Backtracking -> Find solution by exploring all possibilities/combinations

fun(N)
$$C$$

$$| if(N=0) | f(0)=0 | f(3) | f(1) \times 10 + 3 \times 2 | 1 \times 10 + 1 | = 11$$
else
$$| xet fun(N/2) \times 10 + N \times 2 | f(3) \times 10 + 3 \times 2 | = 111$$

$$| fun(7) | fun(7) | f(7) | f(7) | = 111$$

N N/2 N/3 N/4 N/6 \vdots \vdots O O

ouis TC

Ouis2 void fon (charl)s, int x) & print (s) chal temp $x \leq s. len() /$ tem p = s(x) s(n) = rif (x < s. len()/2) { s[n]= s[s.len -n-1] S(S.len - n - 1) = tempfun (s, x+1) LLORCS No fun L"\$CRPK4", B) temp=S

> SCROLL LCROLS LLROCS LLORCS

take some elem/leave other elem Of Generate all subsets of given allay

(3) (10,20,30) -> (y) 1109, 6209, 6303 All suballays are subset <10,203, <10,307, <20,307 All subset NOT suballay C10,20,30} All possible subsets using secursion 2 - 4 Palams -> 3 → & 1) i -> current idre 2) list < int > ans -> subset 10,20,303 0, 23 toke of leave 1, £10y 1, 23 T/2 Test 2, (10,20) 2, (10) 2, (20) 2, () 3, d10 2010) 3 (10,20) Tel 12 3, (20,307 (20) 2307 27 (10,30) L107

```
void subset (int () all, int idn, list < int) ans) C
   if ( idn==n) {
       print (ans)
      return;
                                  107
  // include
  ans. push (are [idn])
                                   Q 10,20 3
   subset (are, idn+1, ans)
  ans. remone ()
11 exclude
  subset (all, idn+1, ans)
         2 n subsets
       man size of a subset = n
    TC: O(N2")
```

 $10^{\circ} 20^{\circ} 30^{\circ}$ $0, (3)^{\circ} 30^{\circ}$ $1, (10)^{\circ} 10^{\circ} 10^{\circ}$ $1, (10)^{\circ} 10^{\circ}$ $2, (10)^{\circ} 2, (10)^{\circ}$ $2, (10)^{\circ} 3, (10)^{\circ}$ $3, (10)^{\circ} 3, (10)^{\circ}$ $3, (10)^{\circ} 3, (10)^{\circ}$

```
Oz Generate all permutation of
    allay with distinct elements.
Eg -
        479
1>1
             497
2 -> 2
            7 4 9
3 -> 6
                             4/=24
            7 9 4
4 > 24
                            5/=120
            9 4 7
5-3 120
            9 7 4
n -> factorial (n)
            479
                        974
                       974 947
       497 749 799
```

arlangement

pasameters →

i) i → index

void perm (int 1) are, int i) & 46 l == n-1) d Print (are) return; for (j=i ; j < n ; j++) & swap (ali), alj)) perm (i+1) swap (ali), alj))

> TC: Sc:

If we don't swap back $\int_{J=1}^{J=2}$ 123 10 20 30 20 10 30 30 20 10 10 2030 10 30 20 20 10 30 20 30 20 30 20 10 30 10 20

ob permutations = n!Size of any perm = n7c: O(n*n!)

void perm (inti) are, int i) d

if (i == n-1) d

brint (are)

return;

for (j=i;j<n;j++) d

swap (ali), alj))

berm (i+1)

swap (ali), alj))

y







