

Exercice 3

Soient $A =]-\infty; 3]$, $B =]-2; 7[$ et $C =]-5; +\infty[$
trois parties de \mathbb{R} .

Déterminons $A \cap B$, $A \cup B$, $B \cap C$, $B \cup C$, \bar{A} , $A \setminus B$

$\bar{A} \cap \bar{B}$, $\overline{(A \cup B)}$, $(A \cap B) \cup (A \cap C)$ et $A \cap (B \cup C)$

- $A \cap B =]-\infty; 3] \cap]-2; 7[=]-2; 3]$
- $A \cup B =]-\infty; 3] \cup]-2; 7[=]-\infty; 7[$
- $B \cap C =]-2; 7[\cap]-5; +\infty[=]-2; 7[$
- $B \cup C =]-2; 7[\cup]-5; +\infty[=]-5; +\infty[$
- $\bar{A} = \overline{]-\infty; 3]} =]3; +\infty[$
- $A \setminus B =]-\infty; 3] \setminus]-2; 7[=]-\infty; -2]$
- $\bar{A} \cap \bar{B} = \overline{]-\infty; 3]} \cap \overline{]-2; 7[}$
 $=]3; +\infty[\cap (]-\infty; -2] \cup]7; +\infty[) =]3; +\infty[.$

- $\overline{(A \cup B)} = \overline{(-\infty; 7[)} = [7; +\infty[$

- $(A \cap B) \cup (A \cap C) =]-2; 3] \cup (]-\infty; 3] \cap]-5; +\infty[)$

$$(A \cap B) \cup (A \cap C) =]-2; 3] \cup]-5; 3]$$

$$(A \cap B) \cup (A \cap C) =]-5; 3]$$

- $A \cap (B \cup C) =]-\infty; 3] \cap (]-2; 7[\cup]-5; +\infty[)$

$$A \cap (B \cup C) =]-\infty; 3] \cap]-5; +\infty[$$

$$A \cap (B \cup C) =]-5; 3]$$