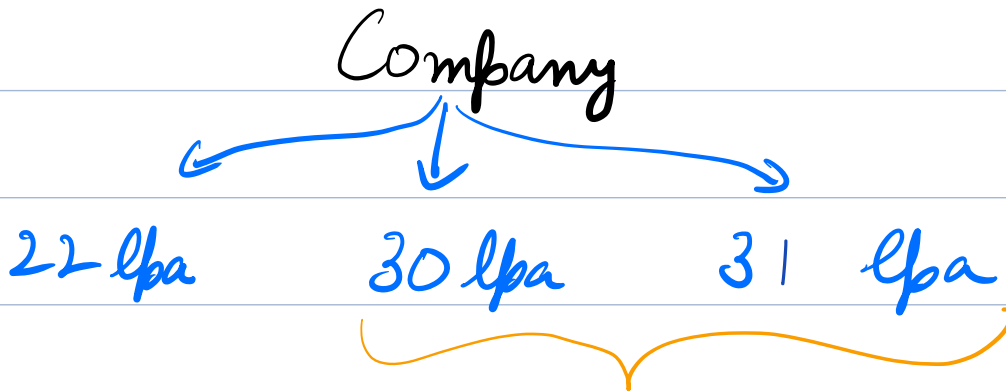


What is greedy?

phone → Amazon (32k)
→ paytm (28k)
→ flipkart (30k)


} greedy



other factors come into play
→ not greedy

{done}

● Job Scheduling

N jobs/tasks  reward
deadline

Any job takes one day

Cant do 2 jobs at the same day

Eg -

Task	deadline	reward
A	3	100
B	1	19
C	2	22
D	1	25
E	3	30

1 2
3 1500 \Rightarrow 1503

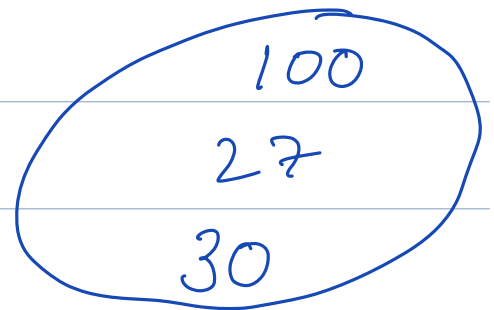
Greedy → First sort by deadline

deadline	1	1	2	3	3
reward	19	25	27	30	100

↑↑

day = 4

day	1	2	3
task	100	27	30

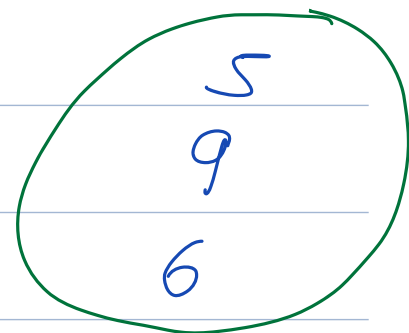


dead	1	2	3	3	3
rew	5	1	6	3	9

↑↑

day = ~~1~~ ~~2~~ ~~3~~ 4

$$\text{final} = 5 + 6 + 9 = 20$$



min heap

1	1	1	2	2	2	3	3	3
5	2	7	6	4	9	6	3	9

day 1 → 7



Code

1) sort acc to deadline

day = 1

minheap h

for (i=0; i<n; i++) {

if (deadline[i] > day) {

heap.insert(reward[i])

day++

}

else {

if (rew[i] > h.root()) {

h.removeMin()

h.insert(rew[i])

}

}

}

return sum of heap

TC: $N \log N$

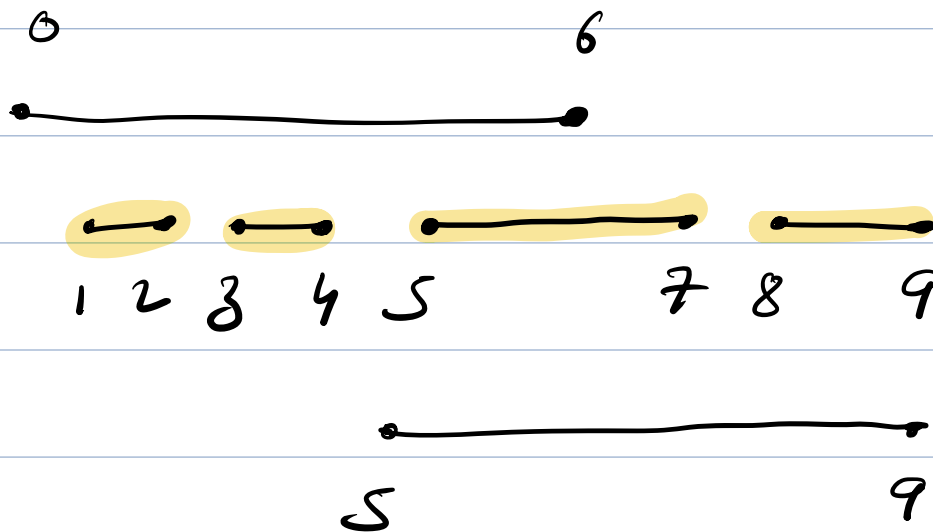
SC: N

Q Activity selection problem.

N activities

start / end

	a_1	a_2	a_3	a_4	a_5	a_6
start	1	3	0	8	5	5
end	2	4	6	9	7	9



Sort acc to end time

1	3	0	5	5	8
2	4	6	7	9	9

ans = 4

time = ~~2~~ ~~4~~ ~~7~~ 9

Code

1) Sort acc to end time

2) $ans = 1$ $end = ending[0]$

for ($i=1$; $i < n$; $i++$) {

 if ($start[i] > end$) {

$ans++$

$end = ending[i]$

 }

else

 continue

}

return ans

1	5	8	7	13	12
2	10	10	11	19	20

TC : $O(n \log n)$

SC : $O(1)$

Q2 Distribute Candy

N children \rightarrow ratings
Give candies to all
children

- 1) ≥ 1 to everyone
- 2) child with higher rating than neighbour should have more candies than neighbour

Minimize total no of candies

A: [8 10 6 2]

\Rightarrow L: 1 2 1 1

R: 1 3 2 1

fin 1 3 2 1 tot = 7

1 6 3 1 10 12 20 5 2

L[] 1 2 1 1 2 3 4 1 1

R[] 1 3 2 1 1 1 3 2 1

fin 1 3 2 1 2 3 4 2 1

ans = 19

Code

```
int candies ( int A[], int N) {
```

```
    int L[n]
```

```
    int R[n]
```

```
    L[0] = 1
```

```
    for (i = 1; i < n; i++) {
```

```
        if (a[i] > a[i-1])
```

```
            L[i] = L[i-1] + 1
```

```
        else
```

```
            L[i] = 1
```

```
    }
```

$R[n-1] = 1$

for ($i = n-2$; $i \geq 0$; $i--$) {

if ($a[i] > a[i+1]$)

$R[i] = R[i+1] + 1$

else

$R[i] = 1$

}

candies = 0

for ($i = 0$; $i < n$; $i++$) {

candies += $\max(L[i], R[i])$

}

return candies

TC : $O(n)$

SC :