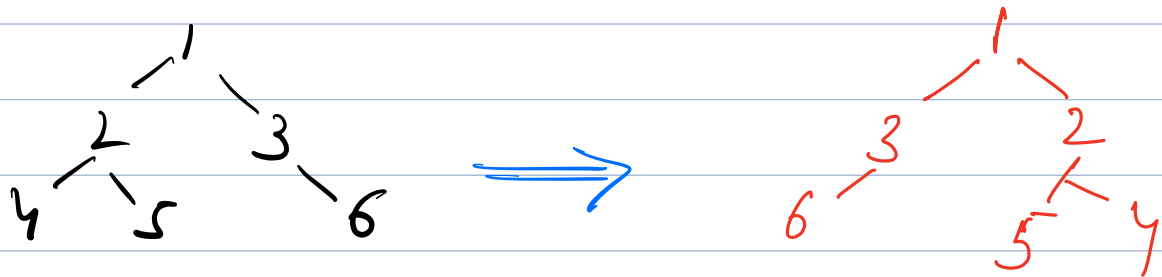
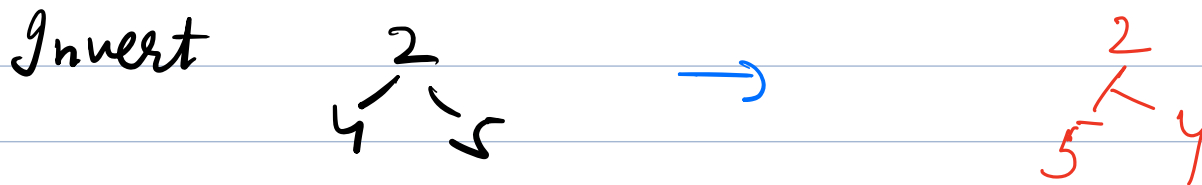
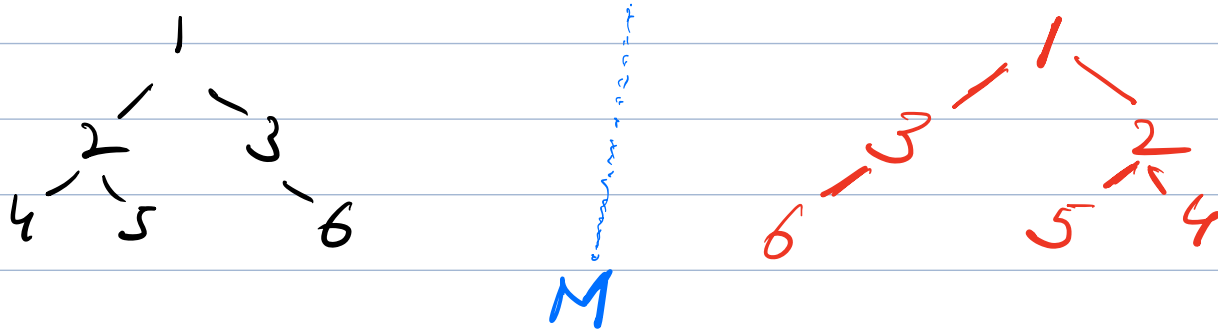


Q3 Invert a Binary Tree

↳ convert to mirror image

Obs: 1) Left \rightarrow Right & Right \rightarrow Left

2) If we can invert left subtree (LST) & right subtree (RST)

You need to return a new tree

def invert (root):

if (root == null)
return null

x = invert(root.left)

y = invert(root.right)

root.right = x

root.left = y

return root

TC: $O(N)$

SC: $O(\text{height})$

}

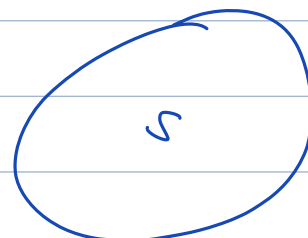
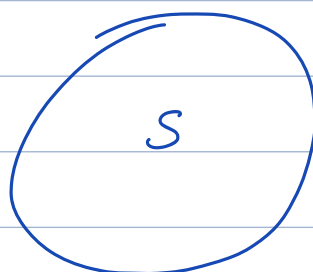


x = null
y = 6

$$S + S = \text{total_sum}$$

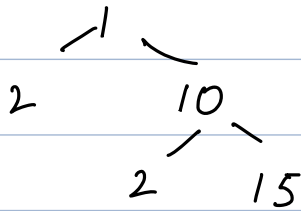
$$2S = \text{total_sum}$$

$$S = \text{total_sum} / 2$$



Q2 Equal tree Partition

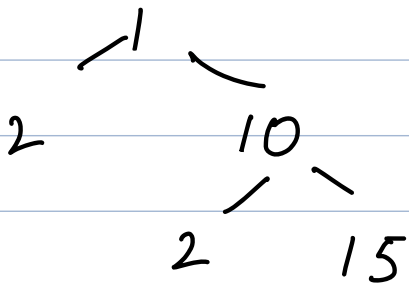
Split into 2 subtrees of equal sums



ans = true

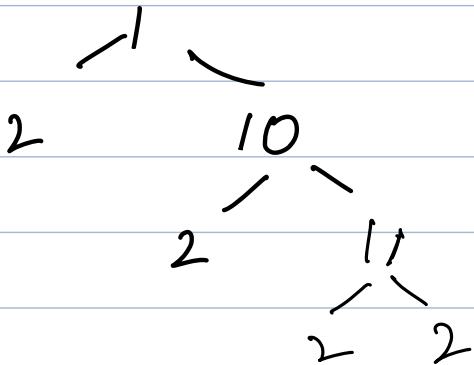
obs: Total sum has to be even

obs2: There has to be a subtree with
 $sum = tot_sum / 2$



tot_sum = 30

sum of subtree = $30 / 2 = 15$



req_sum = 15

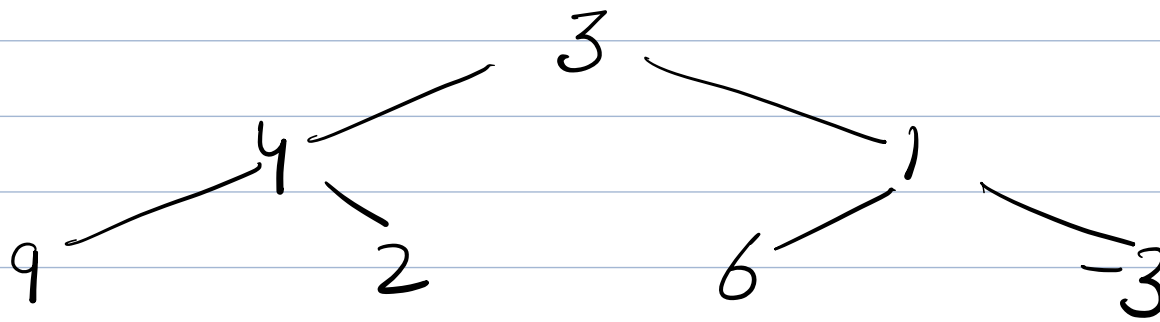
Code

```
bool has_sum (Node node, int k) {  
    if (node == null)  
        return false  
    left_sum = findsum (root.left)  
    right_sum = findsum (root.right)  
    if (left_sum == k || right_sum == k ||  
        has_sum (root.left, k) ||  
        has_sum (root.right, k) )  
        return true  
    else return false  
}
```

```
bool partition (Node root) {  
    tot_sum = find_sum (root)  
    if (tot_sum % 2 == 1)  
        return false  
    req_sum = tot_sum / 2  
    if (has_sum (root, req_sum) == true)  
        return true  
    else  
        return false  
}
```

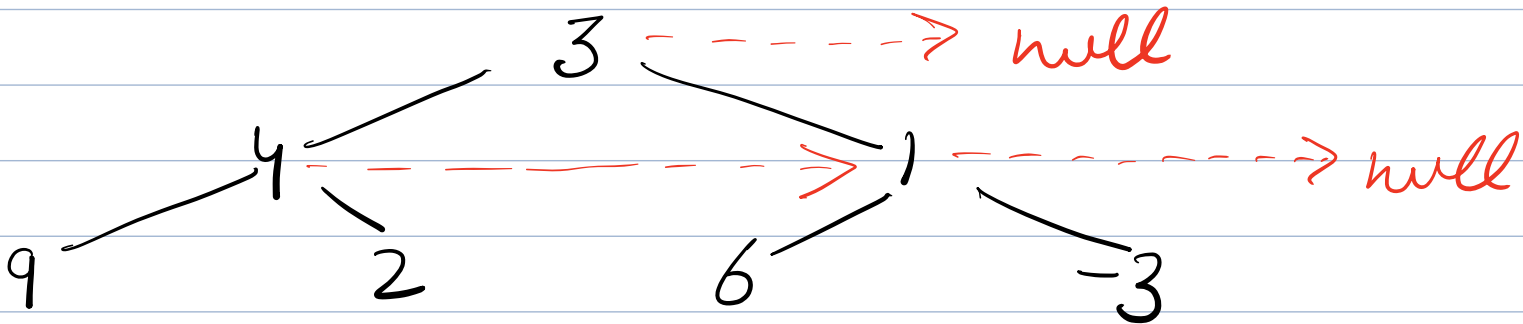
TC: $O(N)$

Q3 Populate right next pointers.



data -
left
right
next

Given is a perfect tree



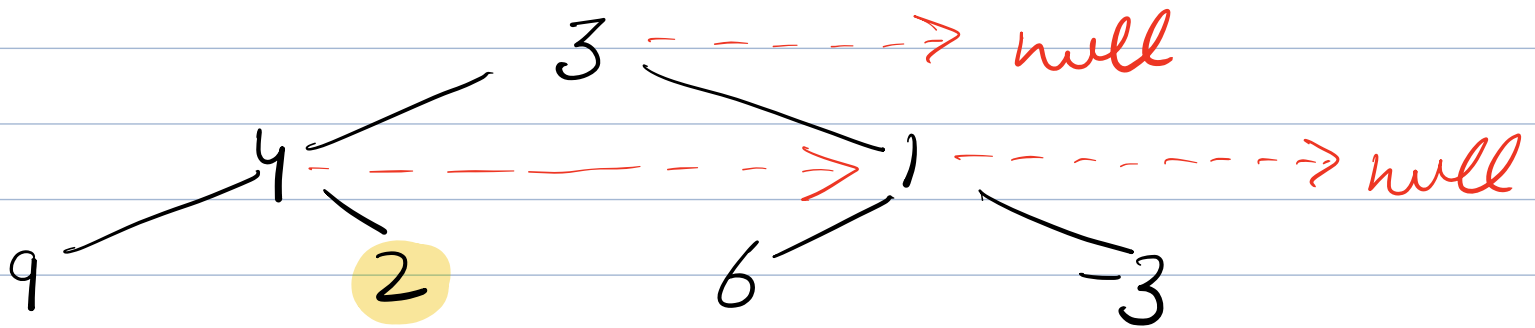
Idea: We need to do level order traversal

TC: $O(n)$

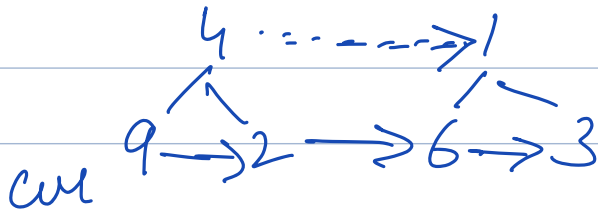
SC: $O(n)$

Challenge: $O(1)$ SC

Idea :



temp

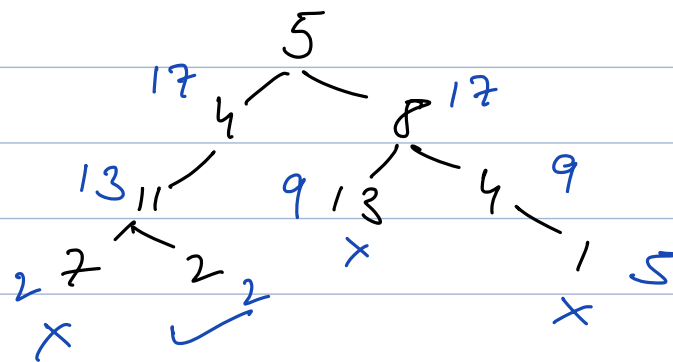


Code

```
while (cur != null && cur.left != null) {  
    temp = cur  
    while (temp != null) {  
        temp.left.next = temp.right  
        if (temp.next != null)  
            temp.right.next = temp.next.left  
        temp = temp.next  
    }  
    cur = cur.left  
}
```

TC: $O(N)$
SC: $O(1)$

Q Root to leaf path = k



k = 22
ans = true

Code

```
bool hasSum (Node node, int sum) {
    if (node == null)
        return false
    if (node.left == null && node.right == null) {
        if (sum == node.val)
            return true
        else
            return false
    }
}
```

```
x = hasSum (root.left, sum - root.data)
y = hasSum (root.right, sum - root.data)
```

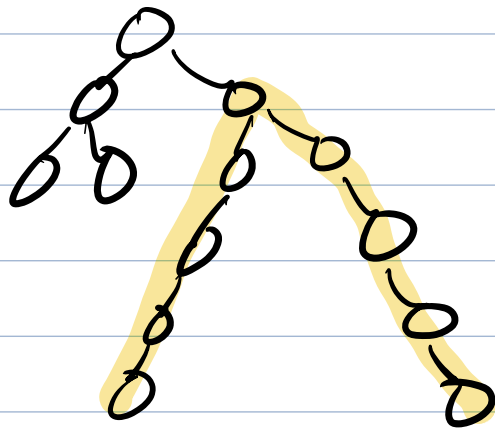
```
return (x || y)
```

OR operator

TC : $O(N)$

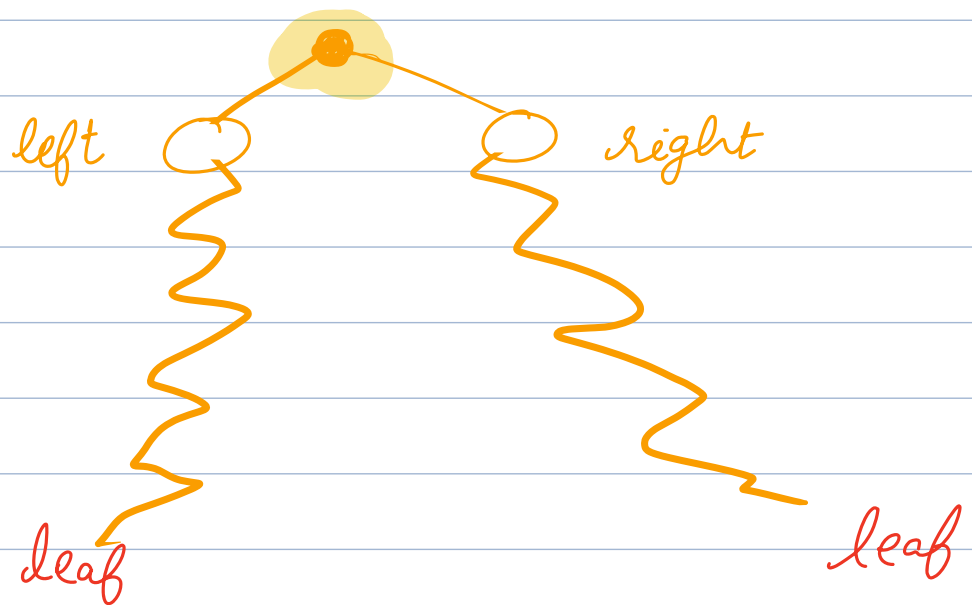
SC : $O(\text{height})$

Q5 Find diameter (longest path) of the tree

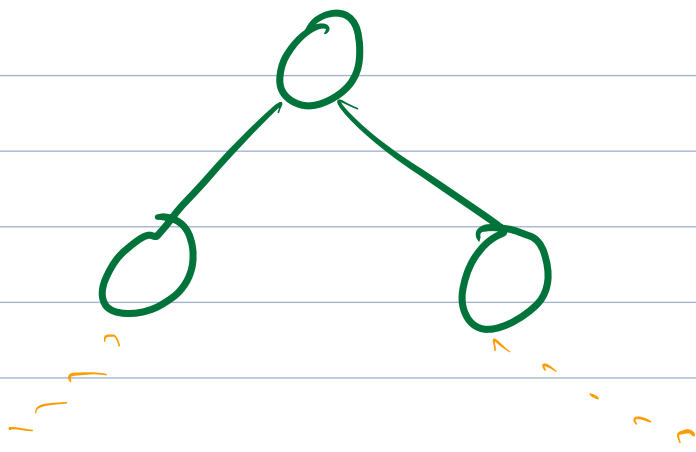


ans = 8

Obs: Path will look like



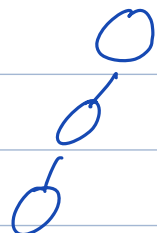
Lets find biggest distance starting at each node



$\text{ans}(\text{node})$: represent max distance from node to any leaf in the subtree

$$\text{ans}(\text{root}) = \max(\text{ans}(\text{left}), \text{ans}(\text{right})) + 1$$

$$\text{dia} = \max(\text{dia}, \text{ans}(\text{left}) + \text{ans}(\text{right}) + 2)$$

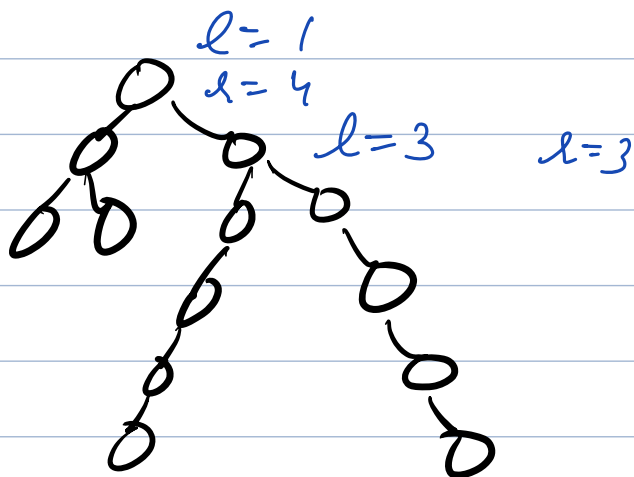


Code

```
int diameter = 0 // global var
```

```
int height (Node node) {  
    if (node == null)  
        return -1  
    l = height (node.left)  
    r = height (node.right)  
    diameter = max (diameter, l+r+2)  
    return max(l, r) + 1  
}
```

```
int calc_dia (Node root) {  
    diameter = 0  
    height (root)  
    return diameter  
}
```



dia = ~~0~~ ≠ 8

{done}