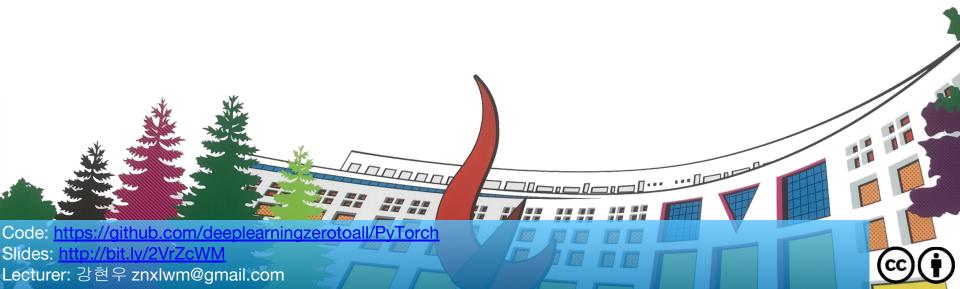
ML/DL for Everyone Season2

Weight initialization



Weight initialization

- Why good initialization?
- RBM / DBN
- Xavier / He initialization
- Code: mnist_nn_xavier
- Code: mnist_nn_deep

Geoffrey Hinton's summary of findings up to today

- Our labeled datasets were thousands of times too small.
- Our computers were millions of times too slow.
- We initialized the weights in a stupid way.
- We used the wrong type of non-linearity.

Why good initialization?

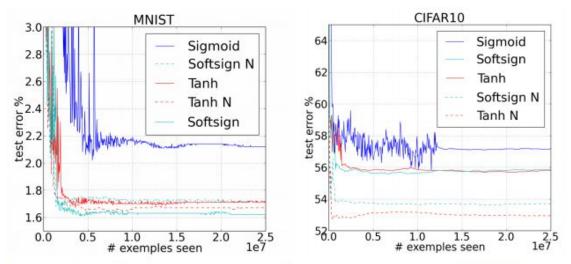
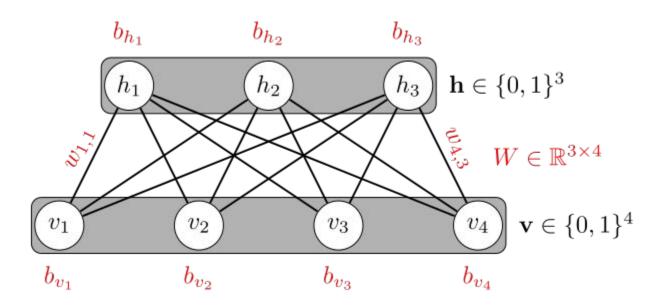


Figure 12: Test error curves during training on MNIST and CIFAR10, for various activation functions and initialization schemes (ordered from top to bottom in decreasing final error). N after the activation function name indicates the use of normalized initialization.

Need to set the initial weight values wisely

- Not all 0's
- Challenging issue
- Hinton et al. (2006) "A Fast Learning Algorithm for Deep Belief Nets" - Restricted Boltzmann Machine (RBM)

Restricted Boltzmann Machine

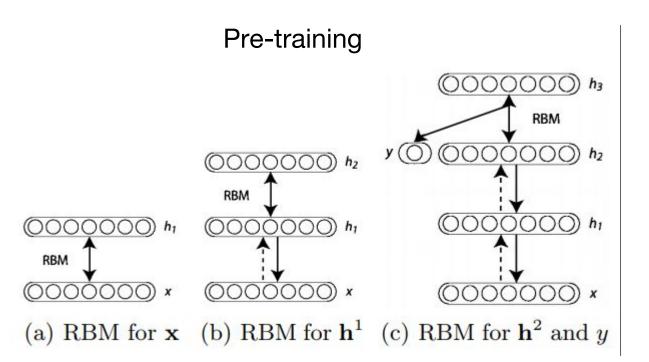


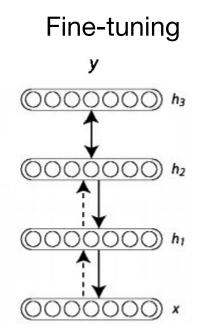
- Restricted: no connections within a layer
- KL divergence: compare actual to recreation

How can we use RBM to initialize weights?

- Apply the RBM idea on adjacent two layers as a pre-training step
- Continue the first process to all layers
- This will set weights
- Example: Deep Belief Network
 - Weight initialized by RBM

Deep Belief Network





Xavier / He initialization

- No need to use complicated RBM for weight initializations
- Simple methods are OK
 - Xavier initialization: X. Glorot and Y. Bengio, "Understanding the difficulty of training deep feedforward neural networks," in International conference on artificial intelligence and statistics, 2010
 - **He initialization**: K. He, X. Zhang, S. Ren, and J. Sun, "Delving Deep into Rectifiers: Surpassing Human-Level Performance on ImageNet Classification," 2015

Xavier / He initialization

Xavier Normal initialization

$$W \sim N(0, Var(W))$$

$$Var(W)=\sqrt{rac{2}{n_{in}+n_{out}}}$$

Xavier Uniform initialization

$$W \sim U(-\sqrt{rac{6}{n_{in}+n_{out}}},+\sqrt{rac{6}{n_{in}+n_{out}}})$$

He Normal initialization

$$W \sim N(0, Var(W))$$

$$Var(W)=\sqrt{rac{2}{n_{in}}}$$

He Uniform initialization

$$W \sim U(-\sqrt{rac{6}{n_{in}+n_{out}}},+\sqrt{rac{6}{n_{in}+n_{out}}}) \quad W \sim U(-\sqrt{rac{6}{n_{in}}},+\sqrt{rac{6}{n_{in}}})$$

Code: mnist_nn_xavier

```
def xavier uniform (tensor, gain=1):
   .. math::
       a = \text{qain} \times \sqrt{\frac{6}{\text{fan in} + \text{fan out}}}
  Also known as Glorot initialization.
  Args:
       tensor: an n-dimensional `torch.Tensor`
       gain: an optional scaling factor
   Examples:
       >>> w = torch.emptv(3, 5)
       >>> nn.init.xavier uniform (w, gain=nn.init.calculate gain('relu'))
   11 11 11
   fan_in, fan_out = _calculate_fan_in_and_fan_out(tensor)
   std = gain * math.sqrt(2.0 / (fan_in + fan_out))
   a = math.sqrt(3.0) * std # Calculate uniform bounds from standard deviation
   with torch.no_grad():
       return tensor.uniform (-a, a)
```

Code: mnist nn xavier

nn layers linear1 = torch.nn.Linear(784, 256, bias=True) linear2 = torch.nn.Linear(256, 256, bias=True) linear3 = torch.nn.Linear(256, 10, bias=True) relu = torch.nn.ReLU() # xavier initialization torch.nn.init.xavier uniform (linear1.weight) torch.nn.init.xavier uniform (linear2.weight) torch.nn.init.xavier uniform (linear3.weight) Parameter containing: tensor([[-0.0215, -0.0894, 0.0598, ..., 0.0200, 0.0203, 0.1212], [0.0078, 0.1378, 0.0920, ..., 0.0975, 0.1458, -0.0302],[0.1270, -0.1296, 0.1049, ..., 0.0124, 0.1173, -0.0901],[0.0661, -0.1025, 0.1437, ..., 0.0784, 0.0977, -0.0396],[0.0430, -0.1274, -0.0134, ..., -0.0582, 0.1201, 0.1479],[-0.1433, 0.0200, -0.0568, ..., 0.0787, 0.0428, -0.0036]], requires grad=True)

Epoch: $0001 \cos t = 0.249897048$ Epoch: $0002 \cos t = 0.094330102$ Epoch: $0003 \cos t = 0.061055195$ Epoch: $0004 \cos t = 0.042816643$ Epoch: $0005 \cos t = 0.032796543$ Epoch: $0006 \cos t = 0.024419624$ Epoch: $0007 \cos t = 0.020511184$ Epoch: $0008 \cos t = 0.018132176$ Epoch: $0009 \cos t = 0.015536907$ Epoch: $0010 \cos t = 0.016846467$ Epoch: $0011 \cos t = 0.012203062$ Epoch: $0012 \cos t = 0.012871196$ Epoch: $0013 \cos t = 0.011348661$ Epoch: $0014 \cos t = 0.010990168$ Epoch: $0015 \cos t = 0.006201488$ Learning finished Accuracy: 0.9804999828338623

Code: mnist_nn_deep

. . .

```
# nn layers
linear1 = torch.nn.Linear(784, 512, bias=True)
linear2 = torch.nn.Linear(512, 512, bias=True)
linear3 = torch.nn.Linear(512, 512, bias=True)
linear4 = torch.nn.Linear(512, 512, bias=True)
linear5 = torch.nn.Linear(512, 10, bias=True)
relu = torch.nn.ReLU()
# xavier initialization
torch.nn.init.xavier uniform (linear1.weight)
torch.nn.init.xavier uniform (linear2.weight)
torch.nn.init.xavier uniform (linear3.weight)
torch.nn.init.xavier uniform (linear4.weight)
torch.nn.init.xavier uniform (linear5.weight)
```

```
Epoch: 0001 \text{ cost} = 0.283860594
Epoch: 0002 \cos t = 0.089265838
Epoch: 0003 \cos t = 0.056718789
Epoch: 0004 \cos t = 0.041850876
Epoch: 0005 \cos t = 0.030926639
Epoch: 0006 \cos t = 0.024389934
Epoch: 0007 \cos t = 0.021937676
Epoch: 0008 \cos t = 0.019161038
Epoch: 0009 \cos t = 0.016852187
Epoch: 0010 \cos t = 0.014415207
Epoch: 0011 \cos t = 0.013022121
Epoch: 0012 \cos t = 0.010289547
Epoch: 0013 \cos t = 0.015175694
Epoch: 0014 \cos t = 0.008412631
Epoch: 0015 \cos t = 0.008151450
Learning finished
Accuracy: 0.9818999767303467
```

What's Next?

Dropout