

2. Largest Area

Given a rectangle, add vertical and horizontal separators at various locations. Determine the area of the largest open space after each line is added. Return these values in an array.

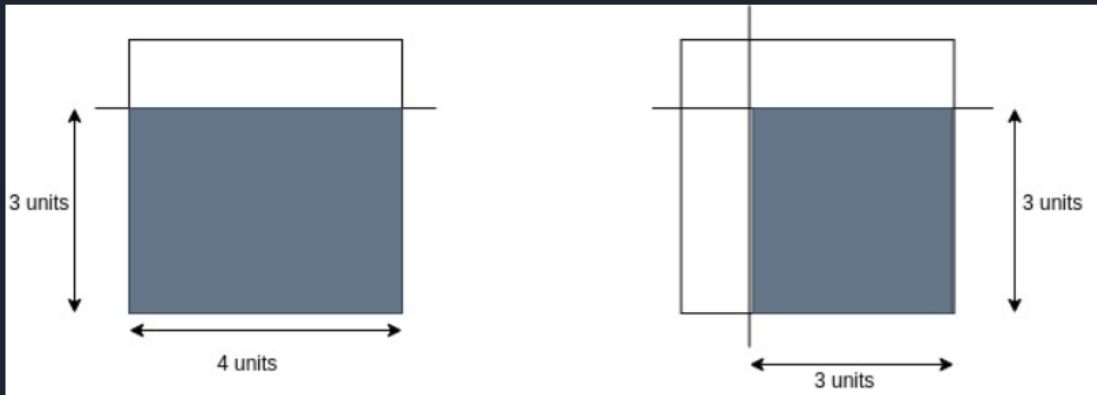
Example

$w = 4$

$h = 4$

$isVertical = [0, 1]$

$distance = [3, 1]$



The values in *isVertical* indicate whether a boundary is horizontal (*isVertical*[*i*] = 0) or vertical (*isVertical*[*i*] = 1),

The values in *distance* are the distances from the boundary at 0 in either direction. In the graphics above, that is from the bottom if the boundary is horizontal and from the left if is is vertical.

In the first graph, a horizontal line ($isVertical[0] = 0$) is created $distance[0] = 3$ units above the bottom. This creates two areas of $1 \times 4 = 4$ and $3 \times 4 = 12$ units each. The largest area is 12.

In the second graph, a vertical line ($isVertical[1] = 1$) is created at $distance[1] = 1$ unit from the left. There are now four areas, the largest of which is $3 \times 3 = 9$ units in size.

The return array is $[12, 9]$.

Note: The horizontal and vertical lines may not be distinct. Placing a new boundary at a previous boundary location does not change the graph.

Function Description

Complete the function `getMaxArea` in the editor below.

`getMaxArea` has the following parameters:

int w: the width of the rectangle

int h: the height of the rectangle

bool isVertical[n]: 0 denotes a horizontal boundary and 1 denotes a vertical boundary

int distance[n]: the distance to each boundary, either from the bottom or from the left of the rectangle

Returns:

int[n]: each element i is the size of the largest open area after adding boundary i

Constraints

- $2 \leq w, h \leq 10^5$
- $1 \leq n \leq 10^5$
- It is guaranteed that $isVertical[i]$ is either 0 or 1.
- $1 \leq distance[i] \leq w-1$ for a vertical boundary
- $1 \leq distance[i] \leq h-1$ for a horizontal boundary

▼ Input Format For Custom Testing

The first line contains an integer, w , the width of the rectangle.

The second line contains an integer, h , the height of the rectangle.

The third line contains an integer, n , the size of the $isVertical$ array.

Each line i of the n subsequent lines (where $1 \leq i \leq n$) contains either 0 or 1, corresponding to $isVertical[i]$.

The next line contains an integer, n , the size of the $distance$ array.

Each line i of the n subsequent lines (where $1 \leq i \leq n$) contains an integer, $distance[i]$.

▼ Sample Case 0

Sample Input For Custom Testing

STDIN		Function
-----		-----
2	→	w = 2
2	→	h = 2
2	→	isVertical[] size n = 2
0	→	isVertical = [0, 1]
1		
2	→	distance[] size n = 2
1	→	distance = [1, 1]
1		

Sample Output

```
2
1
```

Explanation

The rectangle is 2×2 units size.

The first boundary is horizontal at distance 1 from the bottom. It creates 2 smaller rectangles with areas of $2 \times 1 = 2$ units each.

▼ Sample Case 1

Sample Input For Custom Testing

STDIN		Function
-----		-----
4	→	w = 4
3	→	h = 3
2	→	isVertical[] size n = 2
1	→	isVertical = [1, 1]
1		
2	→	distance[] size n = 2
1	→	distance = [1, 3]
3		

Sample Output

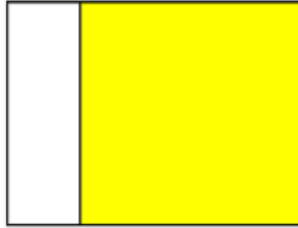
```
9
6
```

Explanation

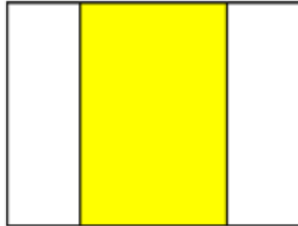
The rectangle is 4×3 units size.

first boundary is a vertical boundary made at a distance of 1 unit from the left. This creates 2 smaller rectangles of $1 \times 3 = 3$ units and $3 \times 3 = 9$ units.

The second boundary is vertical at position 3 from the left. This leaves 3 smaller rectangles, 2 with areas $1 \times 3 = 3$ units and 1 with an area of $2 \times 3 = 6$ units.



Max area: $3 \times 3 = 9$



Max area: $2 \times 3 = 6$