

Stack LIFO Data Structure

Last In First Out

Uses:

- 1) Recursion Call Stack
- 2) Undo, Redo
- 3) Browser History.

Operations:

- push(x)
- pop()
- top()
- isEmpty()
- size()

Implementations

- Stack

Walmart

VMware

SAP Labs

MMT

1, 2, 3

Using Array
↓

Class Stack \mathcal{L}

int size → fixed size

```
int arr[size]
```

`int top = -1` \rightarrow the array index where my top elem is

```
void push (int x) {
```

if (top == size-1)

sort ("stack full") } stack overflow

else

top ++

$$\text{arr}[\text{top}] = x$$

j

```
void pop() {
```

if ($L_{top} == -1$)

else top--

y

int top(L) &L

if (top == -1) cout << "Empty stack"

```
else return all[top]
```

 γ

Note: You can use inbuilt stack from Java Collections

Stack with Linked List

```
class Stack {  
    int size = 0
```

```
    Node head = null
```

```
    void push (int x) {
```

```
        Node newhead = new Node(x)
```

```
        newhead.next = head
```

```
        head = newhead
```

```
        size++  
    }
```

```
    void pop () {
```

```
        if (size == 0) cout << "Empty stack"
```

```
        else {
```

```
            head = head.next
```

```
            size--  
        }
```

```
    int top () {
```

```
        if (size == 0) cout << "Empty stack"
```

```
        else return head.data  
    }
```

```
class Node {
```

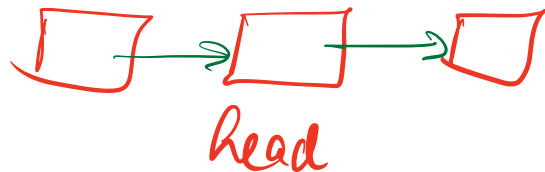
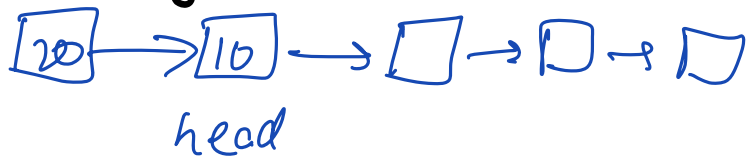
```
    int data
```

```
    Node next
```

```
    Node (int x) {
```

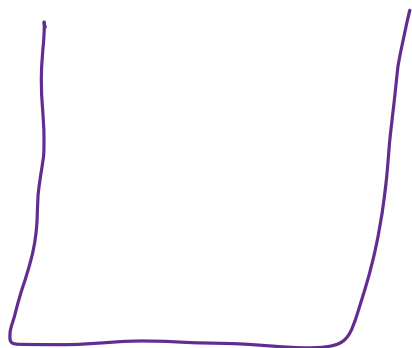
```
        this.data = x
```

```
        this.next = null  
    }
```



(τ

(τ, y)



Q Balanced parentheses

Check if parenthesis is balanced or not

Eg { () [] } ans \Rightarrow true

{ [] [] } ans \Rightarrow false

solⁿ \Rightarrow open bracket \Rightarrow push in stack

closed bracket \Rightarrow s.top() should
be matching open bracket

at the end, if stack empty \Rightarrow true

Code

```
stack < char> st
for (i=0 ; i<n ; i++) {
    if ( s[i] is opening bracket )
        st.push (s[i])
    else { // s[i] is a closing bracket
        if ( st.top() is matching open bracket )
            st.pop()
        else
            return false
    }
}

if ( st.empty() ) return true
else return false
```

TC: $O(n)$ SC: $O(n)$

Q Remove equal pair of consecutive

eg $a b c d d c \rightarrow a b c c$

$\rightarrow ab$

cx

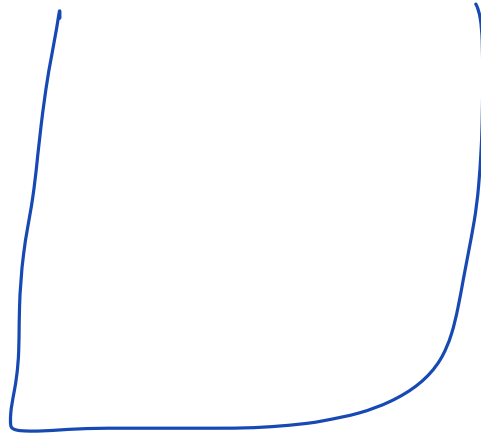
Idea \Rightarrow stack.

If $s[i] == st.top()$

$pop()$

else insert $s[i]$ into stack

$abbcbbcacx$



$ans = xc$

return $reverse(ans)$

Code

```
stack < char> st
for (i=0 ; i<n ; i++) {
    if (!st.empty() && st.top() == s[i])
        st.pop()
    else
        st.push(s[i])
}

string ans = ""
while (!st.empty()) {
    ans += st.top()
    st.pop()
}

return reverse(ans)
```

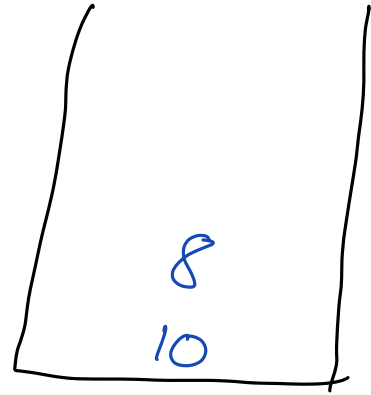
TC, SC: $O(n)$

x y
② + ③
2, 3, +

(infix) x y
(postfix) x y +

Q Post fix eval

3, 7, +, 2, 4, *, -

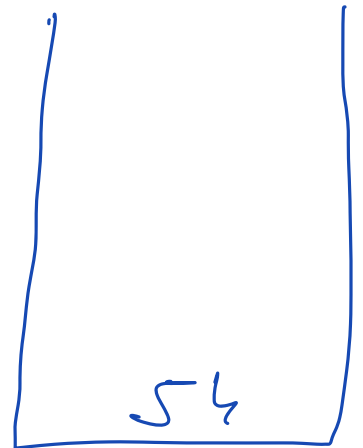


- If number, put in stack
- If operator get top 2 from stack
do \Rightarrow second top Op top
insert back result

eg \Rightarrow 3 7 5 8 4 / + * 2 + +

Code

```
for (i=0; i<n; i++) {  
    if (s[i] is num) {  
        st.push(s[i])  
    }  
    else {  
        y = st.top()  
        st.pop()
```



$x = st.top()$
 $st.pop()$

$z = x \text{ op } y$
 $st.push(z)$

if-else

}
}

return $st.top()$

TC: } $O(n)$
SC: }

{done}

3 5 + 2 - 2 5 * -

10
6

