به نام <u>حدا</u> تمرینهای سری 1

Practice 1: Define a cell containing the names of 5 students. Then, using a loop, check which names have more than 5 letters and print them.

```
names = {'Ali', 'Fatemeh', 'Mohammad', 'Sara', 'Reza'};
```

Practice 2: Write a program that generates a random number between 1 and 100, then uses a while loop to try to guess the number. At each step, **display** the difference between the guessed number and the actual number.

Practice 3: Write a function called even avg that takes a numeric array as input and returns the average of the even numbers only.

```
A = [3, 6, 8, 5, 10, 13, 2];
```

Practice 4: Write a function called is_prime(n) that checks whether the input number n is a prime number or not. Then, write a script that prints all prime numbers between 1 and 100.

Practice 5: Suppose the grades of 6 students are given as [17, 15, 19, 12, 14, 20], and their names are stored as {'Ali', 'Sara', 'Reza', 'Mina', 'Hamed', 'Zahra'}. Draw a bar chart and use a special color (e.g., gold) for the grade 20.

Practice 6: The **hyperbolic function** is defined as follows:

$$y(x) = a \cdot \cosh\left(\frac{x}{a}\right)$$

where cosh is a hyperbolic function. For a = 1, plot the curve in the range [-5,5] and use a color of your choice for the plot.

Practice 7: Generate random three-dimensional data and create a 3D scatter plot. Then, color the data points with different colors based on one of the components.

<u>Practice 8:</u> Write a while loop that sums odd numbers and stops when the sum reaches or exceeds 1000. Then, display the number of odd numbers that have been summed.

Practice 9: The Fibonacci sequence is defined as follows:

$$F(0) = 0$$
, $F(1) = 1$, $F(n) = F(n-1) + F(n-2)$; for $n > 2$

Calculate the Fibonacci sequence up to n = 15 using a for loop and display it.

<u>Practice 10:</u> Merge Sort is a divide-and-conquer sorting algorithm that first divides the array into smaller sub-arrays and then recursively sorts these sub-arrays. Finally, it merges them together to form the final sorted array.

Write a function that sorts an array using the Merge Sort algorithm.

$$A = [38, 27, 43, 3, 9, 82, 10];$$

<u>Practice 11:</u> The **Newton-Raphson method** is an iterative root-finding algorithm that uses the function and its derivative to converge to a root. Starting from an initial guess x_0 , the method updates the estimate using the formula:

$$x_{n+1} = x_n - \frac{f(x_n)}{f(x_n)}$$

The iterations continue until a stopping condition is met, typically when the absolute value of the function becomes sufficiently small.

Solve the equation

$$f(x) = x^3 - 2x^2 + 4x - 8$$

using the Newton-Raphson method. Use an **initial approximation of 2** and a stopping condition of $f(x) < 10^{-6}$.

Practice 12: The **central difference method** is a numerical technique for approximating derivatives. It estimates the derivative of a function f(x) at a point x using values of the function slightly before and after the point:

$$f(x) \approx \frac{f(x+h) - f(x-h)}{2h},$$

This method is more accurate than forward or backward differences, with an error term proportional to h^2 .

Use the central difference formula with h = 0.01 to approximate the derivative of $f(x) = \ln(x)$

at x = 2, and compare the result with the exact value $\hat{f}(2) = \frac{1}{2}$. Compute the relative error.

<u>Practice 13:</u> Design a scenario in **MATLAB** for each of the following **types of errors** and provide **a solution** for fixing it:

- 1. Syntax Error
- 2. Runtime Error
- 3. Logical Error

Practice 14: Review the following codes and identify and fix all the errors present

```
% يالاترين نمره 

names = {'Ali', 'Sara', 'Reza', 'Mina', 'Hamed'};
grades = [17, 19, 14, 18];

total = 0;
maxGrade = 0;
for i = 1:length[names]
    total = total + grades(i);
    if grade(i) > maxGrade
        maxGrade = grade(i);
    topStudent = names(i);
```

```
end
end

avg = total / length(grades;
disp("Average grade is: " + avg);
disp("Top student is: " + topStudent + " with grade " + maxGrade);
```

```
% حل یک معادله عددی با استفاده از روش نیوتن-رافسون
f = @(x) x^3 - 2*x^2 + 4*x - 8;
df = @(x) 3*x^2 - 2*x + 4;

x0 = 2; % مقدار اولیه
tolerance = 1e-6;
maxIter = 50;
x = x0;

for i = 1:maxIter
    x = x - f(x) / df(x);
    if abs(f(x)) > tolerance
        break;
    end
end

disp('Root found: ');
disp(x);
```