

Amazon

Q1 Given a string of lowercase char,
return the count of pairs (i, j) st
 $i < j$
indices.

$s[i] = 'a'$

$s[j] = 'g'$

0 1 2 3 4 5 6

S: a c g d g a g

Pairs \Rightarrow

0, 2

0, 4

0, 6

5, 6

ans = 4

0 1 2 3 4 5 6 7

S: b c a g g a a g

Pairs \Rightarrow

2, 3

2, 4

2, 7

5, 7

6, 7

ans = 5

Brute: Use 2 for loops for $i < j$

TC: $O(n^2)$

Obs:

----- g -----
'g' forms a pair with every 'a' on the left

	0	1	2	3	4	5	6	7
Ex	a	c	b	a	g	k	a	g g
count_a = 0	1	1	1	2	2	2	3	3 3
ans = 0	0	0	0	0	2	2	2	5 8

Code

```
int ans = 0, count_a = 0
for (i = 0; i < n; i++) {
    if (s[i] == 'a')
        count_a++
    else if (s[i] == 'g')
        ans += count_a
}
return ans
```

TC: $O(n)$

SC: $O(1)$

Subarray: Continuous part of an array

- 1) Complete array is subarray of itself
- 2) Single element of array is also subarray
- 3) Empty subarray is **NOT** valid.

A: ⁰3 ¹4 ²5 ³6 ⁴-2 ⁵8 ⁶10

3, 5, 6

X

-2

✓

8, 10

✓

8, 10, 3

X

⇒ Subarray can be defined by

start

end

A: ⁰4 ¹2 ²10 ³3 ⁴12 ⁵-2 ⁶15

s

e

0

0

1

2

3

4

5

6

1

1

2

3

4

5

6

Total no of subarrays =

Subarray starting at 0
 + Subarray starting at 1
 + 2

 + Subarray starting at $n-1$

0	0	1	1	$n-1$	$n-1$
0	1	1	2			
0	2	1	3			
⋮		⋮				
0	$n-1$	1	$n-1$			
<hr/>	<hr/>	<hr/>	<hr/>			
n	$n-1$	$n-2$			1
<hr/>	<hr/>	<hr/>	<hr/>			<hr/>

$$n + (n-1) + (n-2) + \dots + 1$$

$$1 + 2 + 3 + 4 + \dots + n$$

$$= \frac{n(n+1)}{2}$$

Q Print all values of a subarray.

```
void printSubarray (int A[], int s, int e){
```

```
    for ( i = s ; i <= e ; i++) {  
        print a[i]  
    }
```

TC: $O(n)$

Q Print all possible subarrays.

```
for ( start = 0 ; start < n ; start++) {  
    for ( end = start ; end < n ; end++) {  
        printSubarray ( arr, start, end )  
    }
```

TC: $O(n^3)$

$N + N + N \quad \dots \quad \sim N$
 $\underbrace{\hspace{10em}}_{N^2 \text{ times}}$

Q3 Given an array, Return the length of smallest subarray which contains continuous part of array both MIN & MAX of the array.

A: 0 1 2 3
 100 200 300 400

100, 200

200, 300, 400

100, 200, 300, 400

100, 200, 400

X

400

 0 1 2 3 4 5 6 7 8 9
A: 1 2 3 1 3 4 6 4 6 3

max = 6 min = 1

ans = 4

Quiz

0 1 2 3 4 5 6 7 8 9 10

A: 2 2 6 4 5 1 5 2 6 4 1

max = 6

min = 1

ans = 3

Obs 1: In the required answer subarray,
MAX & MIN should occur exactly once

Max Min Max

Obs 2: In the required answer subarray,

. . . . Max Min

→ Max & Min will be on the
boundaries

● Solutions : MAX MIN OR
MIN MAX

- For every MIN, find the closest MAX on the left side
- For every MAX, find the closest MIN on the left side

prev_max_idx: Index of the nearest max on the left

prev_min_idx: Index of the nearest min on the left

Eg

	0	1	2	3	4	5
	6	4	1	2	5	6
prev_min_idx = -1	-1	-1	2	2	2	2
prev_max_idx = -1	0	0	0	0	0	5
ans =			3			

For each iteration,

- if $a[i] == \text{MAX}$, $\text{ans} = \min(\text{ans}, \text{?})$
where prev_min_idx is the prev MIN
what is current pos i
thus $\text{range} = [\text{prev_min_idx}, i]$
 $\text{ans} = \min(\text{ans}, i - \text{prev_min_idx} + 1)$
- Similarly, if $a[i] == \text{MIN}$
 $\text{ans} = \min(\text{ans}, i - \text{prev_max_idx} + 1)$

Pseudocode

1) Find MAX & MIN

2) prev_max = -1

prev_min = -1

ans = n

for (i = 0 ; i < n ; i++) {

if (a[i] == MAX) {

prev_max_idx = i

}

if (a[i] == MIN) {

prev_min_idx = i

}

if (prev_max_idx == -1 //

prev_min_idx == -1)

Continue

else {

if (a[i] == MAX)

ans = min (ans, i - prev_min_idx + 1)

else if (a[i] == MIN)

$ans = \min(ans, i - prev_max_idx + 1)$

y

TC: $O(n)$

return ans

SC: $O(1)$

