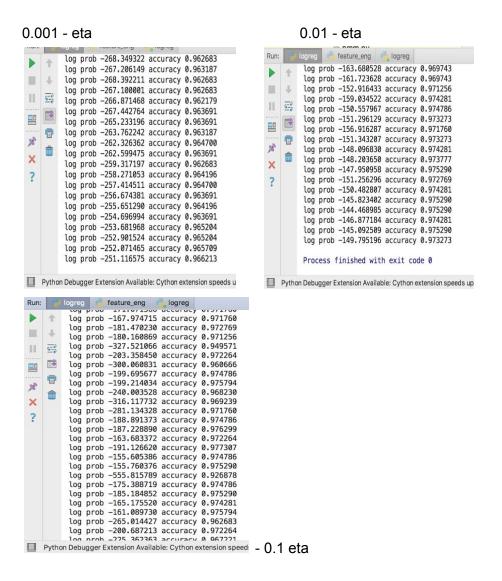
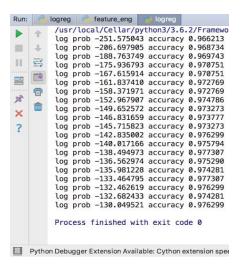
1.2)

1) The below mentioned diagrams are for epoch 1 and learning rates as mentioned beside. The log probabilities are printed after training every 100 instances(progress is called). At smaller learning rate, It takes lot of iterations to converge due to small steps.(ex 0.001). At higher learning rate, the log probabilities oscillates continuously and we will miss the minimum and it becomes difficult to converge.(ex0.1). Higher or smaller learning rate are not efficient for converging. We need to have high learning rate initially. Gradually our learning rate need to adapt and decrease accordingly in order to avoid missing the minimum.



2) The below diagram shows log probabilities for epoch 1 to 20(eta - 0.001). The test accuracy increases initially with epoch and later oscillate with epoch (It neither increases nor decreases continuously.)



2.2)

- a) I added features count of invited quotes, count of exclamations in the review. This
 implies he is stressing many points in the review. (indicates it may be positive review).
 These features increased accuracy above baseline.
- b) I added feature count of ((what|where|when|where|how|whose) .*\ ?) regular expression in the review. So this type of question implies he may not like the movie. This feature increased accuracy above baseline.
- c)I added feature count of years mentioned in review. I assumed the mentioned of years may imply that he liked the movie and gave citations of other movie which he related. But this feature decreased accuracy because even in case of not liking the movie he gave citations.
- d)I added feature count of conjunctions in the review. This implies he may be giving reasons for not liking the movie. This feature increased accuracy above baseline because of above assumption.
- e) I added feature number of () brackets in the review. This may imply that he is elaborating something more in detail to explain the things he liked in the movie. This feature didn't increase accuracy because above assumption didn't hold.(he explained which he didn't like in the movie also).
- f) I added features number of positive words and negative words in the review using a set of words from net. This feature didn't increase accuracy because of the limitedness of set of words.
 - 2) unigrams set of sequence of one word from the given text.(review)
 Bigrams set of sequence of two words from given text.(review)
 N-gram set of sequence of n words from given text.(review).

These features increased performance to above 80%. These features help because when same unigram, bigrams or found are found in training sample it assumes same class

label. Higher the match of count of ngrams between test review and training review higher the probability it has same class label. So it does based on count of matched ngrams.

$$P(Y=C_{1}) = \exp(R_{1}^{T}x)$$

$$\frac{1}{E_{1}} \exp(R_{1}^{T}x)$$

Negative log birdihood = $-\frac{N}{2}$ for $(P(Y^{(2)}/x L))$

$$C_{1} \text{ is covered about } = -\frac{N}{2}$$
 for $(P(Y^{(2)}/x L))$

$$= -\frac{N}{E_{1}} \left(\log \left(\exp(R_{1}^{T}x_{1}) \right) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \exp(R_{1}^{T}x_{1}) \right) \right)$$

Negative log $(\log R_{1}^{T}x_{1}) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \exp(R_{1}^{T}x_{1}) \right)$

Negative log $(\log R_{1}^{T}x_{1}) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \exp(R_{1}^{T}x_{1}) \right)$

$$= -\frac{N}{E_{1}} \left(\log \left(\log \left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \exp(R_{1}^{T}x_{1}) \right) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \exp(R_{1}^{T}x_{1}) \right) \right)$$

$$= \frac{1}{E_{1}} \left(\log \left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \exp(R_{1}^{T}x_{1}) \right) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \exp(R_{1}^{T}x_{1}) \right) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) \right)$$

$$= \frac{1}{E_{1}} \left(\log \left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) \right)$$

$$= \frac{1}{E_{1}} \left(\log \left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) \right)$$

$$= \frac{1}{E_{1}} \left(\log \left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) \right)$$

$$= \frac{1}{E_{1}} \left(\log \left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) \right)$$

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$$= \frac{1}{E_{1}} \left(\log \left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) - \log\left(\frac{exp(R_{1}^{T}x_{1})}{E_{2}} \right) \right)$$

$$\frac{\partial \left(\log \pi_{cii}\right)}{\partial \beta_{cij}} = -\frac{1}{\sqrt{2}} \frac{\partial \left(\pi_{ci}, \pi_{cii}\right)}{\partial \beta_{cij}}$$

$$= \frac{\partial \left(\pi_{ci,i}\right)}{\partial \beta_{cij}} = \frac{\partial \left(\sup_{\beta \in \mathcal{I}} \chi_{i,i}\right)}{\frac{\partial \beta_{cij}}{\partial \beta_{cij}}}$$

$$= \frac{\partial \left(\pi_{ci,i}\right)}{\partial \beta_{cij}} = \frac{\partial \left(\sup_{\beta \in \mathcal{I}} \chi_{i,i}\right)}{\frac{\partial \beta_{cij}}{\partial \beta_{cij}}}$$

$$= \frac{\partial \left(\pi_{ci,i}\right)}{\partial \beta_{cij}} = \frac{\partial \left(\pi_{ci}, \pi_{ci}\right)}{\partial \beta_{cij}} \times \left(\frac{\partial \beta_{ci}}{\partial \beta_{cij}}\right)$$

$$= \frac{\partial \left(\pi_{ci,i}\right)}{\partial \beta_{cij}} \times \frac{\partial \left(\beta_{ci}, \pi_{ci}\right)}{\partial \beta_{cij}} \times \left(\frac{\partial \beta_{ci}}{\partial \beta_{ci}}\right)$$

$$= \frac{\partial \left(\pi_{ci,i}\right)}{\partial \beta_{cij}} \times \frac{\partial \left(\beta_{ci}, \pi_{ci}\right)}{\partial \beta_{cij}} \times \left(\frac{\partial \beta_{ci}}{\partial \beta_{ci}}\right)$$

$$= \frac{\partial \left(\pi_{ci,i}\right)}{\partial \beta_{cij}} \times \frac{\partial \left(\beta_{ci}, \pi_{ci}\right)}{\partial \beta_{cij}} \times \frac{\partial \left(\beta_{ci}, \pi_{ci}\right)}{\partial \beta_{cij}} \times \frac{\partial \left(\beta_{ci}, \pi_{ci}\right)}{\partial \beta_{cij}}$$

$$= \frac{\partial \left(\pi_{ci,i}\right)}{\partial \beta_{cij}} \times \frac{\partial \left(\beta_{ci}, \pi_{ci}\right)}{\partial \beta_{cij}} \times \frac{\partial \left(\beta_{ci}, \pi_{ci}\right)}{\partial \beta_{cij}} \times \frac{\partial \left(\beta_{ci}, \pi_{ci}\right)}{\partial \beta_{cij}}$$

$$= \frac{\partial \left(\pi_{ci,i}\right)}{\partial \beta_{cij}} \times \frac{\partial \left(\beta_{ci}, \pi_{ci}\right)}{\partial \beta_{ci}} \times \frac{\partial \left(\beta_{ci}, \pi_{ci}\right)}{\partial \beta_$$

 $\frac{\partial \lambda}{\partial f_{i+1}} = -(x_i)_j (1 - \pi_{(i+1)})$ $\frac{\partial \lambda}{\partial f_{i+1}} = -(x_i)_j (1 - \pi_{(i+1)})$