

COE Tutorial-2

Ques-1 (b) Scarcity

Ques-2 (c) make choices to cope with scarcity

Ques-3 (b) both the poor and the rich

Ques-4 (a) both money and time

Ques-5 (b) an opportunity cost

Ques-6 (d) opportunity cost.

Ques-7 \$10,000

① Shares \rightarrow 7%

② FD \rightarrow 8%

③ Loan \rightarrow 9.1% ✓

next best alternative \rightarrow best return \rightarrow opportunity cost

(a) the highest-valued alternatives forgone

Ques-8 (a) the highest valued alternative you give up to get it.

Ques-9 Non-monetary example

Ques-10 (a) \$750

Ques-11 (b) any decision regarding the use of a resource involves a costly choice

Ques-12 (a) opportunity cost

Ques-13 Total workers = 10

10 \rightarrow 110 units 1 unit \rightarrow 5

11 \rightarrow 114 units

next unit value

11 workers Marginal benefit = ₹ 20
to pay

(e) Marginal benefit

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Ques-16 Total revenue = £15,00,000
expense = £ 5,00,000

$$(a) \text{ accounting profit} = 10,00000$$

$$(b) \text{ opp. cost} = 12,00000$$

$$EL = -200000$$

Ques-17 left out
opportunity cost = 60,000

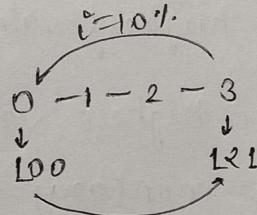
$$\begin{array}{r} 14,00000 \\ \hline 1460000 \\ \hline \end{array}$$

$$AIP = 1200000 \quad 10,00000$$

Time Value of Money

$$FV = PV(1+i)^n \rightarrow \text{Compound}$$

Lumpsum $PV = \frac{FV}{(1+i)^n} \rightarrow \text{Discount}$



① Lumpsum \rightarrow Single Amount

② Annuity \rightarrow Series \rightarrow Ex- EMI

$n = \text{no. of duration}$

• Present Value of Ordinary Annuity $\rightarrow P = A \left[\frac{1}{i} - \frac{1}{(1+i)^n} \right]$

• Future Value of Ordinary Annuity $\rightarrow FVA = A \left[\frac{(1+i)^n - 1}{i} \right]$

Conditions :-

- ≥ 2 (receipt/payment)
- Amount same
- Time difference same

$FV \rightarrow PV$

$PV \rightarrow FV$

Ex:- Now

$$\begin{matrix} 0 & 1 & 2 & 3 \\ 100 & 100 & 200 & 200 \end{matrix} \quad = \frac{100}{(1+10)^2} + \frac{200}{(1+10)^3}$$

$$i = 10\%$$

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Ques-4

$$0-1-2-3-4-5 \\ \downarrow \quad \downarrow \\ 10000 \quad 15000 \\ i = 7\%$$

$$= \frac{10000}{(1+0.07)^2} + \frac{15000}{(1+0.07)^5}$$

$$= \frac{10000}{(1.07)^2} + \frac{15000}{(1.07)^5}$$

$$= \frac{10000}{1.1449} + \frac{15000}{1.4029}$$

$$= 8734.387 +$$

$$= 8741 + 10699 = 19440$$

$$\boxed{PV = 19440}$$

$$\boxed{23460}$$

0-1-2-3-4-5-6-...-9-10-11-12-...-25
 Now $\uparrow \downarrow$
 $3K \dots \dots \dots 3K$

$$i = 10\%$$

$$PVA = 3000 \left[\frac{1}{0.10} - \frac{1}{0.10(1+0.10)^{16}} \right]$$

$$PVA = 3000 \left[\frac{1}{0.10} - \frac{1}{0.10 \times 4.60} \right]$$

$$PVA = 3000 \left[10 - 2.173 \right]$$

$$= 3000 \times 7.82$$

$$\boxed{PVA = 23460}$$

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Ques-11 (a) Counting the same income twice in different categories

Ques-12 (a) Real GDP per person

Ques-16 (d)

Ques-13 (d) Employment National income

Ques-17 (B) ↑ in real rate
of interest

Ques-14 (c) Both

- ↑ bank rate
- ↑ CRR

Ques-18 (b)

Ques-19 (a)

Ques-15 All or any of the above three Ques-20 (b)

- Sell bonds
- Increase CRR
- Hike bank rate

Demand Functions

- Simple demand functions

$$Q_D = f(P)$$

$$Q_d = a - bP$$

- Complex demand functions

$$Q_D^x = f(P_x, P_y, Y, T, E, P_r)$$

- Price of Related Goods

$$Q_d = a - bP + cY + dP_3 - eP_c$$

Ques-4

Q	MU of pizza	Total Marginal Marginal per Super price different	
		MURe	MURe
1	9000	45	5000
2	8000	30	4000
3	7000	35	3000
4	6000	30	2000
5	5000	25	1500
6	4000	20	1000

Resource \rightarrow 1100

• Burger + Pizza + Pizza + Burger
 100 200 200 100

• Pizza + Burger + Pizza
 200 100 200

\rightarrow 4 unit of pizza
 3 unit of Burger

Ques-5 (A) Resource \rightarrow 300

Race = 50 Re/unit, Musical = 100 Re/unit

No. of races	TU	MU	MURe	No. of Musical	TU	MU	MURe
1	1000	1000	20	1	1000	1000	10
2	1800	800	16	2	1800	800	8
3	2500	700	14	3	2500	700	7
4	3000	500	10	4	3000	500	5
5	3200	200	4	5	3200	200	2

1. Race 50 4 unit of races
 2. Race 50 1 unit of musical

3. Race 50
 4. Musical 100
 5. Race 50
 6. $\frac{300}{300}$

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(B)

Rs 200/unit → musical

MU1200

5

4

3.5

2.5

1

Races → 50

Races → 50

Races → 50

Races → 50

~~Mus~~ Total 250

COE Tutorial-03

Ques-1 Legal Practice

$$\begin{array}{r} \text{Total Revenue} = 2,00,000 \\ \text{Total Expenses} = \begin{array}{r} 50,000 \\ 35,000 \\ \hline 85,000 \end{array} \end{array}$$

$$\begin{array}{r} \text{Opp. cost Salary} = 1,25,000 \\ \text{Accounting profit} = 1,15,000 \end{array} \quad \left. \begin{array}{l} \text{Economic loss} \\ = -10,000 \end{array} \right\}$$

Ques-2 Fruit stand

$$\begin{array}{r} \text{Total Revenue} = 5,000 \\ \text{Total Expense} = \begin{array}{r} 2000 (\text{fruit cost}) \\ 800 (\text{labour}) \\ 1000 (\text{Lease}) \\ \hline 3800 \end{array} \end{array}$$

(a) Accounting profit = \$12,00

(b) T-shirt stand TR = 1,000
(Opp. cost)

$$EP = 200$$

(c) \$250

$$TR = 1000 + 250 = 1250 \quad (\text{Non-monetary in nature})$$

Ques-3 Total Revenue = 10,000

Total Expense = 6,000

Accounting profit = 4000

Opp. cost

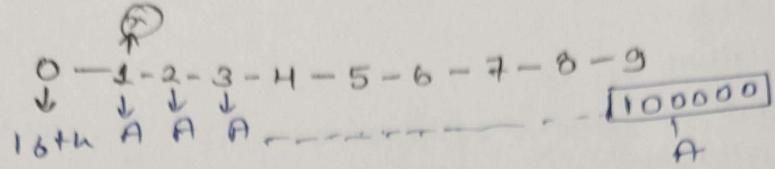
$$\begin{array}{r} \text{Rent} - 1000 \\ \text{Salary} = 2500 \\ \hline \end{array} \quad \begin{array}{r} \text{Interest} - 1000 \\ \hline \end{array} \quad \boxed{EL = -500}$$

$$\begin{array}{r} \\ \\ \hline 4500 \end{array}$$

$$\frac{= 23440}{(1+0.10)^3}$$

$$= 9953$$

Ques-6



$$FV_A = A \left[\frac{(1 + 0.08)^9 - 1}{0.08} \right]^A$$

$$100000 = A [12.487]$$

$$A = 8007$$

$$FV = PV (1+i)^n$$

$$100000 = PV (1 + 0.08)^8$$

$$100000 = PV (1.08)^8$$

$$100000 = PV (1.850)$$

$$PV = \frac{100000}{1.850}$$

$$\boxed{PV = 54540}$$

TABLE 1.3	
P	T T F F
conn.	T F T F
Five Basic Logical Connectives	Read as
conn.	p above.
	p and q
	p or q
	(or both)
	~p or q

Inflation :- Rate of inflation $t = \frac{P_t - P_{t-1}}{P_{t-1}} \times 100$

- Sustained ↑

Types of inflation

- Deflation
- Creeping Inflation
- Walking Inflation
- Galloping Inflation
- Hyper Inflation
- Demand pull Inflation
- Cost Push Inflation
- Stagflation

P_t
M → Supply of
M
P

ely. The
proposition
prove
never
a suffi-
from.
only
en.
5. → Money Supply - Demand Pull Theory

- Depreciation in exchange rate.

→ Business Outlays - Cost-Push Theory

- Rising labour costs.
- Higher indirect taxes imposed by govt.

13/08/25

Tutorial-04

Ques-1
(b) A hair dresser doing hair cut designing on payment.

Ques-2 (a) 8%

Ques-3 (b)

Ques-4 (a) Real GDP

Ques-5 Monetary policy → Supply of Money
(RBI)

(d) contract the supply of money

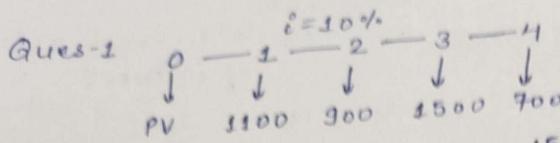
Ques-6 (a) increase, increase

Excess	Deficit
Inflation	Recession

Ques-9 (c) Net foreign income from abroad.

Ques-10 (d) Reduce spending & ↑ taxat

20/6/25



$$= \frac{1100}{(1+0.10)^1} + \frac{900}{(1+0.10)^2} + \frac{1500}{(1+0.10)^3} + \frac{700}{(1+0.10)^4}$$

$$= \frac{1100}{1.10} + \frac{900}{1.21} + \frac{1500}{1.331} + \frac{700}{1.4641}$$

$$= 1000 + 743.80 + 1125.56 + 178.34 = 3347.70$$

Ques-2 (A) \rightarrow EMI \downarrow
 $i = 4\% \text{ p.a.}$

$$PVA = A \left[\frac{\frac{1}{i}}{1 - \frac{1}{(1+i)^n}} \right] \Rightarrow 50,000 = A \left[\frac{1}{0.04} - \frac{1}{0.04(1+0.04)^{25}} \right]$$

$$50,000 = A \left[\frac{1}{0.04} - \frac{1}{0.106} \right] \Rightarrow 50,000 = A [25 - 9.433]$$

$$\frac{50,000}{15.567} = A$$

$A = 3211.922$
$A \approx 3211$

(B) Quarterly

$$1 \text{ year} = 4 \text{ quarters} \quad i = 1\% \quad n = 100$$

$$i = i/4 \quad n = n \times 4$$

$$50,000 = A \left[\frac{1}{0.01} - \frac{1}{0.01(1+0.01)^{100}} \right]$$

six monthly

$$i = i/2 \quad n = n \times 2$$

$$50,000 = A \left[\frac{100}{2} - \frac{1}{0.027} \right]$$

Monthly

$$i = i/12 \quad n = n \times 12$$

$$50,000 = A [100 - 37.037]$$

$$50,000 = A \times 62.963$$

$$A = 793$$

$\frac{25 \times 12}{300} = \frac{300}{12}$

Ques-3

1 month $n = 60$

$$0-1-2-3-4-5 \dots 59.60$$

Monthly $i = 8\% \text{ p.a.}$

$$\text{Monthly } \frac{8}{12} = 0.06$$

$$\frac{12}{100}$$

$$FVA = 5000 \left[\frac{(1+0.006)^{60}-1}{0.006} \right]$$

$$= 5000 \left[\frac{(1.006)^{60}-1}{0.006} \right]$$

$$= 5000 (1.43178-1)$$

$$\frac{FVA \approx 3,673841}{0.006}$$

COE Tut - 6

①

$$\text{Ques-(A)} Q_x = 10 - 5P_x + 0.001I + 10P_H$$

$$Q = 50 - 20P$$

(B)

$$Q_x = 10 - 5(2) + 0.001(20,000) + 10(2.50)$$

$$Q_x = 10 - 10 + 20 + 25$$

$$Q_x = 45$$

(C)

$$Q_x = 10 - 10 + 0.001(30,000) + 10(2.50)$$

$$= 30 + 25$$

$$Q_x = 55 \text{ gallons}$$

• sign

• magnitude $\rightarrow 5$

• inversely proportional

$$Q \propto \frac{1}{P}$$

absolute value associate
value with P_H

• P_H me change hoga
Tut Q_x isme aur
jyada hoga

• $I \equiv \text{Income}$

$$Q \propto I$$

{ Substitute }
{ complementary }

$$+ \rightarrow P_H \uparrow Q_x \uparrow$$

• Price ke increase
hone par demand
decrease hota hai

• In case of
substitute
price \uparrow demand \uparrow

Ques-2

$$Q = 50 - 20P \rightarrow \text{Demand eqn}$$

$$P = \quad \rightarrow \text{Inverse} \rightarrow -$$

$$(A) \quad Q = 2.02P + 0.03A - 0.04AC$$

$$+ 0.06PC + 0.001(20,000)$$

$$Q = 2.02P + 0.03(50) - 0.04$$

$$(100) + 0.06 \times 5 + 0.001(20,000)$$

$$Q = 2.02P + 1.5 - 4 + 0.3 + 0.001 \times (20,000)$$

$$\boxed{Q = 2.02P + 17.8} \rightarrow \text{Demand eqn}$$

$$2.02P = 17.8 - Q$$

$$\boxed{P = \frac{17.8 - Q}{2.02}} \rightarrow \text{Inverse Demand eqn}$$

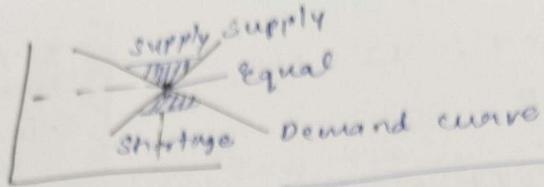
(B)

$$10 = 17.8 - Q \Rightarrow 20.2 = 17.8 - Q$$

$$2.02$$

$$2.04 = -Q$$

Ques-3



$$Q_d = Q_s$$

$$\begin{aligned} 25 - 3P &= 10 + 2P \\ 15 &= 5P \\ \boxed{P = 3} \end{aligned}$$

$$\begin{aligned} Q_d &= 25 - 3 \times 3 \\ &= 25 - 9 \\ &= 16 \end{aligned}$$

Ques-4 (a) $Q_d = 100 - 3P$
 $Q_s = 2P - 20$

$$100 - 3P = 2P - 20$$

$$100 + 20 = 2P + 3P$$

$$120 = 5P$$

$$\frac{120}{5} = P$$

$$\boxed{P = 24}$$

$$Q_d = 2 \times 24 - 20$$

$$Q_d = 48 - 20 = 28$$

$$\boxed{Q_d = 28}$$

(b) Now $P = 20$

$$Q_d = 100 - 3P$$

$$\boxed{Q_d = 40}$$

$$Q_d = 100 - 3 \times 20$$

$$Q_d = 100 - 60 = 40$$

$$Q_s = 2 \times 20 - 20$$

$$Q_s = 40 - 20$$

$$\boxed{Q_s = 20}$$

Shortage $\rightarrow 20$ units

Ques-5

$$\begin{aligned} Q_d &= 500 - 100P + 50I + 20Pr + \\ &30A \end{aligned}$$

$$Q_s = 1350 + 450P$$

(A) Substitutes (+ sign)
(B) $500 - 100P + 50I + 20Pr + 30A = 1350 + 450P$

$$500 - 100P + 10,000 + 1600 +$$

$$30,000 = 1350 + 450P$$

$$15100 - 100P = 1350 + 450P$$

$$13750 = 450 + 100P$$

$$13750 = 550P$$

$$\boxed{P = 25}$$

$$Q_s = 1350 + 450 \times 25$$

$$\boxed{Q_s = 12600}$$

(c) $Q_d = 500 - 100P + 50 \times (25) + 20(80) + 30(100)$

$$Q_d = 17850 - 100P$$