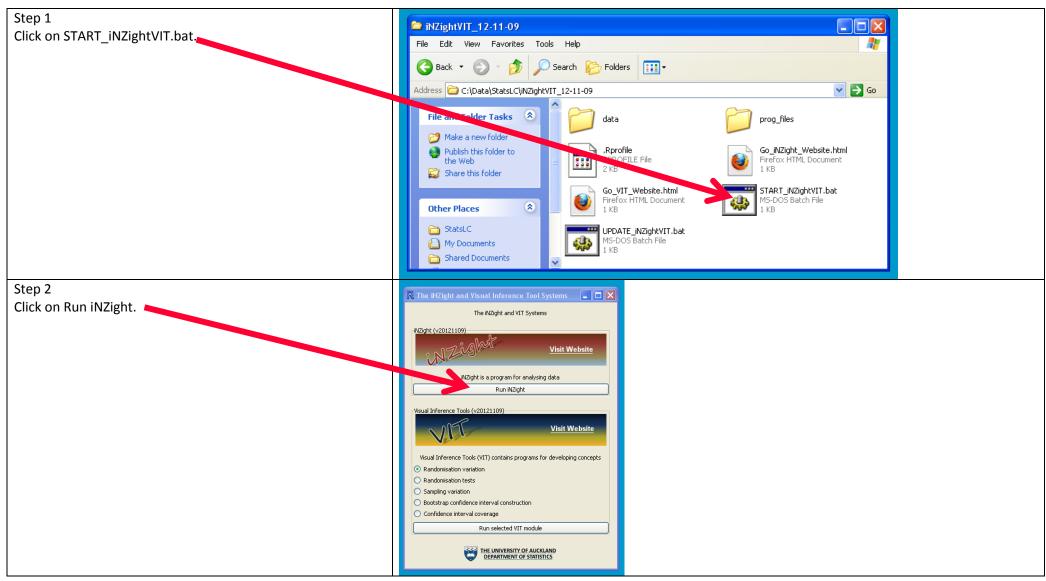
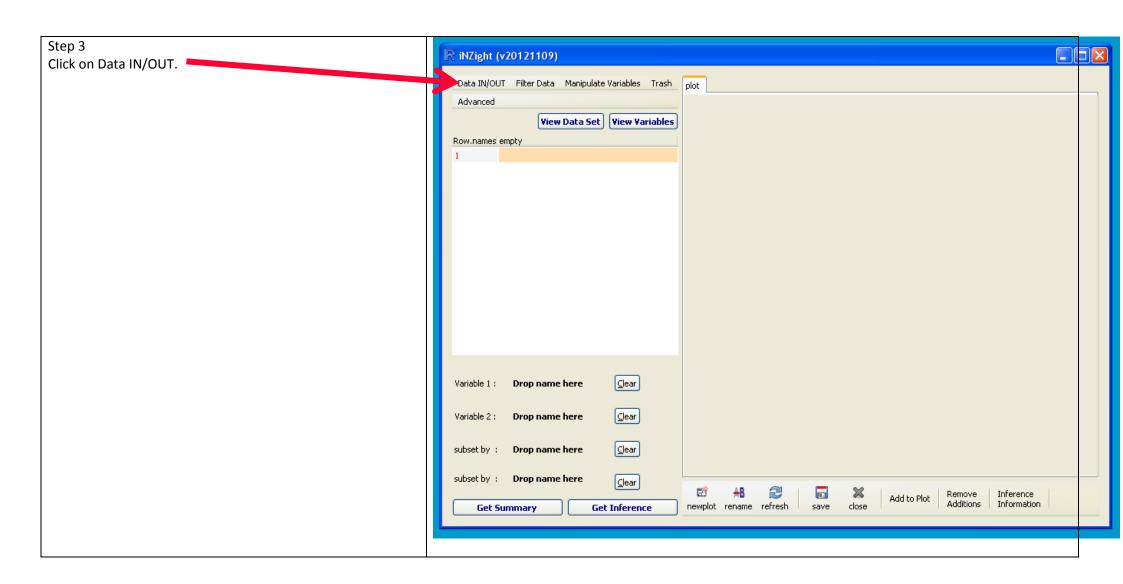
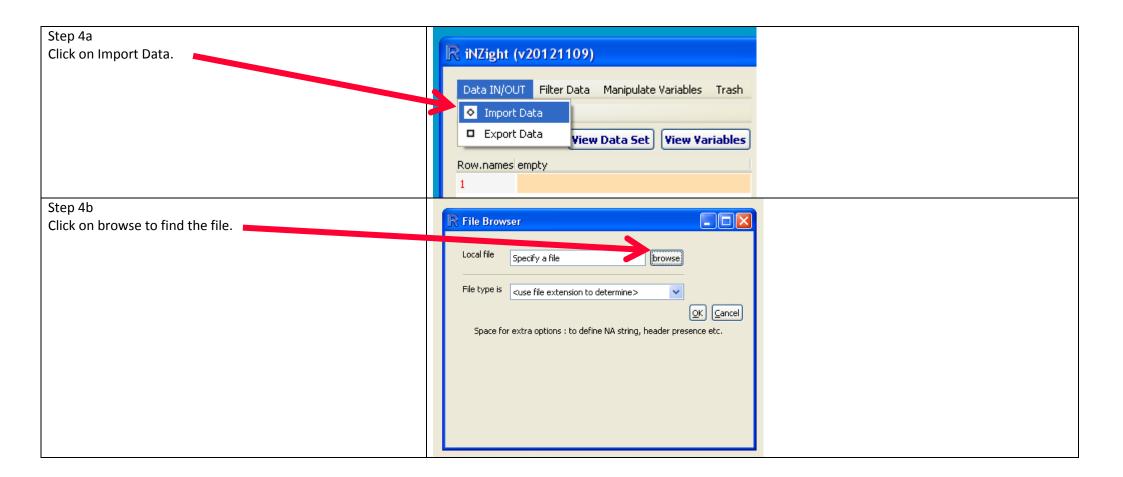
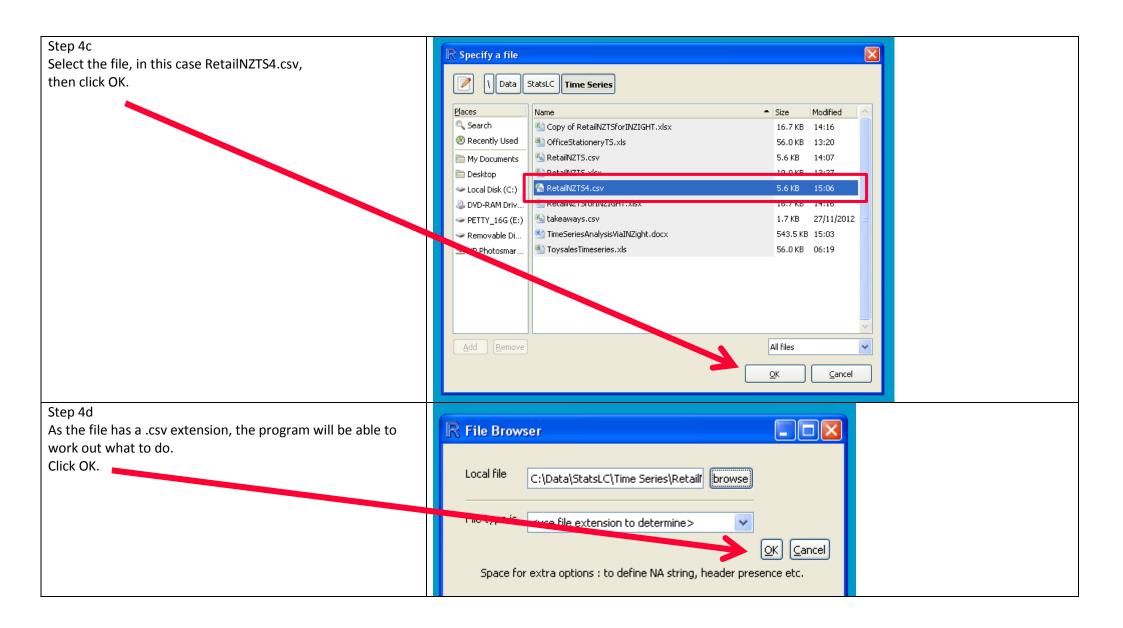
Using INZight for Time series analysis. A step-by-step guide.

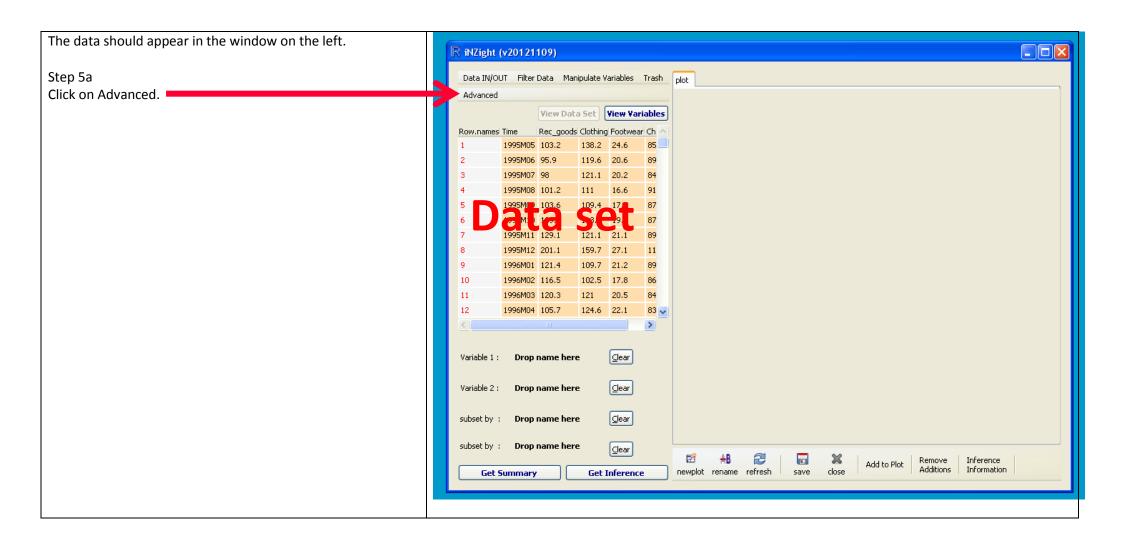
iNZight can be downloaded from http://www.stat.auckland.ac.nz/~wild/iNZight/index.html



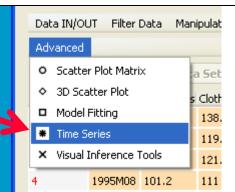










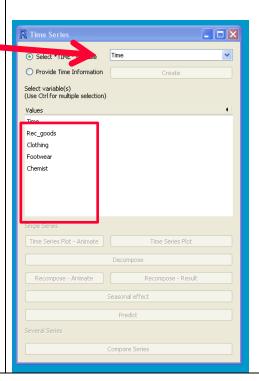


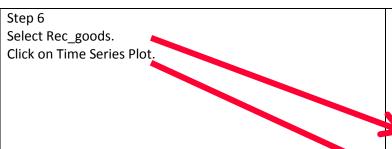
The program has already selected the *TIME* variable. You can now select one of the other variables to analyse. They are the monthly retail sales in millions of dollars for various categories of goods in New Zealand.

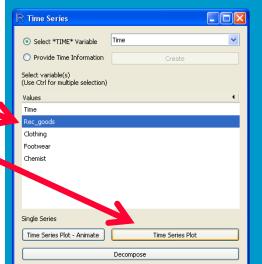
Rec_goods is recreational goods, and includes sport and camping equipment, toys and games, books and stationery, photographic equipment and marine equipment.

Clothing is clothing and softgoods retailing, and includes clothing and Manchester.

Footwear and Chemist are as stated.
The dataset was downloaded from http://www.stats.govt.nz/infoshare/Default.aspx on 5 December 2012, and formatted for importing into iNZight.







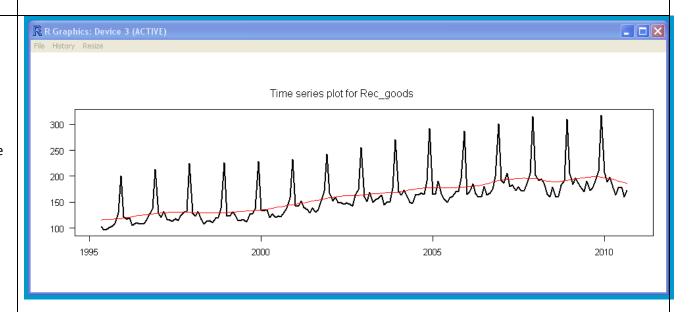
You should see a graph that looks like this.

The jagged black line is the actual series, and the red line is the smoothed line showing the deseasonalised trend.

You can see that the trend is going up gradually, and then levelling out.

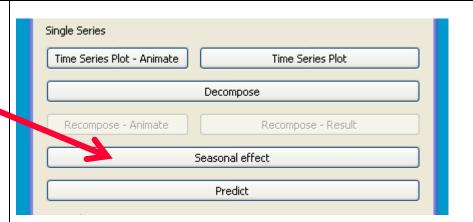
The actual series has a very regular pattern to it. There is one month of the year where the sales are almost double the other months.

Think about which month that will be.



Step 7

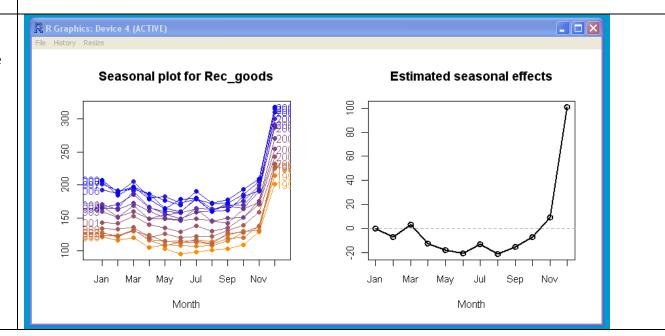
This regular pattern is called "seasonality". You can see it better by clicking on Seasonal effect.



This is what should appear.

You can resize the window to get a better look at each of the graphs.

You can also Copy to the clipboard using the File command.



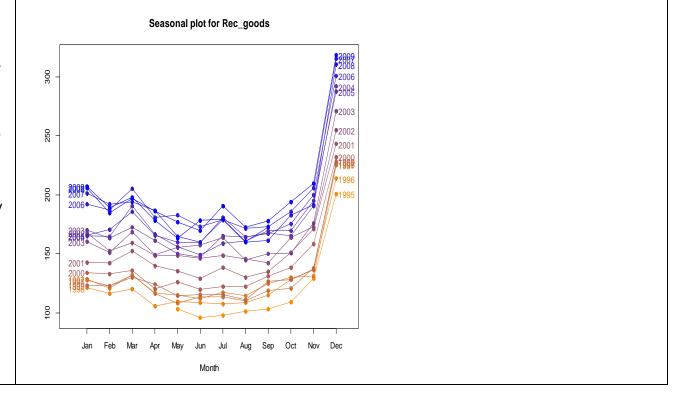
Then paste into a document.

The picture on the right has been copied and pasted as a Metafile, whereas the earlier pictures are all screenshots. I've also cropped it, so we can look at the graphs individually.

What does this graph tell us?

The plot on the left has the entire series, but stacked up by year. The earlier years are orange, and they gradually change to blue.

You can see that the seasonal pattern is quite similar from year to year, and that the sales are gradually going up. If they weren't, the lines would be on top of each other (all mushed together.)



The plot on the right shows the estimated seasonal effects. This tells a bit of a story. There is a definite increase in December, which would be due to people buying Christmas presents. This is already starting in November.

There is an interesting little bump in March and in July. Can you think of any reason for these? I wonder if they occur in sales of other categories of goods. In New Zealand, the end of our financial year falls on 31st March, so sometimes businesses spend up then, and some businesses have sales to reduce the amount of inventory (stock) they are holding. You could ask some retailers what they think may cause this.

Should a person selling retail recreational goods compare their sales in January with the previous month or the January of the previous year?

Estimated seasonal effects

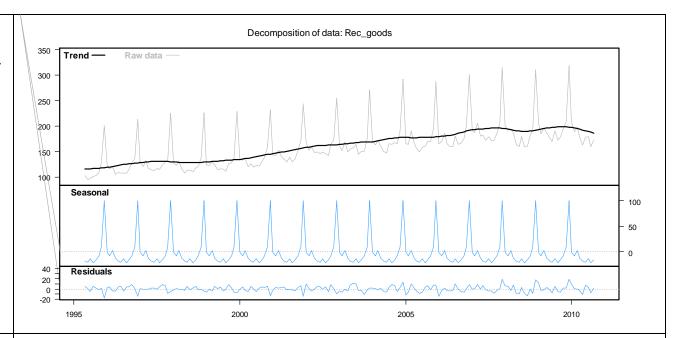
Step 8

It is a good idea to see how much of the series is trend, how much is seasonality, and how much is random variation, or "noise". Click on Decompose to see this.



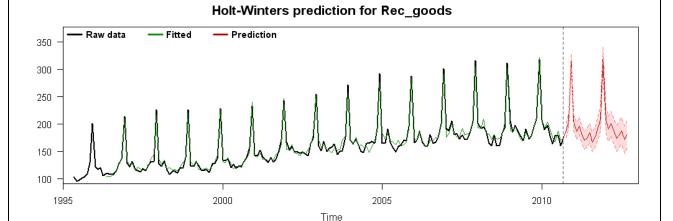
The top graph is the original series, with the trend line. The middle graph shows the estimated seasonality, repeated. The bottom graph shows the Residuals. This is the variation that is not explained by trend or seasonality.

It is important to look at the scales of the graphs when comparing the relative effects.



Step 9

You can also use iNZight to predict. You should not predict too far ahead. This package will only predict two years ahead, as any further than this is ill-advised. You will also see that the predictions are given as intervals around a point.



The prediction values are also given (but with spurious accuracy – you should round them before writing them into a report.)

What do you notice about the width of the intervals? Compare the difference between the upper and lower bounds for the two July predictions.

For 2011 it is 35 million.

For 2012 it is 49 million.

This is because we are less sure of our predictions, the further into the future they occur. This is reflected in a wider prediction interval for the later predictions.

Now you can explore the other series in the data set. Which series shows the least seasonal effect? How do the trends compare? Which one is least regular and has the largest residuals?

Have fun, and think about what it all means, as this is real data!

