

- 1) Single layer perceptrons - only linearly separable
- 2) Multi-layer perceptrons - two or more layers
- higher processing power.

Single layer perceptron :-

$$\text{Loss function} = (y_i - \bar{y})^2$$

While building deep learning models our cost functions are (dst, time, height)

→ Mean squared error (Regression loss)

(or)
L2 Loss / MSE

$$\text{MSE} = \frac{1}{N} \sum_{i=1}^N (y_i - \bar{y}_i)^2$$

→ Mean Absolute error / L1 loss.

$$\text{MAE} = \frac{1}{N} \sum_{i=1}^N |y_i - \bar{y}_i|$$

→ Huber loss :-

$$\text{Huber} = \frac{1}{n} \sum_{i=1}^n \frac{1}{2} (y_i - \bar{y}_i)^2 \quad |y_i - \bar{y}_i| \leq \delta$$

$$\text{Huber} = \frac{1}{n} \sum_{i=1}^n \Delta \left(|y_i - \bar{y}_i| - \frac{1}{2} \right) \quad |y_i - \bar{y}_i| > \delta$$

classification Loss :-

→ Binary cross entropy / Log Loss

y_i : → Actual values

$$\text{Log loss} = -\frac{1}{N} \sum_{i=1}^N y_i \log \bar{y}_i + (1 - y_i) \log (1 - \bar{y}_i)$$

$$\text{loss} = \sum_{j=1}^k y_i \log(\bar{y}_j)$$

loss function = -sum up to $k(y_i \log(\bar{y}_j))$

where k is classes.

$$\text{cost} = \frac{1}{n} \sum_{i=1}^n \sum_{j=1}^k [y_{ij} \log(\bar{y}_{ij})]$$

Architectural components of neural networks

Neural network :-

* Neural network is a computer model which resembles human brain designed to recognise patterns & make decisions based on data.

Input layer :- The i/p layer accepts the i/p data & passes to the next layer. It consists of interconnected nodes.

Hidden layer :- The activation functions all are present the main function is to extract features & abstract representation of i/p data.

Output layer :- It generates the final output depending on problem the no of neurons in the o/p layer may vary.

