# STAT390: Homework 1

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Freq: 
$$\frac{1}{150} = .0067 \frac{35}{150} = .2333 \frac{13}{150} = .0867$$

$$\frac{.0067}{.23} \frac{.2333}{.25} \frac{.0867}{.25}$$
density:  $(.0267 \times .25) + (.9333 \times .25) + (.3467 \times .25)$ 

$$\frac{1}{150} = .3267$$

Frove:  $\frac{2}{15} (x_1 - \bar{x}_1)^2 = (\frac{2}{5} x_1^2) - n\bar{x}_1^2$ 

$$\bar{x}_1 = \frac{12}{3} = 4$$

$$\frac{2}{5} x_1^2 = (\frac{2}{5} x_1^2) - n\bar{x}_1^2$$

$$\bar{x}_2 = \frac{12}{3} = 4$$

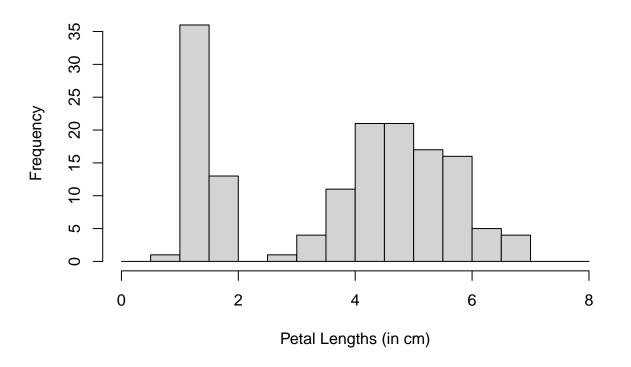
$$\frac{2}{5} x_1^2 = (\frac{2}{5} x_1^2) + (\frac{2}{5} x_1^2) = 74$$

$$\frac{3}{5} (x_1 - \bar{x}_1)^2 = (1 - 4)^2 + (3 - 4)^3 + (\frac{2}{5} x_1^2) = 13$$
Both come up with  $\frac{1}{3}$ , so
$$\frac{1}{5} (x_1 - \bar{x}_1)^2 = \frac{1}{5} (x_1 - x_1)^2 + \frac{1}{5} (x_1 - x_1)^2 = \frac{1}{5} (x_1 - x_1)^2$$

	Positions so  7 - 735 - 4253 - 42.53%
	4 problem, { {x, x, y}, {x, y, x}, {y, x, x},
3 passible (3.5.7.7) + (	2 positions per color 50 2 tolues 3.10.2.2) + (3.9.3.3) = .6354
	63.54%

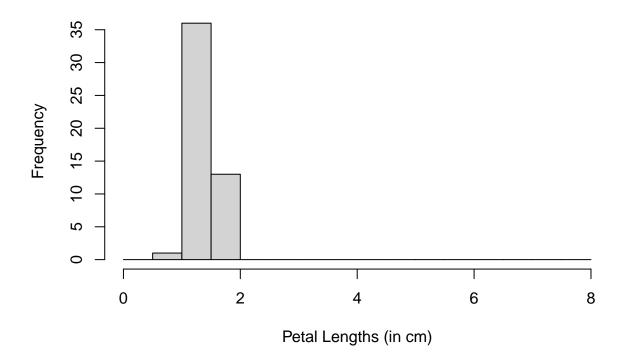
### Question 2

### Petal Lengths of Setosas, Virginicas, and Versicolors

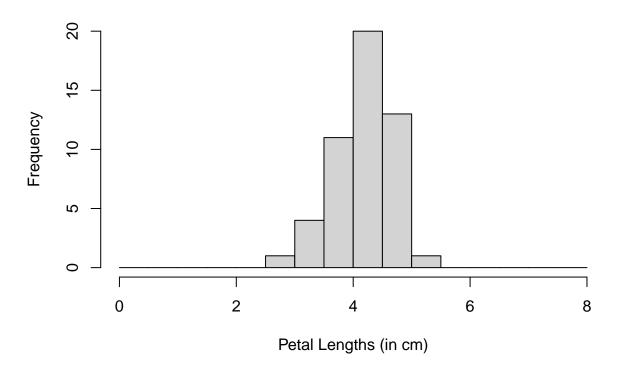


The shape of the histogram is bimodal. The percentage of iris flowers with a petal length less than or equal to 2 cm is .3267 or 32.67%.

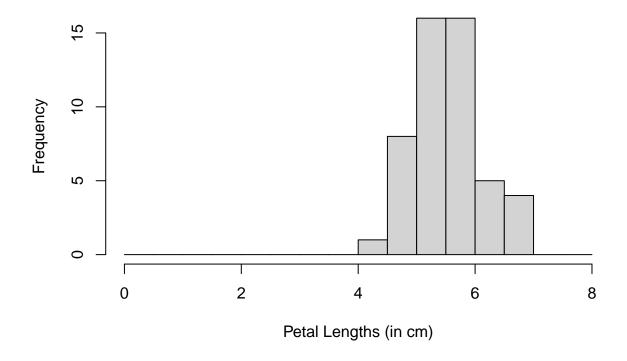
# **Petal Lengths of Setosas**



# **Petal Lengths of Versicolors**



### **Petal Lengths of Virginicas**



The most striking difference between the three is that each are in a different segment of the histogram. For example, the setosa petal lengths are on the lower end, versicolor petal lengths are in the middle, and virginica petal lengths are on the higher end.

Based on the histogram, the setosas have the least variability in petal length because the setosas are not as widely spread out across multiple bins like versicolors and viriginicas are. As shown below, the setosas do indeed have the least variability.

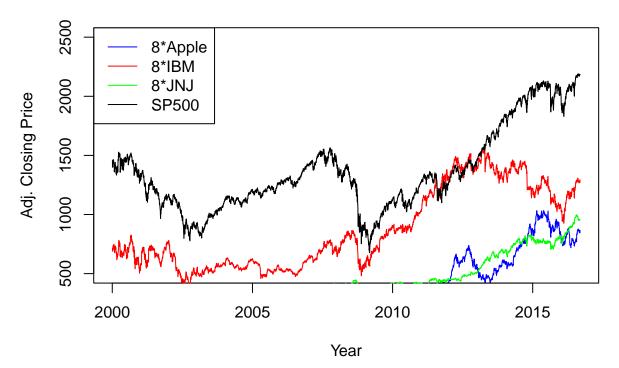
# var(setosas\$Petal.Length) ## [1] 0.03015918 var(versicolors\$Petal.Length) ## [1] 0.2208163 var(virginicas\$Petal.Length)

## [1] 0.3045878

## Question 3

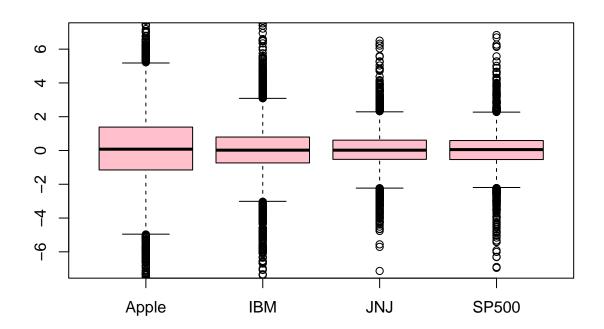
```
apple <- read.csv("APPL.csv", header=TRUE)</pre>
ibm <- read.csv("IBM.csv", header=TRUE)</pre>
jnj <- read.csv("JNJ.csv", header=TRUE)</pre>
sp500 <- read.csv("SP500.csv", header=TRUE)</pre>
dates <- apple[,1]</pre>
dates <- strptime(dates, "%Y-%m-%d")</pre>
dates <- rev(dates)</pre>
pApple <- apple[,7]
pApple <- rev(pApple)</pre>
pIBM <- ibm[,7]
pIBM <- rev(pIBM)
pJNJ \leftarrow jnj[,7]
pJNJ <- rev(pJNJ)
pSP500 <- sp500[,7]
pSP500 <- rev(pSP500)
plot(dates, 8*pApple, ylim = c(500, 2500), col="blue", type="1", xlab = "Year", ylab = "Adj. Closing Pr
lines(dates, 8*pIBM, col="red")
lines(dates, 8*pJNJ, col="green")
lines(dates, pSP500, col="black")
title("Prices of 8*Apple, 8*IBM, 8*JNJ, and SP500")
legend(x="topleft", legend=c("8*Apple", "8*IBM", "8*JNJ", "SP500"), lty=c(1, 1), col = c("blue", "red",
```

# Prices of 8\*Apple, 8\*IBM, 8\*JNJ, and SP500



```
logApple <- diff(log(pApple))*100</pre>
logIBM <- diff(log(pIBM))*100</pre>
logJNJ <- diff(log(pJNJ))*100</pre>
logSP500 <- diff(log(pSP500))*100</pre>
```

bp <- boxplot(list(logApple, logIBM, logJNJ, logSP500), names = c("Apple", "IBM", "JNJ", "SP500"), ylim</pre>



```
summary(logApple)
        Min.
               1st Qu.
                          Median
                                      Mean
                                              3rd Qu.
                                                           Max.
## -73.12469 -1.15228
                         0.07750
                                   0.08009
                                              1.38442 13.01943
summary(logIBM)
##
        Min.
               1st Qu.
                          Median
                                       Mean
                                              3rd Qu.
                                                           Max.
## -16.89162 -0.73623
                         0.01864
                                   0.01376
                                              0.79594 11.35364
summary(logJNJ)
        Min.
               1st Qu.
                          Median
                                      Mean
                                              3rd Qu.
                                                           Max.
## -17.25166 -0.52485
                         0.01784
                                   0.03274
                                              0.61147 11.53729
```

```
summary(logSP500)
                                               3rd Qu.
##
               1st Qu.
                           Median
        Min.
                                       Mean
                                                             Max.
## -9.469512 -0.536993
                         0.052386
                                   0.009644
                                             0.588574 10.957197
IQR(logApple)
## [1] 2.536701
sd(logApple)
## [1] 2.81097
IQR(logIBM)
## [1] 1.532177
sd(logIBM)
## [1] 1.670554
IQR(logJNJ)
## [1] 1.13632
sd(logJNJ)
## [1] 1.222967
IQR(logSP500)
## [1] 1.125568
sd(logSP500)
```

Ranked from highest risk to lowest: Apple, IBM, SP500, JNJ.

### Question 5

## [1] 1.253355

The first statement is more probable because the second statement is a subset of the first, which means  $P(\text{second statement}) \le P(\text{first statement})$ . Also, from a non-statistics standpoint, LaGrange, Georgia is a lot smaller and more specific than North America. Georgia is not even a tornado hotspot compared to other places in North America, like Kansas, Oklahoma, etc.

# Question 6

a.

Sample space of flipping a coin three times:  $\{HHH,\,HHT,\,HTT,\,HTH,\,THT,\,TTT,\,TTH\}$ 

b.

```
 \begin{array}{l} i. \ A = \{HTT, \, TTH, \, THT\} \\ ii. \ B = \{TTT, \, TTH, \, HTT, \, THT\} \\ iii. \ C = \{HTT, \, HTH, \, HHT, \, HHH\} \end{array}
```

c.

$$P(A) = 3/8, P(B) = 1/2, P(C) = 1/2$$