Nikita is making a graph as a birthday gift for her boyfriend, a fellow programmer! She drew an undirected connected graph with $N$ nodes numbered from $1$ to $N$ in her notebook.

Each node is shaded in either *white* or *black*. We define $n_W$ to be the number of white nodes, and $n_B$ to be the number of black nodes. The graph is drawn in such a way that:

- No $2$ adjacent nodes have same coloring.
- The value of $|n_W - n_B|$, which we'll call $D$, is minimal.

Nikita's mischievous little brother erased some of the edges and all of the coloring from her graph! As a result, the graph is now decomposed into one or more components. Because you're her best friend, you've decided to help her reconstruct the graph by adding $K$ edges such that the aforementioned graph properties hold true.

Given the decomposed graph, construct and shade a valid connected graph such that the difference $|n_W - n_B|$ between its shaded nodes is minimal.

**Input Format**

The first line contains $2$ space-separated integers, $N$ (the number of nodes in the original graph) and $M$ (the number of edges in the decomposed graph), respectively.
The $M$ subsequent lines each contain $2$ space-separated integers, $u$ and $v$, describing a bidirectional edge between nodes $u$ and $v$ in the decomposed graph.

**Constraints**

- $1 \leq N \leq 2 \times 10^5$
- $0 \leq M \leq min(5 \times 10^5, \frac{N \times (N-1)}{2})$
- It is guaranteed that every edge will be between $2$ distinct nodes, and there will never be more than $1$ edge between any $2$ nodes.
- Your answer *must* meet the following criteria:
  - The graph is connected and no $2$ adjacent nodes have the same coloring.
  - The value of $|n_B - n_W|$ is minimal.
  - $K \leq 2 \times 10^5$

**Output Format**

You must have $K + 1$ lines of output. The first line contains $2$ space-separated integers: $D$ (the minimum possible value of $|n_B - n_W|$) and $K$ (the number of edges you've added to the graph), respectively.
Each of the $K$ subsequent lines contains $2$ space-separated integers, $u$ and $v$, describing a newly-added bidirectional edge in your final graph (i.e.: new edge $u \leftrightarrow v$).

You may print *any* $1$ of the possible reconstructions of Nikita's graph such that the value of $D$ in the reconstructed shaded graph is minimal.

**Sample Input 0**

```
 8 8
1 2
2 3
3 4
4 1
1 5
2 6
3 7
4 8
```

**Sample output 0**

```
0 0
```

**Sample Input 1**

```
 8 6
1 2
3 4
3 5
3 6
3 7
3 8
```

**Sample Output 1**

```
4 1
1 5
```

**Sample Input 2**

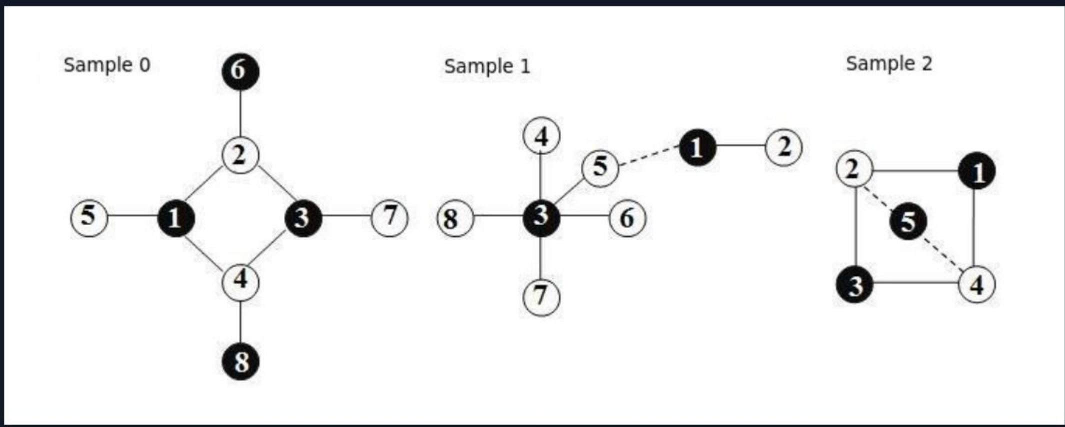
```
 5 4
1 2
2 3
3 4
4 1
```

**Sample Output 2**

```
  1 2
 2 5
 4 5
```

**Explanation**

In the figure below, the solid lines show the decomposed graph after Nikita's brother erased the edges, and the dotted lines show one possible correct answer:




In *Sample* $0$, no additional edges are added and $K = 0$. Because $n_W = 4$ and $n_B = 4$, we get $|n_W - n_B| = 0$. Thus, we print `0 0` on a new line (there is only $1$ line of output, as $K = 0$).

In *Sample* $1$, the only edge added is $(5, 1)$, so $K = 1$. Here, $n_W = 6$ and $n_B = 2$, so $|n_W - n_B| = 4$. Thus, we print `4 1` on the first line. Next, we must print $K$ lines describing each edge added; because $K = 1$, we print a single line describing the $2$ space-separated nodes connected by our new edge: `1 5`.

In *Sample* $2$, we can either add $1$ edge $(2, 5)$ or $(4, 5)$, or both of them. In both cases we get $n_W = 2$ and $n_B = 3$, so $|n_W - n_B| = 1$. Thus $D = 1$ and $K = 1$ or $2$ both are correct.