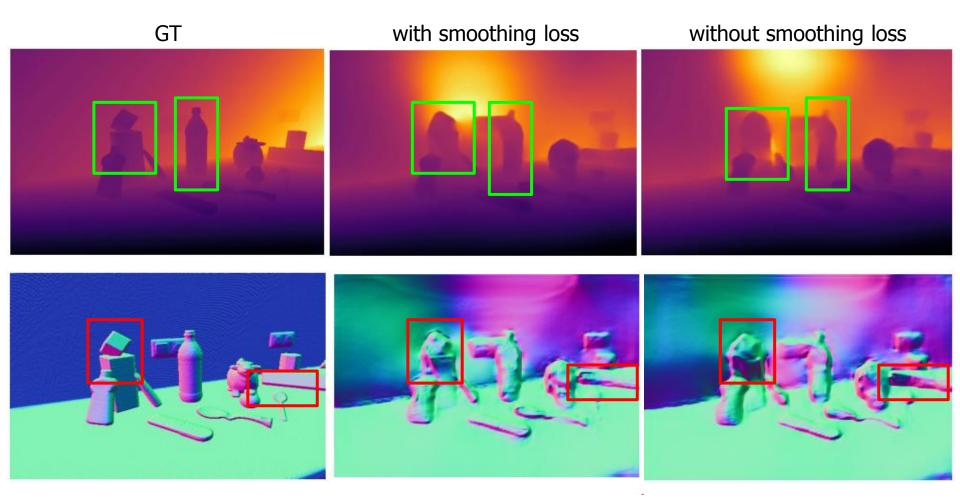








Qualitative analysis – smoothing loss





Point Cloud

GT

final architecture's prediction







Point Cloud

GT

final architecture's prediction







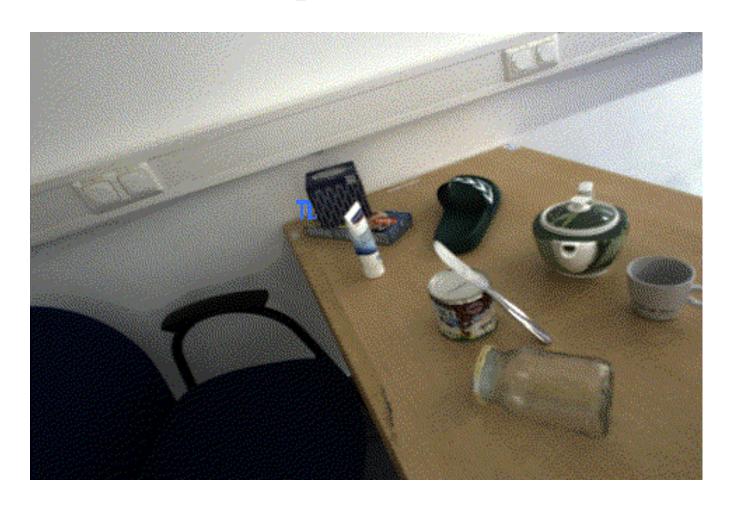
Demonstration with the RGB prediction



















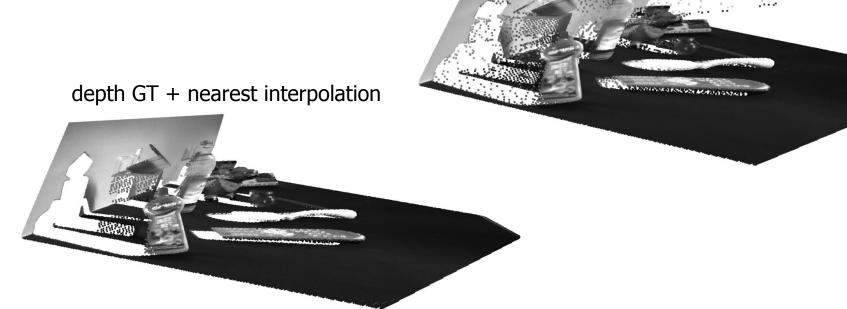


Limitations

Depth artifacts at object edges influenced by:

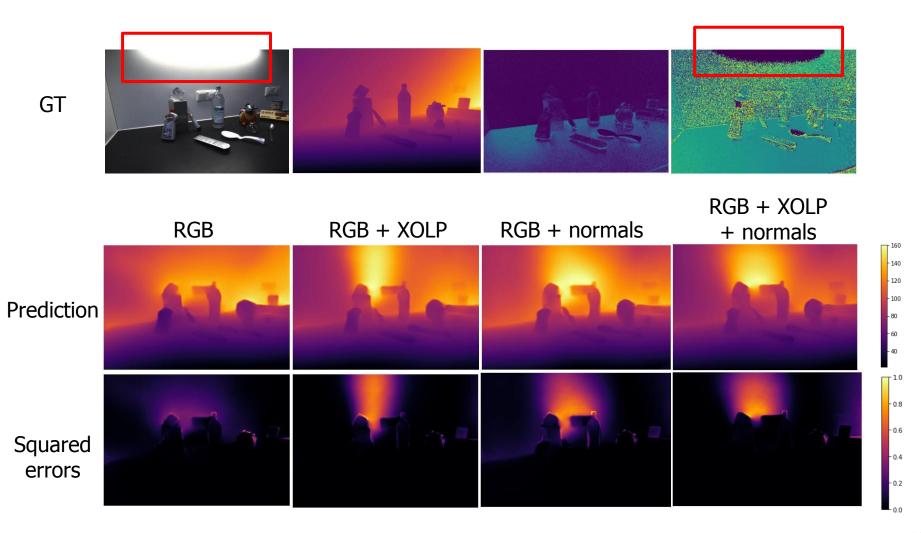
- the used interpolation type
- convolutions

depth GT + bilinear interpolation





Limitations

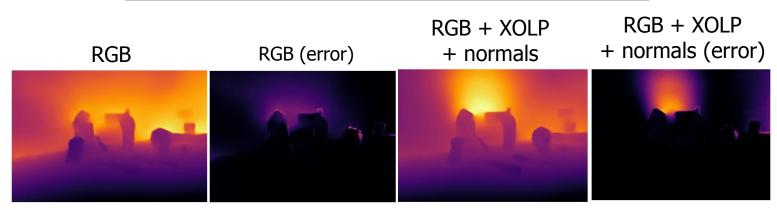




Limitations

 Drop of performance on the whole scene when using polarimetric characteristics, mostly because of the background influence

WHOLE SCENE	a1	abs_rel l	og_rms	rms	sq_rel
RGB	0.9690	0.0817	0.1050	0.0835	0.0085
RGB + XOLP	0.9023	0.0978	0.1298	0.1138	0.0131
RGB + normals	0.8653	0.1018	0.1405	0.1094	0.0159
RGB + XOLP + normals	0.8977	0.0995	0.1330	0.1094	0.0138

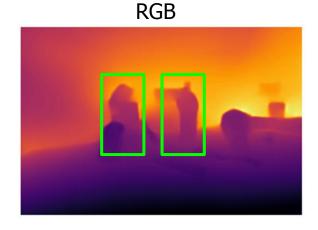




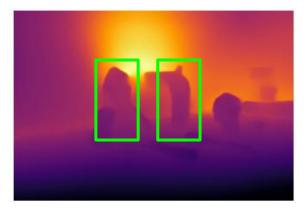
Conclusions

- We implemented

 a supervised monocular depth
 prediction model leveraging
 polarimetric characteristics
- Our depth estimation for photometrically challenging objects outperforms the plain RGB model



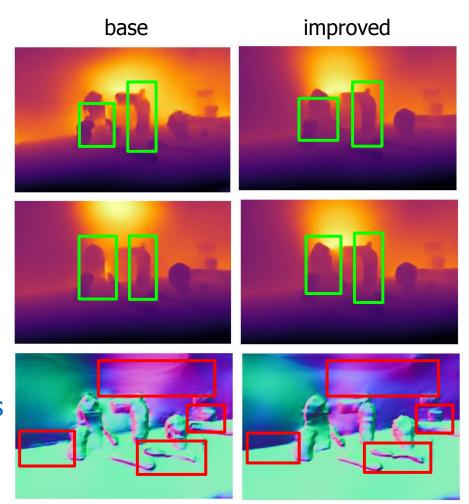
RGB + XOLP + normals





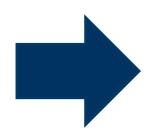
Conclusions

- Normals loss increases object smoothness and sharpness
- Smoothing loss and loss calculation at multiple scales prevent shrinking of objects
- Higher normals loss weight improves normals predictions





Conclusions

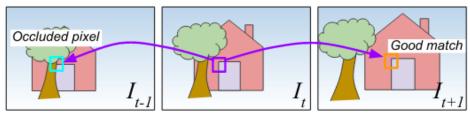


The developed model serves as a solid base for further advancements



Future development

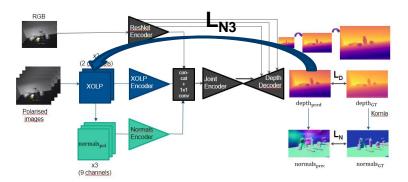
 Self-supervision (inspired by Monodepth2) as HAMMER includes trajectories



"Digging Into Self-Supervised Monocular Depth Estimation" Clément Godard, Oisin Mac Aodha, Michael Firman, Gabriel Brostow; ICCV 2019

Self-supervised losses leveraging inverse polarimetric transformations

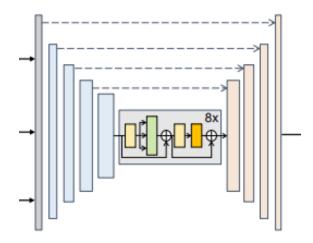
(as in CroMo)





Future development

 Our architecture making use of attention gives best results – potential for further improvements



"Shape from Polarization for Complex Scenes in the Wild" Chenyang Lei, Chenyang Qi, Jiaxin Xie, Na Fan, Vladlen Koltun and Qifeng Chen; CVPR 2022



Future development

- Making use of additional modalities as HAMMER has more to offer:
 - ToF
 - real depth images



"Is my Depth Ground-Truth Good Enough? HAMMER - Highly Accurate Multi-Modal Dataset for DEnse 3D Scene Regression" HyunJun Jung, Patrick Ruhkamp, Guangyao Zhai, Nikolas Brasch, Yitong Li, Yannick Verdie, Jifei Song, Yiren Zhou, Anil Armagan, Slobodan Ilic, Aleš Leonardis, Benjamin Busam; 2022

Verifying influence of refractive indices (e.g. by using attention)







