A : Coin Collection

Source file name: `coin.c`, `coin.cpp`, `coin.java`, *or* `coin.py`
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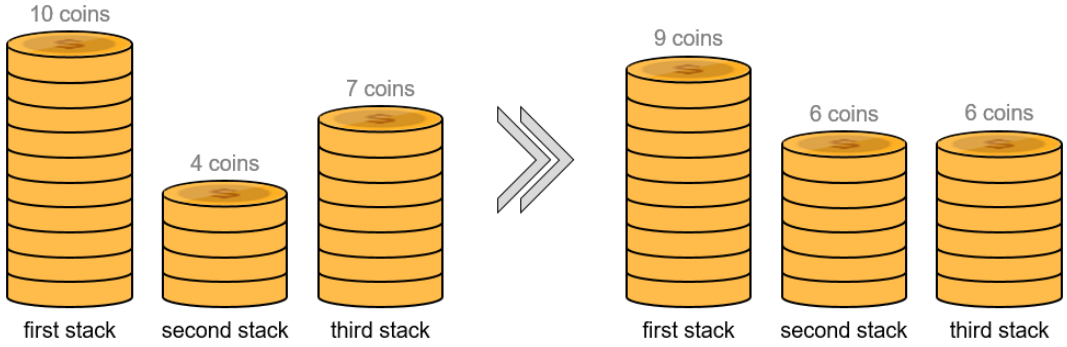
You are a coin collector and the proud owner of an Impressive Collection of Pretty Coins (ICPC). Your coin collection is organized in $N > 0$ stacks, each with a possibly different *size* (number of coins).

Your annoying mathematician friend saw your collection and challenged you to a game: in one *movement*, you can take one coin from the top of a stack and place it on top of another stack. Given an integer $M > 0$, is it possible that after some movements every stack has a size that is a multiple of M? In that case, what is the minimum number of movements required to accomplish that?



For example, let's say $M = 3$ and your collection consists of three stacks that initially contain 10, 4 and 7 coins, respectively. If you move one coin from the first stack to the second stack and one coin from the third stack to the second stack, you would end up with stacks of sizes 9, 6 and 6, respectively, which are all multiples of 3. Furthermore, it's not possible to accomplish the same in just one movement, so two has to be the minimum number of movements required in this case.

Assume that a stack won't tip over even if it is arbitrarily large, so there is no upper limit on the number of coins you can place on the same stack. Stacks of size 0 are also allowed. Note that it might not be possible to accomplish the challenge.

Input

The input consists of several test cases, each one consisting of two lines.

The first line in each test case contains two blank-separated integers N and M: N is the number of stacks in your coin collection ($1 \leq N \leq 10^5$) and M is the desired factor for the stacks' sizes as described above ($1 \leq M \leq 10^9$). The following line contains N blank-separated integers S_i for $1 \leq i \leq N$, the number of coins in each stack ($0 \leq S_i \leq 10^9$). It is guaranteed that the total number of coins among all stacks will not exceed 10^9.

The end of the input is indicated by a single line containing `0 0`, that should not be processed.

The input must be read from standard input.

Output

For each test case, output a single line with the minimum number of movements required to make the size of every stack divisible by M, whenever possible. If it's not possible, output the word `Impossible` instead.

The output must be written to standard output.

Sample Input	**Sample Output**
3 3 10 4 7 4 2 2 4 6 8 2 2 1 3 2 2 1 2 4 10 3 9 9 9 6 10 4 8 2 7 0 9 0 0	2 0 1 Impossible 3 6