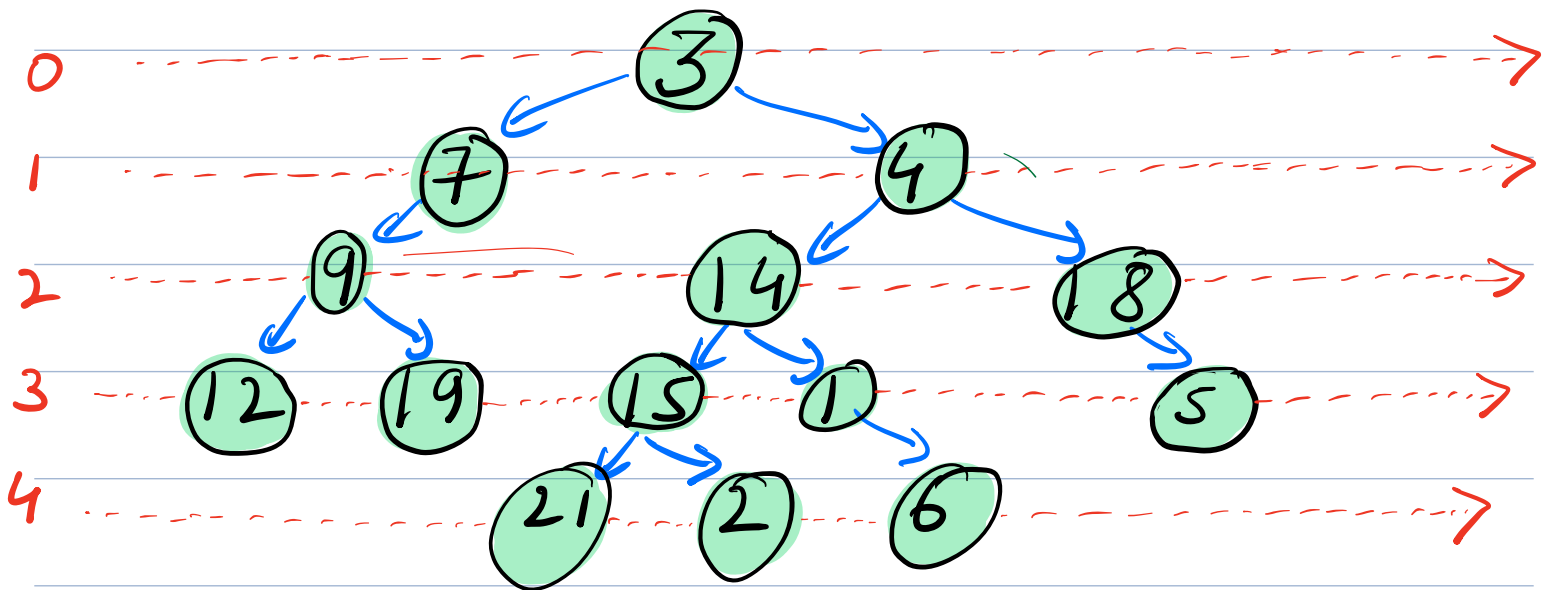


Level Order Traversal (left to right)



3 7 4 9 14 18 12 19 15, 1 5
21 2 6

queue

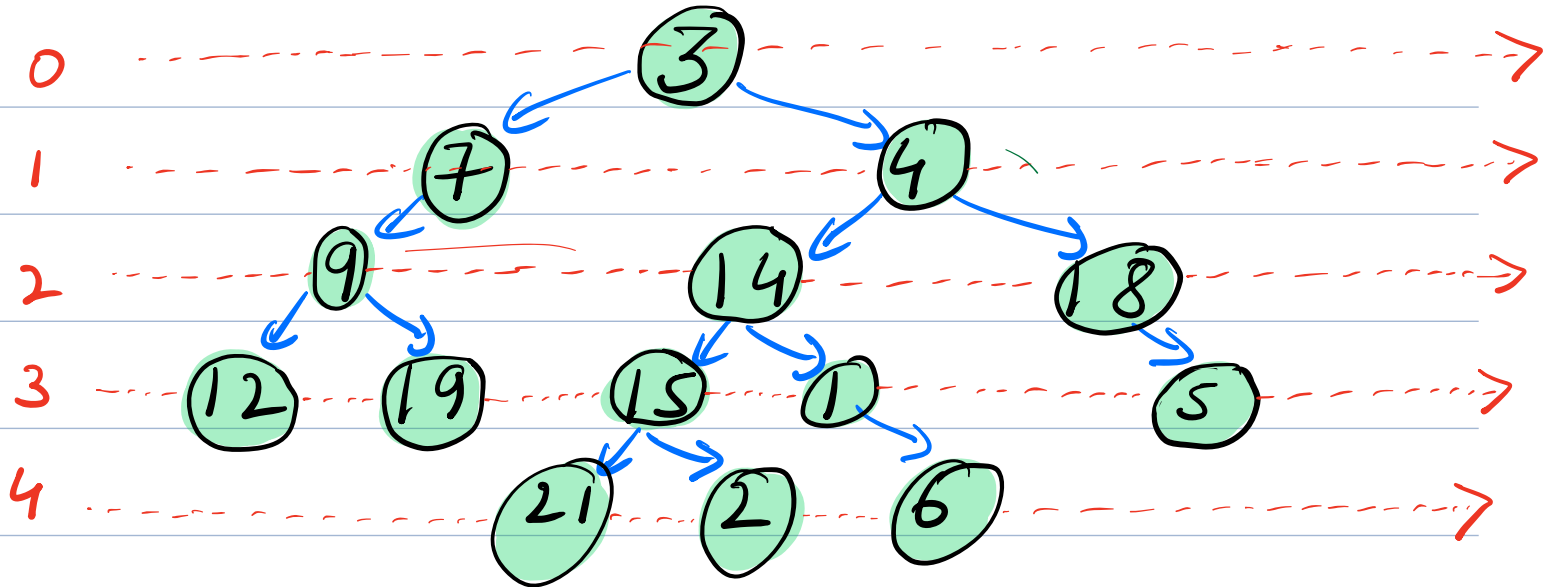
3 7 4 9 14 18 12 19 15
1 5 21 2 6

Code

```
void levelOrder ( root ) {  
    queue < TreeNode > q;  
    q.enqueue ( root )  
    while ( ! q.empty () ) {  
        x = q.front ()  
        print ( x.data )  
        q.dequeue ()  
        if ( x.left != null )  
            q.enqueue ( x.left )  
        if ( x.right != null )  
            q.enqueue ( x.right )  
    }  
}
```

TC: $O(n)$

SC: $O(n)$



3

7 4

9 14 18

12 19 15 1 5

21 2 6

queue

3

7 4

9 14 18

12 19 15 1 5

21 2 6

```
void levelOrder ( root ) {
```

```
    queue < TreeNode > q;
```

```
    q.enqueue ( root ) , q.enqueue ( null )
```

```
    while ( ! q.empty() ) {
```

```
        x = q.front()
```

```
        if ( x == null && q.size == 1 )  
            break
```

```
        if ( x == null )
```

```
            1) goto new line    2) remove this null
```

```
            3) insert null at end 4) continue
```

```
        print ( x.data )
```

```
        q.dequeue()
```

```
        if ( x.left != null )
```

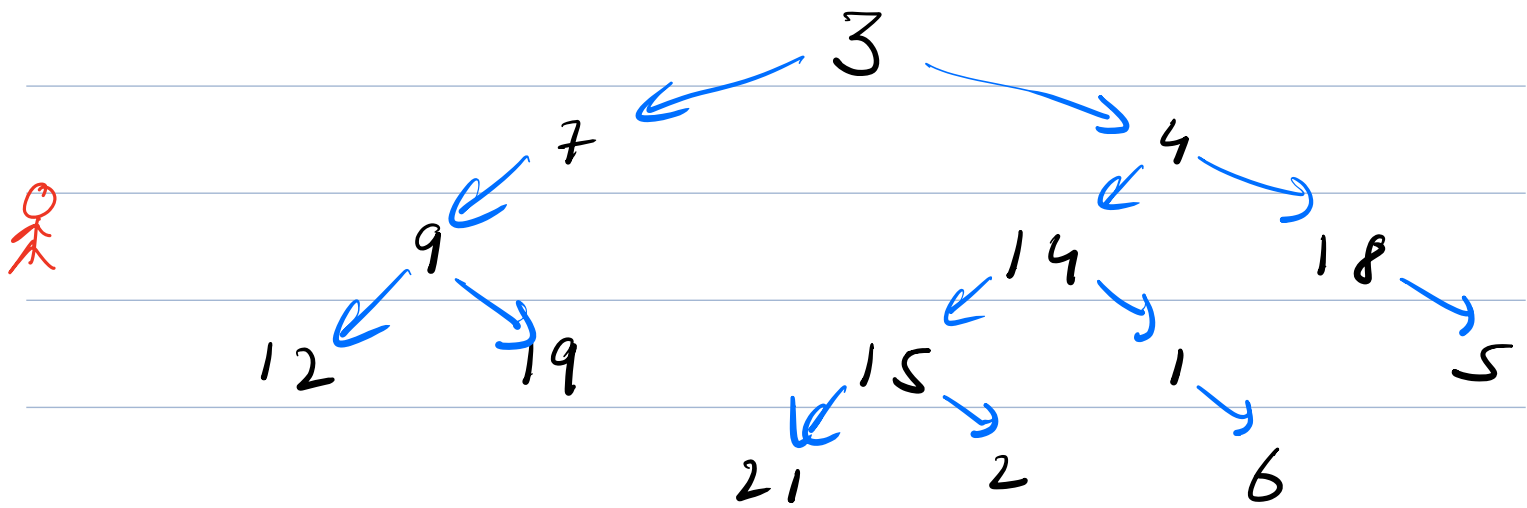
```
            q.enqueue ( x.left )
```

```
        if ( x.right != null )
```

```
            q.enqueue ( x.right )
```

```
    }
```

```
    cout << " \n "
```

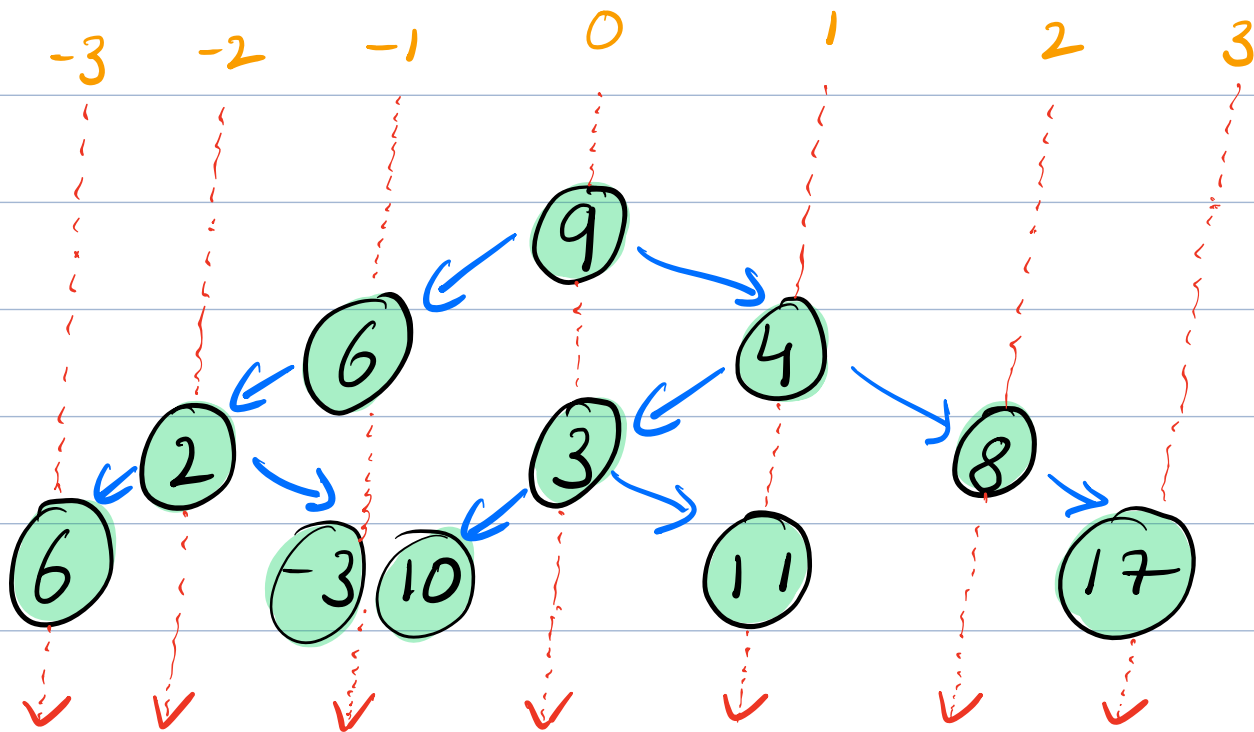


Left view: first node of each level
Right view: last node of each level.
OR first node going right to left.

L V: 3 7 9 12 21

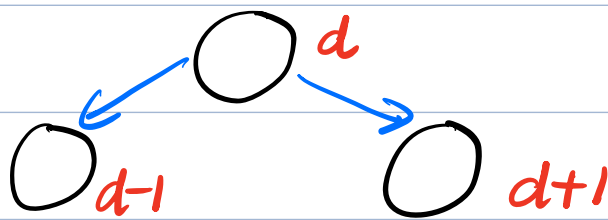
R V: 3 4 18 5 6

Vertical order traversal



top to bottom.

⇒



left $\Rightarrow -1$
right $\Rightarrow +1$

How:

Hashmap:

-1

0

1

line no \rightarrow list of nodes

Code

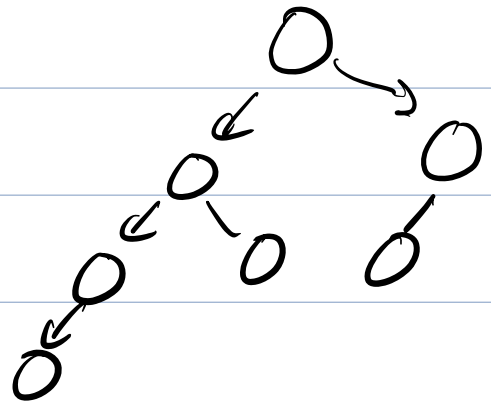
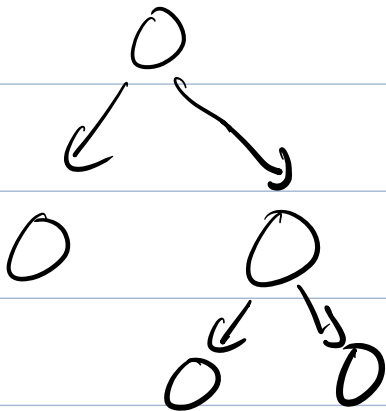
```
hashmap < int, list < Node > > hm
queue < pair < Node, int > > q
q.enqueue ( & root, 0 )
while ( ! q.empty() ) {
    pair < Node, int > p = q.front()
    q.pop()
    int d = p.second, Node node = p.first
    hm[d].insert(node) // do null-check
    q.enqueue ( & left_child, d-1 )
    q.enqueue ( & right_child, d+1 )
}
```

TC: } $O(n)$
SC: }

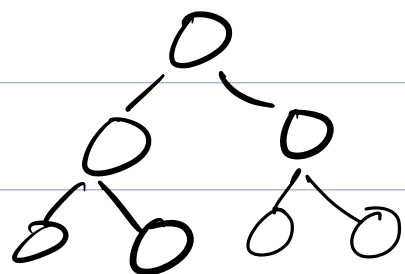
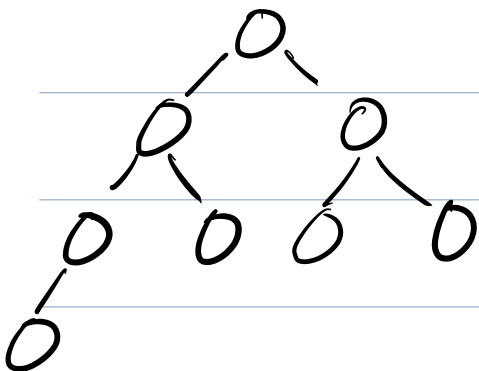
Top view \Rightarrow First node of each list

Types of binary tree

- Proper binary tree: either 0 or 2 children
- Complete binary tree: each level completely filled except maybe last
Exception: Last level. should be filled
 $L \rightarrow R$
- Perfect binary tree: every level completely filled

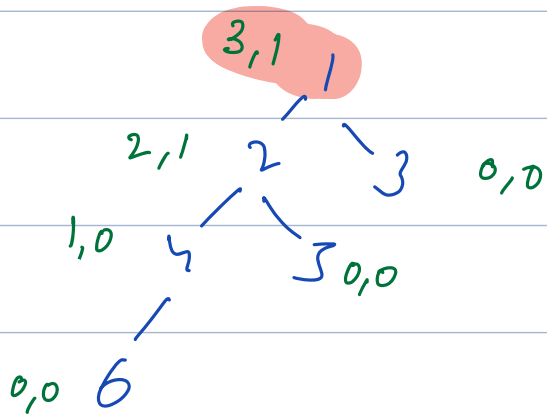


⇒ every perfect tree is proper & complete

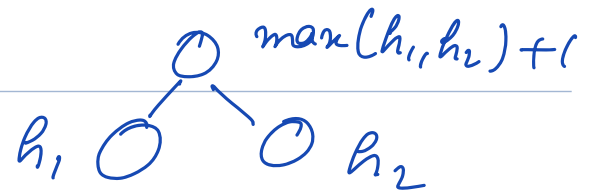


Q check if balanced tree

for all nodes $|\text{height}(\text{left_child}) - \text{height}(\text{right_child})| \leq 1$



= false (not balanced)



Idea \Rightarrow for each node check if
 $|\text{height}(\text{left_child}) - \text{height}(\text{right_child})| \leq 1$

Code

bool ans

int height (node) \Leftarrow

if (node == null) return 0

l = height (node . left)

r = height (node . right)

if (abs (l - r) > 1) ans = false

return max (l , r) + 1

}

bool checkTreeBalanced (TreeNode root) {

ans = true

height (root)

return ans

}