

DATA SCIENCE WITH R

CONTINUOUS ASSESSMENT - III

Stimulation	no-stimulation
14	8
8	6
7	4
13	14
<hr/>	
mean = 10.5	8
std = 3.511	4.320
var = 12.33	18.666
count = 4	4

$$\text{degree of freedom} = [4 + 4 - 2] = 6$$

Critical value \rightarrow we should see for 5% percent in P value in table

Calculation:

$$P\text{-value} = \frac{|\bar{X}_1 - \bar{X}_2|}{\sqrt{\frac{S_1^2}{n_1} + \frac{S_2^2}{n_2}}}$$

$$= \frac{10.5 - 8}{\sqrt{\frac{12.33}{4} + \frac{18.66}{4}}}$$

$$= \frac{2.5}{\sqrt{3.08 + 4.665}}$$

$$= \frac{2.5}{\sqrt{7.745}}$$

$$= \frac{2.5}{2.78}$$

$$t \text{ value} = 0.899$$

R code to show t Test:

$$a = c(14, 8, 7, 13)$$

$$b = c(8, 6, 4, 14)$$

$$t.test(a, b)$$

Output:

welch two sample t-test

$$t = 0.899 \quad df = 9.00 \quad p\text{-value} = 0.4125$$

Alternative hypothesis: Difference in mean not equal

to 0

95 percent confidence level

mean x y

10.5 8.0

Correlation:

$$x = (0, 2, 4, 5, 8, 13, 24, 15, 20)$$

$$y = (12, 15, 16, 14, 22, 24, 28, 30)$$

cor. test (x, y)

Output:

Pearson product correlation

$$r = 0.1111 \quad df = 8, \quad p \text{ value} = 3.1$$

Alternative Hypothesis: true

Correlation not equal to 0

95% confidence

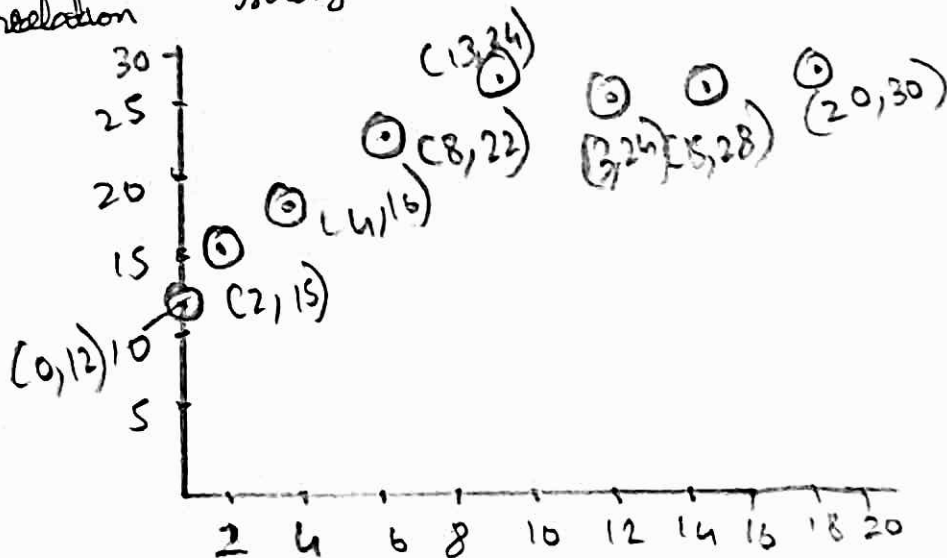
Correlation

0.81 0.95

0.91

As data in x increases y also increases. So
positive correlation

Correlation strength = strong.



3. a) Independent variables :

It is the variable the experimenter changes or controls and is assumed to have direct effect on dependent variable

Here in Travel.csv Destination, Distance is Independent variables

Dependent variables:

It is the variable being tested and measured in an experiment.
• Dependent on independent values

Here in Travel.csv Airfare is dependent.

b) Code for linear regression:

```
library(caret) # Package to split data
df <- read.csv("Travel.csv") # Reading CSV file
set.seed(27)
train-test = sample.split(df, SplitRatio = 0.7)
# Give output as True False
train = subset(df, split = TRUE) # Split into train, test
test = subset(df, split = FALSE)
```

```
# linear model
```

```
model = lm(df$Airfare ~ ., data = train)
```

```
predict_model = predict(model, test)
```

```
print(predict_model)
```

```
result = data.frame(df$distance = 150) # Assigning a value
```

```
plot(predict_model, type = 'l', col = "green")
```

```
pred = predict(model, result)
```

```
lines(df$Airfare, type = 'l', col = "blue")
```

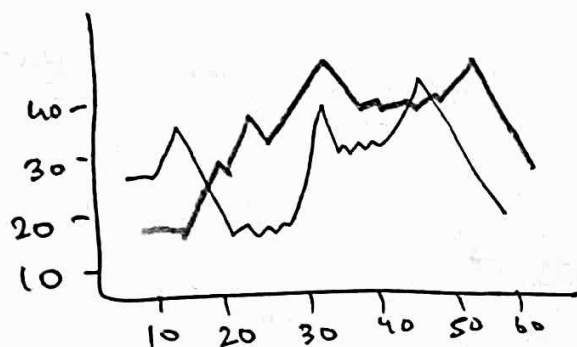
Plotting and visualizing the predicted and original

~~Output:~~ Output:

Atlanta	Atlanta	Boston	Chicago	Dallas	...
	176	145	90	281	

mean

200



~ - Actual

~ - Predicted

c) Mean Squared Error:

~~sqt (mean (pred - model))~~

[1]

For 150 distance

281 - Airfare

3c) library (Metrics)
sumse (df \$ Airfare, predict-model)
Gives Root mean squared error

Output:

2.813