

What's prediction got to do with adaptation?

Dave Kleinschmidt // Princeton Neuroscience Institute
Kavli Summer Institute // 26 June 2017

Adaptation is ubiquitous

- In the brain
 - Less BOLD signal from repeated stimuli
 - Lower single neuron firing from repeated stimuli
 - Changes in preferred stimuli based on stimulus ensemble
 - Smaller ERPs from repeated stimuli
- In behavior

*What does it
Mean??*

Computational level

Why should the brain adapt?

What is adaptation?

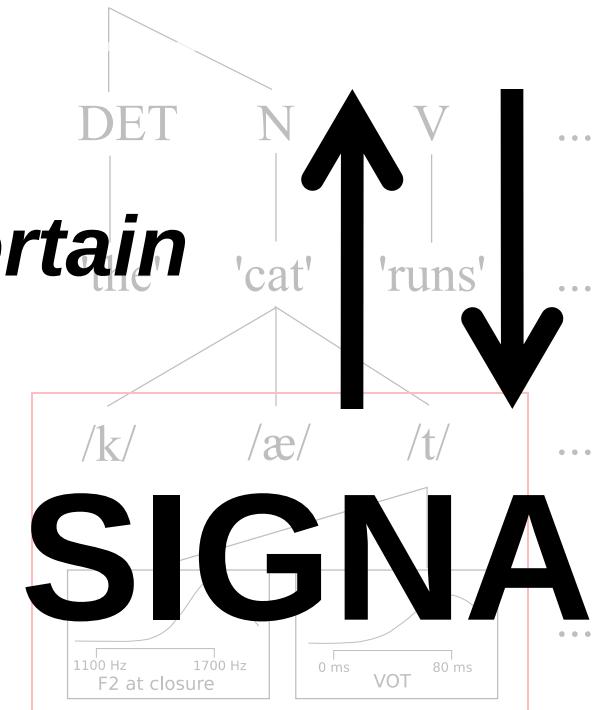
Goals of the organism

Constraints from the brain (meat computer)

'The cat runs away from the dog'

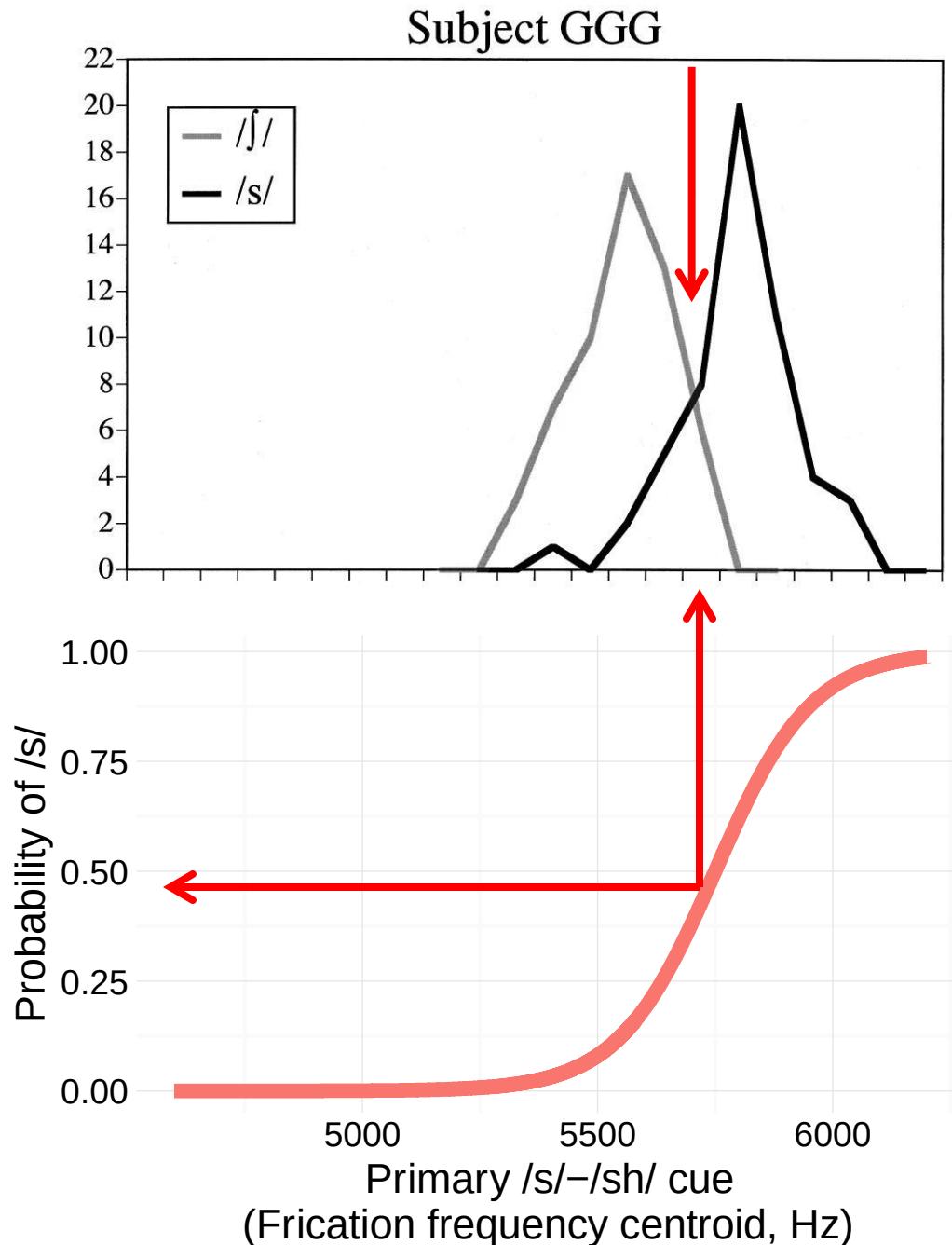
INFORMATION

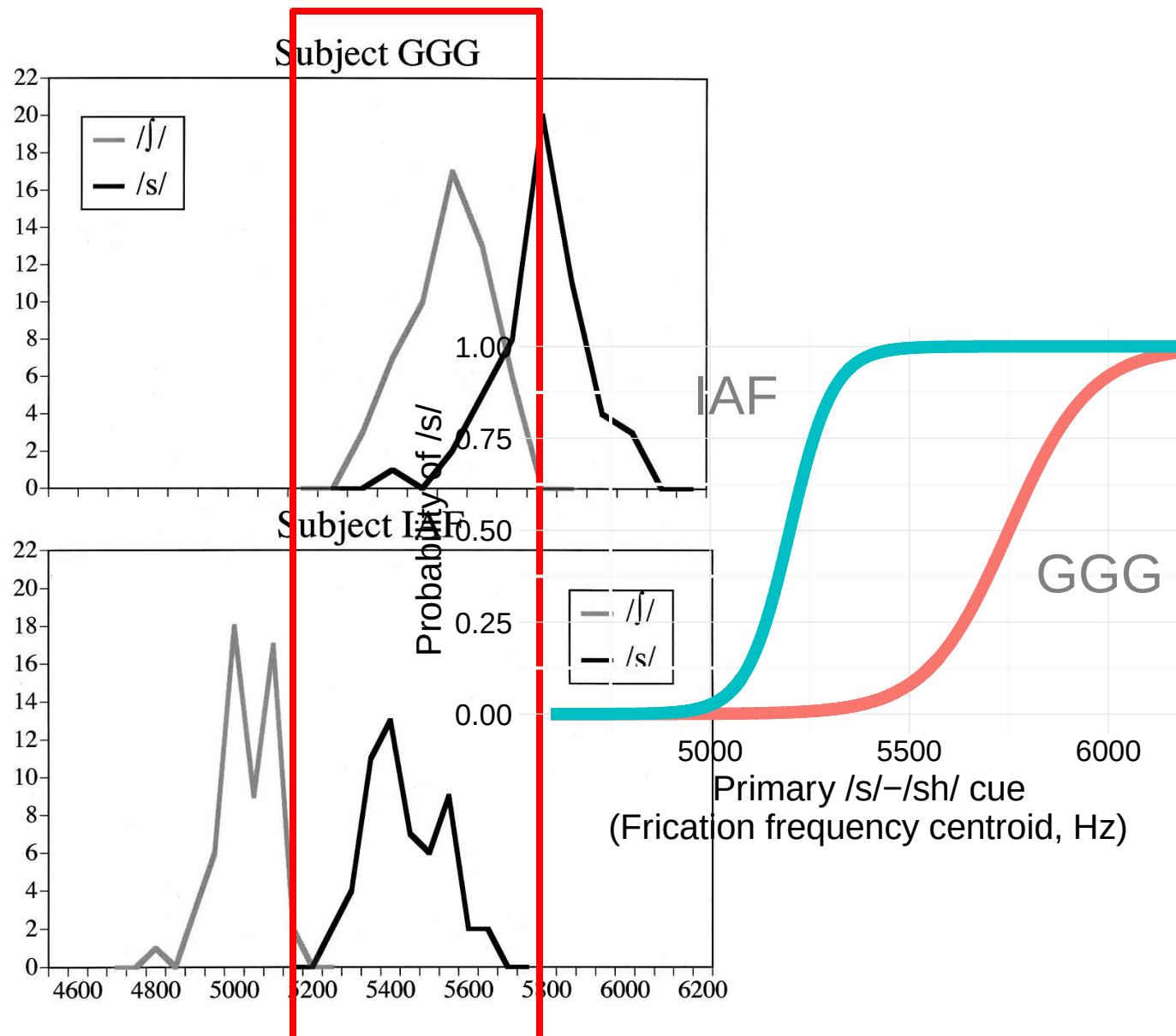
Uncertain *Variable*



SIGNAL







[Newman, Clouse, and Burnham, 2001]

Coping with variation

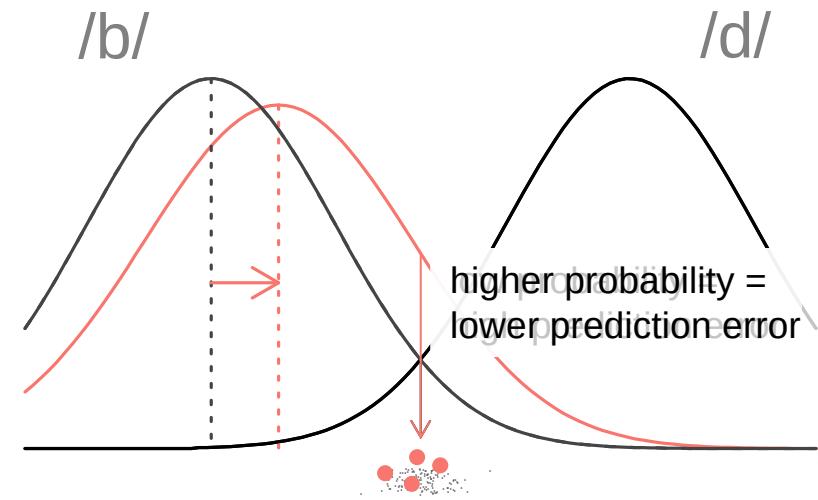
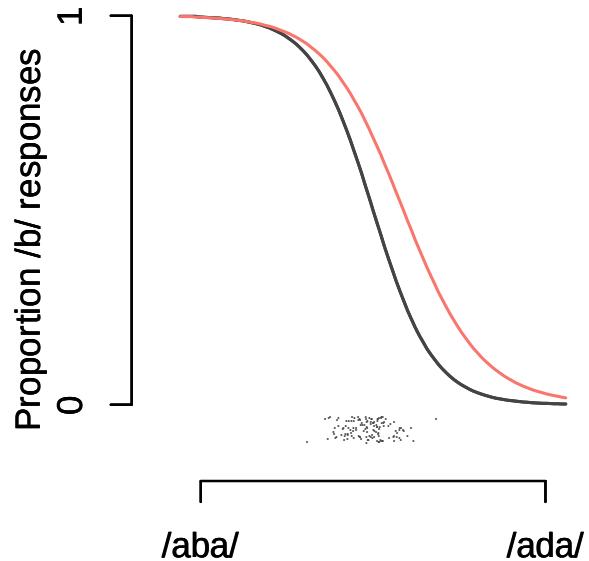
- Listeners **rapidly adapt** to accented speech
- With just a **few minutes** of exposure, comprehension gets much better
[Clarke and Garrett, 2004]
- **How** do people adjust category boundaries so fast?

*Distributional
learning!!*

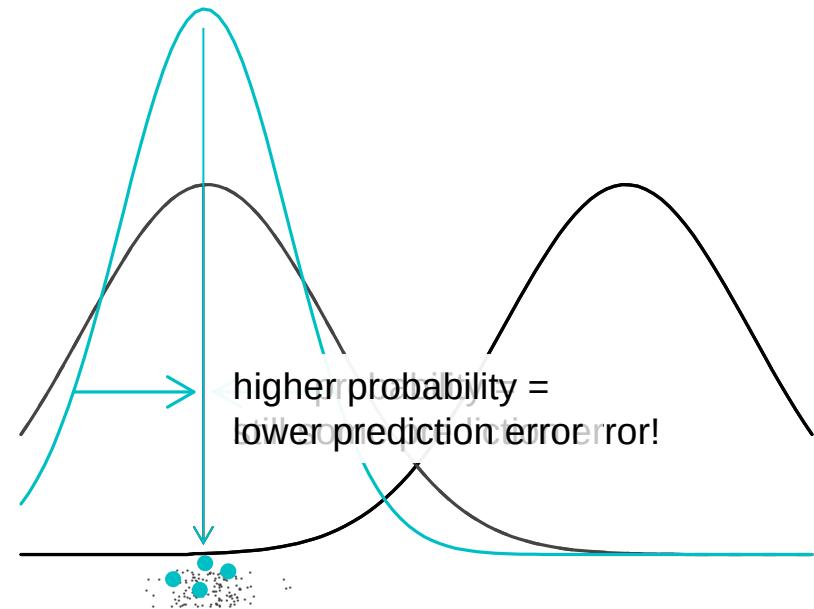
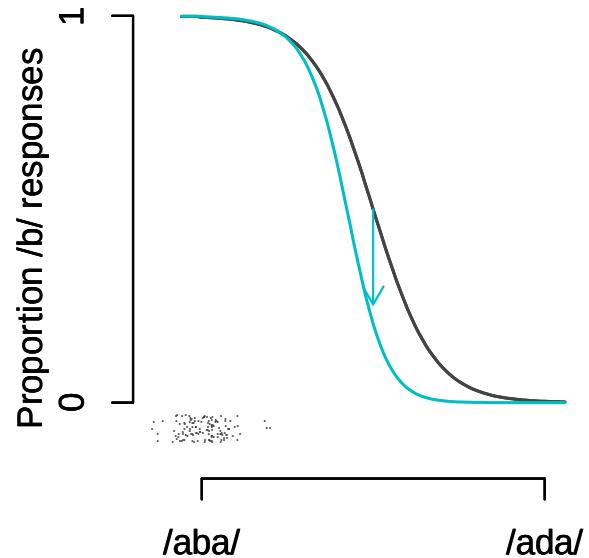
Distributional learning

- Try to **reduce prediction error** for the data you've seen
- Makes your predictions better in the future
- ...and inferences more accurate

distributional learning for ambiguous /b/

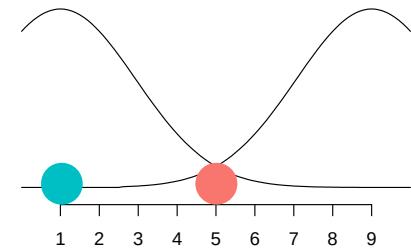
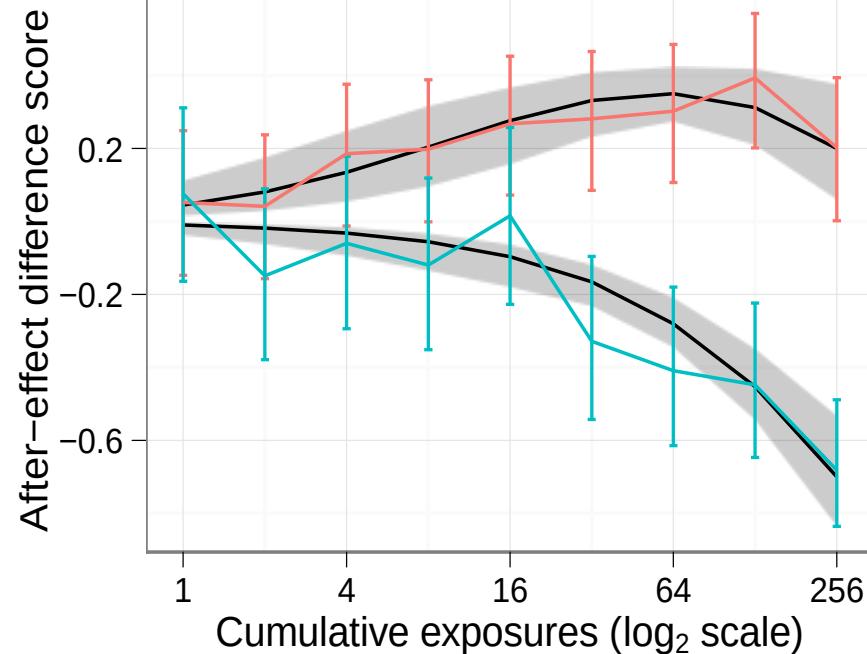
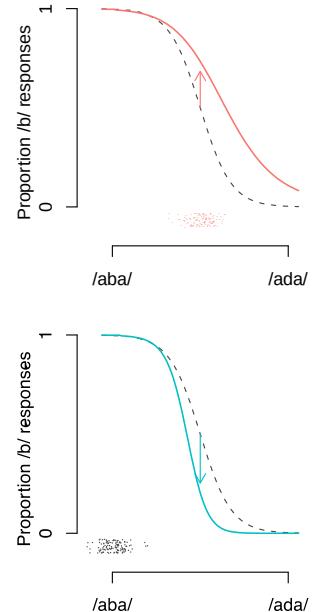


distributional learning for prototypical /b/



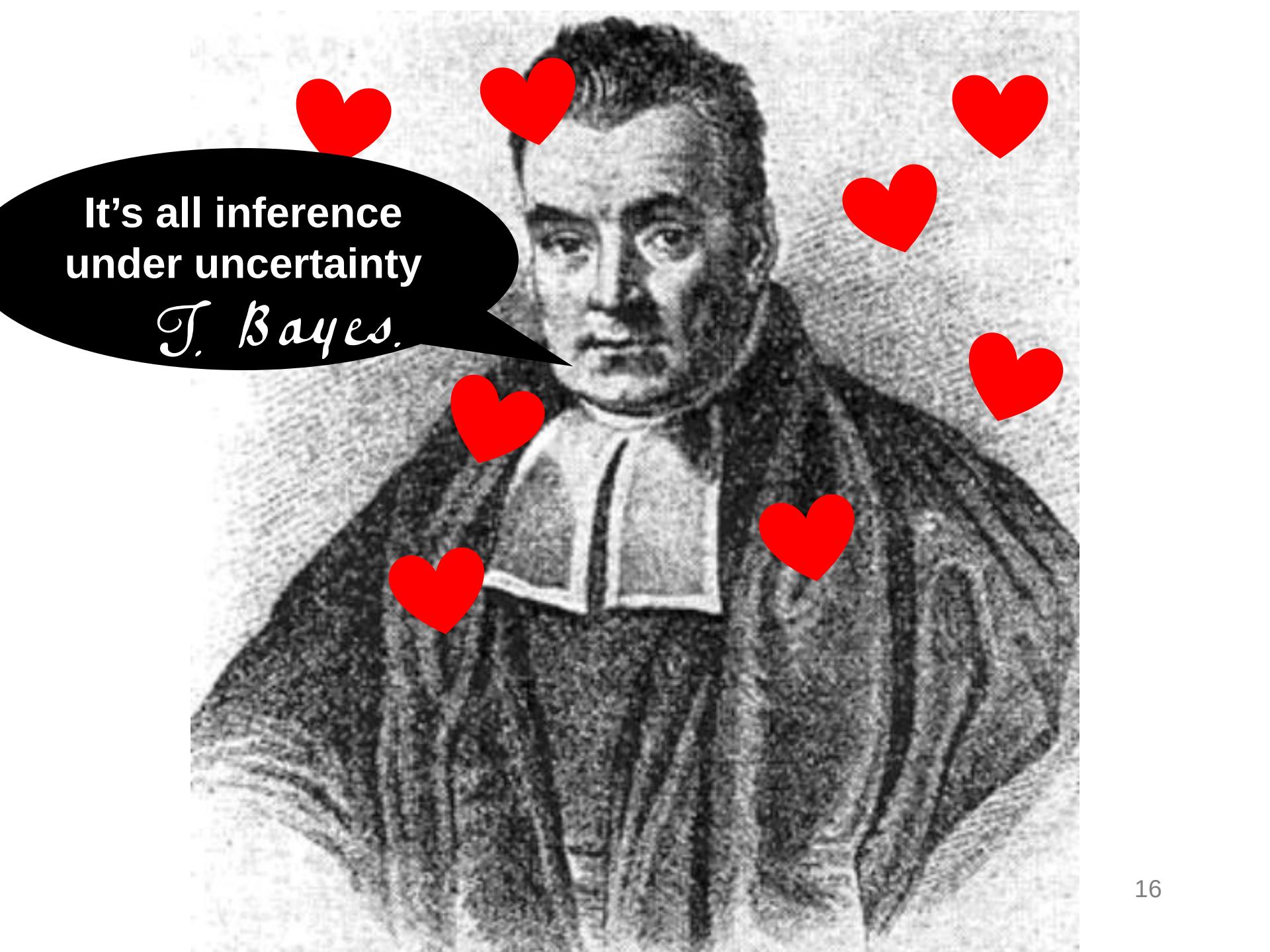
Model results

[Data: Vroomen et al. 2007; Model: Kleinschmidt & Jaeger 2015]



$$r^2 = 0.93$$

But what is distributional learning?

A black and white portrait of Thomas Bayes, an 18th-century English statistician and Presbyterian minister. He is shown from the chest up, wearing a dark coat over a white cravat and a light-colored waistcoat. Red hearts are scattered around him: two above his head, one to the left of his shoulder, one to the right, and five on his coat. A black speech bubble originates from the bottom left, containing the text.

It's all inference
under uncertainty

T. Bayes.

But what is distributional learning?

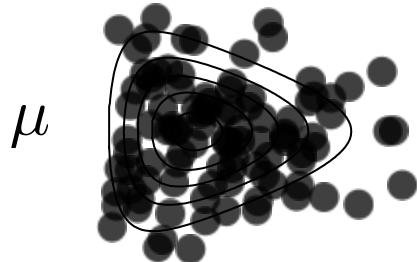
Infer categories and **generative model**
(e.g. category means/variances)

$$p(\mu, \sigma^2, c|x) \propto p(x|c, \mu, \sigma^2)p(\mu, \sigma^2)p(c)$$

The equation is displayed above three horizontal curly braces. The first brace spans from the left parenthesis to the vertical bar, labeled "posterior (updated) beliefs". The second brace spans from the vertical bar to the first comma, labeled "likelihood". The third brace spans from the first comma to the end of the expression, labeled "prior beliefs".

Hypotheses

$$p(\mu, \sigma^2)$$



$$1/\sigma^2$$

Data

x

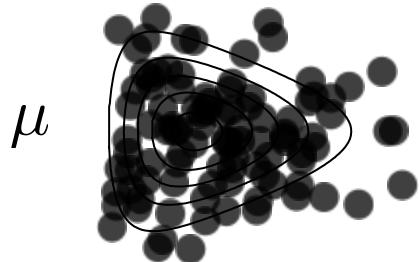
(prior)
probability

high
low



Hypotheses

$$p(\mu, \sigma^2)$$



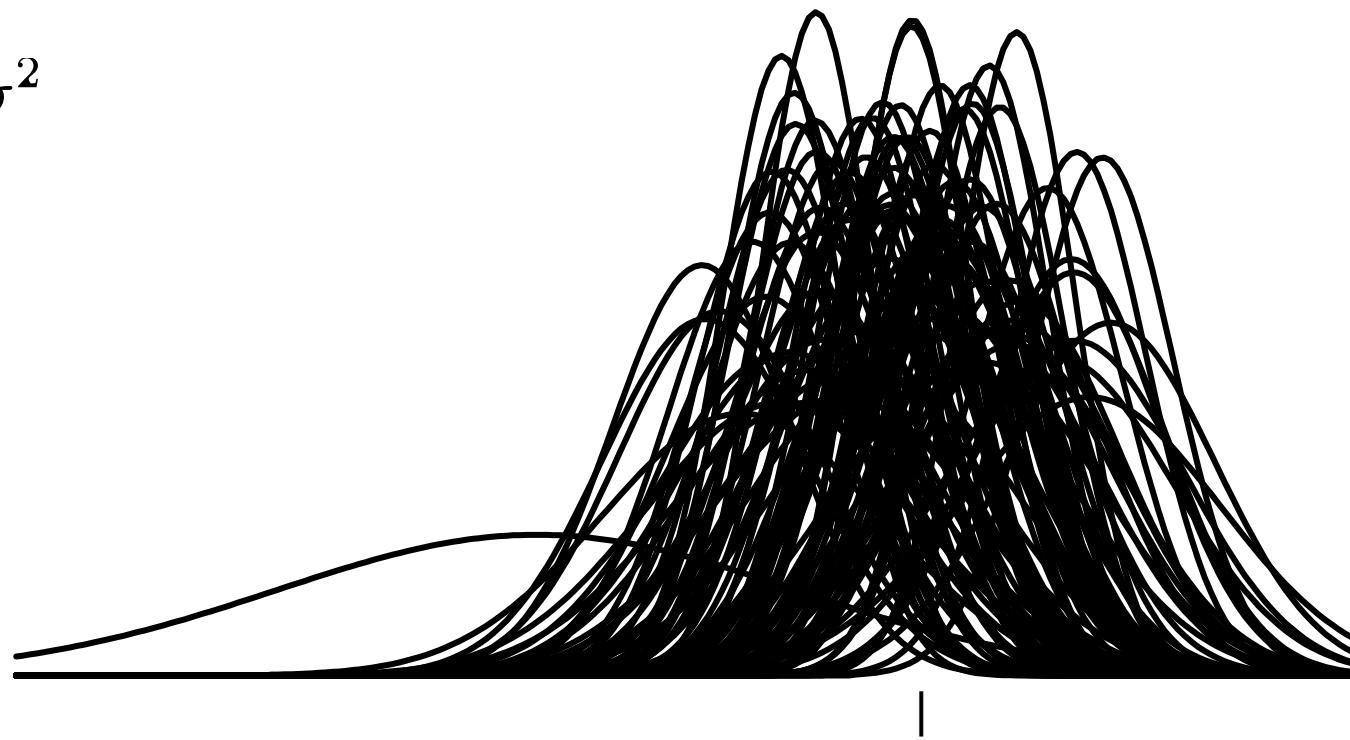
$$1/\sigma^2$$

Data

x

(prior)
probability

high
low



$$p(\mu, \sigma^2)$$

μ

$$1/\sigma^2$$

(prior)
probability

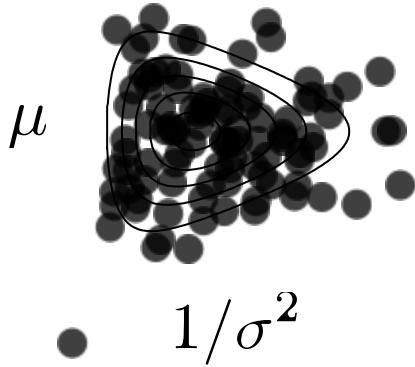
high
low

$$p(x|\mu, \sigma^2)$$

x

Hypotheses

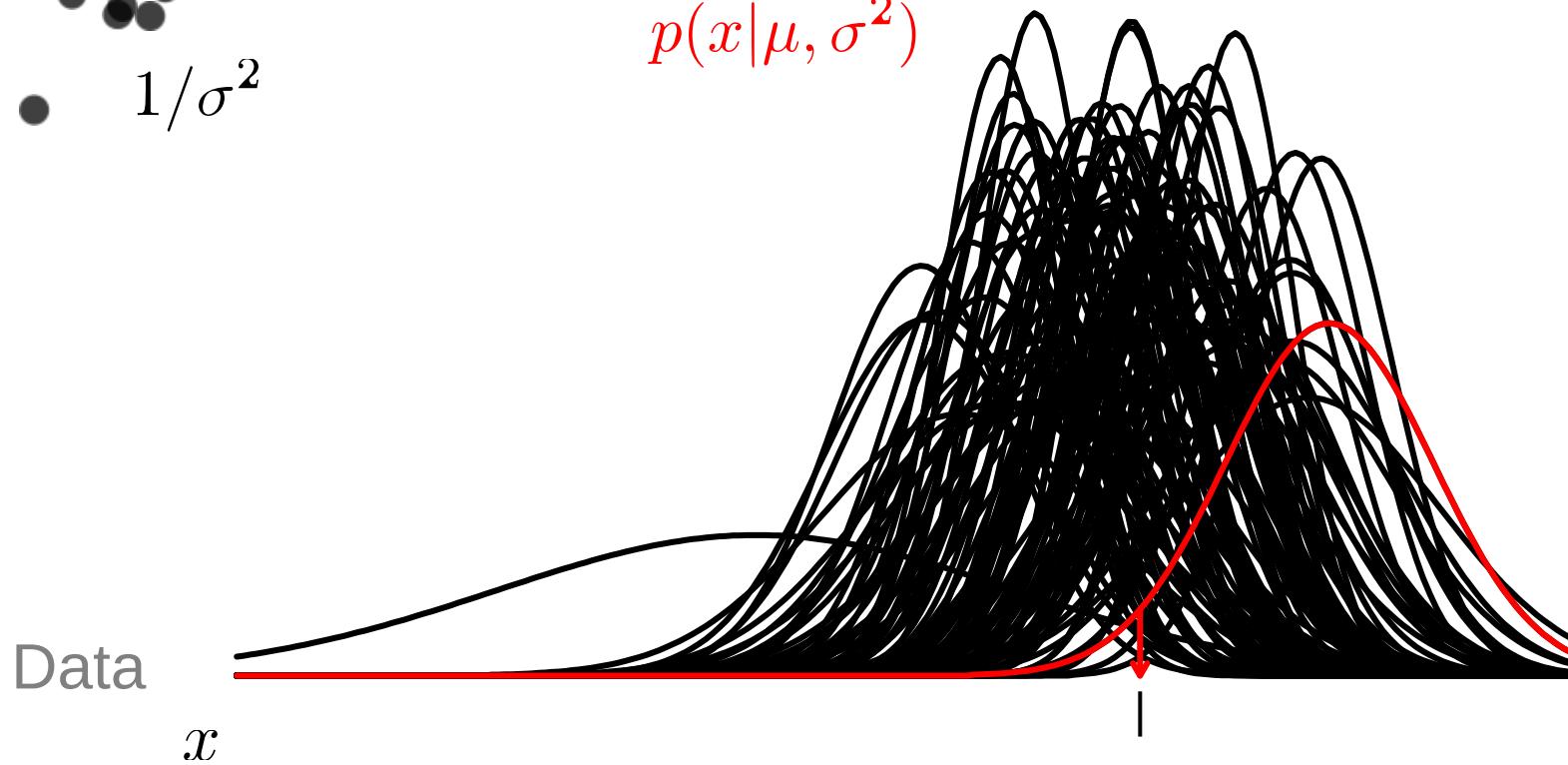
$$p(\mu, \sigma^2)$$



(prior)
probability

high
low

$$p(x|\mu, \sigma^2)$$

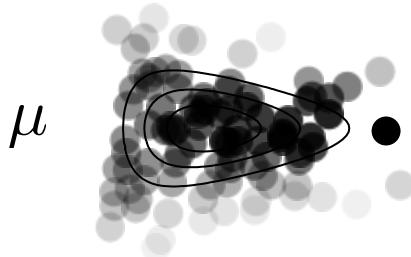


Hypotheses

$$p(\mu, \sigma^2 | x) \propto p(x | \mu, \sigma^2) p(\mu, \sigma^2)$$

(updated)
probability

high
low

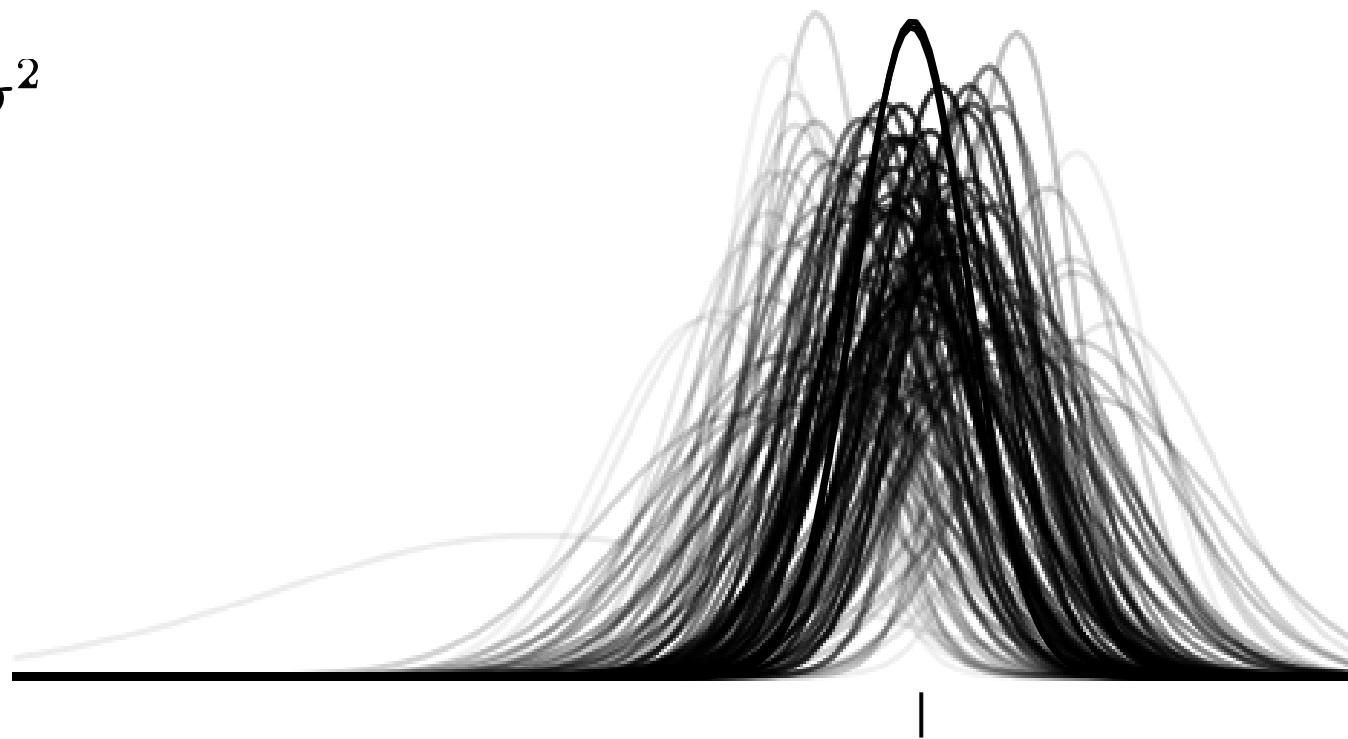


μ

$1/\sigma^2$

Data

x



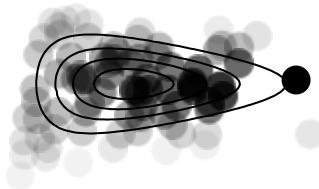
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low

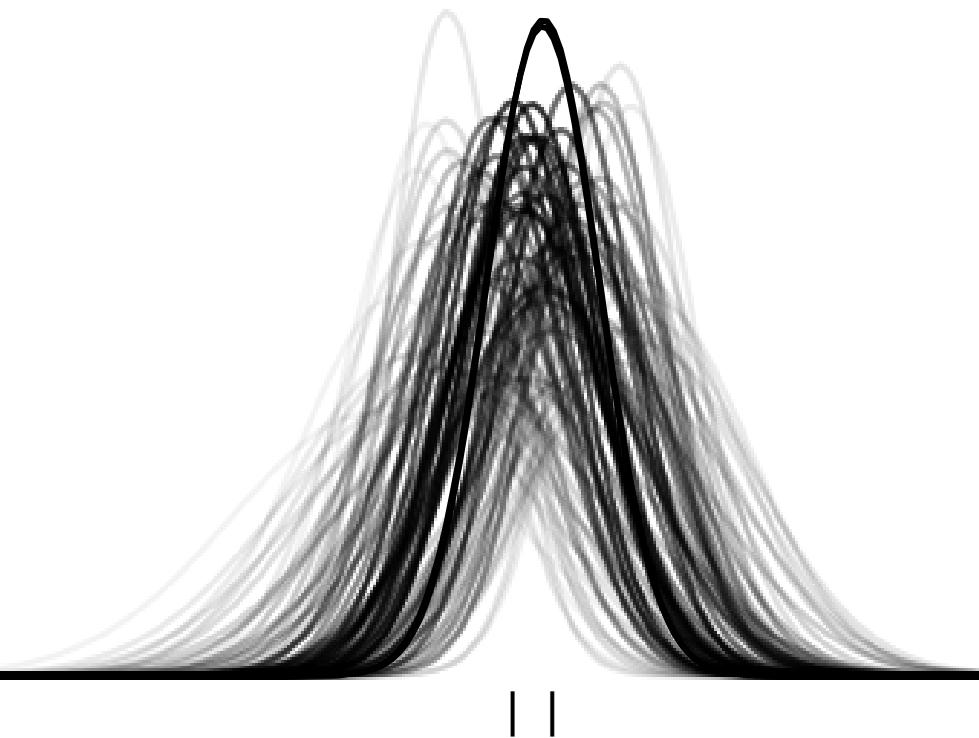
μ



$1/\sigma^2$

Data

x



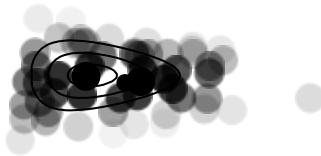
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low

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$1/\sigma^2$

Data

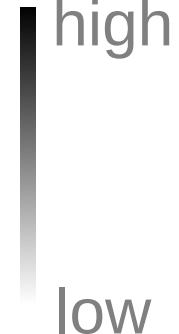
x



Hypotheses

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(updated)
probability



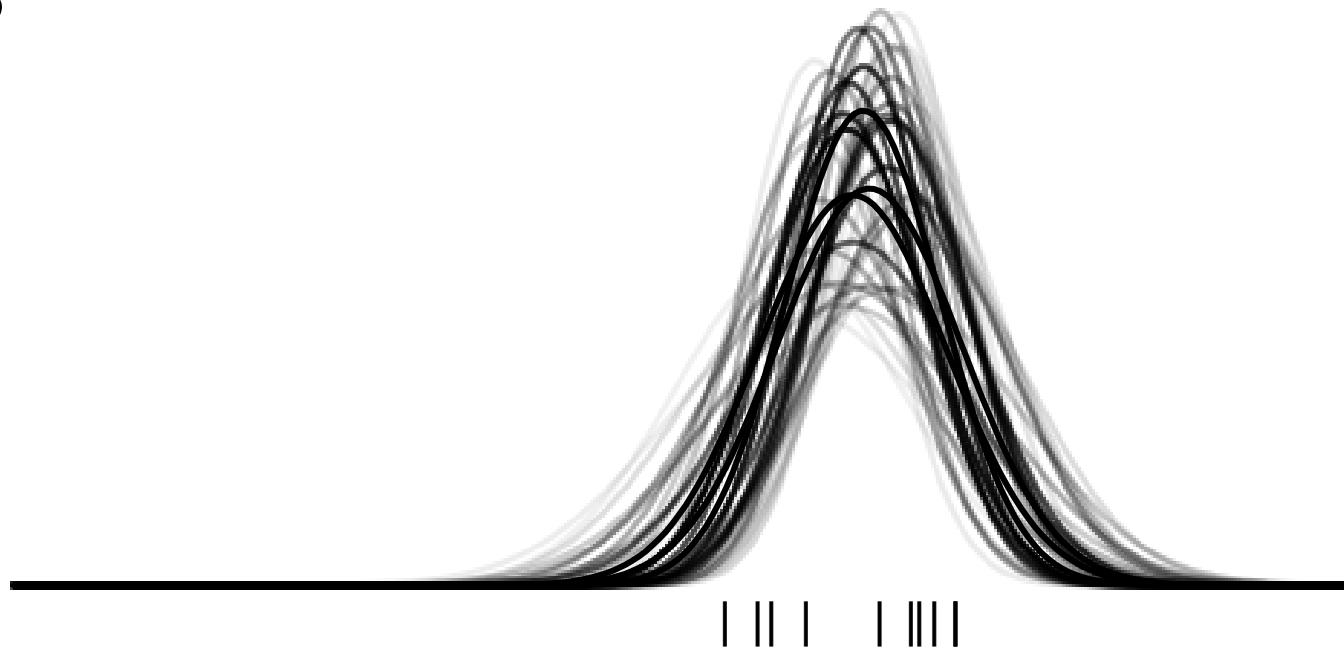
μ



$1/\sigma^2$

Data

x



Hypotheses

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probability

high
low

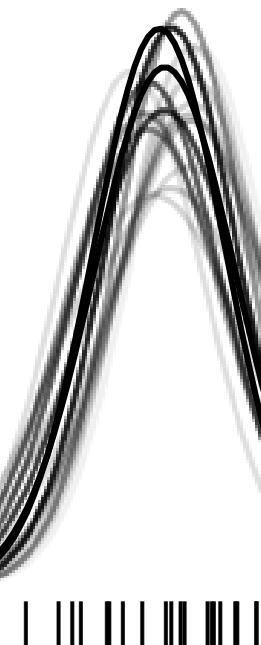
μ



$1/\sigma^2$

Data

x



Hypotheses

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low

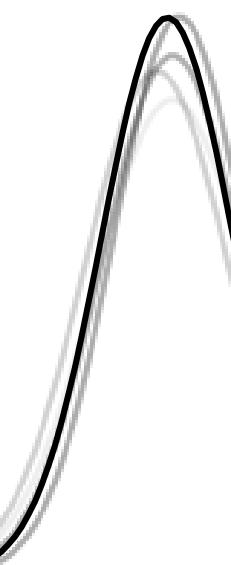
μ



$1/\sigma^2$

Data

x



Hypotheses

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low

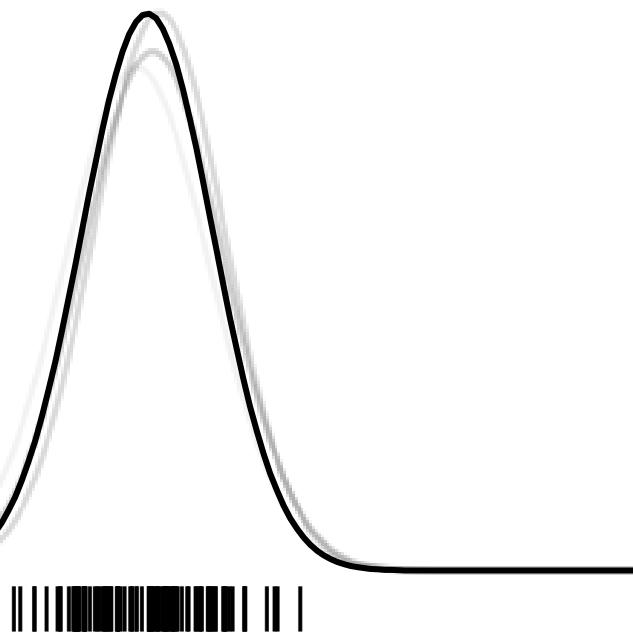
μ



$1/\sigma^2$

Data

x



Where do you get the prior?



*Disruption
leading*

A large, solid red circle is positioned in the center of the image, covering most of the middle portion. Inside the circle, the word "Disruption" is written in a bold, italicized red serif font, and below it, "leading" is written in a similar bold, italicized red serif font. A diagonal line from the top-left corner to the bottom-right corner of the circle creates a large "X" shape, indicating prohibition or that the concept is off-limits. The background is a soft-focus classical painting depicting several figures, possibly from a ceiling fresco, with one prominent figure on the right side.

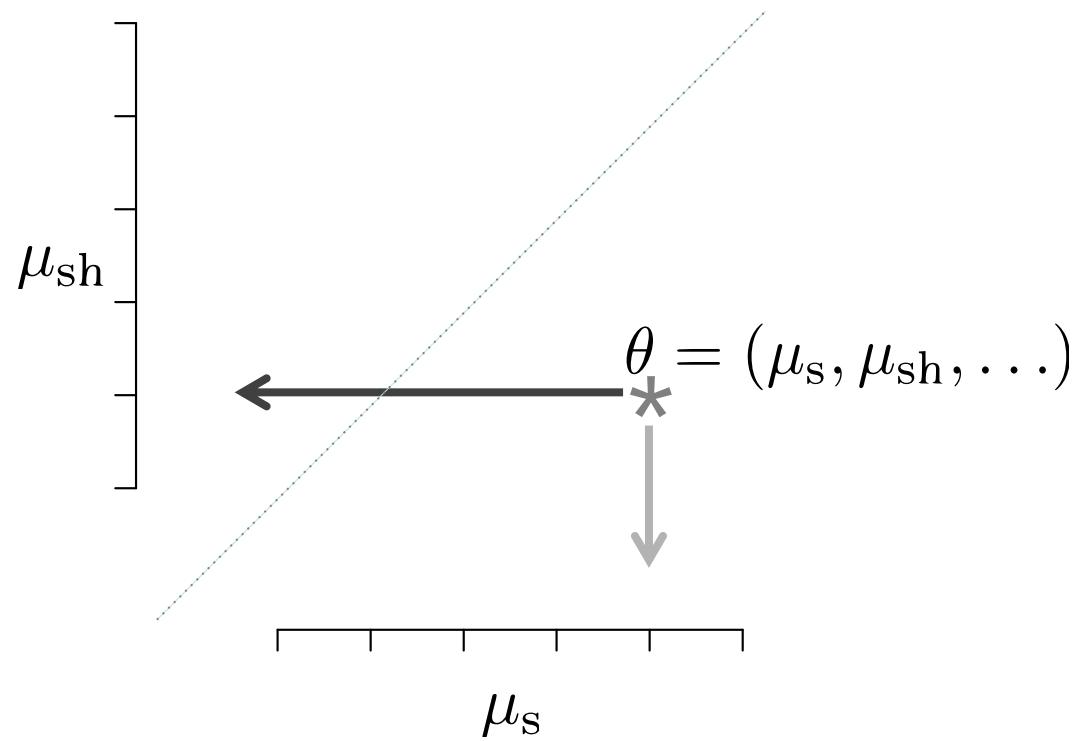
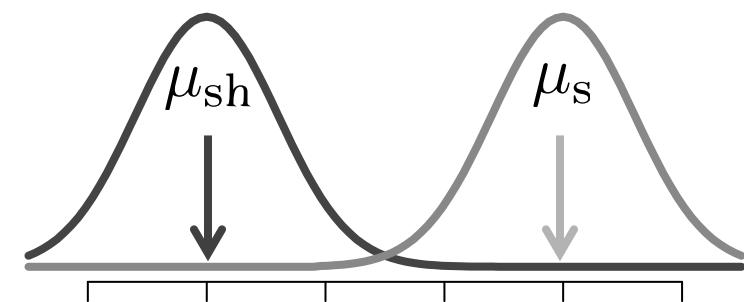
Where do you get the prior?

- Prior is a **prediction**
- Utility of prediction depends on **distribution of things in the world**
 - Predict things you **never** get: inefficient (takes longer to adapt)
 - Rule out things you **do** get: can't adapt
- Good prior depends on **learning those distributions** (of distributions)

$$p(\mu, \sigma^2, c|x) \propto p(x|c, \mu, \sigma^2)p(\mu, \sigma^2)p(c)$$

Observations Prior experience

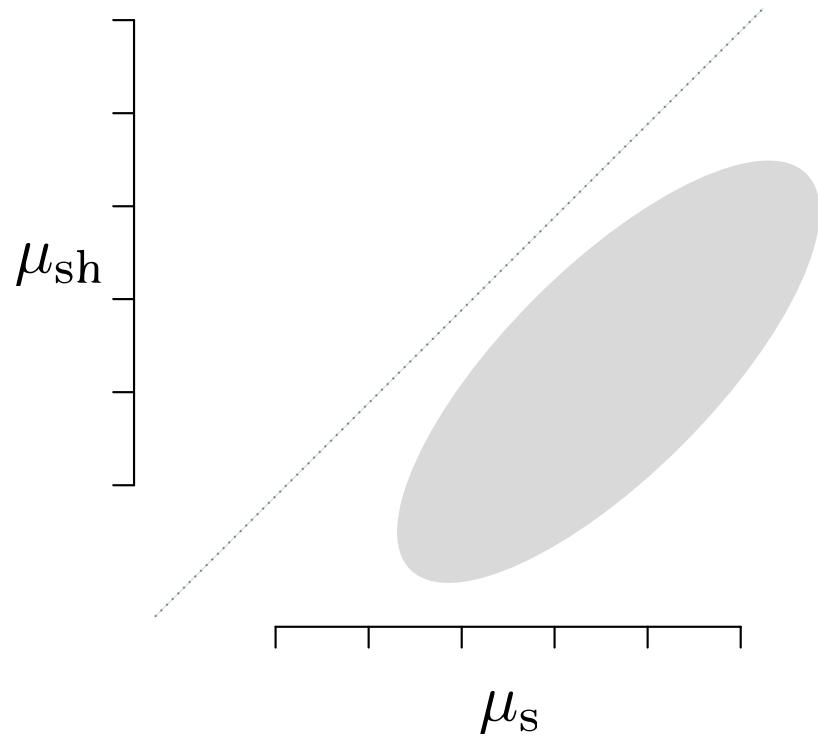
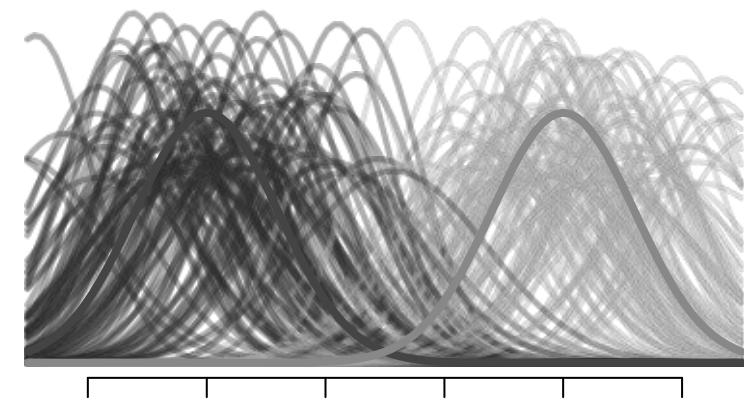
$$p(x|c = \text{sh}, \theta) \quad p(x|c = \text{s}, \theta)$$



$$p(\mu, \sigma^2, c|x) \propto p(x|c, \mu, \sigma^2)p(\mu, \sigma^2)p(c)$$

$$p(x|c, \theta)$$

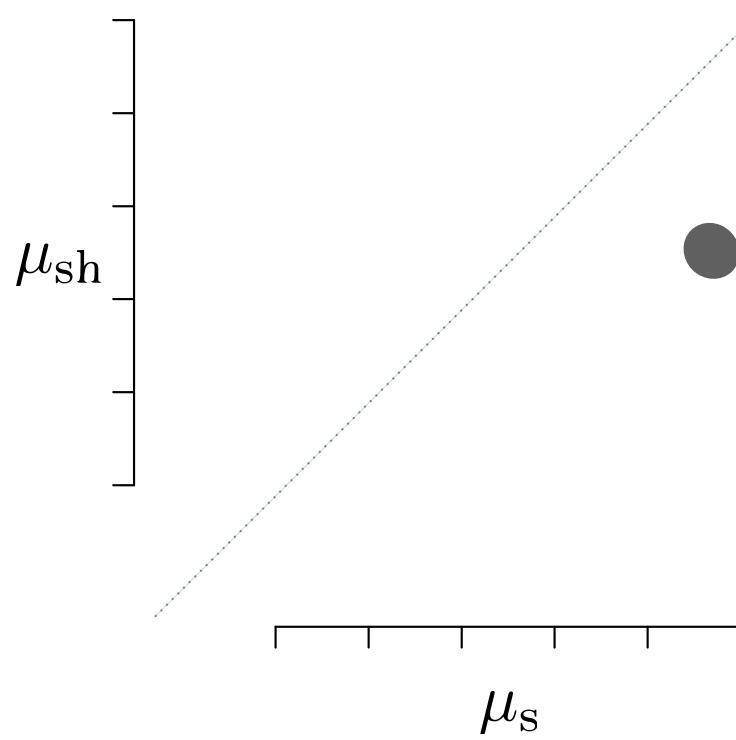
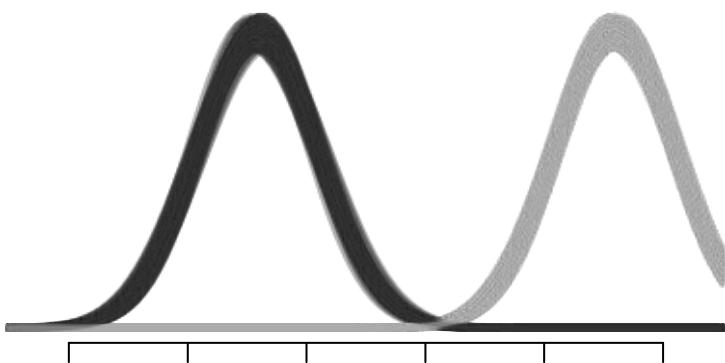
$$p(\theta)$$



$$p(\mu, \sigma^2, c|x) \propto p(x|c, \mu, \sigma^2)p(\mu, \sigma^2)p(c)$$

$$p(x|c, \theta)$$

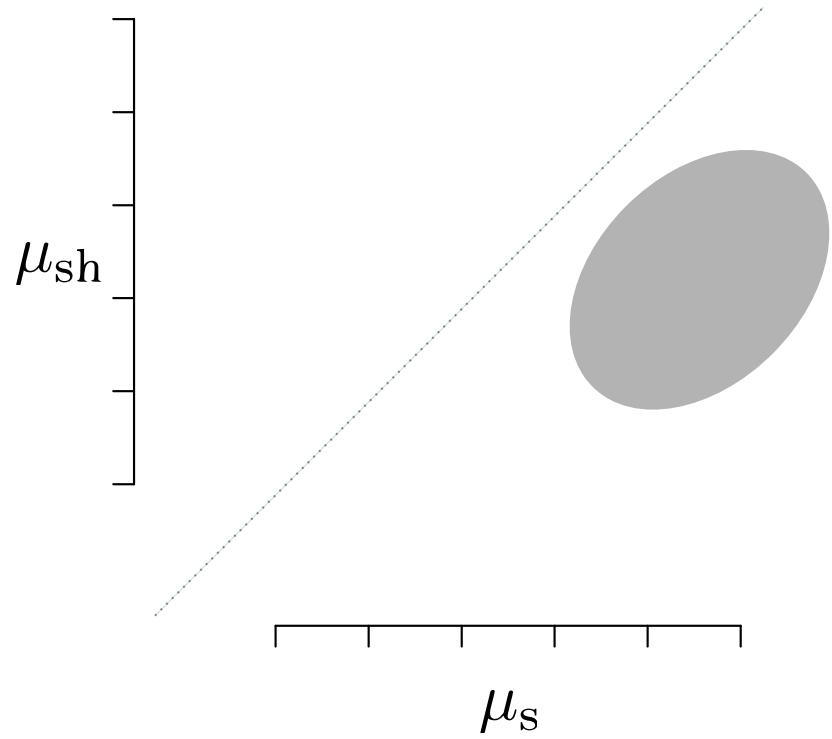
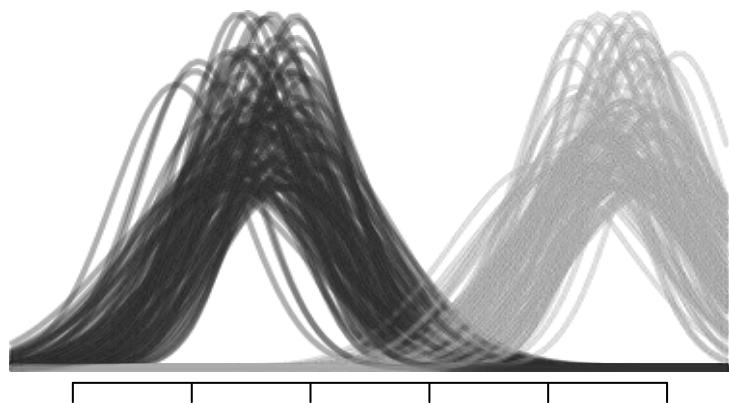
$$p(\theta)$$



$$p(\mu, \sigma^2, c|x) \propto p(x|c, \mu, \sigma^2)p(\mu, \sigma^2)p(c)$$

$$p(x|c, \theta)$$

$$p(\theta)$$



$$p(\mu, \sigma^2, c|x) \propto p(x|c, \mu, \sigma^2)p(\mu, \sigma^2)p(c)$$

How relevant is prior experience right now?

Not very

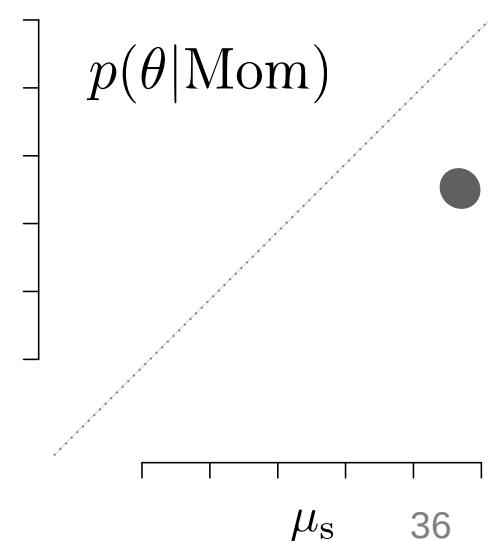
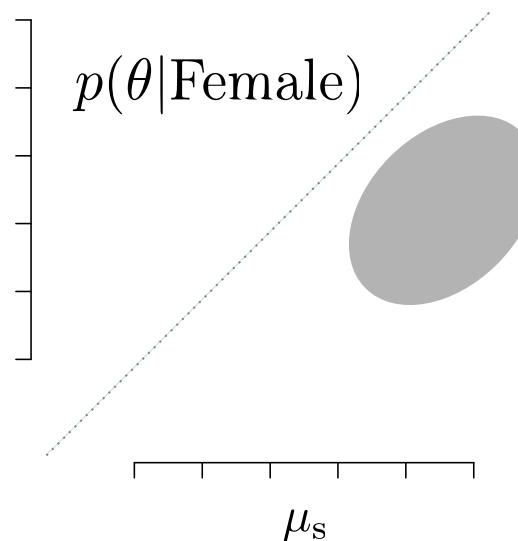
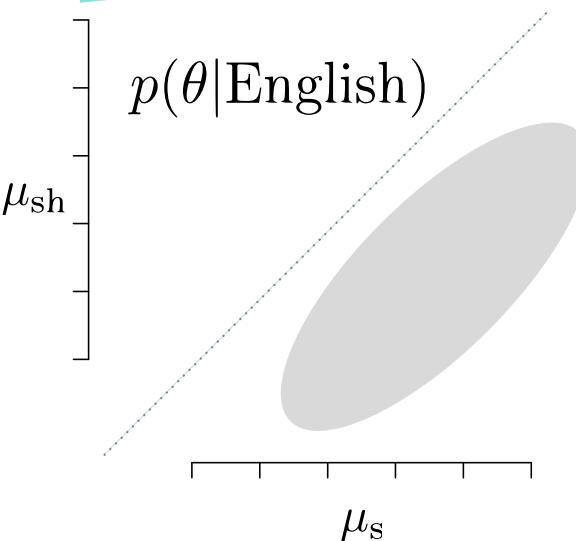
Kinda

Totally relevant

Adapt

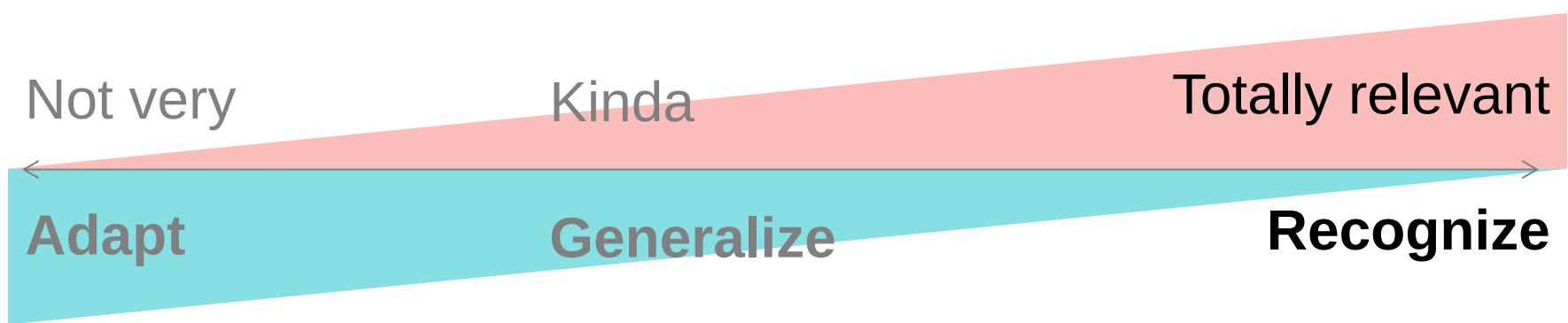
Generalize

Recognize



$$p(\mu, \sigma^2, c, t|x) \propto p(x|c, \mu, \sigma^2)p(\mu, \sigma^2|t)p(t)p(c)$$

How relevant is prior experience right now?

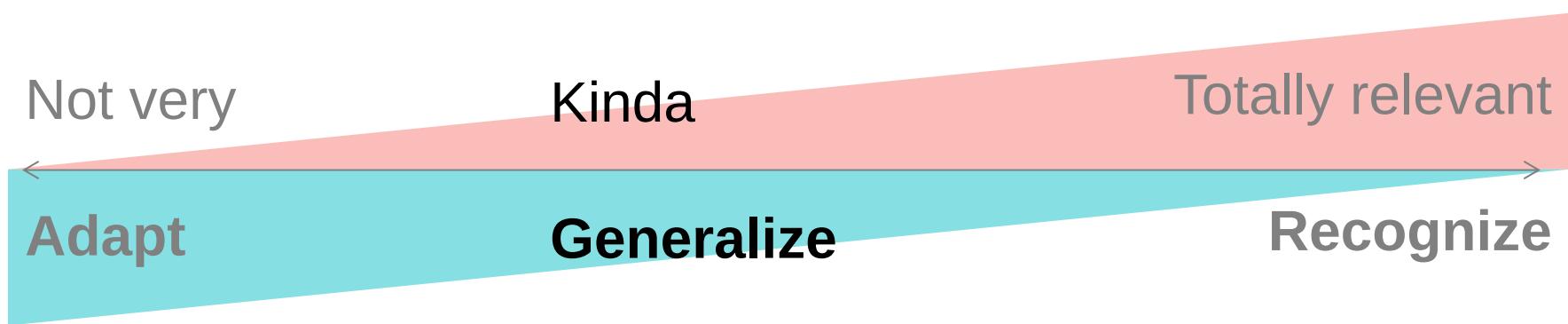


Talker-specificity
[e.g. Goldinger; Nygaard; Pisoni; Sumner; many others]

Persistent adaptation
[Eisner & McQueen, 2006; Kraljic & Samuel 2005]

$$p(\mu, \sigma^2, c, t|x) \propto p(x|c, \mu, \sigma^2)p(\mu, \sigma^2|t)p(t)p(c)$$

How relevant is prior experience right now?



Top down cues (gender, dialect, accent)

[e.g. Hay & Drager, 2010; B. Munson 2011, Niedzielski, 1999;
Staum Casasanto, 2008; Strand & Johnson, 1996]

Accent adaptation

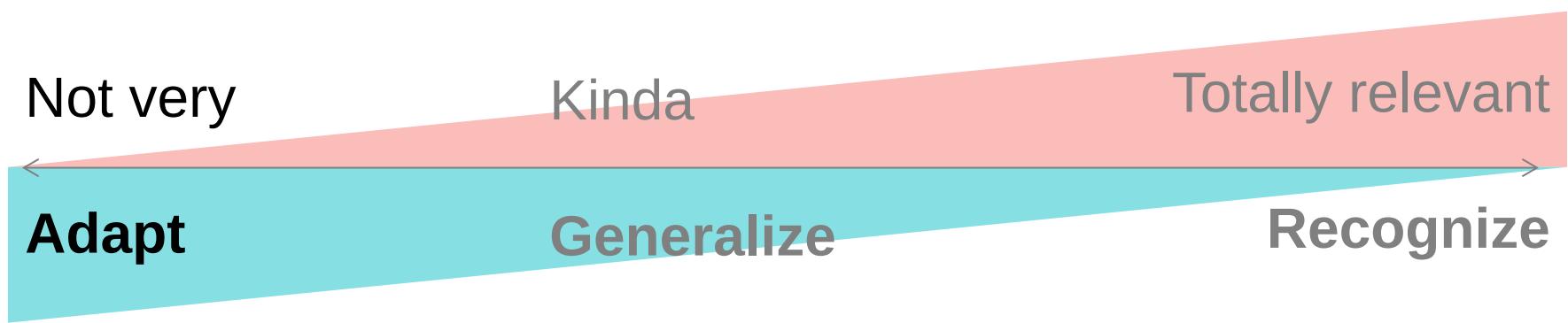
[Bradlow & Bent, 2008; Baese-Berk et al. 2013]

Generalization of recalibration

[Kraljic & Samuel 2005, 2007; C. Munson, 2011; Reinisch & Holt, 2013]

$$p(\mu, \sigma^2, c, t|x) \propto p(x|c, \mu, \sigma^2)p(\mu, \sigma^2|t)p(t)p(c)$$

How relevant is prior experience right now?



Perceptual learning/Recalibration

[e.g., Bertelson et al. 2003; Norris et al. 2003; Maye, Aslin, & Tanenhaus, 2008]

Selective adaptation*

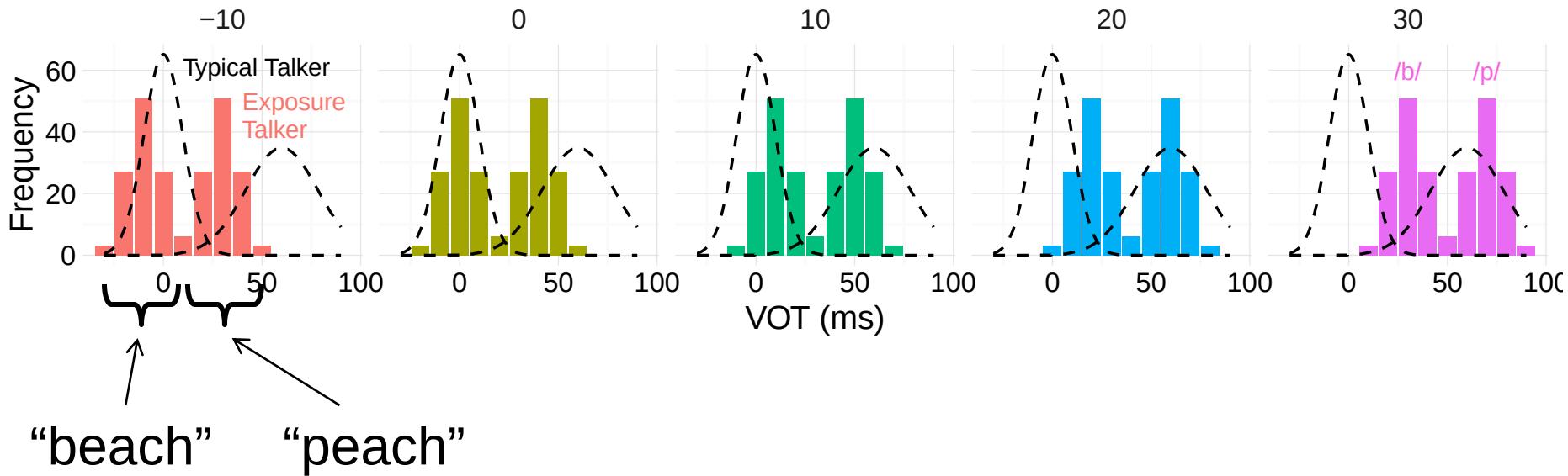
[e.g., Eimas and Corbit, 1973; Samuel 1986]

Language-level prior

[e.g., Idemaru & Holt, 2011; Schertz et al., 2016; Kleinschmidt & Jaeger, *submitted*]

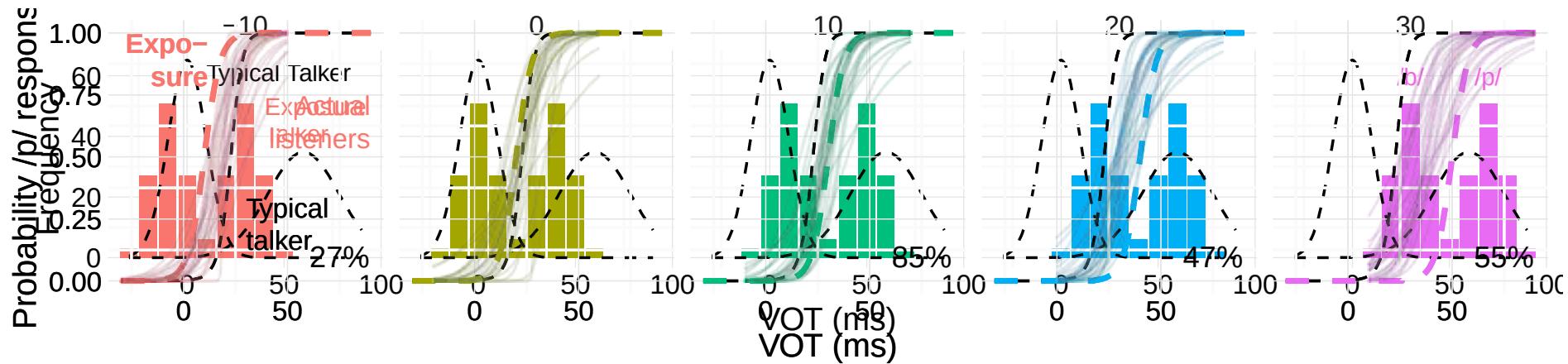
Prior beliefs constrain adaptation

Expose to different accents ($n = 138$ on MTurk):



Prior beliefs constrain adaptation

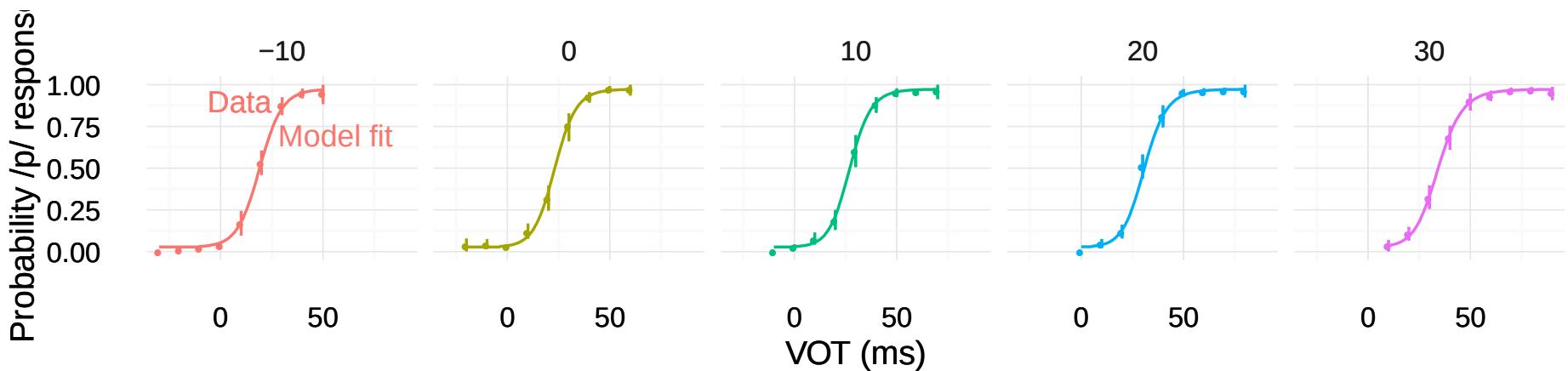
Predict classification curves ...and compare with behavior



Adaptation tells us something about prior beliefs

Fit “inverted belief updating” model

Prior beliefs are **unknown**, inferred from adaptation data



How does the **brain** do this?

*We have no
idea!!*

How does the **brain** do this?

- **Predictive coding** in posterior STS
[Blank & Davis, 2016 PLoS biology]
- Neural correlates of **recalibration** in frontal, temporal, and parietal areas
[Kilian Hutton et al. 2011; Myers & Mesite, 2014]

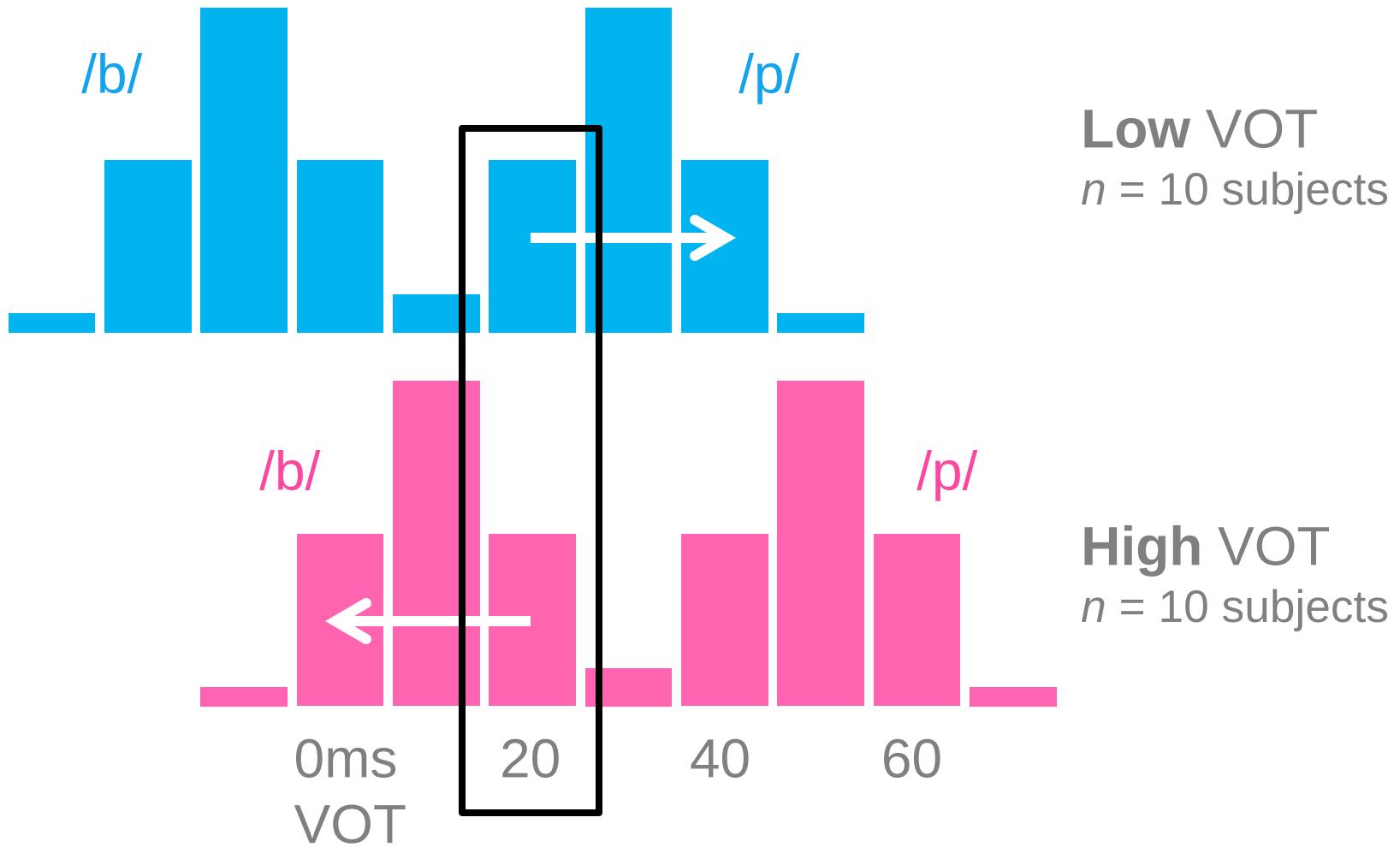
Open questions: adaptation

- How does the brain **learn new models**?
- ...store, retrieve, and update **existing** models?
- ...learn, represent, and deploy knowledge about the **structure** of variation (in e.g. groups of talkers)?

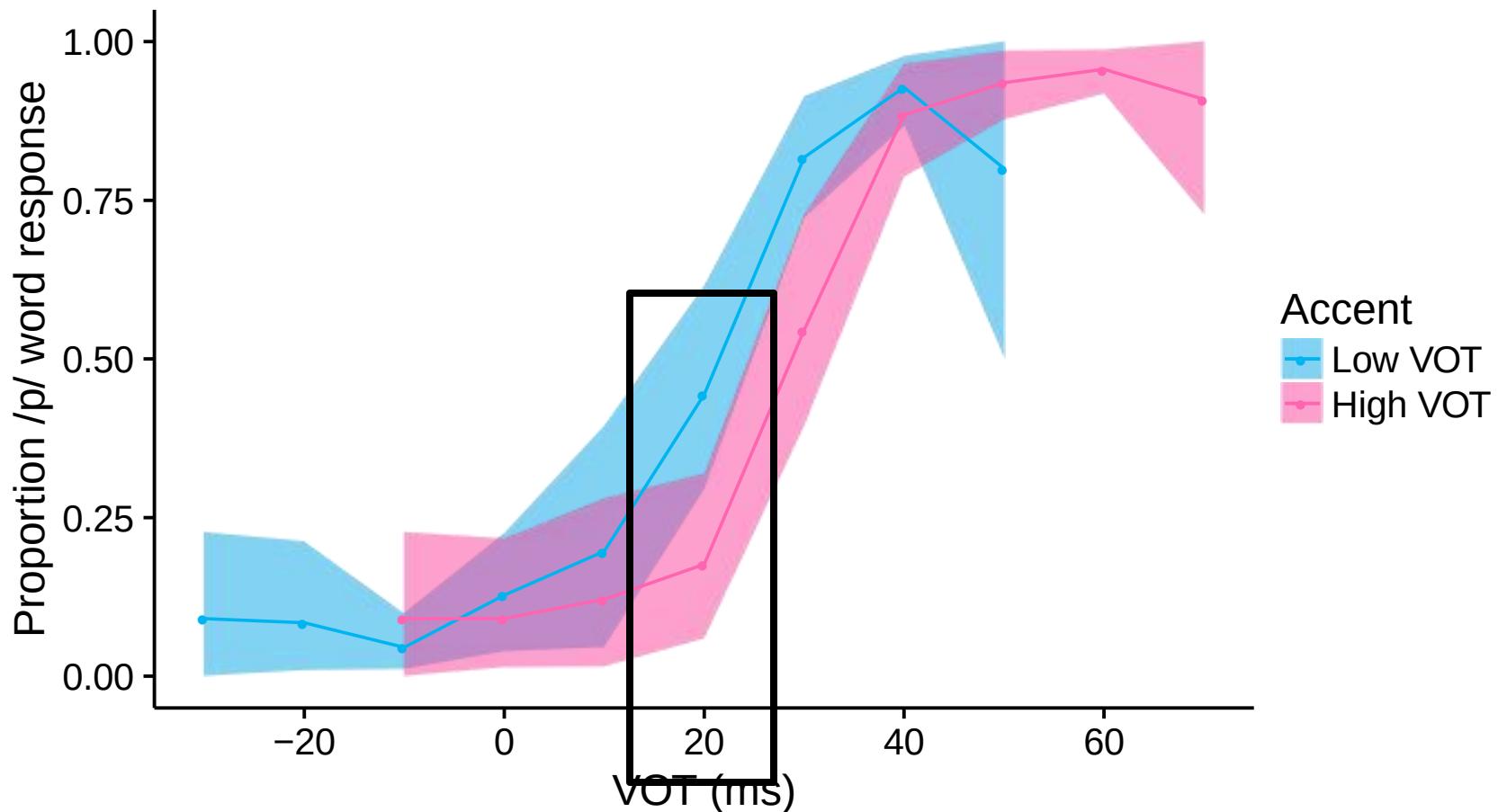
Learning new models

- What is the locus of updated beliefs?
 - Low level representation of sounds
 - Higher level categorical read out

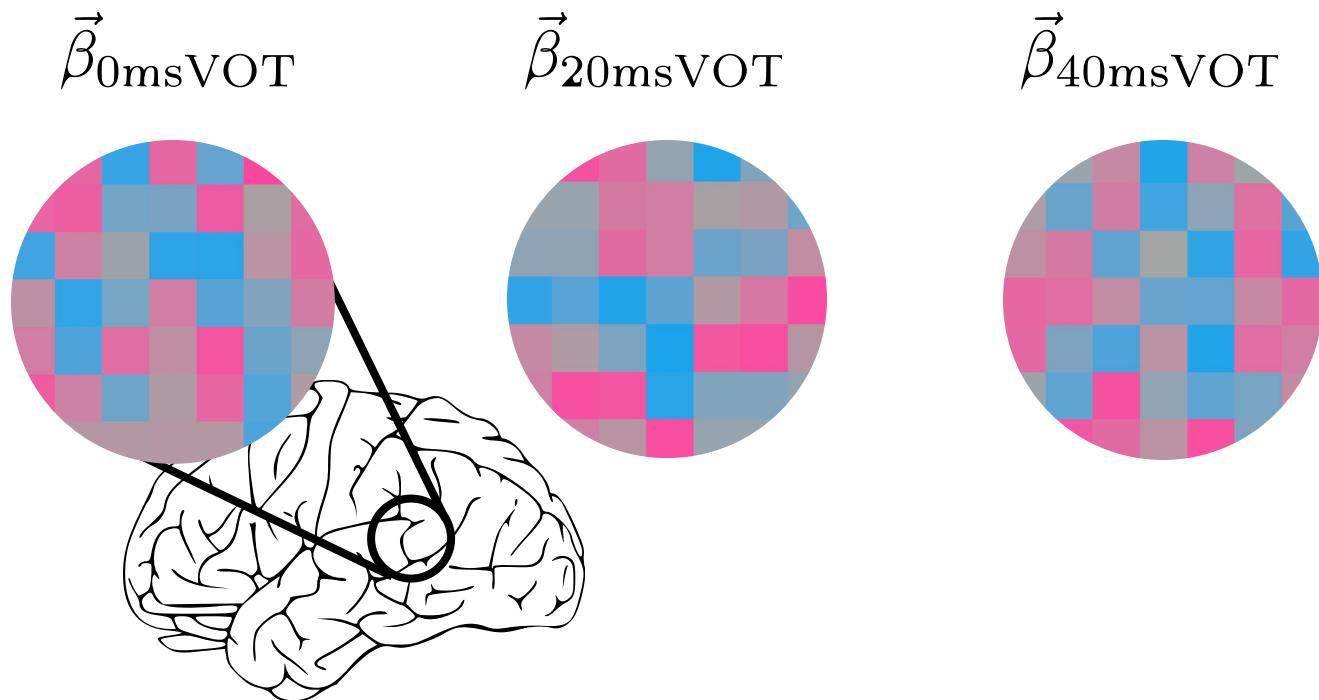
1. Expose each subject to one of two accents



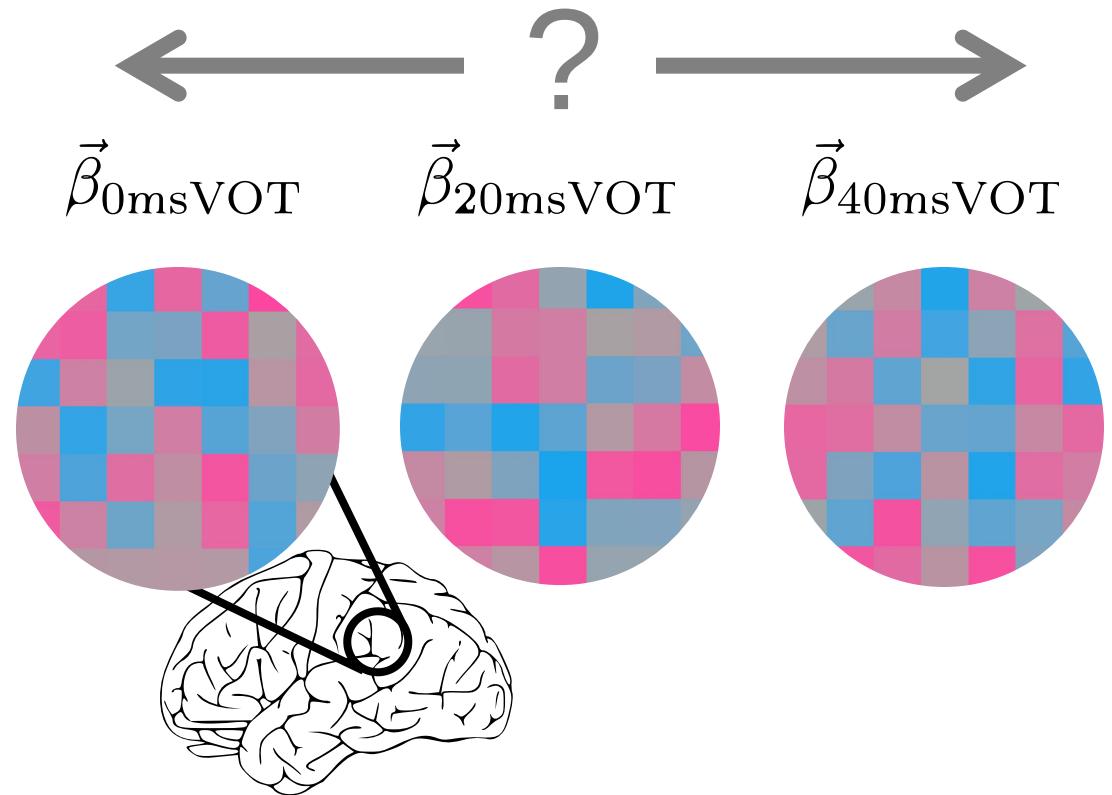
1½. Verify distributional learning behaviorally



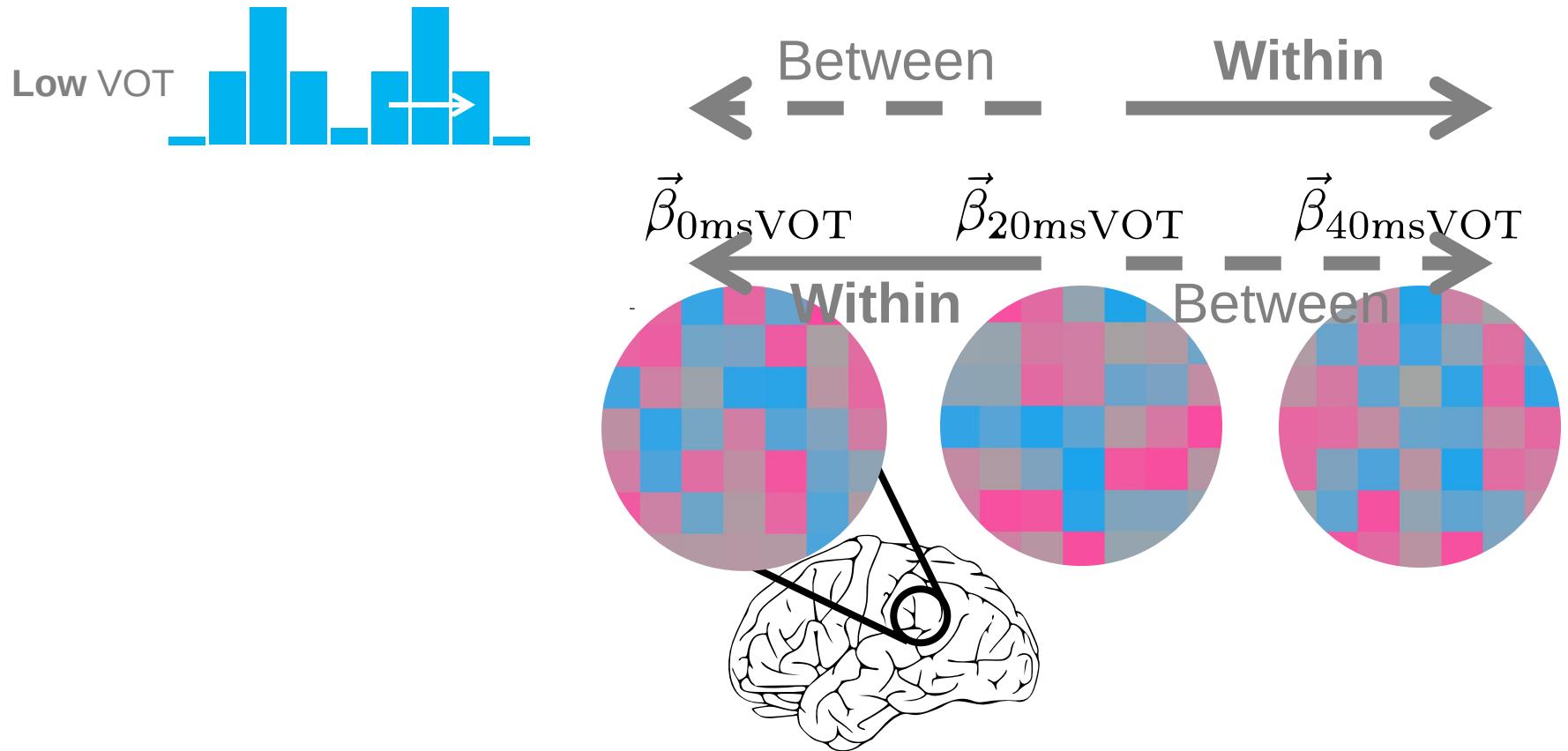
2. Measure multivoxel patterns with fMRI



3. Compare within- vs. between-category pattern similarity



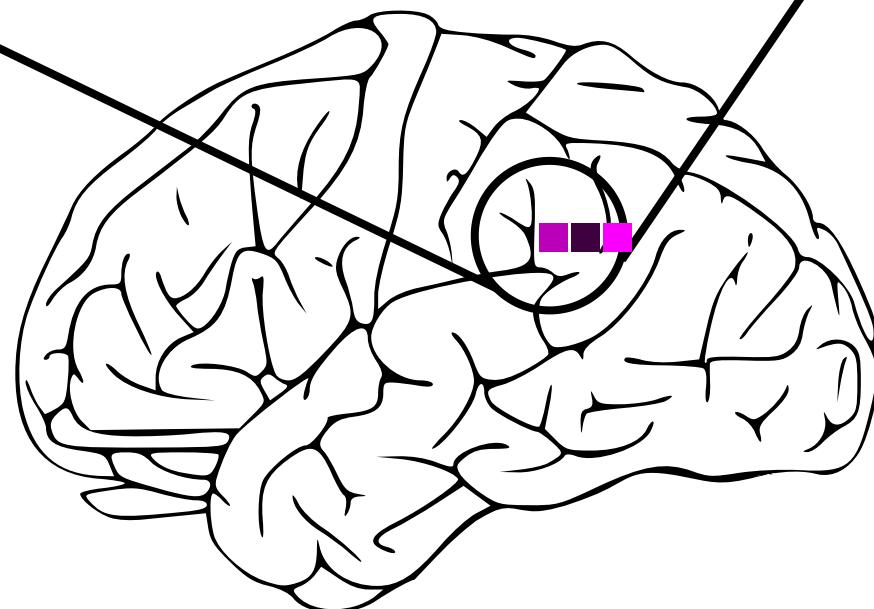
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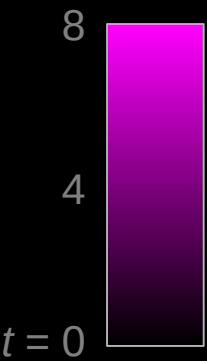




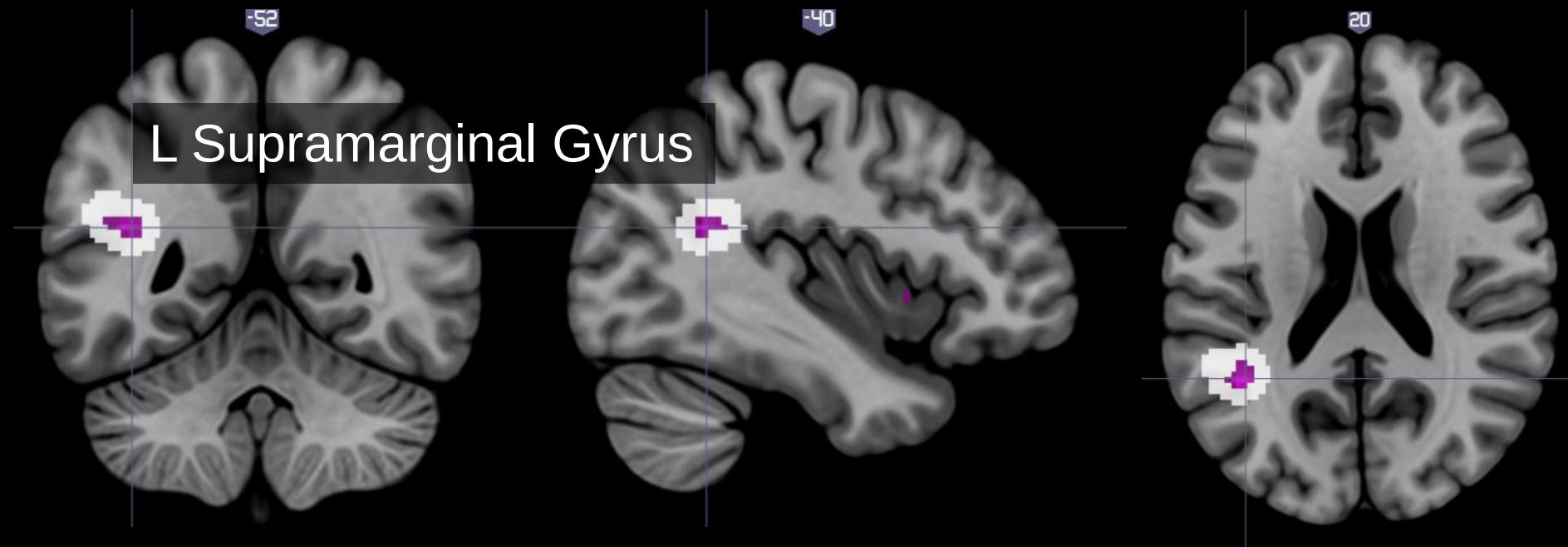
4. Test for searchlights where within-category pattern similarity > between

$$t \left(\text{sim}(\vec{\beta}_{20\text{ms}}, \vec{\beta}_{\text{within}}) - \text{sim}(\vec{\beta}_{20\text{ms}}, \vec{\beta}_{\text{between}}) \right)$$





4. Test for searchlights where within-category pattern similarity > between (centers and extents)



searchlight cluster size ($t > 4$) $p < 0.05$, peak $p < 0.001$
by sign-flipping permutation test

Supramarginal gyrus

- **Categorical** processing of speech.
[Raizada & Poldrack, 2007]
- Integrates auditory + articulatory representations (+ other senses).
[Hickok & Poeppel, 2007]
- Implicated in **phonetic recalibration**, another rapid adaptation effect that requires a **teaching signal**.
[Killian-Hütten et al. 2011; Myers et al. 2014]

A unified mechanism?

- Recalibration is a form of distributional learning. [Kleinschmidt & Jaeger, 2015]
- Unified **computational** principle might correspond to unified **neural** mechanism in SMG.

Wrapping up

- Good inference requires accurate predictions
- Good predictions require adaptation (when distributions change)
- Adaptation is inference (at a higher level)
- ...so adaptation requires good predictions (at a higher level)

Effective inference in a **variable world** involves prediction (errors) at **many levels**:

- About **stimuli** (cues)
- About **distributions** (accents)
- About **contexts** (type of talker)