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(54) **MULTIPLEXER**

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(57) **ABSTRACT**

When a current flowing in a series circuit including an equivalent resistance, an equivalent inductor, and an equivalent capacitance in an electric equivalent circuit of a specific resonator in each filter is defined as an acoustic path current, under conditions that a phase of an acoustic path current of a first transmission filter at a side of a common terminal at a frequency within a first transmission band is represented as $\theta1_{Tx}$, a phase of an acoustic path current of the first transmission filter at the side of the common terminal at a frequency within a second transmission band is represented as $\theta2_{Tx}$, a phase of an acoustic path current of a first reception filter at the side of the common terminal at a frequency within the first transmission band is represented as $\theta1_{Rx}$, and a phase of an acoustic path current of the first reception filter at the side of the common terminal at a frequency within the second transmission band is represented as $\theta2_{Rx}$, a multiplexer satisfies a first condition: $|(2\cdot\theta1_{Tx}-\theta2_{Tx})-(2\cdot\theta1_{Rx}-\theta2_{Rx})|=180°\pm90°$, or a second condition: $|(2\cdot\theta2_{Tx}-\theta1_{Tx})-(2\cdot\theta2_{Rx}-\theta1_{Rx})|=180°\pm90°$.