

Perfect ↗ Let's go step by step — I'll explain **each unit and each topic** in **very easy, simple language**, with **detailed points** under each heading.  
This is based on your **SPPU Machine Learning (2019 Course, IT – TE)** syllabus.

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## UNIT I – INTRODUCTION TO MACHINE LEARNING (6 Hours)

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### □ 1. What is Machine Learning?

#### **Simple meaning:**

Machine Learning (ML) means teaching computers to **learn from data** and **make decisions** without being directly programmed.

#### **Example:**

When you show a computer many pictures of cats and dogs, it learns the difference — then can tell whether a new image is a cat or dog.

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## 2. Definition

Machine Learning is a **subset of Artificial Intelligence (AI)** that allows computers to **learn patterns** from past data and **make predictions or decisions** without being explicitly programmed for each task.

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## 3. Real-Life Applications of ML

1.  **Recommendation systems** – YouTube, Netflix suggest videos based on what you watch.
  2.  **Voice assistants** – Alexa, Siri understand and respond to speech.
  3.  **Spam filtering** – Gmail detects spam emails automatically.
  4.  **Self-driving cars** – Learn to drive using camera and sensor data.
  5.  **Fraud detection** – Banks detect fake transactions using ML models.
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## 4. Learning Tasks

## (A) Descriptive Tasks

- Aim: Describe or find patterns in existing data.
- Example: Grouping customers by buying habits (clustering).

## (B) Predictive Tasks

- Aim: Predict future outcomes based on data.
  - Example: Predicting house prices or exam marks.
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# 5. Types of Learning

Type	Description	Example
<b>Supervised Learning</b>	Data has input (features) and output (labels). The model learns from both.	Predicting marks from study hours.
<b>Unsupervised Learning</b>	Only input data is given, no output labels. Model finds patterns itself.	Grouping similar customers (clustering).
<b>Semi-Supervised Learning</b>	Some data is labeled, some is not.	Face recognition when few faces are labeled.
<b>Reinforcement Learning</b>	System learns by trial and error to get rewards.	Teaching a robot to walk or a game AI to win.

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# 6. Features

## (A) Types of Data

Type	Meaning	Example
<b>Qualitative (Categorical)</b>	Data that describes qualities or categories. Gender, color, city	
<b>Quantitative (Numerical)</b>	Data with numbers that can be measured. Height, weight, marks	

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## (B) Scales of Measurement

Scale	Meaning	Example
<b>Nominal</b>	Just names or categories, no order.	Male/Female
<b>Ordinal</b>	Ordered data, but no fixed difference.	Rank 1, 2, 3
<b>Interval</b>	Ordered, fixed difference, no true zero.	Temperature (°C)
<b>Ratio</b>	Ordered, fixed difference, has true zero.	Height, Weight

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## (C) Concept of Feature

A **feature** is a measurable property of data.

Example: In a student dataset – marks, attendance, and hours studied are features.

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## (D) Feature Construction

Creating new features using existing ones.

Example: “BMI” = weight/height<sup>2</sup> (made from weight & height).

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## (E) Feature Selection

Choosing the most important features and removing unnecessary ones to improve model performance.

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## (F) Feature Transformation

Changing data into another form (like scaling or normalizing) so the model understands it better.

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## ⚠ (G) Curse of Dimensionality

When we have **too many features**, model performance **drops** because:

- Computation becomes harder.
  - Data becomes sparse.
  - Model may overfit (memorize instead of learning).
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# 7. Dataset Preparation

## (A) Training vs. Testing Dataset

Dataset	Use
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**Training Dataset** Used to train the model (learn patterns).

**Testing Dataset** Used to test accuracy and performance.

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## (B) Validation Techniques

1. **Hold-out Method**
    - o Split dataset into training and testing parts (e.g., 70% train, 30% test).
  2. **k-Fold Cross Validation**
    - o Divide data into  $k$  equal parts.
    - o Train on  $k-1$  parts, test on 1 part.
    - o Repeat  $k$  times and take average accuracy.
  3. **Leave-One-Out Cross Validation (LOOCV)**
    - o Special case of k-fold where  $k = \text{number of data points}$ .
    - o Train on all except one sample, test on that one.
    - o Repeat for every data point.
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### **Mapping of Course Outcome for Unit I: CO1**

- Understand basics of Machine Learning, its types, tasks, data features, and dataset preparation techniques.
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## **UNIT II – CLASSIFICATION (6 Hours)**

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### **1. Binary Classification**

#### **What is Classification?**

Classification means **dividing data into categories or classes**.

Example:

Predict whether an email is **spam** or **not spam** → two classes → *binary classification*.

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### **Linear Classification Model**

- In linear classification, we use a **straight line (or plane)** to separate the two classes.
- Example:
  - o Class 1 → “Pass”,
  - o Class 2 → “Fail”.
  - o The model finds a line (in 2D) or plane (in 3D) that separates them.

**Equation form:**

$$y = w_1x_1 + w_2x_2 + b$$

where

- $(x_1, x_2)$  = input features,
  - $(w_1, w_2)$  = weights (learned by model),
  - $(b)$  = bias (helps adjust the line).
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## ■ 2. Performance Evaluation (Binary Classification)

We use various metrics to check how good the model is.

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### ☒ (A) Confusion Matrix

	Predicted Positive	Predicted Negative
Actual Positive	True Positive (TP)	False Negative (FN)
Actual Negative	False Positive (FP)	True Negative (TN)

#### ☞ Example:

Model predicting if students pass or fail.

- TP = Predicted pass and actually passed.
  - FP = Predicted pass but actually failed.
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### ⌚ (B) Accuracy

$$[\text{Accuracy} = \frac{\text{TP} + \text{TN}}{\text{TP} + \text{TN} + \text{FP} + \text{FN}}]$$

Tells how many predictions are correct out of total.

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### ⌚ (C) Precision

$$[\text{Precision} = \frac{\text{TP}}{\text{TP} + \text{FP}}]$$

Tells how many predicted positives are actually correct.  
□ *High precision → few false alarms.*

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### ⌚ (D) Recall (Sensitivity)

```
[  
Recall = \frac{TP}{TP + FN}  
]
```

Tells how many actual positives were correctly predicted.

□ *High recall → model catches most positives.*

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### ⌚ (E) F-Measure (F1-Score)

```
[  
F1 = 2 \times \frac{(Precision \times Recall)}{(Precision + Recall)}  
]  
It balances both precision and recall.
```

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### ⌚ (F) ROC Curve (Receiver Operating Characteristic)

- It plots **True Positive Rate (TPR)** vs **False Positive Rate (FPR)**.
  - **Area Under Curve (AUC)** shows performance:
    - AUC = 1 → perfect model
    - AUC = 0.5 → random guess
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## ⌚ 3. Multi-Class Classification

### 💡 What it is:

When data has **more than two classes**.

Example: Classifying fruits as Apple, Banana, Orange.

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### ▣ Model

Model learns **boundaries** for multiple classes.

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### ▣ Performance Evaluation Metrics

Metric	Meaning
Per-class Precision	Precision for each individual class
Per-class Recall	Recall for each individual class

Metric	Meaning
<b>Weighted Average Precision / Recall</b>	Weighted average based on number of samples per class

#### □ Example:

If there are 3 classes (A, B, C), we calculate precision and recall for each, then average them.

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## ⌚ Handling More than Two Classes

### 1. One vs One (OvO)

- Create classifier for every pair of classes.
- For 3 classes (A, B, C): classifiers are (A vs B), (B vs C), (A vs C).
- Total =  $n(n-1)/2$  classifiers.

### 2. One vs Rest (OvR)

- For each class, build one model that classifies that class vs all others.
  - For 3 classes → 3 models: (A vs Rest), (B vs Rest), (C vs Rest).
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## ⌚ 4. Linear Models

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### 💡 Introduction

Linear models use a **linear equation** to make predictions or classification boundaries.

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### ◆ Linear Support Vector Machine (SVM)

- **Goal:** Find a line (or hyperplane) that best separates the classes.
  - The **best hyperplane** maximizes the **margin** — the distance between the line and nearest data points (called **support vectors**).
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### ◆ Soft Margin SVM

- Used when data is **not perfectly separable**.
  - Allows some **misclassifications** to get a better overall boundary.
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### ◆ SVM Kernels (for non-linear data)

If data is not linearly separable, we use kernels to transform data into higher dimensions.

Kernel	Description
<b>RBF (Radial Basis Function)</b>	Creates circular boundaries.
<b>Gaussian</b>	Similar to RBF; focuses on distance from a center point.
<b>Polynomial</b>	Creates curved decision boundaries.
<b>Sigmoid</b>	Works like a neural network activation function.

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## □ 5. Logistic Regression

### 💡 Model

Used for **classification**, not regression (despite the name).

Predicts the **probability** of an instance belonging to a class.

Equation:

$$P(y=1|x) = \frac{1}{1 + e^{-(w_1x_1 + w_2x_2 + b)}}$$

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### ⌚ Cost Function

We use **Log Loss (Binary Cross-Entropy)** to measure how far predicted probabilities are from actual labels.

$$\text{Cost} = -\frac{1}{n} \sum [y \log(p) + (1-y) \log(1-p)]$$

Model learns by adjusting weights (  $w$  ) and bias (  $b$  ) to **minimize cost**.

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### ✓ Mapping of Course Outcome for Unit II: CO2

- Understand classification techniques (binary and multi-class), evaluation metrics, SVMs, and logistic regression.

# UNIT III – REGRESSION (6 Hours)

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## □ 1. What is Regression?

### Simple meaning:

Regression means **predicting a continuous (numerical) value** based on data.

### □ Example:

Predicting:

- House price based on area
- Student marks based on study hours
- Temperature based on time of year

☞ Classification → categories (Yes/No)

☞ Regression → numbers (e.g., 78.5 marks)

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## 2. Univariate Regression

**Univariate** = "one variable"

It means the model predicts the output using **only one input feature**.

### Example:

Predicting student marks based on hours studied.

- Input (X): hours studied
  - Output (Y): marks scored
- 

## □ Least Square Method (Simple Linear Regression)

We try to fit a **straight line** through the data points that minimizes errors.

Equation of line:

$$[ Y = mX + c ]$$

where

- ( Y ) = predicted value

- ( $X$ ) = input feature
  - ( $m$ ) = slope (how steep the line is)
  - ( $c$ ) = intercept (where line cuts Y-axis)
- 

## ⌚ Goal of Least Squares:

Find  $m$  and  $c$  such that the **sum of squared errors** between actual and predicted  $Y$  is minimum.

Error for each point = (Actual  $Y$  – Predicted  $Y$ )

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## ▣ Cost Function

The **cost function** tells how wrong the model's predictions are.

Common cost functions:

Cost Function	Formula	Meaning
<b>MSE (Mean Squared Error)</b>	$(\frac{1}{n} \sum (y_{\text{actual}} - y_{\text{pred}})^2)$	Average of squared errors.
<b>MAE (Mean Absolute Error)</b>	$(\frac{1}{n} \sum  y_{\text{actual}} - y_{\text{pred}} )$	$y_{\text{actual}} - y_{\text{pred}}$
<b>R<sup>2</sup> (R-Square)</b>	$(1 - \frac{\text{SS}_{\text{res}}}{\text{SS}_{\text{tot}}})$	Measures how well line fits data (1 = perfect fit).

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## □ Example (Simple):

### Hours (X) Marks (Y)

1	35
2	40
3	50
4	55
5	60

Regression line (approx):

$$[$$

$$Y = 6X + 30$$

$$]$$

So, if a student studies for 6 hours → predicted marks =  $6 \times 6 + 30 = 66$ .

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## ⌚ 3. Optimization of Linear Regression with Gradient Descent

### 💡 What is Gradient Descent?

Gradient Descent is a method used to **find the best values of m and c** that minimize the cost function.

It's like walking downhill to reach the **lowest point** (minimum error).

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### ◆ Steps of Gradient Descent:

1. Start with random values of ( m ) and ( c ).
  2. Calculate the cost (MSE).
  3. Adjust ( m ) and ( c ) slightly in the direction that **reduces cost**.
  4. Repeat until cost is minimal.
- 

### 💻 Formula Updates:

```
[  
m = m - \alpha \frac{\partial J}{\partial m}  
]  
[  
c = c - \alpha \frac{\partial J}{\partial c}  
]
```

where:

- ( J ) = cost function
- ( \alpha ) = learning rate (step size)

👉 The process continues until the line fits data perfectly (or almost perfectly).

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## ◆ 4. Estimating Regression Coefficients

These coefficients (( m, c )) can be found:

1. Using **Mathematical formula** (Normal Equation).
2. Using **Gradient Descent** (iterative learning).

### **Normal Equation:**

```
[  
\theta = (X^T X)^{-1} X^T Y  
]  
where
```

- ( $X$ ) = input data matrix
  - ( $Y$ ) = output vector
  - ( $\theta$ ) = coefficients (m, c)
- 

## **□ 5. Multivariate Regression**

When we have **more than one input feature**, we use **Multivariate (Multiple Linear) Regression**.

### **Example:**

Predicting house price based on:

- Size (sq. ft)
- Number of rooms
- Location rating

Equation:

```
[  
Y = w_1X_1 + w_2X_2 + w_3X_3 + b  
]
```

Each ( $w_i$ ) shows how much each feature affects the output.

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## **□ 6. Polynomial Regression**

When data is **not in a straight line**, we use **polynomial regression** — curve fitting.

Equation:

```
[  
Y = a_0 + a_1X + a_2X^2 + a_3X^3 + ...  
]
```

Example: Predicting temperature over time — curve shape instead of line.

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## **7. Generalization Concepts**

## □ Overfitting

- Model learns the **training data too perfectly** (including noise).
  - Performs badly on new data.
  - Example: Memorizing answers instead of understanding the topic.
- 

## □ Underfitting

- Model is **too simple** and can't learn patterns properly.
  - Performs badly on both training and test data.
  - Example: Not studying enough.
- 

## 💡 Bias vs Variance

Term	Meaning	Effect
Bias	Error due to oversimplification (underfitting).	Model too rigid.
Variance	Error due to too much complexity (overfitting).	Model too sensitive.

👉 Goal: Find a **balance** between bias and variance for best performance.

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## ✓ Mapping of Course Outcome for Unit III: CO3

- Understand regression concepts, types, cost functions, gradient descent optimization, and performance evaluation.
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# 🧠 UNIT IV – TREE BASED AND PROBABILISTIC MODELS (6 Hours)

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## 🌲 1. TREE BASED MODEL

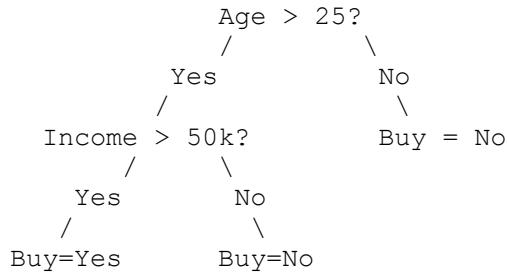
### 💡 What is a Decision Tree?

A **Decision Tree** is a model that uses a **tree-like structure** to make decisions.

- Each **internal node** → checks a condition on a feature.
  - Each **branch** → result of that condition (Yes/No).
  - Each **leaf node** → final decision or output.
- 

## □ Example:

Predict whether a person will buy a car:



So, the model splits data based on questions (conditions) — just like humans think logically.

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## □ Concepts and Terminologies

Term	Meaning
<b>Root Node</b>	The starting point (first question).
<b>Decision Node</b>	A node where the data is split further.
<b>Leaf Node</b>	Final output (no further split).
<b>Splitting</b>	Dividing data into groups based on a condition.
<b>Branch</b>	Path representing an outcome of a test.
<b>Pruning</b>	Removing unnecessary branches to avoid overfitting.

---

## □ Impurity Measures (to decide the best split)

We use formulas to measure how “mixed” the data is.  
The purer (less mixed) → the better the split.

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### (A) Gini Index

- Measures impurity of data.

- Formula:  

$$Gini = 1 - \sum p_i^2$$

where ( $p_i$ ) = probability of each class.

☞ If  $Gini = 0 \rightarrow$  perfect purity (only one class in node).

### **Example:**

If 50% yes, 50% no  $\rightarrow Gini = 1 - (0.5^2 + 0.5^2) = 0.5$  (impure)

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### *(B) Entropy*

- Another measure of impurity.  

$$Entropy = -\sum p_i \log_2(p_i)$$

Lower entropy = purer data.

### **Example:**

If node has 100% “Yes”  $\rightarrow Entropy = 0$

If node has 50% “Yes”, 50% “No”  $\rightarrow Entropy = 1$  (most impure)

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### *(C) Information Gain*

Tells how much **entropy is reduced** after a split.

[  
 $InformationGain = Entropy(before) - Entropy(after)$   
 ]  
 ☞ Higher gain = better split!

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## **☒ Tree Pruning**

### **Why prune?**

Sometimes tree becomes too large and fits the training data perfectly (overfitting).

**Pruning** = cutting off less useful branches.

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### *Types:*

1. **Pre-Pruning**  $\rightarrow$  Stop growing early based on conditions (like minimum samples).

- 
2. **Post-Pruning** → Grow full tree, then remove weak branches.
- 

## □ Algorithms:

Algorithm	Description
<b>ID3 (Iterative Dichotomiser 3)</b>	Uses <b>Entropy</b> and <b>Information Gain</b> to choose splits.
<b>C4.5</b>	Extension of ID3. Handles <b>continuous values</b> and <b>missing data</b> , uses <b>Gain Ratio</b> .

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## ✓ Advantages of Decision Trees:

- Easy to understand and interpret.
- No need for data scaling or normalization.
- Works for both classification and regression.

## ⚠ Limitations:

- Can easily **overfit** data.
  - Sensitive to small changes in data.
  - For large datasets, trees can become complex.
- 

## 🎲 2. PROBABILISTIC MODELS

Now let's move to models based on **probability and statistics**.

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### □ (A) Conditional Probability

**Conditional Probability** = Probability of event A happening **given** event B already happened.

$$P(A|B) = \frac{P(A \text{ and } B)}{P(B)}$$

#### **Example:**

If 70% students study, and 60% of those pass →  
 $P(\text{Pass} | \text{Study}) = 0.6$

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## □ (B) Bayes Theorem

This is the core of probabilistic learning.

$$[ P(A|B) = \frac{P(B|A) \times P(A)}{P(B)} ]$$

It helps update probability based on **new evidence**.

### Example (Spam Detection):

- $P(\text{Spam} | \text{"win money"})$   
→ How likely an email is spam if it contains the words “win money”.
- 

## □ (C) Naïve Bayes Classifier

A simple but powerful **probabilistic classifier** based on Bayes Theorem.

**Naïve** = assumes all features are **independent** of each other.

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*Example:*

Predict if a person buys a phone based on:

- Age
- Income
- Ad response

It calculates probability for each class (Buy = Yes/No) and picks the higher one.

$$[ P(\text{Buy}=\text{Yes}|\text{Data}) = P(\text{Data}|\text{Buy}=\text{Yes}) * P(\text{Buy}=\text{Yes}) ]$$

---

### ✓ Advantages:

- Simple, fast, and efficient.
- Works well for text classification (like spam filtering).
- Needs small training data.

## Disadvantages:

- Assumes features are independent (not always true).
  - Poor performance if this assumption is violated.
- 

## (D) Bayesian Network

A **graphical model** that represents relationships between variables using **nodes and directed edges**.

- **Nodes** → random variables.
  - **Edges** → dependencies (cause–effect relationships).
- 

*Example:*

Weather prediction

Rain → Wet Grass  
↓  
Traffic

- “Rain” affects “Wet Grass” and “Traffic”.
  - Bayesian Network shows such conditional dependencies.
- 

## Uses of Bayesian Networks:

- Medical diagnosis
  - Weather forecasting
  - Fault detection systems
- 

## Mapping of Course Outcome for Unit IV: CO4

- Understand Decision Tree working, splitting measures, pruning, and probabilistic models like Naïve Bayes and Bayesian Networks.
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# UNIT V – DISTANCE AND RULE-BASED MODELS (6 Hours)

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## □ 1. DISTANCE-BASED MODELS

These models make predictions by **measuring distance** between data points.  
They are based on the idea:

“Similar things stay close together.”

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### Example:

If you have a new student and you want to predict whether they will pass or fail based on attendance and marks —  
→ check which old students are closest (similar) and see what happened with them.

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## □ (A) K-Nearest Neighbour (KNN)

### Definition:

KNN is a **lazy learning algorithm** that classifies a new data point based on the **majority of its K nearest neighbours**.

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### Step-by-step Working:

1. **Choose value of K** (e.g., K = 3).
  2. **Calculate distance** between the new data point and all training data points.
  3. **Select K nearest neighbours** (those with smallest distance).
  4. **Count class labels** among the K neighbours.
  5. **Assign the most common label** to the new point.
- 

### □ Example:

## Student Attendance Marks Result

A	80	85	Pass
B	90	88	Pass
C	40	35	Fail
D	50	45	Fail

Now we want to predict for a student with (70, 75).

Steps:

1. Calculate distance from all 4 students.
  2. Pick **K=3** nearest ones.
  3. Majority label = **Pass** → So prediction = **Pass** 
- 

## ❖ Common Distance Metrics:

Distance Type	Formula	Use Case
Euclidean	$\sqrt{\sum(x_i - y_i)^2}$	Continuous data
Manhattan	$\sum  x_i - y_i $	
Minkowski	$(\sum  x_i - y_i ^p)^{1/p}$	
Cosine Similarity	$\cos(\theta) = \mathbf{A} \cdot \mathbf{B} /  \mathbf{A}   \mathbf{B} $	

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## ⌚ Important Concepts:

- **Lazy Learner:** No model is built during training; all computation happens at prediction time.
  - **Non-parametric:** Doesn't assume any fixed shape or distribution of data.
- 

## ✓ Advantages:

- Simple and easy to implement.
- No training phase (fast to set up).
- Works for both classification and regression.

## ⚠ Disadvantages:

- Slow for large datasets (must compare with every point).
  - Sensitive to noisy data and irrelevant features.
  - Choosing the right **K** is important.
-

## □ 2. RULE-BASED MODELS

These models make predictions using **a set of IF-THEN rules** derived from data.

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### 💡 Definition:

A **rule-based classifier** uses logical rules in the form:

**IF (condition) THEN (class label)**

Example:

IF (age < 25) AND (income > 50k) THEN (buy = yes)

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### ⚙️ Components of a Rule:

Part	Description
<b>Antecedent (IF part)</b>	Condition(s) on input attributes.
<b>Consequent (THEN part)</b>	Output or predicted class.

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### □ Example:

Age	Income	Buy
23	70k	Yes
30	30k	No
22	80k	Yes

Rule generated →

IF age < 25 AND income > 60k THEN buy = yes

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### □ How Rules Are Generated

Rules can be created by:

1. **Manually (expert system)** – Rules written by experts.
2. **Automatically (machine learning)** – Using algorithms like:
  - **ID3/C4.5** → Decision Tree converted into rules.

- **RIPPER (Repeated Incremental Pruning to Produce Error Reduction)** → Generates optimized rule sets.
- 

## □ Conflict Resolution:

Sometimes multiple rules apply to one case.

To decide which rule to choose:

Strategy	Description
<b>Rule ordering</b>	Rules arranged by priority.
<b>Specificity ordering</b>	More specific rule preferred.
<b>Rule weighting</b>	Rules with higher accuracy are preferred.

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## ✓ Advantages:

- Easy to interpret and explain.
- Can combine human knowledge and data.
- Works well with symbolic or categorical data.

## ⚠ Disadvantages:

- Difficult to maintain large sets of rules.
  - Not good with continuous data unless discretized.
  - May conflict if not carefully designed.
- 

## ⌚ Comparison: KNN vs Rule-Based

Feature	KNN	Rule-Based
<b>Type</b>	Distance-based	Logic-based
<b>Training</b>	No explicit training	Requires rule generation
<b>Explainability</b>	Hard to interpret	Very interpretable
<b>Speed</b>	Slow at prediction	Fast once rules are made
<b>Use case</b>	Continuous data	Categorical data

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## ✓ Mapping of Course Outcome for Unit V: CO5

- Understand and apply **Distance-based (KNN)** and **Rule-based** models for classification and prediction.
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# UNIT VI – INTRODUCTION TO ARTIFICIAL NEURAL NETWORK (6 Hours)

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## □ 1. Introduction to Artificial Neural Networks (ANN)

### What is ANN?

An **Artificial Neural Network (ANN)** is a **machine learning model** inspired by how the **human brain** works.

It is made up of small units called **neurons**, which are connected in layers and help the system **learn patterns** from data.

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### Simple Idea:

Just like our brain learns from experience, ANN learns from **data** by adjusting the **connections (weights)** between neurons.

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### □ ANN Structure:

1. **Input Layer:** Takes the input features (like marks, hours studied, etc.).
  2. **Hidden Layer(s):** Processes data and learns complex relationships.
  3. **Output Layer:** Gives the final result or prediction.
- 

### □ Example:

Predicting whether a student will **pass or fail**:

- Input → hours studied, attendance
  - Output → pass/fail
- The network learns the relationship between them!
-

## □ 2. Biological Neuron vs Artificial Neuron

Biological Neuron	Artificial Neuron
Brain cell that processes signals	Mathematical model that processes inputs
Dendrites receive signals	Inputs ( $x_1, x_2, x_3, \dots$ )
Axon sends signals	Output ( $y$ )
Synapses control signal strength	Weights ( $w_1, w_2, w_3, \dots$ ) control input importance

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## ⌚ 3. McCulloch-Pitts Neuron Model

### □ Concept:

This is the **simplest mathematical model** of a neuron.

### Formula:

$$[ y = f(\sum w_i x_i + b) ]$$

Where:

- ( $x_i$ ): Input values
- ( $w_i$ ): Weights for each input
- ( $b$ ): Bias (constant)
- ( $f()$ ): Activation function
- ( $y$ ): Output

---

### ⌚ Working:

1. Multiply each input by its weight.
2. Add them all + bias.
3. Apply activation function.
4. Output the result.

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## □ 4. Perceptron and Its Learning Algorithm

### 💡 Definition:

**A Perceptron** is the **simplest type of ANN** used for **binary classification** (yes/no type problems).

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## □ Structure:

- **Inputs:**  $x_1, x_2, \dots$
  - **Weights:**  $w_1, w_2, \dots$
  - **Summation Unit:** Calculates weighted sum
  - **Activation Function:** Decides output (1 or 0)
- 

## ⌚ Working Example:

If output = 1 → class A

If output = 0 → class B

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## □ Perceptron Learning Algorithm:

**Step 1:** Initialize weights randomly.

**Step 2:** For each training sample:

- Calculate predicted output
- Compare with actual output
- Update weights as:  
[  
 $w_i = w_i + \eta (y_{\text{actual}} - y_{\text{predicted}})x_i$   
]  
where  $\eta$  = learning rate

**Step 3:** Repeat until error becomes very small.

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## ✓ Advantages:

- Easy to understand and implement.
- Works for linearly separable data.

## ⚠ Disadvantages:

- Cannot solve non-linear problems (like XOR).
-

## ⚡ 5. Sigmoid Neuron

When data is **not linearly separable**, we use **sigmoid neurons** instead of simple perceptrons.

### ☒ Sigmoid Activation Function:

$$[ f(x) = \frac{1}{1 + e^{-x}} ]$$

### ❖ Properties:

- Output always between 0 and 1
  - Smooth and continuous
  - Good for probabilistic outputs
- 

## □ 6. Other Activation Functions

Activation Function	Formula	Output Range	Shape / Use
Tanh	( $\tanh(x)$ )	-1 to +1	Centered around 0
ReLU (Rectified Linear Unit)	( $f(x) = \max(0, x)$ )	0 to $\infty$	Fast and simple
Sigmoid	( $\frac{1}{1+e^{-x}}$ )	0 to 1	Smooth S-shape

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## □ 7. Multi-Layer Perceptron (MLP)

### 💡 Definition:

A **Multi-Layer Perceptron (MLP)** is an ANN that has:

- One **input layer**
- One or more **hidden layers**
- One **output layer**

This helps solve **non-linear** problems.

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### □ Example Structure:

Input Layer → Hidden Layer → Output Layer

Each neuron in one layer is connected to **all neurons** in the next layer.

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## ⌚ Learning Parameters:

Parameter	Meaning
Weights ( <b>w</b> )	Strength of connections between neurons
Bias ( <b>b</b> )	Shifts activation function to fit data better
Learning Rate ( <b>η</b> )	Controls how much weights change per step

---

## ☒ 8. Loss Function: Mean Square Error (MSE)

### ☒ Formula:

```
[  
MSE = \frac{1}{n} \sum (y_{actual} - y_{predicted})^2  
]
```

#### Goal:

To minimize the error between actual and predicted outputs.

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### ☐ Example:

If actual = [1, 0, 1]  
and predicted = [0.9, 0.2, 0.8]

```
[  
MSE = \frac{(1-0.9)^2 + (0-0.2)^2 + (1-0.8)^2}{3} = 0.0266  
]
```

Lower MSE = better model ☈

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## 💻 9. Introduction to Deep Learning

### 💡 Definition:

**Deep Learning** = Machine Learning using **many-layered neural networks** (more than 2 hidden layers).

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### ☛ Why called "Deep"?

Because it has **deep (many)** layers that extract complex patterns from data automatically.

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## □ Examples of Deep Learning:

1.  Face Recognition
  2.  Speech Recognition
  3.  Self-Driving Cars
  4.  Object Detection (in photos)
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## ✓ Mapping of Course Outcome for Unit VI: CO6

- Understand the structure and working of **Artificial Neural Networks, Perceptrons, and Activation Functions**, and get an **introduction to Deep Learning**.
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## 💡 Summary of All Units (Quick Recall)

Unit	Topic	Focus
I	Introduction to ML	Types, Features, Datasets
II	Classification	Binary & Multi-class, SVM, Logistic Regression
III	Regression	Simple, Multiple, Polynomial
IV	Tree & Probabilistic Models	Decision Trees, Naïve Bayes
V	Distance & Rule-based Models	KNN, Association Rules
VI	Neural Networks	ANN, Perceptron, Deep Learning

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