STUDENTS(StId, StName, Major, Age)

AUTHORS(AName, Address)

Borrows(DocId, StId, Date)

has-written(DocId, AName)

describes(DocId, Keyword)

1. List all books published by McGraw-Hill before 1990.

$$\sigma_{publisher='McGraw-Hill' \land Year < 1990}(BOOKS)$$

STUDENTS(StId, StName, Major, Age)

AUTHORS(AName, Address)

Borrows(DocId, StId, Date)

has-written(DocId, AName)

describes(DocId, Keyword)

2. List the name of students who are older than 30 and who are not studying CS.

$$\pi_{StName}(\sigma_{Age>30 \land Major\neq CS}(STUDENTS))$$

STUDENTS(StId, StName, Major, Age)

AUTHORS(AName, Address)

Borrows(DocId, StId, Date)

has-written(DocId, AName)

describes(DocId, Keyword)

2. List the name of students who are older than 30 and who are not studying CS.

$$\pi_{StName}(\sigma_{Age>30}(STUDENTS)) \\ -\pi_{StName}(\sigma_{Major='CS'}(STUDENTS))$$

Which one is more efficient?

$$\pi_{StName}(\sigma_{Age>30 \land Major\neq CS}(STUDENTS))$$

$$\pi_{StName}(\sigma_{Age>30}(STUDENTS))$$

$$-\pi_{StName}(\sigma_{Major='CS'}(STUDENTS))$$

First one is more efficient, because it only requires one pass through the data and the filtering process is much faster.

STUDENTS(StId, StName, Major, Age)

AUTHORS(AName, Address)

Borrows(DocId, StId, Date)

has-written(DocId, AName)

describes(DocId, Keyword)

3. List the names of all students who have borrowed a book and who are CS majors.

$$\pi_{StName}(\sigma_{STUDENTS.StId=Borrows.StId}(\sigma_{Major='cs'}(STUDENTS) \times Borrows))$$

```
\pi_{StName}(\sigma_{STUDENTS.StId=Borrows.StId}(\sigma_{Major='CS'}(STUDENTS) \times Borrows))
```

 $\pi_{StName}(\sigma_{Major='CS'}(STUDENTS) \bowtie_{STUDENTS.StId=Borrows.StId} Borrows)$

Any other way?!

```
\pi_{StName}(\sigma_{STUDENTS.StId=Borrows.StId}(\sigma_{Major='cs'}(STUDENTS) \times Borrows))
```

 $\pi_{StName}(\sigma_{Major='CS'}(STUDENTS) \bowtie_{STUDENTS.StId=Borrows.StId} Borrows)$

 $\pi_{StName}(\sigma_{STUDENTS.StId=Borrows.StId}(\sigma_{Major='cS'}(STUDENTS)) \cap Borrows)$

Which one is the best?

$$\pi_{StName}(\sigma_{STUDENTS.StId=Borrows.StId}(\sigma_{Major='cs'}(STUDENTS) \times Borrows))$$

Very inefficient, unless the database is small.

$$\pi_{StName}(STUDENTS \bowtie_{STUDENTS.StId=Borrows.StId} Borrows)$$

Best when both tables are large.

$$\pi_{StName}(\sigma_{STUDENTS.StId=Borrows.StId}(\sigma_{Major='cS'}(STUDENTS)) \cap Borrows)$$

Best when one table is small.

STUDENTS(StId, StName, Major, Age)

AUTHORS(AName, Address)

Borrows(DocId, StId, Date)

has-written(DocId, AName)

describes(DocId, Keyword)

4. List the title of books written by the author 'Silberchatz'.

$$\pi_{Title}(A \bowtie_{BOOKS.DocId=has-written.DocId} B)$$

And other ways...

STUDENTS(StId, StName, Major, Age)

AUTHORS(AName, Address)

Borrows(DocId, StId, Date)

has-written(DocId, AName)

describes(DocId, Keyword)

5. List the title of books written by the author 'Silberchatz', but not books that have the keyword 'database'.

$$A \leftarrow \sigma_{AName='Silberchatz'}(has_written)$$

$$S1 \leftarrow A \bowtie_{BOOKS.DocId=has-written.DocId} B$$

$$B \leftarrow BOOKS$$

$$S2 \leftarrow C \bowtie_{BOOKS,DocId=describes,DocId} B$$

$$C \leftarrow \sigma_{Keyword='database'}(describes)$$

$$\pi_{Title}(S1-S2)$$

STUDENTS(StId, StName, Major, Age)

AUTHORS(AName, Address)

Borrows(DocId, StId, Date)

has-written(DocId, AName)

describes(DocId, Keyword)

6. Find the title of the oldest book.

$$\rho_{B1}(BOOKS)$$
 $\rho_{B2}(BOOKS)$

$$\pi_{Title}(BOOKS) - \pi_{B1.Title}(B1 \bowtie_{B1.year > B2.year} B2)$$

Suppliers(sid: integer, sname: string, address: string)

Parts(pid: integer, pname: string, color: string)

Catalog(sid: integer, pid: integer, cost: real)

1. Find the sids of supplier who supply some red or green part.

$$\pi_{sid}(\sigma_{color=red \lor color=green}(Parts)) \bowtie (Catalog)$$

Suppliers(sid: integer, sname: string, address: string)

Parts(pid: integer, pname: string, color: string)

Catalog(sid: integer, pid: integer, cost: real)

2. Find the pids of part supplied by at least two different suppliers.

$$\rho(R1,C)$$

$$\rho(R2,C)$$

$$R3 \leftarrow R1 \bowtie_{R1.pid=R2.pid \land R1.sid \neq R2.sid} R2$$

$$\pi_{R1.pid}(R3)$$